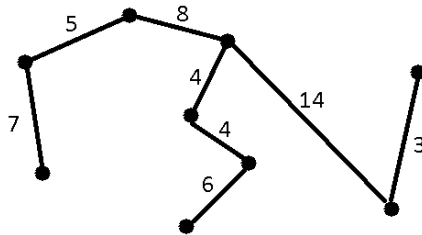


1. F T T F F

2.

- (1) 若 G is a connected weighted graph, 可產生大於等於一個 spanning tree, 其中 weight 和為最小者即為 minimum spanning tree
- (2) 挑邊順序為(weight) : 3, 4, 5, 6, 7, 8, 14



- (3) 挑邊順序為(weight) : 5, 7, 8, 4, 4, 6, 14, 3
圖與上題相同
- (4) 兩者皆在 adjacency matrix 執行, time complexity : $O(|V|^2)$

3.

- (1) 是一個 complete binary tree 且
root 具最小值
其 leftchild 與 rightchild 亦是一個 min-heap
- (2) 想法：由 root 開始往下 check, check 之原則為 $root \leq leftchild$ 且 $root \leq rightchild$ (假設題目給的 BT 為 complete BT)

[algo]

```
void minHeapcheck( Node *root )
{
    if( root->left != NULL )
        minHeapcheck( root->left );
    else if ( root->right != NULL )
        minHeapcheck( root->right );
    else
    {
        if( root->value > root->left->value || root->value > root->right->value )
            return "this is not a min-Heap";
    }
}
```

4. F F T F F | T F F

5. (1) $\Theta(n \log^2 n)$

(2) $\Theta(n \lg \lg n)$

(3) $\Theta(\lg n * \lg \lg n)$

(4) $\Theta(\lg n)$

(5) $\Theta(\lg n)$

6.

(1) $X = 1, Y = 2, Z = 1;$

(2) I HAVE NO IDEA

(3) max flow = 5

min-cut = {s}{a, c, d, b, e, f, t}

7.

(1) 140

(2) step1: 對 $A[1], \dots, A[n]$ 作 sort

step2: $i = 1; j = n;$

while ($i \neq n$)

{

$B[i] \leftarrow A[i];$

$B[i+1] \leftarrow A[j];$

$i += 2;$

$j = j - 1;$

}

Time Complexity:

Step1: $O(n \lg n)$

Step2: $O(n)$

➔ total : $O(n \lg n)$

8.