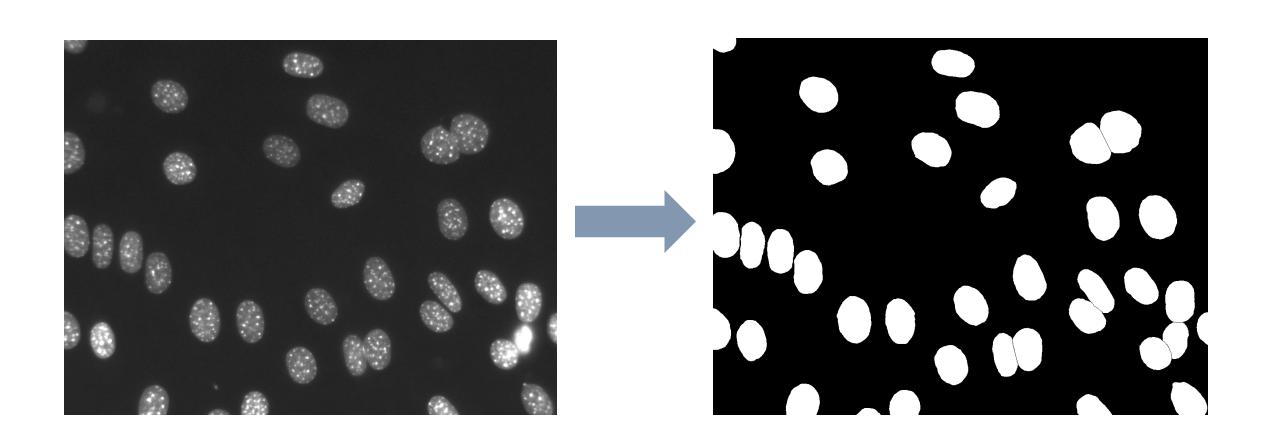
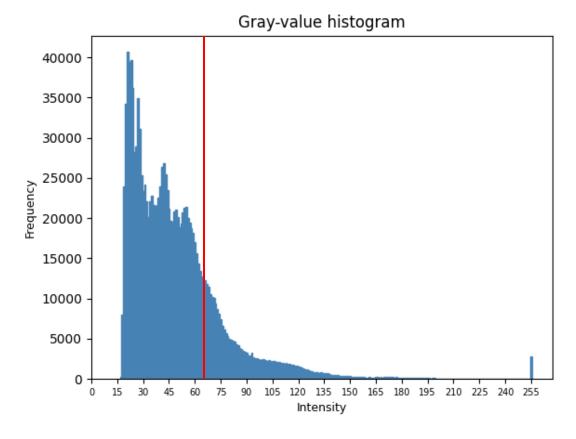
Image segmentation



Methods

Thresholding → Intensity clipping

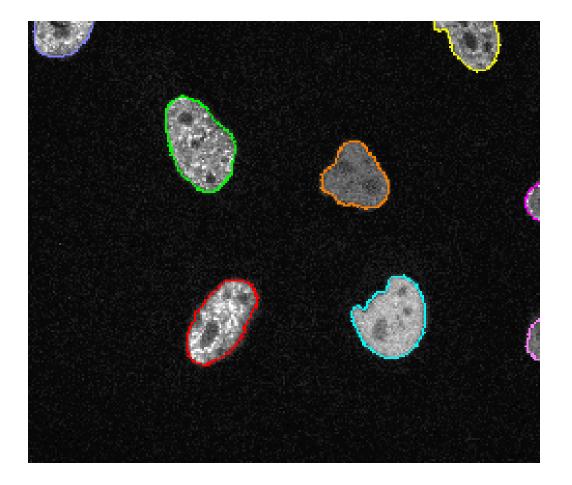
Otsu's thresholding



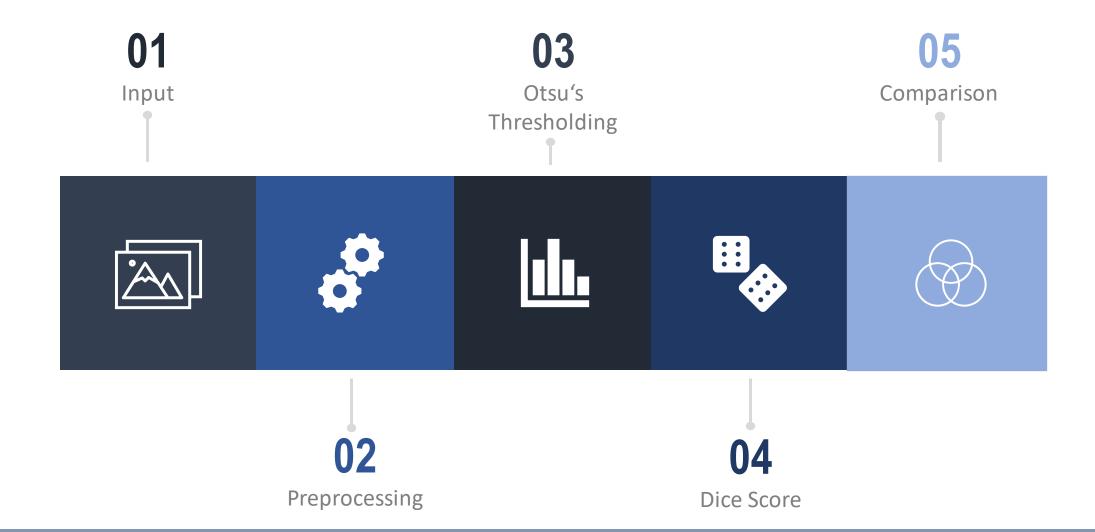
Applications

- High-throughput cytometry
 - Cell size
 - Cell counting

Cell tracking

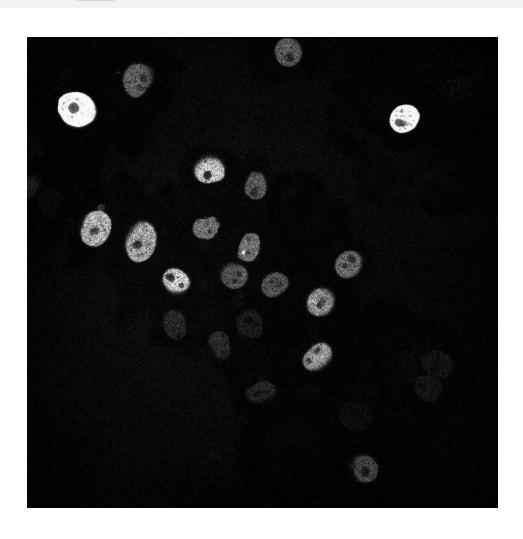


Workflow





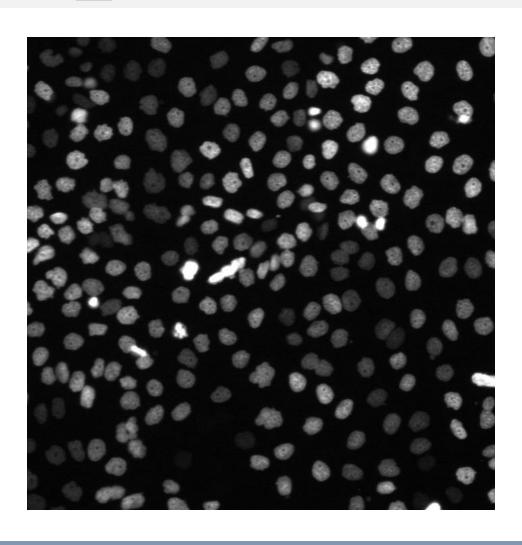
Input 1: N2DH-GOWT1 cells



- GFP-Gowt1 mouse embryonic stem cells
- Time-lapse confocal microscopy and GFPstaining
- Leica TCS SP5 microscope
- Investigate genomic integrity of the cells



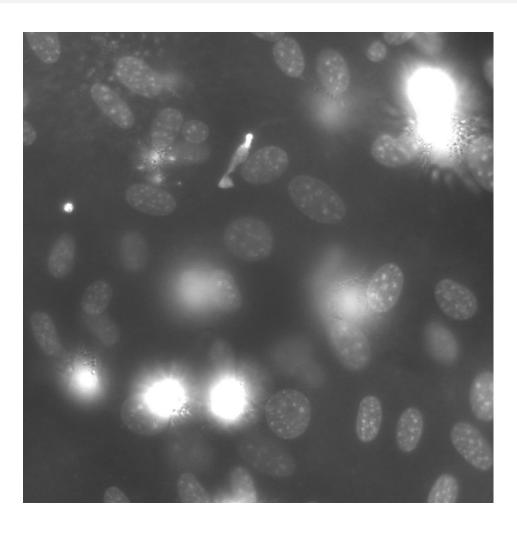
Input 2: N2DH-HeLa cells



- Human epithelial cells of cervical cancer
- Live imaging of fluorescently labelled chromosomes
- Olympus IX81 microscope
- Phenotypic profiling of the human genome



Input 3: NIH3T3 cells

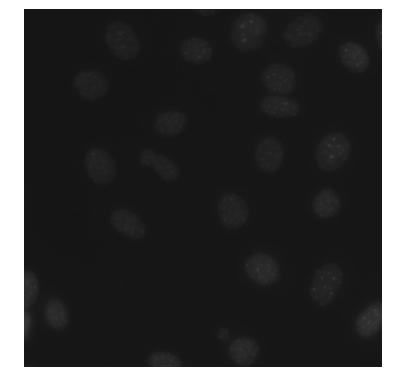


- Several mouse embryonic fibroblast cells
- Fluorescence microscopy images
- Evaluation of image analysis pipelines

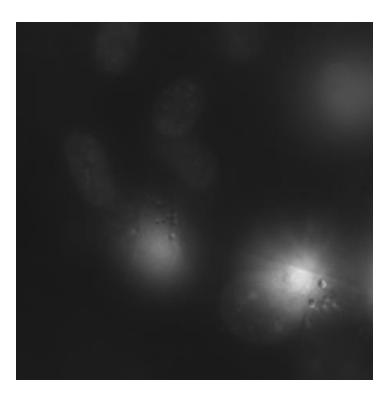


Problems

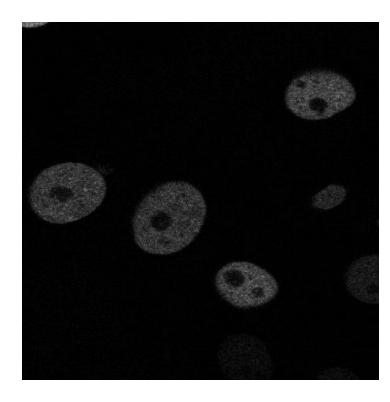
Low contrast



Reflections



Random noise



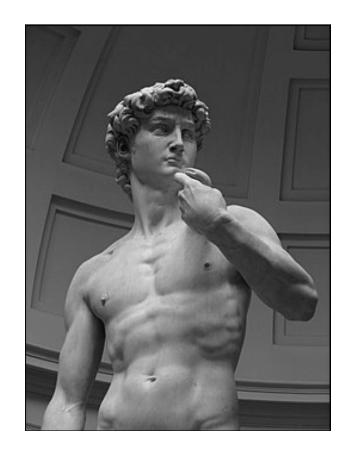


Preprocessing

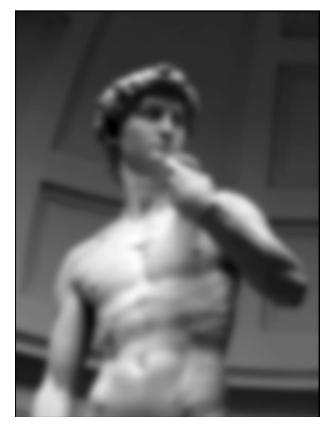
Solutions:

- Random noise
- → Gaussian filter
- Reflections

Low contrast



Original



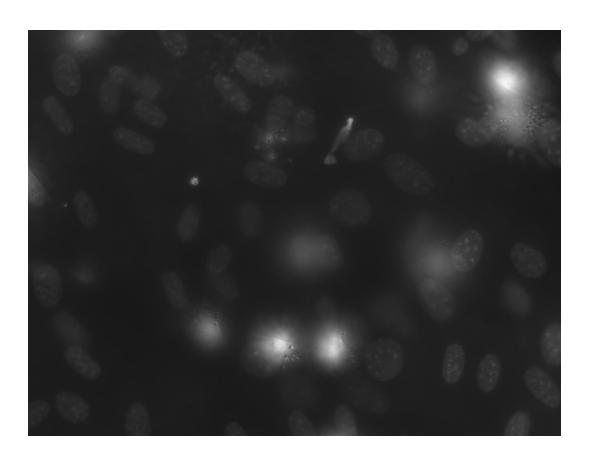
Gaussian filter ($\sigma = 3$)



Preprocessing

Solutions:

- Random noise
- → Gauss filter, median filter
- Reflections
- **→** Thresholding
- Low contrast

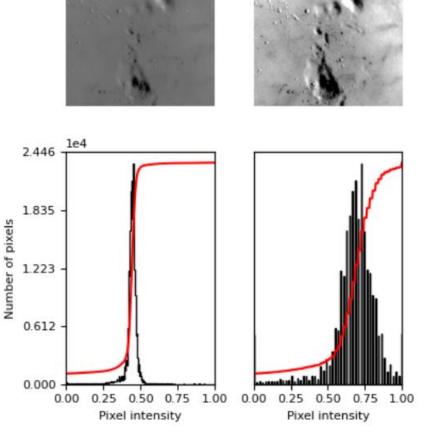




Preprocessing

Solutions:

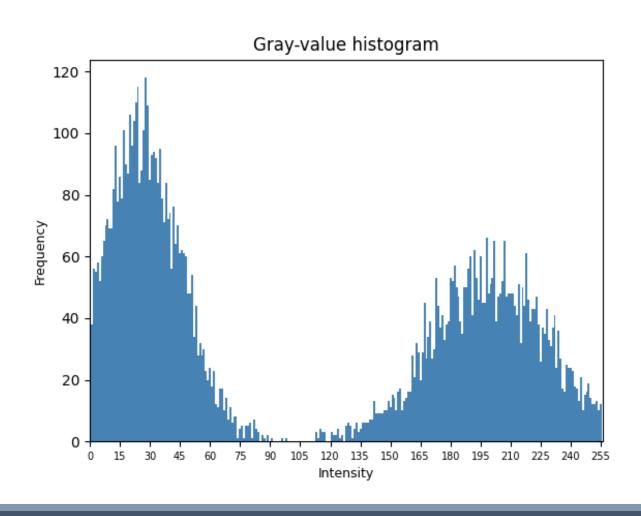
- Random noise
- → Gauss filter, median filter
- Reflections
- **→** Thresholding
- Low contrast
- **→** Histogram stretching



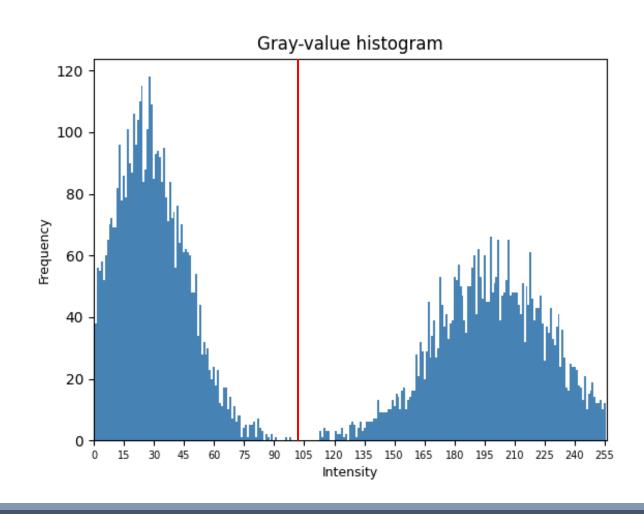
Contrast stretching

Low contrast image

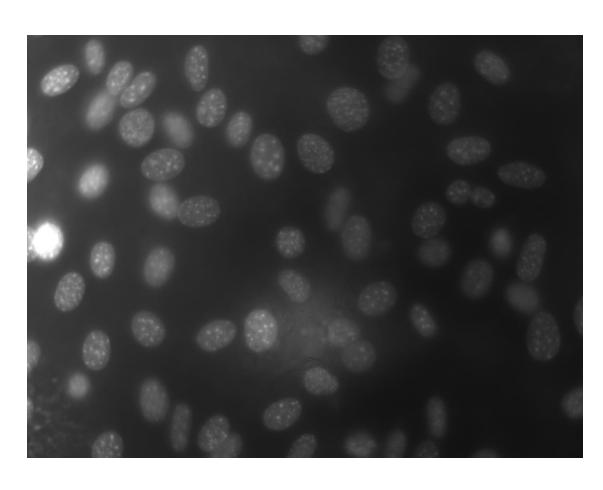


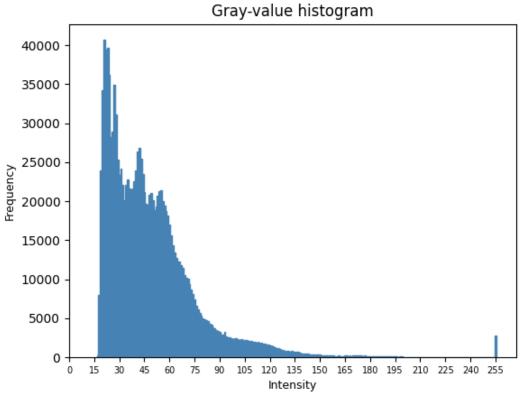










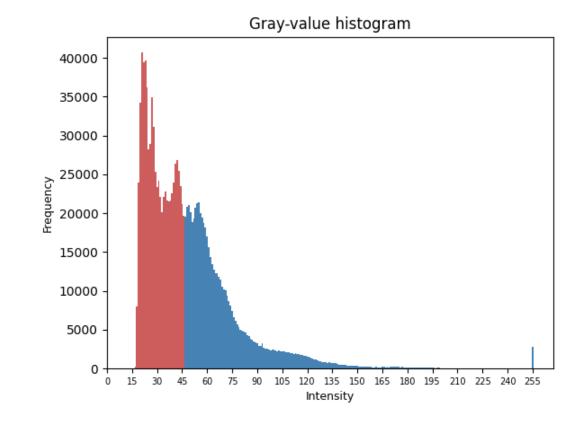


Threshold value $k \in [0,255]$

Between-class variance

$$\sigma_{\rm B} = \omega_0 \omega_1 (\mu_1 - \mu_0)^2$$

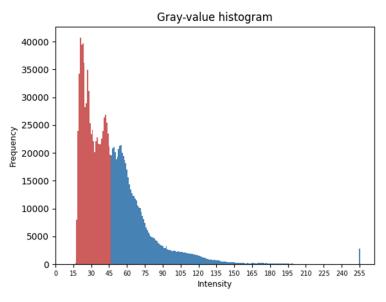
 $\omega_{0,1}=$ probability of class occurrence $\mu_{0,1}=$ mean intensity values



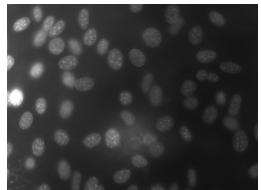
Threshold value $k \in [0,255]$

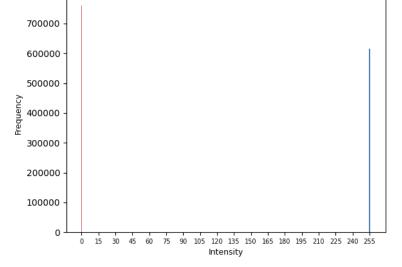


Image clipping

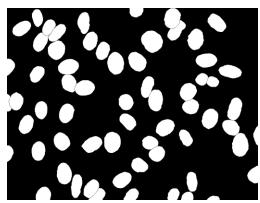


$$g_{clip}(x,y) = \begin{cases} 0 & \text{if } g(x,y) \le k \\ 255 & \text{if } g(x,y) > k \end{cases}$$

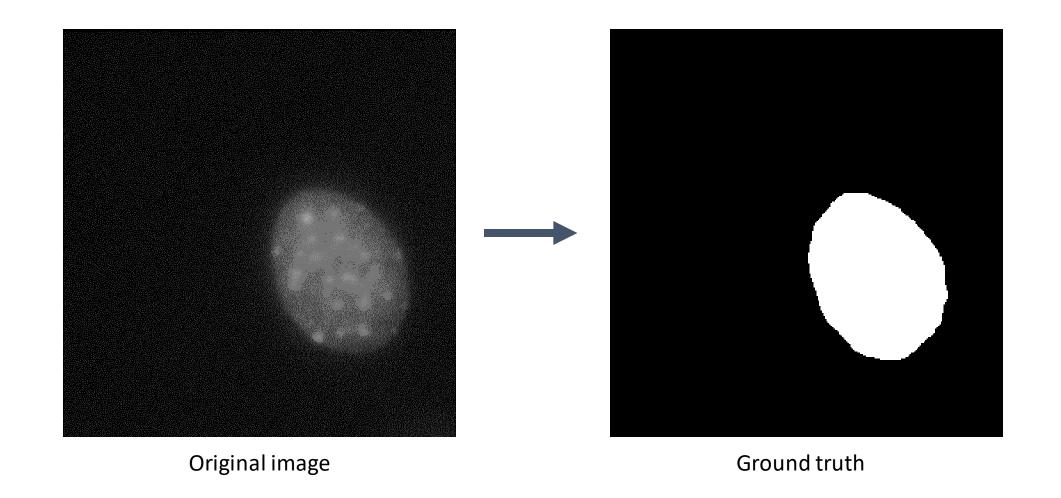




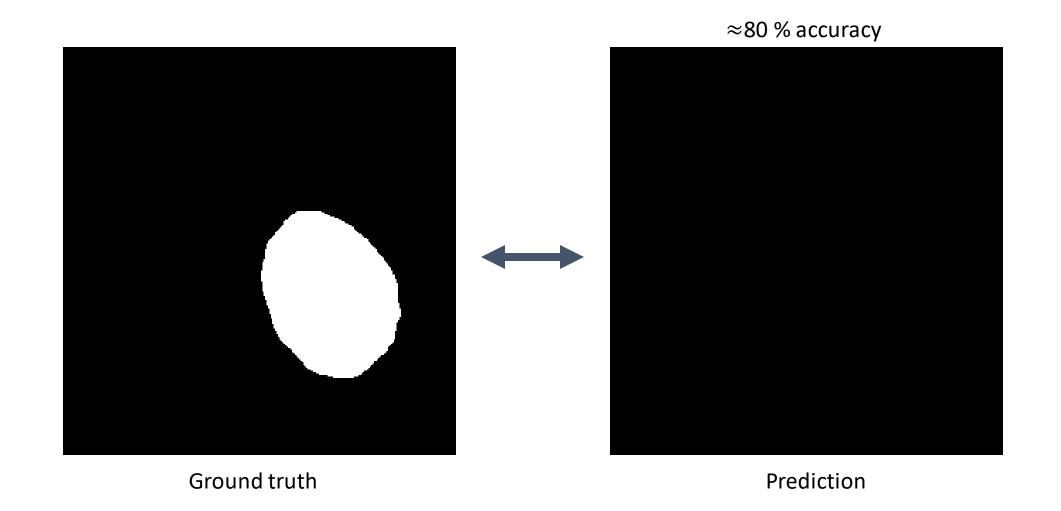
Gray-value histogram





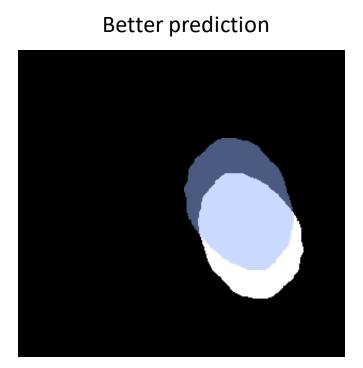


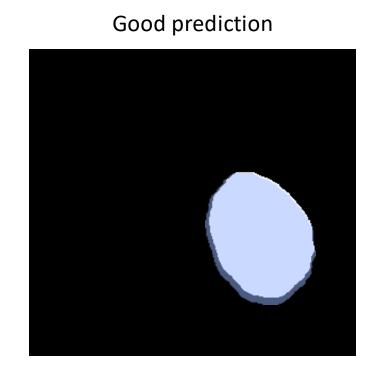




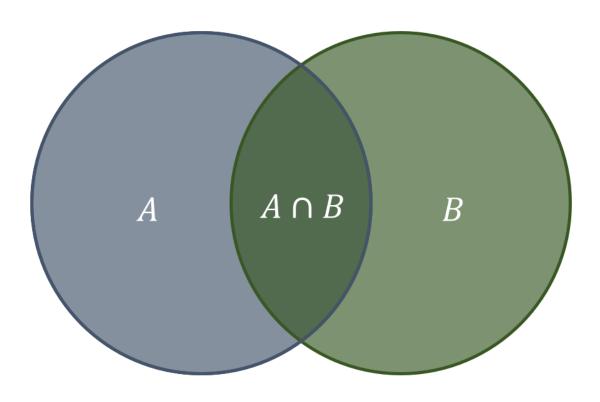


Bad prediction







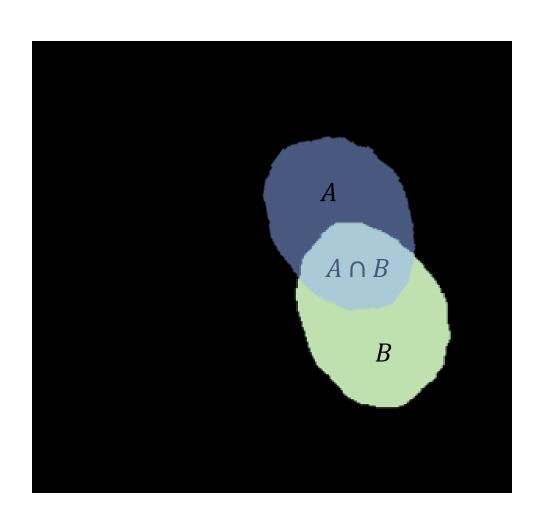


$$DSC = \frac{2 \times |A \cap B|}{|A| + |B|}$$

A: Predicted shape

B: Ground truth

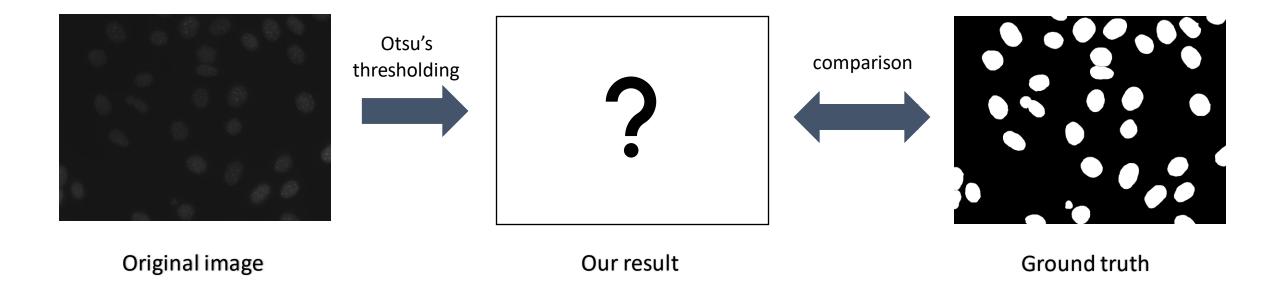




$$DSC = \frac{2 \times |A \cap B|}{|A| + |B|}$$

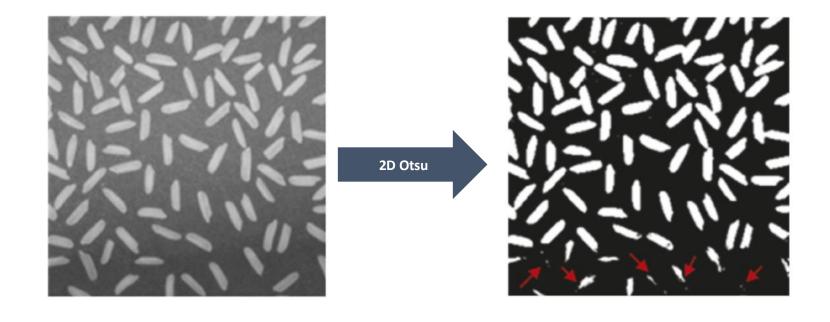


Our goal: compare ground truth images with our results

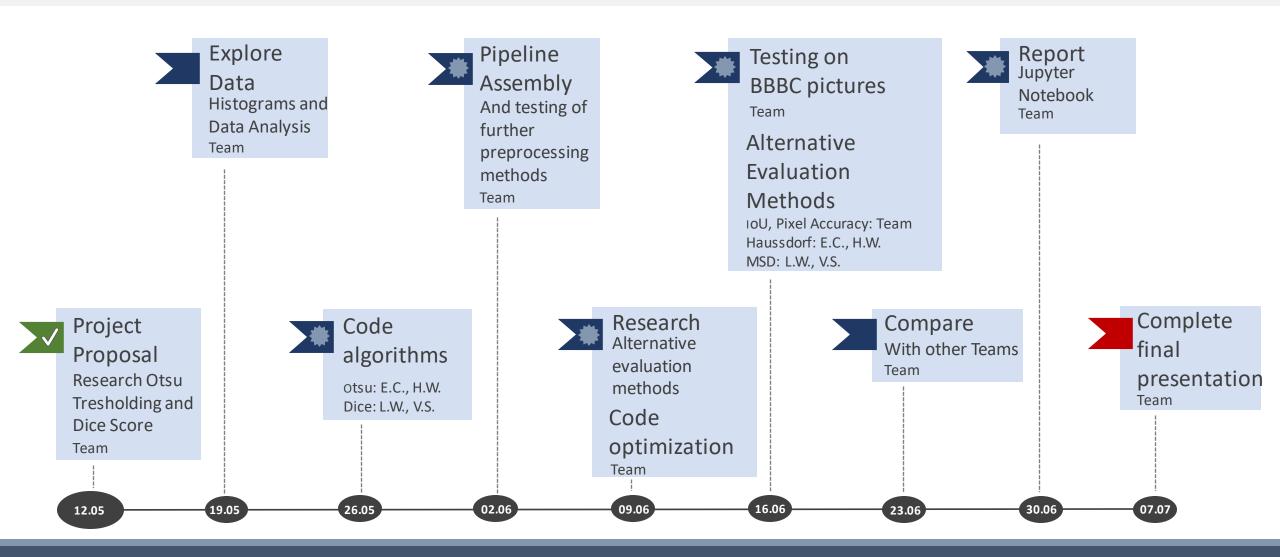


Further ideas

- 2D Otsu
- Algorithm for counting cells



Timeline





Thank you for your attention!

Laura Wächter, Hannah L. Winter, Elizaveta Chernova, Veronika Schuler

Additional slide – Histogram stretching

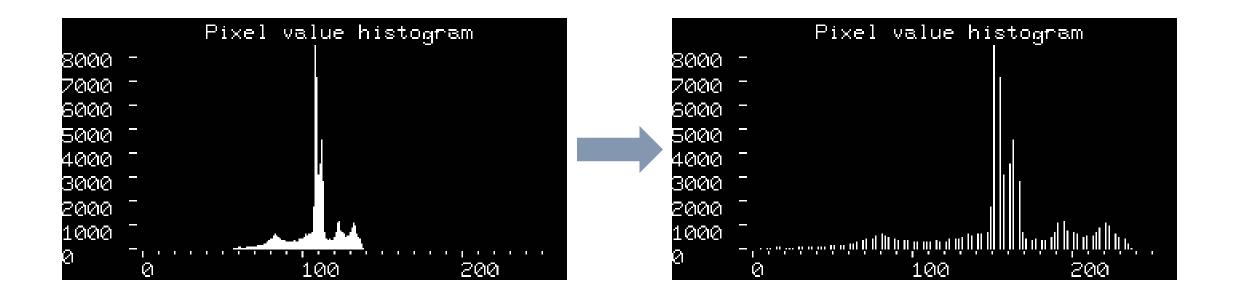
$$a = 0, b = 255$$

c – lowest pixel intensity in the image

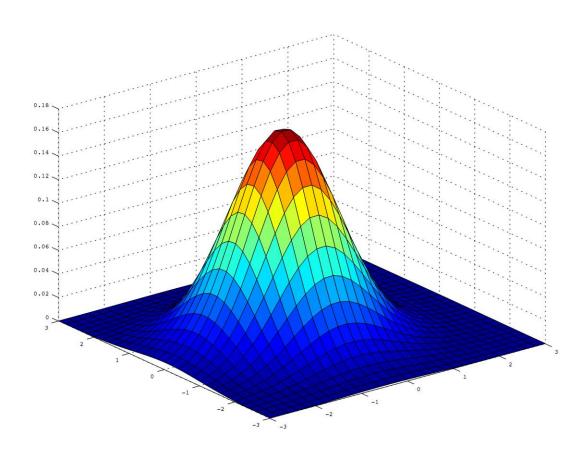
d – highest pixel intensity in the image

$$P_{out} = (P_{in} - c) \left(\frac{b - a}{d - c}\right) + a$$

Additional slide – Histogram stretching



Additional slide – Gaussian filter



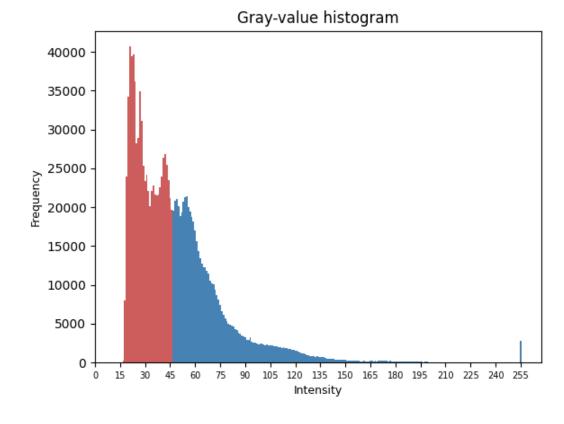
$$G(x,y)=rac{1}{2\pi\sigma^2}e^{-rac{x^2+y^2}{2\sigma^2}}$$

Additional slide – Criterion measure

Criterion measure

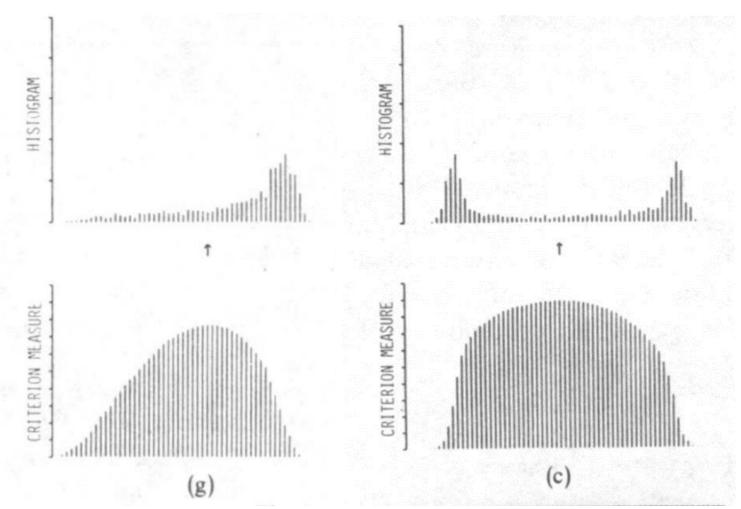
$$\eta(k) = \frac{\sigma_B^2(k)}{\sigma_T^2}$$

 σ_B = between-class variance σ_T = total variance $\eta(k) \in [0,1]$



Threshold value $k \in [0,255]$

Additional slide – Criterion measure

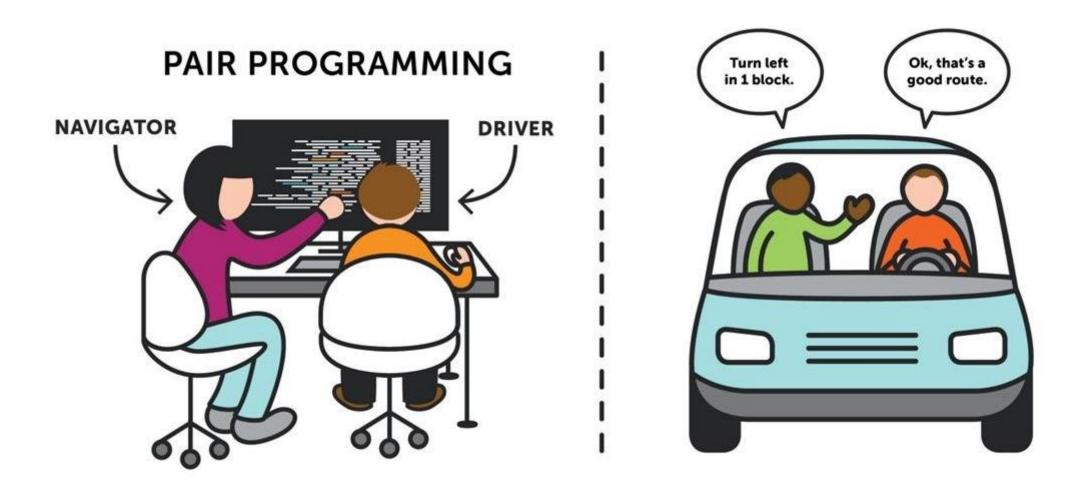


Otsu, 1979

Additional slide – Otsu disadvantages



Additional slide – Pair Programming



Additional slide – 2D Otsu

Intensity level of pixel is compared with immediate neighborhood pixels Algorithm:

- For each pixel calculate average gray-level of neighborhood
- Gray level of pixel and average gray levels are divided in L discrete values
- Form pairs: pixel gray level *i* and neighborhood average *j*
- There are $L \times L$ possible pairs
- Frequency $f_{i,j}$ of a pair (i,j) divided by the total pixel number N defines probability mass function in a 2D histogram:

$$P_{i,j} = \frac{f_{i,j}}{N} \qquad \sum_{i=0}^{L-1} \sum_{j=0}^{L-1} P_{i,j} = 1$$

Additional slide – IoU

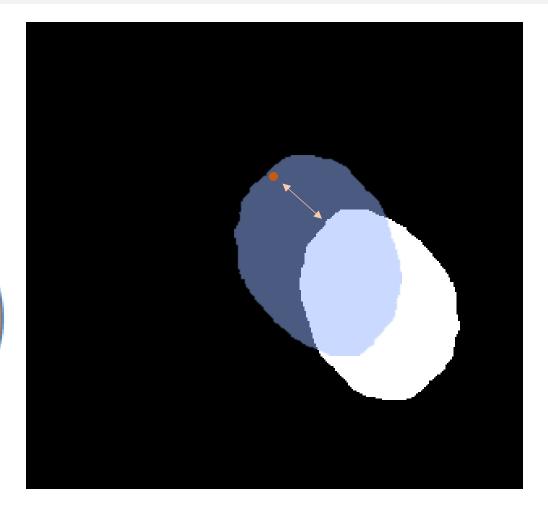
IoU = Intersection-Over-Union Area of Overlap Area of Union

Additional slide - MSD

MSD = mean surface distance

$$d(p,S') = \min_{p' \in S'} ||p - p'||_2$$

$$ext{MSD} = rac{1}{n_S + n_{S'}} \Biggl(\sum_{p=1}^{n_S} d(p, S') + \sum_{p'=1}^{n_{S'}} d(p', S) \Biggr)$$



Additional slide – Hausdorff

HD=max[d(S,S'),d(S',S)]

