## Empiracle Assignment

Dave Anderson March 8, 2019

#### 1)

```
a <- c(0.42, 0.06, 0.88, 0.40, 0.90,
0.38, 0.78, 0.71, 0.57, 0.66,
0.48, 0.35, 0.16, 0.22, 0.08,
0.11, 0.29, 0.79, 0.75, 0.82,
0.30, 0.23, 0.01, 0.41, 0.09)

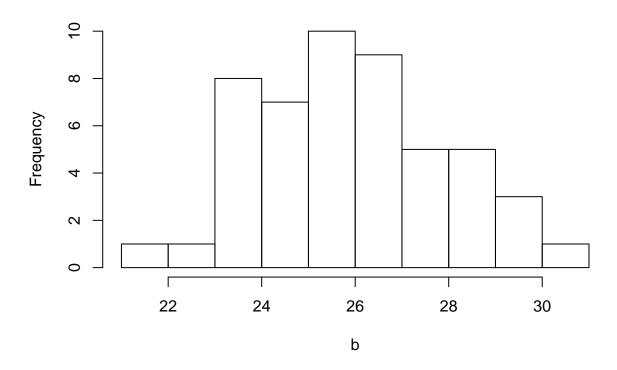
ks.test(a,"punif",0,1)

##
## One-sample Kolmogorov-Smirnov test
##
## data: a
## D = 0.18, p-value = 0.3501
## alternative hypothesis: two-sided</pre>
```

```
b <- c(25.088, 26.615, 25.468, 27.453, 23.845, 25.996, 26.516, 28.240, 25.980, 30.432, 26.560, 25.844, 26.964, 23.382, 25.282, 24.432, 23.593, 24.644, 26.849, 26.801, 26.303, 23.016, 27.378, 25.351, 23.601, 24.317, 29.778, 29.585, 22.147, 28.352, 29.263, 27.924, 21.579, 25.320, 28.129, 28.478, 23.896, 26.020, 23.750, 24.904, 24.078, 27.228, 27.433, 23.341, 28.923, 24.466, 25.153, 25.893, 26.796, 24.743)

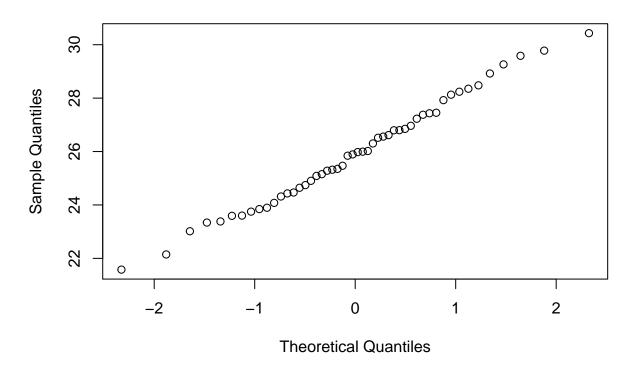
hist(b)
```

# Histogram of b



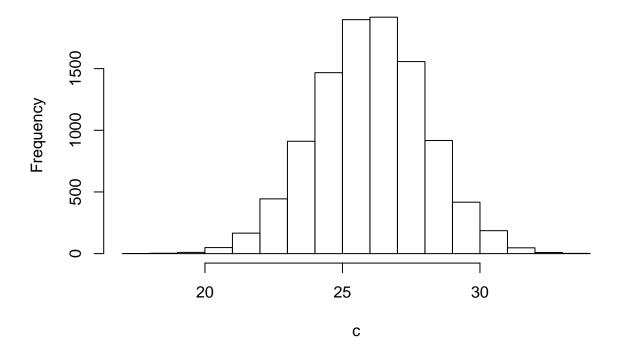
qqnorm(b)

### Normal Q-Q Plot



```
c <- rnorm(10000,26,2)
hist(c)</pre>
```

#### Histogram of c



```
ks.test(b,pnorm,26,2)
##
##
    One-sample Kolmogorov-Smirnov test
##
## data: b
## D = 0.06722, p-value = 0.9663
## alternative hypothesis: two-sided
ks.test(b,c)
##
    Two-sample Kolmogorov-Smirnov test
##
##
## data: b and c
## D = 0.0715, p-value = 0.9611
## alternative hypothesis: two-sided
```

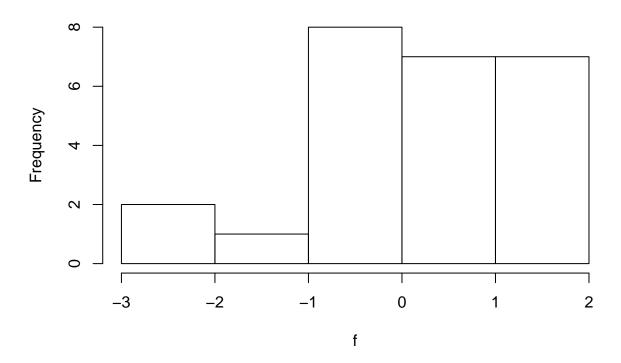
The data is normally distributed with a mean of 26 and variance of 4. The histogram looks normal, qaplot looks good. I ran a KS test on both the normal distribution, and a simulated dataset. Interestingly, I accidently included the mean as 28 the first time, and my tests had extremely low p-values. Shows how accurate it is!

```
d <- c(0.61, 0.29, 0.06, 0.59,-1.73, -0.74, 0.51,-0.56,0.39, 1.64,
```

```
0.05, -0.06, 0.64, -0.82, 0.31,
1.77, 1.09, -1.28, 2.36, 1.31,
1.05, -0.32, 0.40, 1.06, -2.47)
e \leftarrow c(2.20, 1.66, 1.38, 0.20,
0.36, 0.00, 0.96, 1.56,
0.44, 1.50, -0.30, 0.66,
2.31, 3.29, -0.27, -0.37,
0.38, 0.70, 0.52, -0.71)
ks.test(d,e)
##
##
  Two-sample Kolmogorov-Smirnov test
##
## data: d and e
## D = 0.23, p-value = 0.5286
## alternative hypothesis: two-sided
ks.test(d+2,e)
## Warning in ks.test(d + 2, e): cannot compute exact p-value with ties
##
## Two-sample Kolmogorov-Smirnov test
##
## data: d + 2 and e
## D = 0.61, p-value = 0.0005127
## alternative hypothesis: two-sided
It seems like X and Y have the same distribution, and X+2 does not have the same distribution as Y.
```

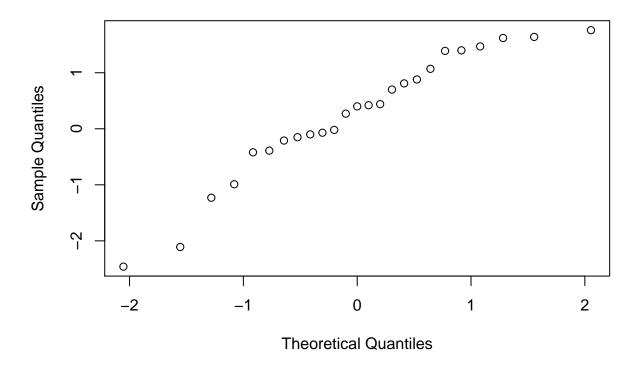
```
f <- readRDS("norm_sample.Rdata")
g <- rnorm(1000,0,1)
hist(f)</pre>
```

# Histogram of f



qqnorm(f)

#### Normal Q-Q Plot

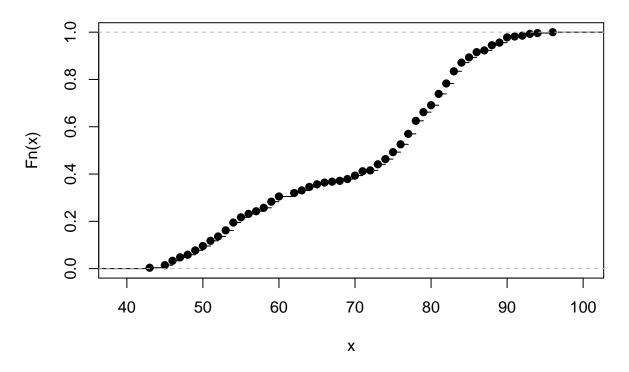


```
ks.test(f, "pnorm", 0, 1)
##
##
    One-sample Kolmogorov-Smirnov test
##
## data: f
## D = 0.17724, p-value = 0.3683
## alternative hypothesis: two-sided
ks.test(f,g)
##
##
    Two-sample Kolmogorov-Smirnov test
##
## data: f and g
## D = 0.175, p-value = 0.4439
## alternative hypothesis: two-sided
Yes, this data does follow the standard normal distribution, but not extremely well.
cdf<- ecdf(f)</pre>
```

```
fiji <- read.table("fijiquakes(1).dat",header = TRUE)
faith <- read.table("faithful(1).dat",header = TRUE)</pre>
```

```
ecdf_fiji <- ecdf(fiji$mag)</pre>
ecdf_faith <- ecdf(faith$waiting)</pre>
e_faith <- sqrt(log(2/.1)/(2*272))
e_{fiji} \leftarrow sqrt(log(2/.05)/(2*1000))
answ <- ecdf_fiji(4.9)-ecdf_fiji(4.3)</pre>
\verb"answ + e_fiji"
## [1] 0.5689469
answ - e_fiji
## [1] 0.4830531
*F(4.9) - F(4.3) 95% confidence interval: [0.48, 0.57]
avg <- mean(faith$waiting)</pre>
answ2 <- ecdf_faith(mean(avg))</pre>
answ2 + e_faith
## [1] 0.4675906
answ2 - e_faith
## [1] 0.3191741
The confidence band for the mean waitig time, F(70.9) is [0.32, 0.46].
plot(ecdf_faith)
```

### ecdf(faith\$waiting)



#### quantile(ecdf\_faith,probs = .5)

## 50% ## 76

The median wait time based on our ecdf is 76.