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Im 966 for Sadia
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Machine Learning Supo 1

Sentiment Lexicon

2.

No
Nothing
Nor
Neither
Hardly
Barely
But
However
Instead
Rarely

The sentiment of adjectives
and adverbs can be flipped
by adding a "not".
e.g. good \rightarrow not good
very \rightarrow not very

3. Yes you could use a lexicon that
gives positive sentiment to words like
"happy", "excited", "delighted" and negative
sentiment to "sad", "depressed", "angry".

4. 0.796

5. If the probability of one class is 90%,
and the other is 10%, then the accuracy
could be really high just by the lexicon
always guessing class 1.

Extra Q.

Say the system has a probability $P(A)$ of flagging a message and $P(C)$ of being correct.

$$\text{Num of } \overset{\text{human}}{\text{reviews}} = \text{Num messages} \cdot P(C)$$

Say the system has probability $P(A)$ of correctly flagging a rule message, and $P(B)$ of incorrectly flagging a non-rule message.

$$E[C] = 10 \cdot (N - N_r) \cdot P(B) + N_r \cdot P(A) \\ + 100,000 \cdot (N_r \cdot (1 - P(A)))$$

where N is the total number of messages and N_r is the number of rule messages

Naive Bayes

$$1. a) P(A|F_1) = 1/2$$

$$P(B|F_1) = 1/2$$

$$P(A|F_2) = 0$$

$$P(B|F_2) = 1$$

$$P(A|F_3) = 1/10$$

$$P(B|F_3) = 9/10$$

b) $P(A) =$

$$\begin{aligned} P(A|F_1, F_3) &= P(A) \cdot P(F_1|A) \cdot P(F_3|A) \\ &= \frac{1}{2} \cdot \frac{5}{8} \cdot \frac{3}{8} \\ &= \frac{15}{128} \end{aligned}$$

$$\begin{aligned} P(B|F_1, F_3) &= P(B) \cdot P(F_1|B) \cdot P(F_3|B) \\ &= \frac{1}{2} \cdot \frac{5}{42} \cdot \frac{27}{42} \\ &= \frac{45}{1176} \end{aligned}$$

so more likely to be A.

$$c. P(A|F_1, F_3) = \frac{15}{128} \cdot \frac{1}{2} = \frac{15}{256}$$

$$P(B|F_1, F_3) = \frac{45}{1176} \cdot \frac{2}{2} = \frac{15}{262}$$

so much closer but still A more likely.

d. F_2 since $P(B|F_2) = 1$ and $P(A|F_2) = 0$

so F_2 guarantees the class is B

e. Find the feature F_i such that $P(\text{class}|F_i)$ is highest for class 1 and lowest for class 2. The bigger the difference between $P(1|F_i)$ and $P(2|F_i)$ is, the more useful the feature is. Calculate these probabilities with Bayes' Theorem.

2. Reusing the same word makes it less strong and impactful than using new words.

Only counting them once also lowers the estimate for high frequency words which increases the estimate for the lower frequency ones, giving a more even distribution.

Statistical properties of Language

1. They all have letters that do not commonly go together in English.

pferd → pf
abnue → be
kx'a → kx

Yes they are right there are not words.