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Predictive Analytics with Python (Regression)

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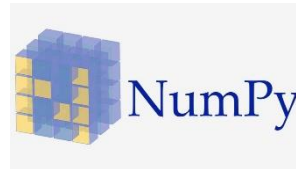
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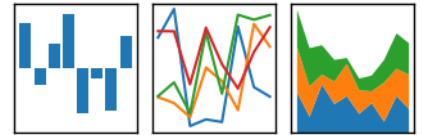
Python – Data Science

- Python:  Core python, nuts and bolts

- Data Wrangling:



pandas
 $y_{it} = \beta' x_{it} + \mu_i + \epsilon_{it}$



- Visualization: **matplotlib** **Seaborn**

- Machine Learning:



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Data Science - Procedure

- Data Collection
 - Importing, gathering Data or Data Sets
- Data Exploration
 - Examine the data set
 - Visualizations
 - Correlations, statistics
- Data Preparation
 - Remove variables of non-importance
 - Remove outliers, clean-up
 - Normalization (do this after the step below)
 - Remove Missing Values (do this after the step below)
- Train/Test split
- Performance across models
 - Different ML-models (using default hyper parameters)
 - Tune hyper parameters
- Test Models
 - Cross-Validation with k-fold splits
 - Report Average k-fold test scores



Linear Regression

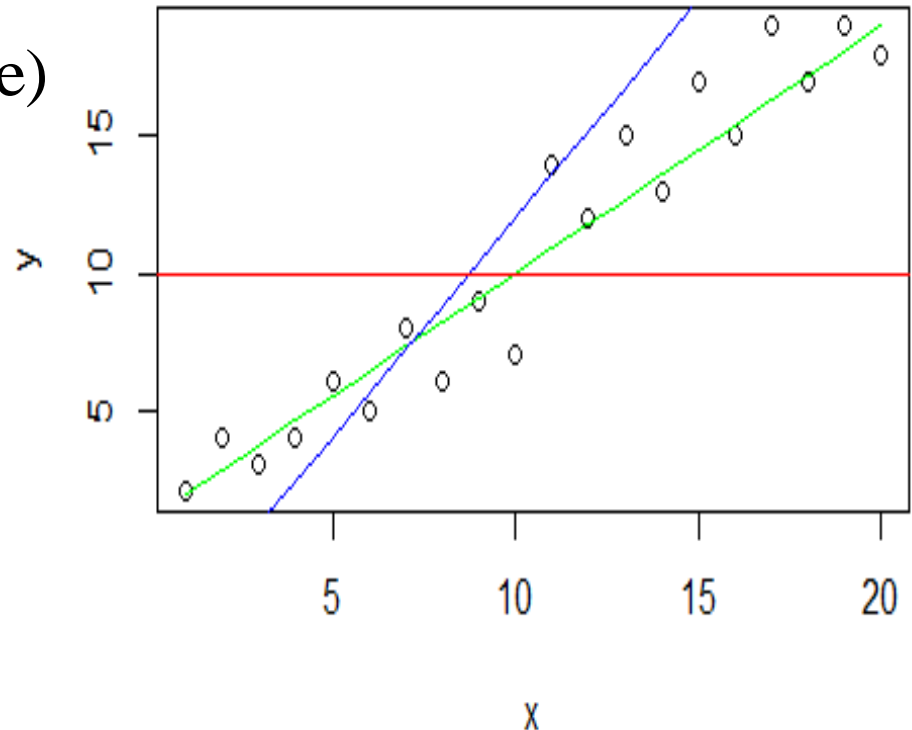
Y - Actual Value of Target Variable

$$\hat{Y} = \beta_0 + \beta_1 x \quad (\text{Predicted Value})$$

$$SSE = \sum \left(\hat{Y} - Y \right)^2$$

$$SST = \sum \left(\bar{Y} - Y \right)^2$$

$$R^2 = 1 - \frac{SSE}{SST}$$



$R^2 = 0$ (Implies no improvement over base line model)

$R^2 = 1$ (Perfect Model and Fit)

$$\text{Adjusted } R^2 = 1 - \frac{(1 - R^2)(N - 1)}{N - p - 1}$$



Algorithm

1. Initialize β_0, β_1

Loop over some iterations or until min SSE{

2. Compute SSE over all examples $SSE = \sum (\beta_0 + \beta_1 x - Y)^2$

3. Minimize SSE on β_0, β_1
• Gradient Descent

$$\beta_0 = \beta_0 - \alpha \frac{\partial SSE}{\partial \beta_0} \quad \beta_1 = \beta_1 - \alpha \frac{\partial SSE}{\partial \beta_1}$$

4. Repeat step 2

Source: Andrew Ng



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1. Load Data Sets

a) Built-in datasets

`from sklearn import datasets`

`dir(datasets)` – will list the available data sets

`dset = datasets.load_diabetes()` – this is a dictionary which contains actual data, target variable, feature names, and description

b). Other datasets can be loaded in as Numpy arrays or data frames

`pd.read_csv(), pd.read_table(), pd.read_excel()`

2. Data Preparation

Train/test split

`from sklearn.model_selection import train_test_split`

`X_train, X_test, y_train, y_test = train_test_split(X,y)`

Standardization

`from sklearn.preprocessing import StandardScaler`

`scaler = StandardScaler()`

`scaler.fit(X_train)`

`X_train = scaler.transform(X_train)`

`X_test = scaler.transform(X_test)`

Polynomial Features

`from sklearn.preprocessing import PolynomialFeatures`

`poly = PolynomialFeatures()`

`X_train_poly = poly.fit_transform(X_train)`

`X_test_poly = poly.fit_transform(X_test)`

3. Training a model

Few ML algorithms

`from sklearn.linear_model import LinearRegression`

`from sklearn.linear_model import LogisticRegression`

`from sklearn.tree import DecisionTreeClassifier`

`from sklearn.svm import SVC`

`from sklearn.ensemble import RandomForestClassifier`

Training & making predictions (Ex: linear regression)

`lr = LinearRegression()`

`lr.fit(X_train, y_train)`

`y_pred = lr.predict(X_test)` – for predictions on test data

`y_prob = lr.predict_proba(X_test)` – for probabilities on test data

4. Evaluation

a) Regression

`from sklearn.metrics import r2_score, mean_squared_error`

`r2_score(y_test,y_pred)`

`mean_squared_error(y_test,y_pred)`

b) Classification

`from sklearn.metrics import accuracy_score, recall_score, precision_score, confusion_matrix, roc_auc_score`

`confusion_matrix(y_test,y_pred)`

`accuracy_score(y_test,y_pred)`

`recall_score(y_test,y_pred)`

`precision_score(y_test,y_pred)`

`roc_auc_score(y_test,y_prob)`

