

Lok Sabha Debates

Presented A Statement Of The Estimated Receipts And Expenditure Of ... on 26 February, 2003  
/font> 12.02 hrs. Title: Presented a statement of the estimated receipts and expenditure of the Government of India for the year 2003-2004 in respect of Railways.

MR. SPEAKER: Now, we will take up the Railway Budget.

... (Interruptions)

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MR. SPEAKER: Shri Prakash Ambedkar, are you on a point of order?

... (Interruptions)

SHRI PRAKASH YASHWANT AMBEDKAR (AKOLA): Yes, Sir. ... (Interruptions)

MR. SPEAKER: There is nothing before the House to raise a point of order. Please sit down. There is nothing before the House. The Railway Minister may please go ahead.

... (Interruptions)

MR. SPEAKER: Except Shri Nitish Kumar's speech, nothing should go on record.

(Interruptions)\* MR. SPEAKER: Hon. Members, please sit down.

... (Interruptions)

MR. SPEAKER: Shri Palanimanickam, what is your point? I have not been able to understand.

... (Interruptions)

SHRI S.S. PALANIMANICKAM (THANJAVUR): Sir, every year the Railway Budget is being presented in Hindi. It should be presented in English. ... (Interruptions)

\* Not Recorded.

MR. SPEAKER: I will take care of it. Shri Nitish Kumar, they have a difficulty. The English translation is not being heard by them.

... (Interruptions)









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✕ ¢ MR. SPEAKER: Hon. Members, please sit down.

... (Interruptions)

SHRI P.H. PANDIAN (TIRUNELVELI): What about Tamil Nadu? ... (Interruptions) Sir, 40 Members of Parliament belonging to the AIADMK Party and other Parties met and presented a memorandum to the hon. Railway Minister in person and demanded a fair deal to Tamil Nadu.... (Interruptions) We have listed out the projects which are pending for clearance by the Ministry.... (Interruptions) The hon. Minister also promised to look into it. But after this announcement today, Tamil Nadu is not seen in the map of Railways.... (Interruptions) The people of Tamil Nadu are docile and law abiding. There is no ticketless travel in Tamil Nadu. ... (Interruptions) The Southern Railway is yielding much revenue to the Railways.... (Interruptions)

i : BÉBE{ÉªÉÉ ✕ÉèÉÊ~A\* VÉ✕É SÉSÉÉÇ cÉäMÉÉÒ, iÉ✕É +ÉÉ{É =°ÉàÉä ÉÊc°°ÉÉ ãÉä °ÉBÉÉiÉä cé\* ... ( ) MR. SPEAKER: The House stands adjourned to meet again at 2.30 p.m.