

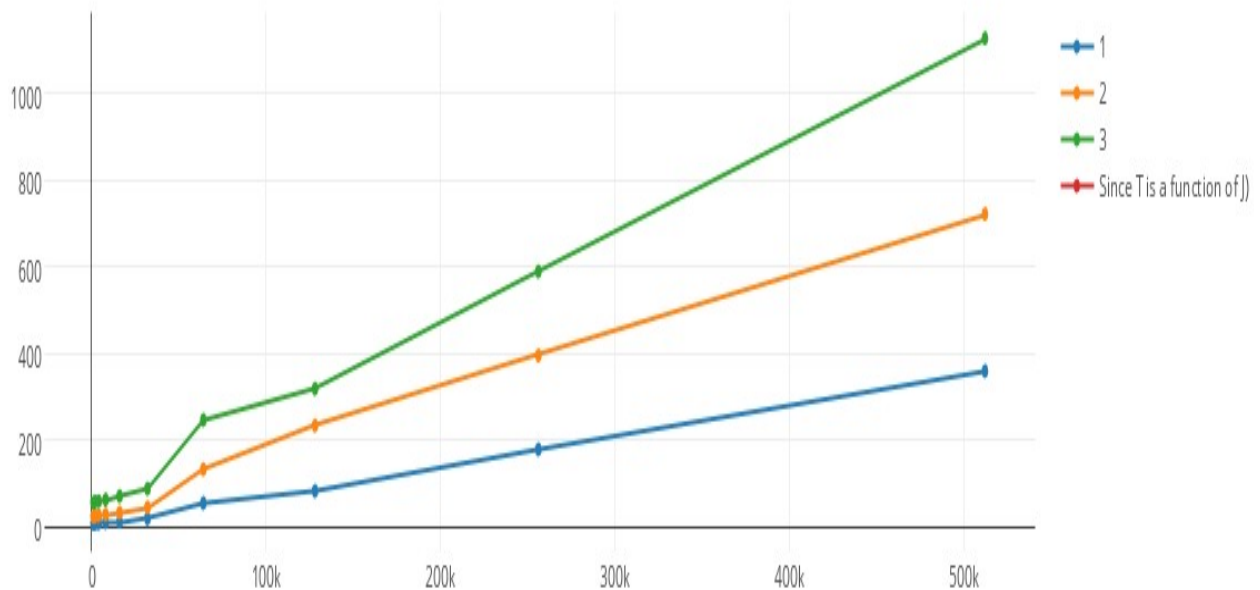
Analysis of ACC:

Methodology:

We plot the average time taken per authentication access against M.

We sample M using equation $m1 = 2 * m0$.

Since $T = j * l$, and l essentially remains unchanged for our system, we use J to group the line-plots.



Using the above graph as a validation, we can say that time to authenticate increases linearly with both the M as well as T. However, the plot has a steeper slope with respect to T.

One must note however that the equations only consider a Random Access to memory. On a larger system with disk-based access, the disk-read cost would have a significant impact as well.

Upon my system with 1Gb of RAM, I was able to work with $M = 512k$, safely upon my system.

In this scenario the ram consumed would be $= 512k * 128 \text{ bits} = 100 \text{ Mbytes}$ on an average, beyond which the implementation is to be blamed.

Theoritically we can have as many as $2^{\text{max_bitlengths}}$. However, it is often constrained by various system and other usages and the actual usage space lesser than 4Gb is yet large enough.

Analysis:

While computation-time for Acc should ideally be linear with $|m|$, since, we use a constant bit-length for m , the relationship essentially behaves linear with respect to time. To account for the fact that dividing by larger numbers would take longer time, the linearity comes in force.

However, a J has a direct impact on the time taken to compute as a higher value of j implies $j \cdot l$ permutations of $R(t)$. Each of this permutations, implies an xor at a larger state. Thus while the look inexpensive, their children do bring a multiplied factor of work.