Mandatory assignment 1: Traveling Salesman Problem

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September 20, 2017

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1 Introduction

Brief explanation of the assignment, how to start the programs

2 Exhaustive search

Start the program with

```
$ python3 Exhaustive.py european_cities.csv
```

The program will find the shortest tour between 6 - 10 cities. The program outputs

```
outputs

For n_cities = 6:

Best distance: 5018.809999999995

Best sequence: (0, 1, 4, 5, 2, 3)

Best order of travel: Barcelona Belgrade Bucharest Budapest Berlin Brussels Barcelona

For n_cities = 7:

Best distance: 5487.889999999999

Best sequence: (2, 6, 3, 0, 1, 4, 5)
```

Best order of travel: Berlin Copenhagen Brussels Barcelona Belgrade Bucharest Budapest Berlin

Time spent[seconds]: [0.002037, 0.015967, 0.134317, 1.310069, 13.964733]

The time used by the algorithm to find the best distance was measured. The time spent on solving TSP for six, seven, eight, nine and ten cities is shown in the last two lines of the program output and in figure 1.

Time taken as function of how many cities visited

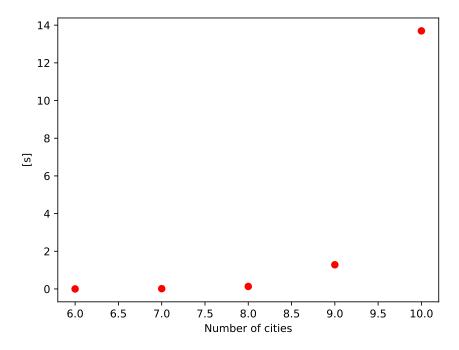


Figure 1: Time spent for the TSP algorithm

It can be seen that the time spent by the algorithm searching the TSP for n cities is roughly the time spent on calculating with n-1 cities multiplied by n. The time spent by the algorithm to search TSP for 24 cities can be calculated with

$$t_{10} \frac{24!}{10!} \approx 14s \cdot \frac{24!}{10!} \approx 2.4 \cdot 10^{18}$$

3 Hill Climbing

Compare with exhaustive for 10 cities, run algorithm 20 times, report best worst mean and standard deviation for 10 runs and 24 runs

4 Genetic algorithm

Report parameters used, report best worst mean and deviation of 20 runs with three different values for population size, plot of average fitness of best individual of each run

5 Hybrid algorithm

Use hill climber on each individual as part of the evaluation, report min max mean deviation and average fitness with both Lamarckian and Baldwinian learning models, Compare result with ${\rm GA}$