

ECE 322
SOFTWARE TESTING AND MAINTENANCE
Fall 2025

Assignment #5

Due date: Monday, November 17, 2025 by 3:00 PM

Total: 40 points

10 points

1. Using the modified condition/branch coverage criterion, propose test cases for the following expression

$$(a||!b)\&\&(c||(!d\&\&a))$$

Note that the test set could not be unique; show selected possibilities.

Solution

The table below displays all combinations of variables along with the values of the logic expression (z).

	a	b	c	d	z
1	F	F	F	F	F
2	F	F	F	T	F
3	F	F	T	F	T
4	F	F	T	T	T
5	F	T	F	F	F
6	F	T	F	T	F
7	F	T	T	F	F
8	F	T	T	T	F
9	T	F	F	F	T
10	T	F	F	T	F
11	T	F	T	F	T
12	T	F	T	T	T
13	T	T	F	F	T
14	T	T	F	T	F
15	T	T	T	F	T
16	T	T	T	T	T

All candidate test cases can be listed as follows:

For a:

- [#1: input(F F F F), output(F), #9: input(T F F F), output(T)]
- [#5: input(F T F F), output(F), #13: input(T T F F), output(T)]
- [#7: input(F T T F), output(F), #15: input(T T T F), output(T)]
- [#8: input(F T T T), output(F), #16: input(T T T T), output(T)]

For b:

- [#3: input(F F T F), output(T), #7: input(F T T F), output(F)]
- [#4: input(F F T T), output(T), #8: input(F T T T), output(F)]

For c:

- [#1: input(F F F F), output(F), #3: input(F F T F), output(T)]
- [#2: input(F F F T), output(F), #4: input(F F T T), output(T)]
- [#10: input(T F F T), output(F), #12: input(T F T T), output(T)]
- [#14: input(T T F T), output(F), #16: input(T T T T), output(T)]

For d:

- [#9: input(T F F F), output(T), #10: input(T F F T), output(F)]
- [#13: input(T T F F), output(T), #14: input(T T F T), output(F)]

5 points

2. Through symbolic execution, obtained are the following path constraints

PC1: $X > Y \ \&\& \ X^2 < Z \ \&\& \ Z > 0, Z < W$

PC2: $W < 2 * Z + 1 \ \&\& \ Z > 3$

PC3: $X > Y \ \&\& \ X < Z \ \&\& \ Z - X > 2$

PC4: $X < Z \ \&\& \ Z < -2 \ \&\& \ X > 0$

Propose test cases.

Solution

PC1: $X = 2, Y = 1, Z = 5, W = 6$

PC2: $W = 7, Z = 4$

PC3: $X = 2, Y = 1, Z = 5$

PC4: not feasible

5 points

3.(i) As black box testing tests all functionalities of a system (identified in specifications), why do we need white box testing? Offer some compelling arguments.

(ii) can you achieve 100% statement coverage criterion. If not, explain why. Show an illustrative example (python code).

(iii) is symbolic execution dynamic or static testing process.

Solution

- (i) White box testing allows to quantify the quality of software; for instance cyclomatic complexity categorizes the complexity of code and impacts software maintenance.
- (ii) Sometimes the 100% coverage cannot be achieved; for instance, some parts of code are not reachable.
- (iii) It is static.

10 points

4. The vector representations of the following paths formed over edges a-b-c-d-e-f-g-h-i-j-k-l-m are shown below

```
1 1 1 0 1 1 0 0 0 0 0 0 0
1 1 2 1 2 1 0 0 0 0 0 0 0
0 0 0 0 0 0 1 0 1 0 1 1 0
0 0 0 0 0 1 1 1 0 0 0 0 1
0 0 0 0 0 0 1 1 0 1 0 1 0
```

Are these paths linearly independent?

Solution

Checking linear independence requires computing the rank of the matrix whose rows are the vector representations of the paths. We have

```
T=np.array([[1,1,1,0,1,1,0,0,0,0,0,0,0],
            [1,1,2,1,2,1,0,0,0,0,0,0,0],
            [0,0,0,0,0,0,1,0,1,0,1,1,0],
            [0,0,0,0,0,1,1,1,0,0,0,0,1],
            [0,0,0,0,0,0,1,1,0,1,0,1,0]])
```

The function `matrix_rank(T)` (from `numpy.linalg import matrix_rank`) returns `rank(T)=5`, so the paths are linearly independent.

10 points

5. Construct a control flow graph of the following code and determine its cyclomatic complexity.

```

def cluster_distance(c1, c2):
    """Compute inter-cluster distance depending on linkage type."""
    dists = cdist(X[c1], X[c2])
    if linkage == 'single':
        return np.min(dists)
    elif linkage == 'complete':
        return np.max(dists)
    elif linkage == 'average':
        return np.mean(dists)
    else:
        raise ValueError("linkage must be 'single', 'complete', or 'average'")

while len(clusters) > n_clusters:
    # Compute all pairwise distances
    distances = np.full((len(clusters), len(clusters)), np.inf)
    for i in range(len(clusters)):
        for j in range(i + 1, len(clusters)):
            distances[i, j] = cluster_distance(clusters[i], clusters[j])

    # Find two clusters with minimum distance
    i, j = np.unravel_index(np.argmin(distances), distances.shape)

    # Merge them
    new_cluster = clusters[i] + clusters[j]
    clusters = [c for k, c in enumerate(clusters) if k not in (i, j)]
    clusters.append(new_cluster)

# Assign labels
labels = np.zeros(len(X), dtype=int)
for idx, cluster in enumerate(clusters):
    for sample_index in cluster:
        labels[sample_index] = idx

return labels

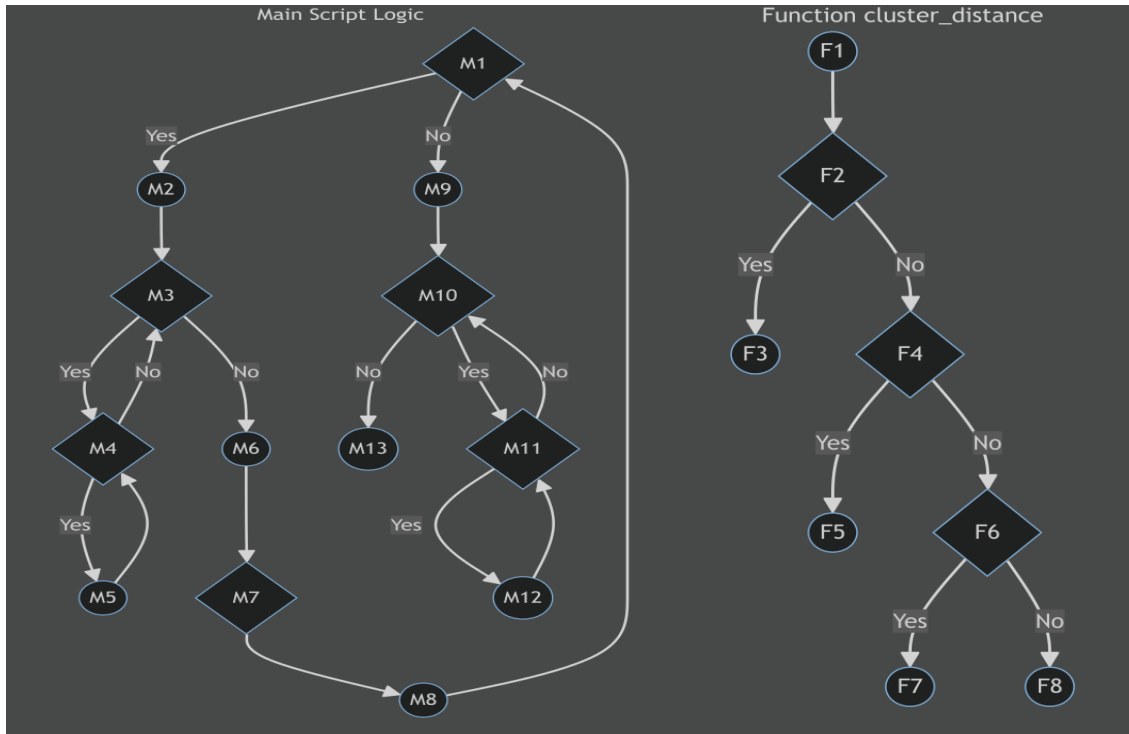
```

Solution:

Block No.	Code Block	D
F1	def cluster_distance(c1, c2): dists = cdist(X[c1], X[c2])	
F2	if linkage == 'single':	1
F3	return np.min(dists)	
F4	elif linkage == 'complete':	1
F5	return np.max(dists)	
F6	elif linkage == 'average':	1
F7	return np.mean(dists)	

F8	else: raise ValueError(...)	
M1	while len(clusters) > n_clusters:	1
M2	distances = np.full((len(clusters), len(clusters)), np.inf)	
M3	for i in range(len(clusters)):	1
M4	for j in range(i + 1, len(clusters)):	1
M5	distances[i, j] = cluster_distance(clusters[i], clusters[j])	
M6	i, j = np.unravel_index(np.argmin(distances), distances.shape) new_cluster = clusters[i] + clusters[j]	
M7	clusters = [c for k, c in enumerate(clusters) if k not in (i, j)]	2
M8	clusters.append(new_cluster)	
M9	labels = np.zeros(len(X), dtype=int)	
M10	for idx, cluster in enumerate(clusters):	1
M11	for sample_index in cluster:	1
M12	labels[sample_index] = idx	
M13	return labels	

The control diagram can be depicted as:



In the diagram,

- For function “cluster_distance” part, there are three logic branches, as the result, the cyclomatic complexity is $V(G1) = 3 + 1 = 4$
- For the “main_logic” part, there are six loops and an “if” logic expression, the cyclomatic complexity is $V(G2) = 7 + 1 = 8$