

# The E-ACSL Perspective on Runtime Assertion Checking

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- ▶ **Runtime Assertion Checking (RAC)**
  - ▶ verifying program assertions at runtime
- ▶ 70's: primitive assert
  - ▶ limited to Boolean expressions
- ▶ 80's: language Eiffel
  - ▶ **Behavioral Interface Specification Language (BISL)**



- ▶ since more than 20 years, several works about RAC
  - ▶ most about **BISL**
  - ▶ others about **combining RAC with others techniques**
  - ▶ very few about **RAC as a compilation technique**



- ▶ since more than 20 years, several works about RAC
  - ▶ most about **BISL**
  - ▶ others about **combining RAC with others techniques**
  - ▶ very few about **RAC as a compilation technique**
- ▶ this talk:
  - ▶ visiting the RAC's research area
  - ▶ emphasizing the work done on the **Frama-C** plug-in **E-ACSL**
    - ▶ BISL
    - ▶ RAC tool



**Frama-C**: Framework for analyses of source code written in C

<http://frama-c.com>

- ▶ **open source**: Frama-C 23-Vanadium released a week ago
- ▶ **a collection of analyzers**
  - ▶ each analyzer is a plug-in
  - ▶ 34 plug-ins in the latest release
  - ▶ 3 main verification plug-ins
    - ▶ **Eva**: abstract interpretation
    - ▶ **Wp**: deductive verification
    - ▶ **E-ACSL**: runtime assertion checking
- ▶ **extensible**: anyone can develop new plug-ins
- ▶ **collaborative**: many ways of combining plug-ins
- ▶ support **ACSL**, a BISO for C code



1. Behavioral Interface Specification Languages
2. Using Runtime Assertion Checking in Practice
3. Compiling Formal Assertions

```
(long n)
{ for (i = 0; i < n; i++)
  C[i] = 0;
  tmp2 = 0;
  // ...
}
```

```
tmp2[0] = 0; // else if (tmp1[0] >= 0) { if (tmp2[0] == 0) { tmp1[0] = 0; } else { tmp2[0] = tmp1[0]; } }
// Then the second pass looks like the first one:
tmp1[0] = 0; k = 0; k++ tmp1[0] = mc2[0][k] * tmp2[k][0]; // The [i][j] coefficient of the matrix product MC2*TMP2, that is: *MC2*[i][TMP1] = MC2*[i][MC1*M1] = MC2*[M1]*MC1
i = 1; tmp1[0] >= 1; // Final rounding: tmp2[0] is now represented on 9 bits: *if (tmp1[0] < -256) tmp2[0] = -256; else if (tmp1[0] > 255) tmp2[0] = 255; else tmp2[0] = tmp1[0];
```



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{ for (i = 0; i < n; i++)
  C[i] = 0;
  tmp2 = ...
  // ...
}
```

```
tmp2[i] = (i < (N-1) ? tmp1[i] : 0); // Then the second pass looks like the first one:
tmp1[i] = 0; k = 0; k++ tmp1[i] = mc2[i][k] * tmp2[k]; // The [i][k] coefficient of the matrix product MC2*TMP2, that is: *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
i = i + 1; tmp1[i] >= 1; // Final rounding: tmp2[i] is now represented on 9 bits: *if (tmp1[i] < -256) tmp2[i] = -256; else if (tmp1[i] > 255) tmp2[i] = 255; else tmp2[i] = tmp1[i];
```



- ▶ BSL for mainstream programming languages
  - ▶ JML for Java
  - ▶ Spec# for C#
  - ▶ VCC, ACSL and E-ACSL for C
  - ▶ CodeContract for .Net
  - ▶ Spark2014 for Ada
  - ▶ Gospel for OCaml
- ▶ Dedicated BSL
  - ▶ Boogie
  - ▶ WhyML
- ▶ main related verification techniques:
  - ▶ RAC
  - ▶ Deductive Verification (DV), i.e. proving programs





# BISL by Example

## Function Contract

```
/*@ requires len >= 0;
   requires \valid(a + (0 .. len-1));
   requires sorted(a, len);
```

```
*/
```

```
int binary_search(int* a, int len, int key);
```



```
/*@ predicate sorted(int* a, int len) =
    \forall integer i, j; 0 <= i <= j < len ==> a[i] <= a[j]; */

/*@ requires len >= 0;
    requires \valid(a + (0 .. len-1));
    requires sorted(a, len);
```

```
*/
int binary_search(int* a, int len, int key);
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/*@ predicate sorted(int* a, int len) =
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```

```
/*@ requires len >= 0;
   requires \valid(a + (0 .. len-1));
   requires sorted(a, len);
   assigns \nothing;
```

```
*/
```

```
int binary_search(int* a, int len, int key);
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```

/*@ predicate sorted(int* a, int len) =
    \forall integer i, j; 0 <= i <= j < len ==> a[i] <= a[j]; */

/*@ requires len >= 0;
    requires \valid(a + (0 .. len-1));
    requires sorted(a, len);
    assigns \nothing;

    behavior exists:
        assumes \exists integer i; 0 <= i < len && a[i] == key;
        ensures 0 <= \result < len && a[\result] == key;
    behavior not_exists:
        assumes \forall integer i; 0 <= i < len ==> a[i] != key;
        ensures \result == -1;

    */
int binary_search(int* a, int len, int key);

```



```

/*@ predicate sorted(int* a, int len) =
    \forall integer i, j; 0 <= i <= j < len ==> a[i] <= a[j]; */

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    behavior not_exists:
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    complete behaviors;
    disjoint behaviors; */
int binary_search(int* a, int len, int key);

```



```
int binary_search(int* a, int len, int key); {
    int low = 0, high = length - 1;
```

```
    while (low<=high) {
        int mid = low + (high - low) / 2;
```

```
        if (a[mid] == key) return mid;
        if (a[mid] < key) low = mid+1;
        else high = mid - 1;
```

```
    }
    return -1;
```



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int binary_search(int* a, int len, int key); {
    int low = 0, high = length - 1;
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    while (low<=high) {
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       @ loop invariant
           \forall integer k; 0 <= k < low ==> a[k] < key;
       @ loop invariant
           \forall integer k; high < k < length ==> a[k] > key;

    while (low<=high) {
        int mid = low + (high - low) / 2;
        /*@ assert 0 <= mid < length; */
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   @ loop invariant
     \forall integer k; high < k < length ==> a[k] > key;
   @ loop assigns low, high;
  */
  while (low<=high) {
    int mid = low + (high - low) / 2;
    /*@ assert 0 <= mid < length; */
    if (a[mid] == key) return mid;
    if (a[mid] < key) low = mid+1;
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     \forall integer k; high < k < length ==> a[k] > key;
   @ loop assigns low, high;
   @ loop variant high - low; */
  while (low <= high) {
    int mid = low + (high - low) / 2;
    /*@ assert 0 <= mid < length; */
    if (a[mid] == key) return mid;
    if (a[mid] < key) low = mid+1;
    else high = mid - 1;
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}
```



what is quite standards in most BISLs' annotations?

- ▶ function **contracts**
  - ▶ behaviors: case-splitting
  - ▶ exceptional cases (for languages with exceptions)
- ▶ code assertions
- ▶ loop invariants and variants
- ▶ frame condition (assigns): what may be modified
- ▶ data invariants (e.g., object and type invariants)



what is quite standards in most BISLs' logic?

- ▶ typed first-order logic
- ▶ terms include **pure expressions** (i.e. side-effect free)

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C1); if (0)
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```

```
tmp2[0] = (t <= (N-1) ? tmp[0] : tmp2[0]) >= (t <= (N-1) ? tmp[0] : tmp2[0]) ? (t <= (N-1) ? 1 : 0) : else tmp2[0] = tmp[0]; /* Then the second pass looks like the first one:
tmp[0][0] = 0; k = 0; k++ tmp[0][k] = mc2[0][k] * tmp2[k][0] /* The [i,j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(M1*M1) = MC2*M1*(M1
i = 1; tmp[0][i] >= 1; /* Final rounding: tmp2[0][0] is now represented on 9 bits. */ if (tmp[0][0] < -256) m2[0][0] = -256; else if (tmp[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tmp[0][0];
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what is quite standards in most BISLs' logic?

- ▶ typed first-order logic
- ▶ terms include pure expressions (i.e. side-effect free)
- ▶ multi-state properties
  - ▶ refer to the pre-state's value of some data from the post-state
  - ▶ example: ensures  $G == \backslash\text{old}(G) + 1$ ;
  - ▶ more generally, refer to the value of some data at another program point:  $\backslash\text{at}(x, L)$  (ACSL and E-ACSL)



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  - ▶ refer to the **pre-state's value** of some data from the post-state
  - ▶ example: **ensures**  $G == \backslash\text{old}(G) + 1$ ;
  - ▶ more generally, refer to **the value of some data at another program point**:  $\backslash\text{at}(x, L)$  (ACSL and E-ACSL)
- ▶ ghost code
  - ▶ define and use **code as specification**
  - ▶ without interfering with the original code
  - ▶ allow to easily write stateful specifications (e.g. automata)



## ► unbounded quantifiers

- `\forall integer x, \exists integer y, x * 2 == y`
- allowed in DV-oriented BISL (expressiveness, math. proof)
- not allowed in RAC-oriented BISL (no exec. in finite time)





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  - ▶ allowed in DV-oriented BISL (expressiveness, math. proof)
  - ▶ not allowed in RAC-oriented BISL (no exec. in finite time)
- ▶ **pure functions**
  - ▶ **program's functions without side-effect**
  - ▶ allowed in RAC-oriented BISL (usability)
  - ▶ not allowed in DV-oriented BISL (logic. consistency is uneasy)



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- allowed in RAC-oriented BISL (usability)
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## ► frame conditions

- assignable/writable terms: locations that are written
- modified terms: locations whose values may have changed
- below, x is assigned but not modified:

```
tmp = x;
...;    // modify [x]
x = tmp; // restore the former value of [x]
```



- ▶ mathematical numbers
  - ▶ integers (i.e.,  $\mathbb{Z}$ )
  - ▶ real numbers (i.e.,  $\mathbb{R}$ )
  - ▶ allowed in DV-oriented BISL (expressiveness, math. proof)
  - ▶ was not allowed in RAC-oriented BISL (no exact representations)
    - ▶ integers are now often supported



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## ▶ undefinedness

- ▶ what is the meaning of  $1/0 == 1/0$ ?
- ▶ valid in DV-oriented BISL (reflexivity of equality)
- ▶ undefined in DV-oriented BISL (not executable)
- ▶ strongly valid = valid **and** defined



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  tmp2 = ...
  // ...
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```

```
tmp2[i] = (i < (N-1) ? tmp1[i] : 0); else if (tmp1[i] >= 0) { i < (N-1) ? tmp2[i] = (i < (N-1) ? 0 : tmp1[i]) : 0; } else { tmp2[i] = tmp1[i]; }
// ...
tmp1[i] = 0; k = k + 1; tmp1[i] = mc2[i][k] * tmp2[k]; // The [i][k] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*M1
// ...
i = i + 1; tmp1[i] >= 0; } Final rounding: tmp2[i] is now represented on 9 bits. *if (tmp1[i] < -256) tmp2[i] = -256; else if (tmp1[i] > 255) tmp2[i] = 255; else tmp2[i] = tmp1[i];
```



# Which Applications for RAC

## As a Verification Technique

- ▶ **discovering bugs** upstream, when assertions are violated



# Which Applications for RAC

## As a Verification Technique

- ▶ discovering bugs upstream, when assertions are violated
- ▶ combining RAC with testing, e.g. fuzzing
  - ▶ RAC makes more invalid behaviors observable
  - ▶ example: a buffer overflow that overwrites some data

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# Which Applications for RAC

## As a Verification Technique

- ▶ **discovering bugs** upstream, when assertions are violated
- ▶ **combining RAC with testing**, e.g. fuzzing
  - ▶ RAC makes more invalid behaviors observable
  - ▶ **example**: a buffer overflow that overwrites some data
- ▶ **combining RAC with static verification techniques**, e.g. DV
  - ▶ easy in verification framework
    - ▶ Frama-C, OpenJML, Spark2014, Why3, etc
  - ▶ **verify most properties with DV**, RAC checks the other ones
    - ▶ lower the verification effort
    - ▶ lower the runtime overhead
  - ▶ RAC helps **debug specifications**, find **counter-examples**, **understand** what's going on





# Which Applications for RAC

## Properties Beyond BISL

- ▶ BISL may be seen as low-level specifications languages
  - ▶ close to the code
- ▶ compile high-level properties to BISL
  - ▶ temporal properties
  - ▶ non-interference properties
  - ▶ security automata
  - ▶ relational properties (e.g., monotony)
  - ▶ system-wide properties

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tmp2[0] = (t <= (Nb1 - 1)) else if (tmp1[0]) >= (t <= (Nb1 - 1)) tmp2[0] = (t <= (Nb1 - 1)) - 1; else tmp2[0] = tmp1[0]; /\* Then the second pass looks like the first one: "Nb1" is replaced by "Nb2" and "Nb1" by "Nb2".  
tmp1[0] = 0; k = 0; k++ tmp1[0] = mc2[0][k] \* tmp2[k][0] /\* The [i][j] coefficient of the matrix product MC2\*TMP2, that is: \*MC2\*[1](TMP1) = MC2\*[1](MC1\*M1) = MC2\*M1\*[1](MC1) = MC1\*[1] (NB1) = 1. tmp1[0][0] >= 1. /\* Final rounding: tmp2[0][0] is now represented on 9 bits. \*if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tmp1[0][0];



# Which Applications for RAC

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  - ▶ temporal properties
  - ▶ non-interference properties
  - ▶ security automata
  - ▶ relational properties (e.g., monotony)
  - ▶ system-wide properties
- ▶ make explicit properties that are otherwise left implicit
  - ▶ undefined behaviors
  - ▶ security weaknesses



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```



# The Challenge of Compiling Formal Assertions

RAC is a compilation technique

- ▶ RAC compiles assertions into executable code
  - ▶ input: `/*@ assert x+1 == 0; */`
  - ▶ output: `assert (x+1 == 0);`
- ▶ “The run-time checker [of Spec#] is straightforward”  
[Barnet et al., 2011]



# The Challenge of Compiling Formal Assertions

RAC is a compilation technique

- ▶ RAC compiles assertions into executable code
  - ▶ input: `/*@ assert x+1 == 0; */`
  - ▶ output: `assert (x+1 == 0);`
- ▶ “The run-time checker [of Spec#] is straightforward”  
[Barnet et al., 2011]
- ▶ always straightforward?
  - ▶ maybe not: the example above is **unsound**, in general
  - ▶ maybe not: “the run-time overhead [of Spec#] is **prohibitive**”  
[Barnet et al., 2011]

main challenge: being both **sound** and **efficient**



- dedicated library (GMP in C) for integers and rationals

```
/*@ assert x + 1 == 0; */
mpz_t e_acsl_1, e_acsl_2, e_acsl_3, e_acsl_4;
int e_acsl_5;
mpz_init_set_si(e_acsl_1, x);           // e_acsl_1 = x
mpz_init_set_si(e_acsl_2, 1);          // e_acsl_2 = 1
mpz_init(e_acsl_3);
mpz_add(e_acsl_3, e_acsl_1, e_acsl_2); // e_acsl_3 = x + 1
mpz_init_set_si(e_acsl_4, 0);          // e_acsl_4 = 0
e_acsl_5 = mpz_cmp(e_acsl_3, e_acsl_4); // x + 1 == 0
e_acsl_assert(e_acsl_5 == 0);           // runtime check
mpz_clear(e_acsl_1); mpz_clear(e_acsl_2); // deallocate
mpz_clear(e_acsl_3); mpz_clear(e_acsl_4);
```

sound but not efficient



- dedicated library (GMP in C) for integers and rationals

```
/*@ assert x + 1 == 0; */
mpz_t e_acsl_1, e_acsl_2, e_acsl_3, e_acsl_4;
int e_acsl_5;
mpz_init_set_si(e_acsl_1, x);           // e_acsl_1 = x
mpz_init_set_si(e_acsl_2, 1);          // e_acsl_2 = 1
mpz_init(e_acsl_3);
mpz_add(e_acsl_3, e_acsl_1, e_acsl_2); // e_acsl_3 = x + 1
mpz_init_set_si(e_acsl_4, 0);          // e_acsl_4 = 0
e_acsl_5 = mpz_cmp(e_acsl_3, e_acsl_4); // x + 1 == 0
e_acsl_assert(e_acsl_5 == 0);           // runtime check
mpz_clear(e_acsl_1); mpz_clear(e_acsl_2); // deallocate
mpz_clear(e_acsl_3); mpz_clear(e_acsl_4);
```

sound but not efficient

- not possible to be exact on real numbers
  - how to check  $2 * \pi == \pi + \pi$  at runtime?



- ▶ dedicated **type system** for being **sound** and **efficient**
  - ▶ [Kosmatov et al. @RV 2020]
- ▶ use **machine bounded numbers** and **arithmetic** whenever possible
- ▶ use GMP otherwise
- ▶ only a few GMPs integers in practice
  - ▶ **very efficient** in practice
- ▶ **implemented in E-ACSL** for integers and rationals
- ▶ adapted in **Spark2014** for integers





- ▶ how to compile  $x == \backslash \text{at}(x, L) + 1$  ?
  - ▶ easy: save the value of  $x$  at  $L$



- ▶ how to compile  $x == \text{\texttt{\textbackslash at}(x, L)} + 1$  ?
  - ▶ easy: save the value of  $x$  at  $L$

- ▶ how to compile the following predicate?

```
\forall integer i, j;
  0 <= i < LEN ==> 0 <= j < i ==>
  t[i][j] == \text{\texttt{\textbackslash at}(t[i][j], L)} + 1
```

- ▶ issue:  $i$  and  $j$  are **undefined** at  $L$



► how to compile  $x == \text{\texttt{\textbackslash at}(x, L)} + 1$  ?

► easy: save the value of  $x$  at  $L$

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► issue:  $i$  and  $j$  are **undefined** at  $L$

► “classical” solution: copy the whole array  $t$

► the classical solution is **sound but not efficient**



► how to compile  $x == \text{\texttt{\textbackslash at}(x, L)} + 1$  ?

► easy: save the value of  $x$  at  $L$

► how to compile the following predicate?

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  t[i][j] == \text{\texttt{\textbackslash at}(t[i][j], L)} + 1
```

► issue:  $i$  and  $j$  are **undefined** at  $L$

► “classical” solution: copy the whole array  $t$

► the classical solution is **sound but not efficient**

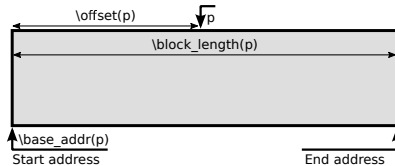
► **better solution**: copy only the necessary cells

► knowing the “necessary cells” at compile time is **undecidable**

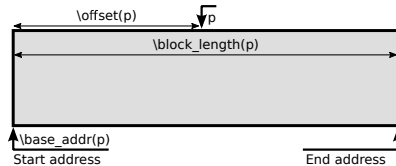
► partial solution implemented in E-ACSL; yet to be improved



- ▶ how to compile `\valid(p)` or `\initialize(p)`?
- ▶ standard solution: **shadow memory**
  - ▶ implemented in memory debuggers (e.g., Address Sanitizer)
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- ▶ E-ACSL's custom shadow memory [Vorobyov et al @ISMM 2017]
- ▶ issue: heavy encoding
- ▶ solution: dedicated **dataflow analysis** [Ly et al @HILT 2018]
  - ▶ monitor only the necessary memory locations



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- ▶ RAC is a compilation technique
  - ▶ efficient procedures for being both **efficient** and **sound**
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