DATA 106 - Lab 1 SOLUTIONS

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General rules

- For some questions, the needed methods may not have been covered in class. For them, please do some research to solve them.
- You must show your work in order to get points. Providing correct answers without supporting codes or intermediate steps does not receive full credit.
- You must submit both the R file as a .R file and the Assignment file as a PDF. For the Assignment file include the code, the output and explanations (if necessary).

Questions

1. a. Create a vector a = (1, 3, 5, 7, 9) using both the concatenation c and seq command, respectively.

```
##ethod 1
a=c(1,3,5,7,9)
a

## [1] 1 3 5 7 9

#Method 2
a=seq(1,9,by=2)
a

## [1] 1 3 5 7 9

b. Create a vector $b = (1,1,1,1,1)$ using both the `c` and `rep` command, respectively.

#Method 1
b=c(1,1,1,1,1)
b

## [1] 1 1 1 1 1

#Method 2
b=rep(1,times=5)
b
```

[1] 1 1 1 1 1

c. Find the entrywise difference between \$a\$ and \$b\$. Find the sum of the last entry of \$a\$ and that of

```
a-b #Entrywise difference
## [1] 0 2 4 6 8
a[5]+b[5] #Sum of last entries
## [1] 10
  2. Use rep command to create a vector whose first 4 entries are all 1's, second 4 entries are all 2's, and
     last 4 entries are all 3's.
#Method 1
rep(seq(1,3, by=1), each=4)
## [1] 1 1 1 1 2 2 2 2 3 3 3 3
#Method 2
rep(c(1,2,3), each=4)
## [1] 1 1 1 1 2 2 2 2 3 3 3 3
     a. Combine a and b (given/created above) into a matrix A by taking them as rows. Check if A is a
         matrix.
#Method 1
A<-rbind(a,b)
is.matrix(A)
## [1] TRUE
##
     [,1] [,2] [,3] [,4] [,5]
## a
        1
             3
                   5
                        7
## b
        1
                   1
             1
#Method 2
A=matrix(c(a,b), byrow=T,nrow=2)
is.matrix(A)
## [1] TRUE
        [,1] [,2] [,3] [,4] [,5]
## [1,]
                 3
                           7
           1
                      5
## [2,]
           1
                 1
                      1
```

b. Combine a and b into a matrix B by taking them as columns.

```
#Method 1
B<-cbind(a,b)</pre>
is.matrix(B)
## [1] TRUE
##
     a b
## [1,] 1 1
## [2,] 3 1
## [3,] 5 1
## [4,] 7 1
## [5,] 9 1
#Method 2
B=matrix(c(a,b), byrow=F,ncol=2)
is.matrix(B)
## [1] TRUE
## [,1] [,2]
## [1,] 1 1
## [2,] 3 1
## [3,] 5 1
## [4,] 7 1
## [5,] 9 1
c. Create column and row names of $A$. Print $A$.
rownames(A)=c("a","b")
colnames(A)=c("elem1","elem1","elem3","elem4","elem5")
## elem1 elem3 elem4 elem5
## a 1 3 5 7
## b
      1
            1
                 1
d. Show the first row of $A$.
A[1,]
## elem1 elem1 elem3 elem4 elem5
## 1 3 5 7 9
e. Show the (2,2)-entry of A.
```

```
A[2,2]
## [1] 1
f. Find the sum of all entries of $A$.
sum(A)
## [1] 30
g. Find the entrywise sum of the rows of $A$.
A[1,]-A[2,]
## elem1 elem3 elem4 elem5
            2
                  4
                        6
h. Find the sum of entries for each row of $A$.
sum(A[1,])
## [1] 25
sum(A[2,])
## [1] 5
  4. a. Turn the matrix A created above into a data frame.
as.data.frame(A)
## elem1 elem3 elem4 elem5
## a
      1
             3
                   5
      1
             1
## b
b. Find the dimension of $A$.
dim(A)
## [1] 2 5
c. Append the vector q = (A', B') as the $6$-th column of $A$ and name the new data frame as $C$.
q=c("A","B")
## [1] "A" "B"
```

```
C=cbind(A,q)
C=as.data.frame(C,stringsAsFactors = FALSE)
## elem1 elem3 elem4 elem5 q
## a 1 3 5 7
## b
      1 1 1 1
                          1 B
d. What happens when $C$ is transposed?
t(C)
## elem1 "1" "1"
## elem1 "3" "1"
## elem3 "5" "1"
## elem4 "7" "1"
## elem5 "9" "1"
## q "A" "B"
e. Provide 2 methods to access the $6$-th column of $C$.
#Method 1
C[,6]
## [1] "A" "B"
#Method 2
C$q
## [1] "A" "B"
#Method 3
C[,"q"]
## [1] "A" "B"
  5. a. Refer to C created above. PrintC.
## elem1 elem3 elem4 elem5 q
## a 1 3 5 7
                            9 A
## b
      1
           1
                1
                     1
                           1 B
```

b. Replace the first 5 entries of the 2nd row of C by 0's.

```
C[2,1:5] = c(0,0,0,0,0)
## elem1 elem1 elem3 elem4 elem5 q
## a 1 3 5 7 9 A
## b 0 0 0 0 0 B
c. Delete the last column of $C$. Name the new dataframe $C1$
#Method 1
C1<-C[,1:5]
## elem1 elem1.1 elem3 elem4 elem5
## a 1 3 5 7 9
## b 0 0 0 0 0
#Method 2
C1 < -subset(C, select = -c(q))
## elem1 elem1.1 elem3 elem4 elem5
## a 1 3 5 7 9 ## b 0 0 0 0 0
#Method 3
drop <- c("q")</pre>
C1 = C[,!(names(C) \%in\% drop)]
## elem1 elem1.1 elem3 elem4 elem5
## a 1 3 5 7 9
## b 0
          0 0 0
6. Create the following 5-by-5 diagonal matrix:
## [,1] [,2] [,3] [,4] [,5] [,6] [,7]
## [1,] 1 0 0 0 0 0
      0 3 0 0
                    0
                        0
## [2,]
## [3,] 0 0 5 0 0 0
## [4,] 0 0 0 7 0 0 0
## [5,] 0 0 0 0 9 0 0
## [6,] 0 0 0 0 11 0
## [7,] 0 0 0 0 0 13
diag(seq(1,13,by=2))
## [,1] [,2] [,3] [,4] [,5] [,6] [,7]
## [1,] 1 0 0 0 0 0 0
## [2,] 0 3 0 0 0 0 0
```

```
## [3,]
                  0
                        5
                              0
                                    0
                                         0
                                               0
## [4,]
            0
                  0
                        0
                              7
                                   0
                                         0
                                               0
## [5,]
                                         0
## [6,]
            0
                  0
                        0
                              0
                                    0
                                               0
                                        11
## [7,]
                                              13
```

7. Summarize the difference and similarity between a matrix and a data frame.

 $see \ https://bookdown.org/ndphillips/YaRrr/creating-matrices-and-data frames.html$

OR

 $https://www.quora.com/What-is-the-difference-between-a-matrix-and-a-dataframe-in-R\#targetText=\\ Matrix\%20\%2D\%20A\%20matrix\%20is\%20a, of\%20vectors\%20of\%20equal\%20length.\&targetText=A\%20data\%20frame\%20cetherm.$