

Nonograms

J.-S. Roger Jang (張智星)

jang@mirlab.org

<http://mirlab.org/jang>

MIR Lab, CSIE Dept.

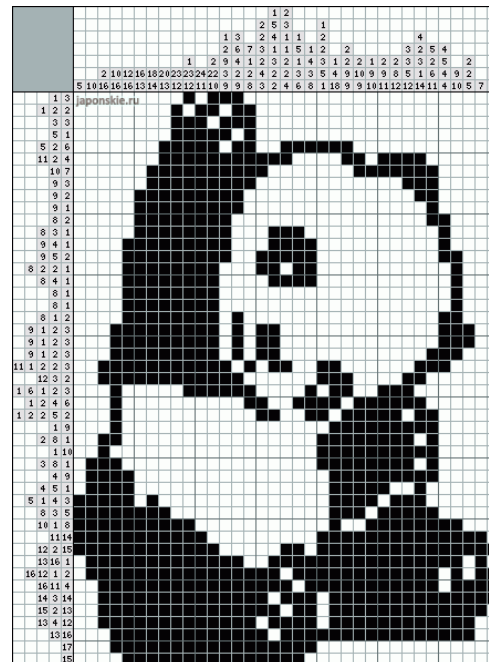
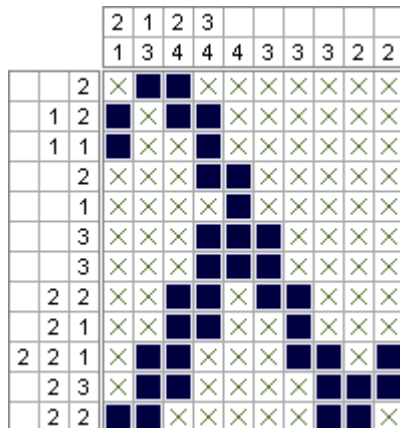
National Taiwan University

Introduction to Nonograms

○ Nonograms

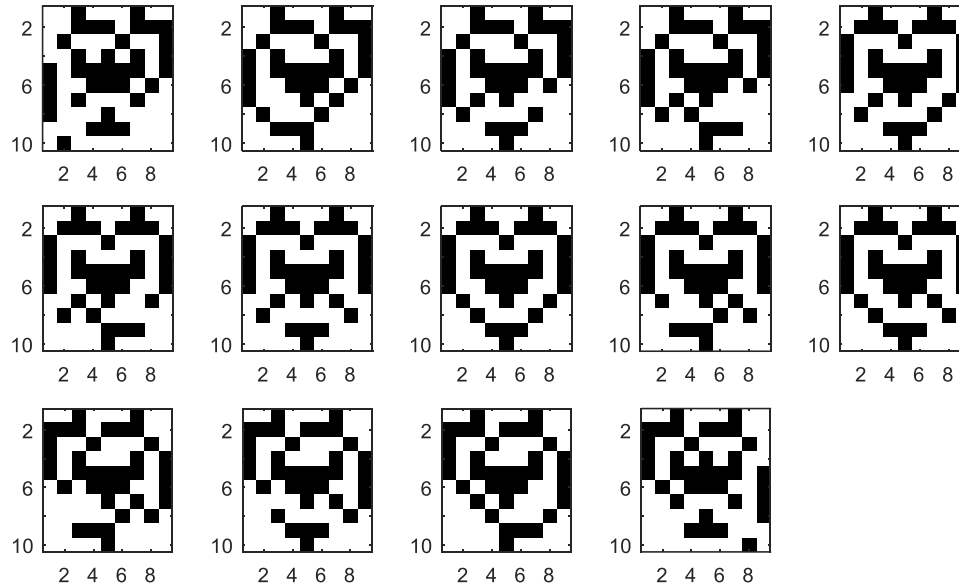
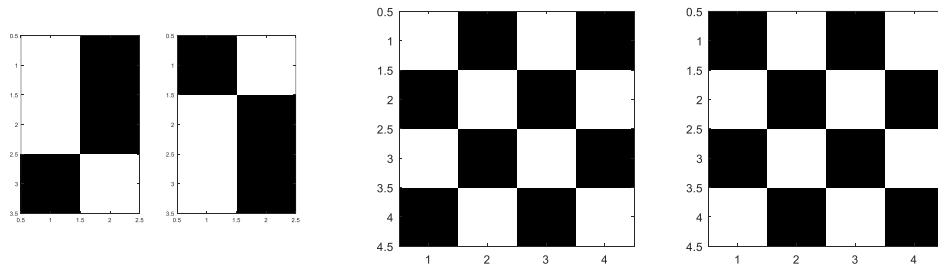
- AKA Hanjie, Picross, Griddlers, Paint by Numbers, ...
- Invented by Non Ishida in 1987

○ Examples



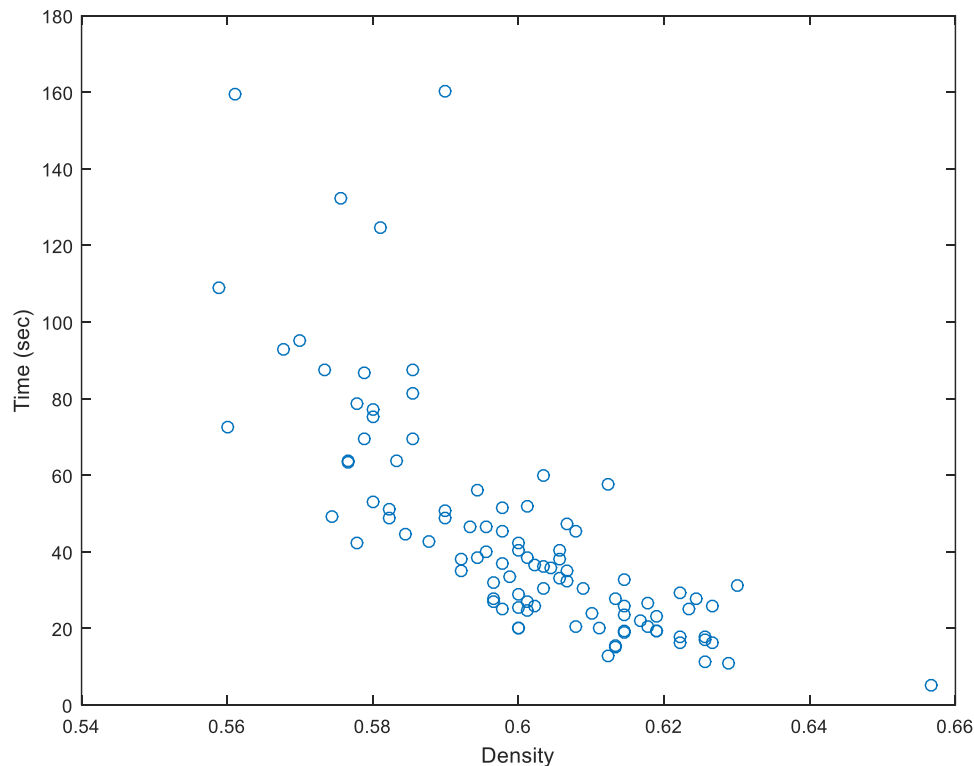
Properties of Nonograms (1/2)

- Solutions may not be unique



Properties of Nonograms (2/2)

- Higher density leads to easy solution
- Test based on 30x30 maps



Solution to Nonograms

- Exhaustive search
 - $2^{m \times n} \rightarrow$ Impossible!
- Initial heuristic search
 - Reduce the search space
 - Can also lead to a solution directly
- Search based on maze traversal
 - DFS (depth-first search) \rightarrow Preferred
 - BFS (breadth-first search) \rightarrow Need much more memory

Initial Heuristic Search: Examples

Examples

						1
	2	3	3	3	3	1
1	1					
	4					
	3					
1	1	1				
	1					

	4	2	2	1	1	
3						
1	1					
	1					
	3					
	4					

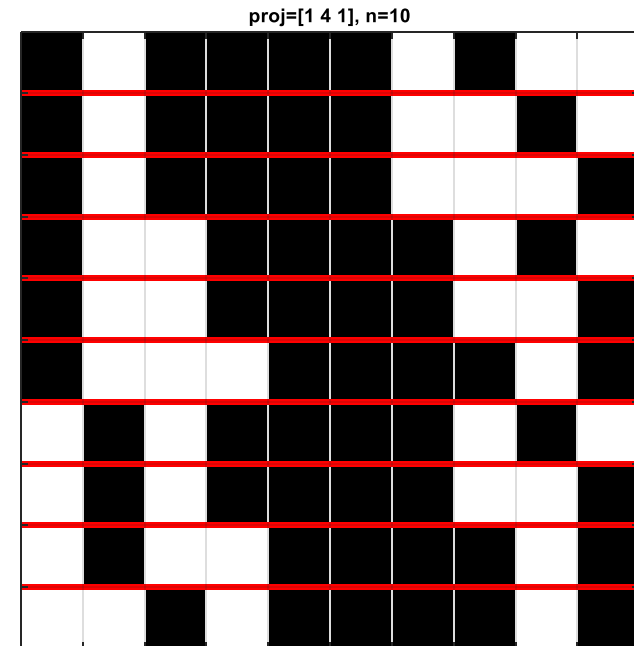
		2	4	2	3	2
3						
4						
1	1					
	2					
	2					

Quiz!

			1								
		2	1		6	5	5			5	
	6	1	1	2	2	1	3	3	1	6	
2	4										
1	4	1									
1	5	2									
1	3	2									
2	3	2									
2	1	2									
	2	3									
	2	1									
	1	2									
	1										

Initial Heuristic Search

- Generate all patterns for each row
 - Proj=[1 4 1], n=10
→ xxxx11xxxx
- Generate constrained patterns
 - Constraint=[0xxxxxxxx1]
 - → 0xxx111xx1
- My steps:
 1. Fill each rows
 2. Fill each columns
 3. Repeat 1 and 2 until convergence



Pseudo code for DFS Search

Initial stack

Push maps of one row to stack

If size of stack > 0 {

 Pop stack to have a map A

 If A fulfils all requirements, return A and break

 If A has k rows, find p candidates for row k+1

 Augment A with these p candidates

 Push these P maps to stack

}

No solution exists.

Some Examples

