

BASIC SQL

```
CREATE TABLE <table_name> (  
    <column> <type>,  
    ...  
);
```

```
INSERT INTO <table_name>  
VALUES (...), (...), ..., (...);
```

↳ can use DEFAULT keyword in INSERT

↳ Attributes w/o DEFAULT in CREATE TABLE have default value NULL

```
DELETE FROM <table>  
WHERE <condition>;
```

```
UPDATE <table>  
SET <assignments>  
WHERE <condition>;
```

```
ORDER BY <column> ASC/DESC
```

```
CAST (term AS <type>)
```

↳ $\text{CAST}(102.4675 \text{ AS NUMERIC}(5,2)) = 102.47$

↳ $\text{AVG}(\text{CAST}(\text{term AS NUMERIC}(p,s)))$

```
CASE WHEN <bool-expr>  
    THEN <value-expr>  
    ELSE <value-expr>  
END
```

term LIKE pattern $\left\{ \begin{array}{l} - \text{wildcard matching any one char} \\ \% \text{ wildcard matching any substr.} \end{array} \right.$

```
SELECT *  
FROM customer  
WHERE name LIKE 'K_ _ _ %';  
case-sensitive!
```

RELATIONAL ALGEBRA

$$\sigma_{\theta_1}(\sigma_{\theta_2}(R)) \equiv \underbrace{\sigma_{\theta_1 \wedge \theta_2}(R)}_{\text{Faster}}$$

$$\underbrace{\sigma_{\theta}(\pi_a(R))}_{\substack{\text{keeps less stuff} \\ \text{in main memory}}} \equiv \pi_a(\sigma_{\theta}(R))$$

CARTESIAN PDT.

row - $\text{card}(R \times S) = \text{card}(R) \times \text{card}(S)$

col. - $\text{anty}(R \times S) = \text{anty}(R) + \text{anty}(S)$

NATURAL JOIN

Customer: CustID, Name

Account: Number, CustID

$$\text{Customer} \bowtie \text{Account} \equiv \pi_{xUY} (\sigma_{\text{CustID}=\text{CustID}'} (\text{Customer} \times \rho_{\text{CustID} \rightarrow \text{CustID}'} (\text{Account})))$$

all attr. of Customerall attr. of Account

Primitive Operations — $\pi, \sigma, \times, \rho, \cup, -$

Derived Operations — \bowtie can be expressed in terms of $\pi, \sigma, \times, \rho$
— \cap can be expressed in terms of —
 $(R \cap S \equiv R - (R - S))$

$$R \bowtie_{\theta} S \equiv \sigma_{\theta} (R \times S)$$

$$R \Join_{\theta} S \equiv \pi_x (R \bowtie_{\theta} S)$$

\downarrow attr. of R

$$R \bar{\Join}_{\theta} S \equiv R - (R \Join_{\theta} S)$$

DIVISION

R over set of attributes X

S over set of attributes $Y \subset X$

Let $Z = X - Y$

$$R \div S = \pi_Z(R) - \pi_Z(\pi_Z(R) \times S - R)$$