

PWARI-G Formal Core Equations and Structures

1 Master Breathing Field Lagrangian

$$\mathcal{L} = \frac{1}{2}(\partial_\mu \phi)^2 - V(\phi) + \frac{1}{2}\phi^2(\partial_\mu \theta)^2 - U(\theta) \quad (1)$$

Where:

- ϕ = breathing field amplitude (scalar field)
- θ = breathing twist phase field
- $V(\phi)$ = nonlinear breathing self-potential

2 Breathing Soliton Field Equation (Matter)

From the Euler-Lagrange equation for ϕ :

$$\square \phi + \frac{\partial V}{\partial \phi} - \phi(\partial_\mu \theta)^2 = 0 \quad (2)$$

Stable localized solutions (solitons) correspond to matter (particles).

3 Small Ripple Equation (Light)

Linearizing around stable breathing field ϕ_0 :

$$\square \delta \phi + \left. \frac{\partial^2 V}{\partial \phi^2} \right|_{\phi_0} \delta \phi - \phi_0^2 \square \delta \theta = 0 \quad (3)$$

Describes traveling breathing waves (light).

In vacuum:

$$(\square + m^2)\delta \phi = 0, \quad \square \delta \theta = 0 \quad (4)$$

4 Spin Quantization from Breathing Twist

Postulate breathing twist ansatz:

$$\theta(x, t) = \omega t + n\varphi(x), \quad n \in \mathbb{Z} \quad (5)$$

n quantized twist modes.

Corresponds to spin up (+1) and spin down (-1).

Energy stability constraints naturally restrict n to ± 1 .

5 Charge from Breathing Phase Asymmetry

Charge arises from spatial phase asymmetry $\nabla\theta$ in breathing oscillations:

$$j_\mu = \phi^2 \partial_\mu \theta \quad (6)$$

Local phase shifts create breathing current j_μ .

Charge conservation emerges from symmetry of θ .

6 Breathing Stress-Energy Tensor (Gravity)

Full breathing field $\Psi = \phi e^{i\theta}$:

$$T_{\mu\nu} = \partial_\mu \Psi \partial_\nu \Psi^* - \frac{1}{2} g_{\mu\nu} (\partial_\alpha \Psi \partial^\alpha \Psi^* + V(|\Psi|)) \quad (7)$$

Encodes energy density, momentum flow, and breathing tension.

7 Coupling to General Relativity

Breathing fields curve spacetime through Einstein's equations:

$$G_{\mu\nu} = 8\pi G T_{\mu\nu}(\Psi) \quad (8)$$

Breathing field energy and tension are the source of gravity.

8 Vacuum Energy Stability

In the vacuum (uniform breathing background):

$$\langle T_{\mu\nu} \rangle_{\text{vac}} = \Lambda g_{\mu\nu} \approx 0 \quad (9)$$

Natural cancellation of vacuum energy.

Solves cosmological constant problem without renormalization.

Summary

PWARI-G breathing fields:

- Explain matter (solitons)
- Explain light (ripples)
- Quantize spin naturally (twist modes)
- Explain charge (phase asymmetry)
- Generate gravity (breathing tension curvature)
- Stabilize vacuum energy (breathing background)

All from one unified breathing field structure.