

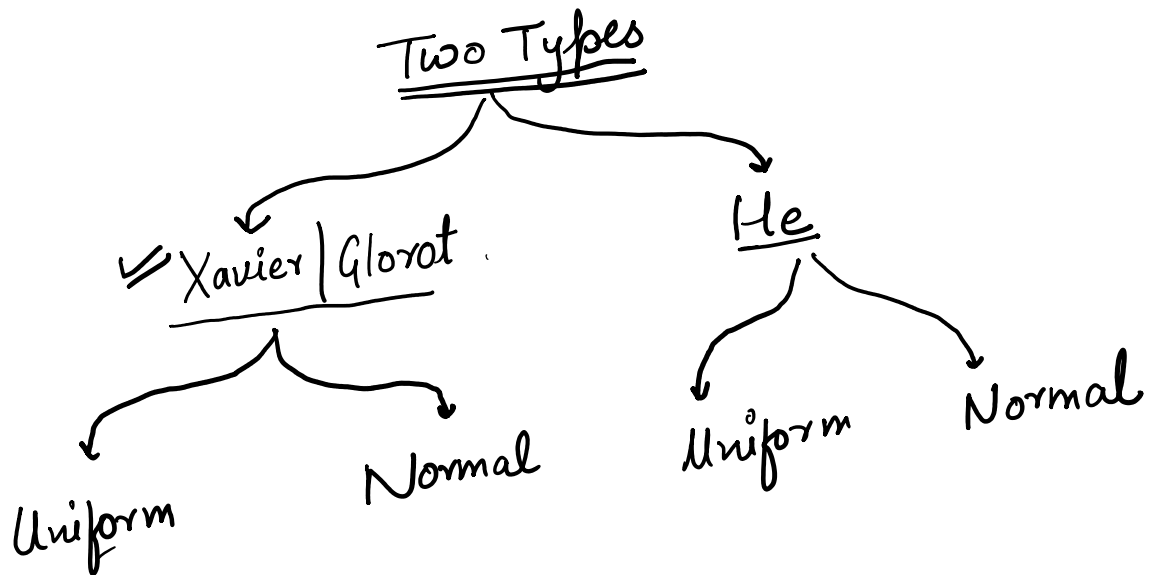
WHAT YOU WILL STUDY IN TODAY VIDEO ?

- ▶ Weight Initialization Techniques ✓
- ▶ Weight Initialization Practical Implementation ✓

Weight Initialization

* Uses

- ① Prevents Vanishing / Exploding gradient
- ② Model convergence ↑



* Uniform Vs Normal

① Normal ⇒ weights spread across zero
└─> deep neural networks (stable grad flow) ✓ ResNet

② Uniform :- weights spread across a range $(-a, a)$
└─> Shallow neural networks (avoid outliers)

↳ Shallow
↳ (avoid outliers)

Xavier / Glorat

* Neural Network

4 input neuron
3 output neuron

$n_{in} \rightarrow$ no of input neurons
(4)

$n_{out} \rightarrow$ no of output neurons
(3)

* formula

$$\textcircled{1} W \sim \mathcal{U} \left(\frac{-\sqrt{6}}{\sqrt{n_{in} + n_{out}}}, \frac{\sqrt{6}}{\sqrt{n_{in} + n_{out}}} \right)$$

$$\textcircled{2} W \sim \mathcal{N} \left(0, \frac{1}{n_{in} + n_{out}} \right)$$

* Example

$$n_{in} = 4$$

$$n_{out} = 3$$

$$\begin{aligned} \text{limit (uniform)} &= \left(\frac{-\sqrt{6}}{\sqrt{4+3}}, \frac{\sqrt{6}}{\sqrt{4+3}} \right) \\ &= \left(-0.925, 0.925 \right) \end{aligned}$$

$$= (-0.925, 0.925)$$

Now
weights will be picked randomly from
above range. \equiv

* Main Use

\equiv Vanishing Gradient

He initialization

formula

$$\textcircled{1} w \sim \mathcal{U}\left(-\sqrt{\frac{6}{n_{in}}}, \sqrt{\frac{6}{n_{in}}}\right)$$

$$\textcircled{2} w \sim \mathcal{N}\left(0, \frac{2}{n_{in}}\right)$$

Example

$$n_{in} = 4$$

$$\cancel{n_{out} = 3}$$

$$\text{limit (uniform)} = \left(-\sqrt{\frac{6}{4}}, \sqrt{\frac{6}{4}}\right)$$

$$= (-1.22, 1.22)$$

Weight
randomly
picked from
above range

picked u

* Main Use

Exploding Gradient