

## Test 01 – Implementing bigNum

### Overview:

In a statically typed programming languages, such as C/C++, Java, and C# it is normal to have primitive data types be of restricted size based on allocated memory of the assigned type; for example, `int` values in Java are allocated 4 bytes (32 bits) and therefore can hold values in the range of -2,147,483,648 through 2,147,483,647.

The problem is even if the largest integer data type is used (i.e. `long`) you can still only hold a specific restricted set of values. The solution to overcome this is to use an reference type variable that is capable of expanding to an unrestricted size.

In Python version 3, all integers values are represented as `bigNums` allowing them to be of arbitrary precision. An oversimplified simplified Python uses a `list` to store the integer digits with the least significant digit first, for example the number 12345 would be stored in a python list as follows:

[5, 4, 3, 2, 1]

Interestingly the float in Python 3 is restricted to the range of values supported by the C programming language's `double` type (i.e. double precision). To overcome this a programmer may use the `Decimal.decimal` class which supports floating-point values of arbitrary precision.

### Test 01 – Deliverables

In this test I will have you implement:

- 1) Doubly-linked list (`dblyLnkdLst.py`)
- 2) A simplified version of `bigNum` using doubly-linked list (`bigNum.py`)
- 3) Driver program (`bigNumCalc.py`)
- 4) One Short Answer Question

### Step 01 – Implement `dblyLnkdLst` (10 marks):

Each Node in a `DoublyLinkedList` has three properties:

- `next :: Node`
- `prev :: Node`
- `data :: Any Type`

Implement a doubly-linked list with the following methods. Your doubly-linked list class should have the following properties:

- `head :: Node`
- `tail :: Node`
- `size :: Integer`

<code>__init__()</code>	Construct an empty doubly-linked list object
<code>isEmpty()</code>	Returns true if doubly-linked list is empty
<code>addFirst(element)</code>	Add element to front of doubly-linked list
<code>addLast(element)</code>	Add element to end of doubly-linked list
<code>removeFirst()</code>	Remove first item in doubly-linked list
<code>removeLast()</code>	Remove last item in doubly-linked list
<code>add(element, index :: int)</code>	Add element to specified index, if invalid index display error message to user
<code>remove(index :: int)</code>	Remove node at specified index
<code>__str__()</code>	Forward traverse through the list and print all the values in each node (one per line)
<code>__eq__()</code>	Return true if two doubly-linked lists have the same content in the same order. Return false otherwise.
<code>__add__(self, other : DoublyLinkedList)</code>	Append <i>other</i> to the end of the doubly linked list <i>self</i> .
<code>__len__()</code>	Return length of doubly-linked list

## Step 02 – Implement `bigNum` (12 marks):

As described in the overview section `bigNum` should be able to hold integers values of arbitrary length.

`bigNum` is an immutable object and should have the following **private** attribute:

- `digits` : Doubly-linked list of integers
- `sign` : `String -> ['-', '+']`

**RECALL:** integers should be stored with the least significant digit at the start of the list; for example the number 12345 is stored as 5 -> 4 -> 3 -> 2 -> 1

`bigNum` should have an `__init__()` method that has one optional parameter of type `String` called `value`. The parameter takes a integer an integer of arbitrary length as a string (i.e. `'-12345'`) and constructs a doubly-linked list with those digits with the least significant digit first. If no parameter is provided to `__init__()` use a default value `'0'`.

In addition to the above you should include the magic methods `__add__()`, `__sub__()`, `__div__()` and `__mul__()` that takes another `bigNum` parameter as input and performs addition, subtraction, division, or multiplication between the two numbers. You should **not** modify either the `self` object or the parameter object, but instead create a new `bigNum` object to return from these methods.

- **Hint 1:** Think of numbers such as 103 as follows:  $(3 * 10^0) + (0 * 10^1) + (3 * 10^2)$
- **Hint 2:** Consider the sign. If you are add a negative number to a positive one that is the same as subtraction and you can leverage `__sub__()`

- **IMPORTANT:** For `__div__()` you only need to return the integer portion as a new `bigNum` object

The class should also have an `__eq__()`, `__gt__()`, and `__lt__()` to compare if two `bigNum` objects are equal, greater than, or less than one another. All these functions should return boolean results.

Furthermore, you should be sure to include the `__str__()` method which returns the a string representing the value of the `bigNum`. Be sure to include a leading negative sign in the returned string if sign is negative. You should omit the sign if it is positive.

- Example: “-12345”

`bigNum` should also include a `__len__()` method to indicate the number of digits contained in the object.

### Step 03 – Driver Program (5 marks):

#### INPUT:

In this question you are tasked with implementing a `bigNum` calculator that takes a text file called *bigNums.txt* as input adhering to the below general format:

```
bigNum1
operand
bigNum2
operand
bigNum3
....
```

- You may assume that file has at least two `bigNums` and that input file data is valid

For example, adding the `bigNums` -1034 and 205 then multiplying by 10 would be represented as:

```
-1034
+
205
*
10
```

The possible operands that can appear in `bigNums.txt` are: +, -, /, \*

#### OUTPUT:

Given the above input format read the 3 lines of text from *bigNums.txt* and perform the appropriate operation based on the operand (i.e. +) that appears.

*bigNums.txt*

```
-1034
+
205
*
10
```

#### Console output

```
*****
BigNum Calculator
*****
-1034 + 205 = 829
829 * 10 = 8290
*****
Final result
*****
8290
```

#### Step 04 – Short Answer (3 marks)

**Question:** Now that have you seen how to implement an integer of arbitrary precision via the `bigNum` class how would you implement a fractional number of arbitrary precision?

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- 1) What attributes would your class have and of what type? Explain. **(0.5 marks)**
  - 2) Assuming you take a string representing a fractional value as input to the `__init__()` method (i.e. '123.456') how would you determine the integer and fractional portions? **(0.5 marks)**
  - 3) How would you store the fractional part of the numbers (i.e. 123.456)? Does this differ from how you store the integer portion? Explain your reasoning? **(1 mark)**
  - 4) How would you modify your magic method `__add__()` from `bigNum` to apply to this fractional class? Explain. **(1 mark)**
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