

**ECE 322**  
**SOFTWARE TESTING AND MAINTENANCE**  
**Fall 2025**

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**Assignment #3**  
**Solutions**

**Due date: Tuesday, October 14, 2025 by 3:00 PM**

Total: 40 points

*Value 10 points*

1. One chooses randomly a single test case coming from each equivalence class. All tests have passed. Is the system under testing free of faults? Justify your answer.

**Solution**

No, because of possible coincidental correctness.

*Value 10 points*

2. (i) Propose test cases using the EPC and a weak  $n \times 1$  testing strategy, and determine the number of test cases using the EPC testing for the subdomain described as follows

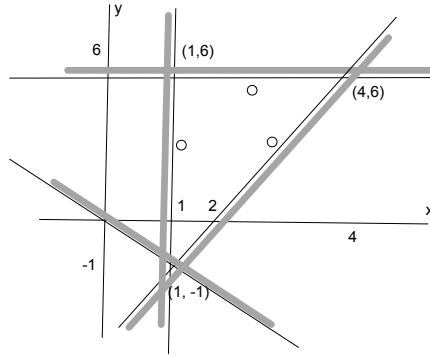
$$\begin{aligned}x+y &\geq 0 \\ y &< 6 \\ x-y-2 &\leq 0 \\ x &> 1 \\ z &> 0 \\ z &< 6\end{aligned}$$

(ii) How many test cases are required to carry out EPC testing strategy for the following subdomain

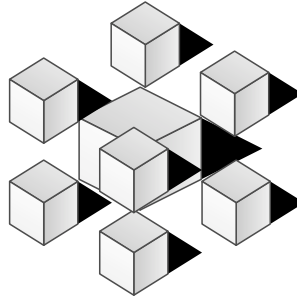
$$\begin{aligned}x+y &\geq 0 \\ y &< 6 \\ x-y-2 &\leq 0 \\ x &> 7 \\ z &> 0 \\ z &< 8 \\ w &> -1 \\ w &< 15\end{aligned}$$

**Solution**

The subdomain is presented below in the  $x$ - $y$  coordinates;  $z$ - and  $w$ - coordinates not shown here.



EPC strategy. We require  $4^n+1$  test cases ( $n=3$ ) so in total there are  $64+1=65$  test cases. A part of the test cases for one of the vertices of the subdomain is listed below  
 $(4,6,6)$   $(4+\varepsilon, 6,6)$   $(4, 6+\varepsilon,6)$   $(4+\varepsilon, 6+\varepsilon,6)$   
 $(4,6,6+\varepsilon)$   $(4+\varepsilon, 6,6+\varepsilon)$   $(4, 6+\varepsilon,6+\varepsilon)$   $(4+\varepsilon, 6+\varepsilon,6+\varepsilon)$  for each corner of the cube.



The weak  $nx1$  strategy produces the following test cases:

3 points on the plane  $(x, y, z)$  for which  $y = 6$  and one point in the interior of the subdomain,  $y < 6$

3 points on the plane  $(x, y, z)$  for which  $x = 1$  and one point in the interior of the subdomain,  $x > 1$

3 points on the plane  $(x, y, z)$  for which  $y > x-2$  and one point in the interior of the subdomain,  $y < x-2$

3 points on the plane  $(x, y, z)$  for which  $z = 0$  and one point in the interior of the subdomain,  $z < 0$

3 points on the plane  $(x, y, z)$  for which  $z = 6$  and one point in the interior of the subdomain,  $z > 6$

Note that the triples of points must be linearly independent so that they uniquely determine the corresponding plane.

For the subdomain

$$\begin{aligned} x+y &\geq 0 \\ y &< 6 \\ x-y-2 &\leq 0 \\ x &> 1 \end{aligned}$$

$$\begin{aligned}
 z &> 0 \\
 z &< 6 \\
 w &> -1 \\
 w &< 20
 \end{aligned}$$

and the EPC strategy, we require  $4^4+1 = 257$  test cases.

*Value 10 points*

3. Which of the two collections of tests

Case-1

$$\left( \begin{bmatrix} 1 \\ 2 \\ 3 \\ 4 \end{bmatrix}, \begin{bmatrix} 5 \\ 6 \\ 1 \\ 1 \end{bmatrix}, \begin{bmatrix} 0 \\ -2 \\ -6 \\ 2 \end{bmatrix}, \begin{bmatrix} 11 \\ 14 \\ 5 \\ 6 \end{bmatrix} \right)$$

or

Case-2

$$\left( \begin{bmatrix} 1 \\ 2 \\ 3 \\ 4 \end{bmatrix}, \begin{bmatrix} 1 \\ 9 \\ 8 \\ 7 \end{bmatrix}, \begin{bmatrix} 0 \\ -2 \\ -6 \\ 2 \end{bmatrix}, \begin{bmatrix} 5 \\ 6 \\ 1 \\ 1 \end{bmatrix} \right)$$

would you use in a weak  $n \times 1$  strategy assuming that all boundaries are linear and the subdomains are in the 4-dimensional space of real numbers. Justify your choice.

### Solution

Case-2 can be used; the points are linearly independent,  $\det(\text{case-2}) \neq 0$ . Case-1 consists of linearly dependent points,  $\det(\text{case-1})=0$ , so these points do not determine a position of the hyperplane (boundary) in a unique way.

*Value 10 points*

4. What is the minimal set of tests that covers all faults; see the for the matrix presented below.

*hint:* you may also view this problem as an example of integer linear programming (ILP) and use a Python package to solve it.

	T1	T2	T3	T4	T5	T6	T7	T8	T9
F1	1					1	1		
F2			1				1		1
F3					1		1	1	
F4		1							
F5			1	1				1	1
F6					1			1	
F7			1				1		1
F8		1		1			1		
F9						1			
F10				1	1	1			1
F11					1			1	1

**Solution**

T2 is a must because only T2 covers F4. The same applies to T6 as it is the only test that covers F9. After selecting T2 and T6, 6 faults remain uncovered: {F2, F3, F5, F6, F7, F11}. One selects T8 as it covers 4 remaining faults: {F3, F5, F6, F11}. T3 covers 2 remaining faults: {F2, F7}. The collection of test cases is composed of {T2, T3, T6, T8}.

By solving the ILP problem, the set of test cases consists of T2, T3, T5, and T6.