Look at the Latex file for deriving the equations

$$\begin{split} & \mathsf{EFL}[\mathsf{f1}_-,\,\mathsf{f2}_-,\,\mathsf{d}_-] := \frac{\mathsf{f1}\,\mathsf{f2}}{\mathsf{f1}+\mathsf{f2}-\mathsf{d}} \, (\star \mathsf{Effective focal length} \star) \\ & \mathsf{FP}[\mathsf{f1}_-,\,\mathsf{f2}_-,\,\mathsf{d}_-] := \frac{\mathsf{f1}\,\mathsf{f2}}{\mathsf{f1}+\mathsf{f2}-\mathsf{d}} \, \bigg(1 - \frac{\mathsf{d}}{\mathsf{f1}}\bigg) \\ & (\star \mathsf{Focal plane wrt the second lens. Positive means on the right side of the lens} \star) \\ & \mathsf{yim}[\mathsf{f1}_-,\,\mathsf{f2}_-,\,\mathsf{d}_-,\,\theta_-] := \frac{\mathsf{f1}\,\mathsf{f2}}{\mathsf{f1}+\mathsf{f2}-\mathsf{d}} \, \theta \, (\star \mathsf{Image height} \star) \end{split}$$

Given f1, f2, θ , and the image height y, what is the inter-lens distance d? $d[f1_, f2_, \theta_, y_] := f1 + f2 - f1 f2 \theta / y$ (*Inter-lens distance*)

Where is the focal plane wrt the second lens?

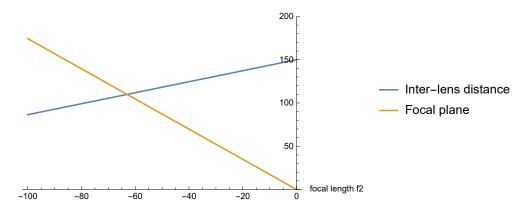
```
f1 = 150; 

\theta = 1.04432 * \pi / 180; (*Incident angle. In the 'Beamsplitter parameter' nb, look at the centered angle AT THE OBJECTIVE for beam No.1 = beam No.16*) 

ymax = 15. / 2; (*Position of beam No.16 on the PMT wrt the symmetry axis. There are 16 channels with 15 interspaces of 1mm. Therefore, ymax = (16-1)/2 *) 

Plot[{d[f1, f2, \theta, ymax], FP[f1, f2, d[f1, f2, \theta, ymax]]}, {f2, -100, 0}, AxesLabel \rightarrow {"focal length f2", ""}, PlotRange \rightarrow {0, 200}, PlotLegends \rightarrow {"Inter-lens distance", "Focal plane"}] 

(*conclusion: longer |f2|, shorter d, longer FP*)
```



f2 = -50; Plot[{d[f1, f2, θ , ymax], FP[f1, f2, d[f1, f2, θ , ymax]]}, {f1, θ , 200}, AxesLabel \rightarrow {"f1", ""}, PlotRange \rightarrow {0, 600}, PlotLegends \rightarrow {"Inter-lens distance", "Focal plane"}]; (*conclusion: longer f1, longer d, shorter FP*)

```
f2 = -50;
d[f1, f2, θ, ymax]
FP[f1, f2, d[f1, f2, θ, ymax]]
d[f1, f2, θ, ymax] + FP[f1, f2, d[f1, f2, θ, ymax]]
118.227
87.1605
205.387
```