

## Data preprocessing

```
library(dplyr)

##
## Attaching package: 'dplyr'

## The following objects are masked from 'package:stats':
##
##     filter, lag

## The following objects are masked from 'package:base':
##
##     intersect, setdiff, setequal, union

library(readr)

# Read the data
nba_data <- read_csv("nba_final.csv")

## Rows: 1408 Columns: 45

## -- Column specification -----
## Delimiter: ","
## chr (9): Player.x, Player_ID, Pos1, Pos2, Tm, Season, Conference, Role, Play
## dbl (36): Rk, Age, G, GS, MP, FG, FGA, FG., X3P, X3PA, X3P., X2P, X2PA, X2P....
##
## i Use `spec()` to retrieve the full column specification for this data.
## i Specify the column types or set `show_col_types = FALSE` to quiet this message.

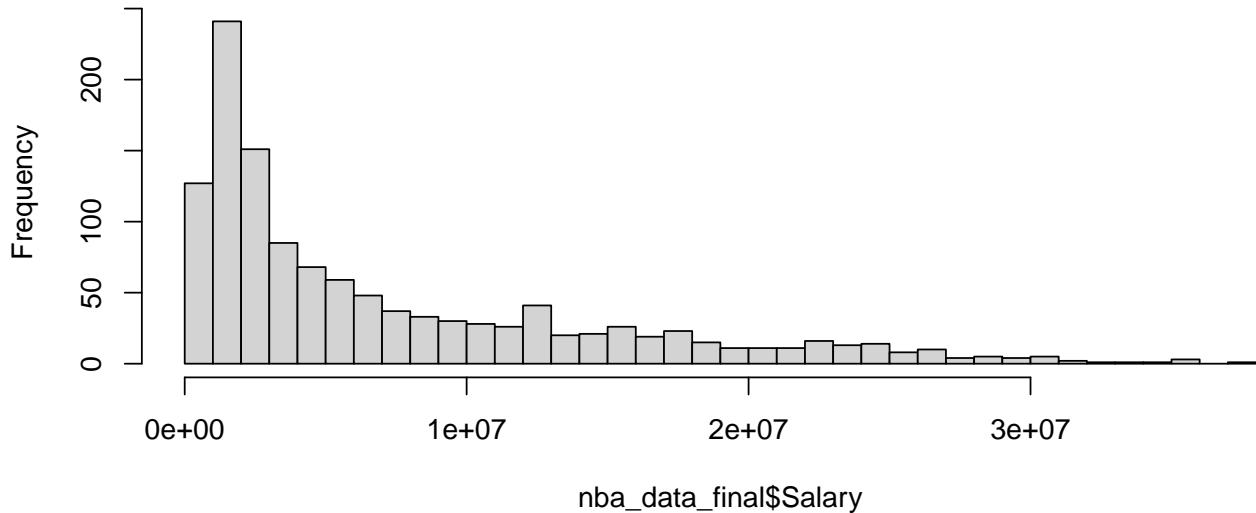
# Clean the data by removing observations with NA entries
nba_data_final <- nba_data %>%
  filter(!is.na(Age),
        !is.na(PTS),
        !is.na(AST),
        !is.na(TRB),
        !is.na(Pos1),
        !is.na(mean_views),
        Salary >0)

nba_data_final <- nba_data_final %>%
  mutate(Pos1 = factor(Pos1))
```

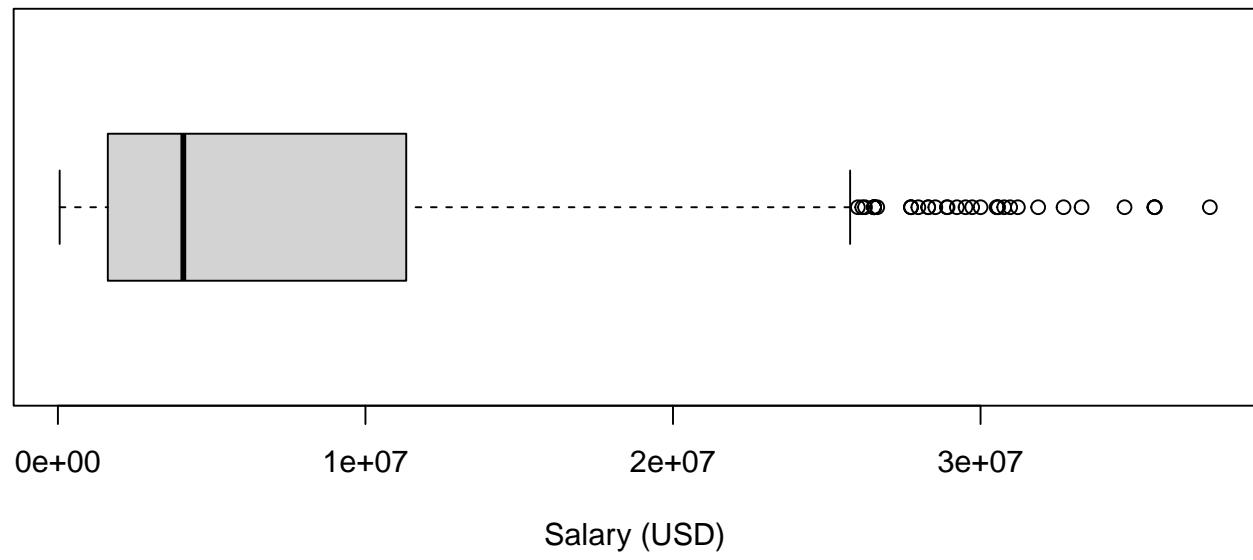
## EDA

```
# histogram of Salary
hist(nba_data_final$Salary, breaks = 30)
```

### Histogram of nba\_data\_final\$Salary



```
# boxplot of Salary  
boxplot(nba_data_final$Salary, xlab = "Salary (USD)", horizontal = TRUE)
```



```
# Salary vs each predictor  
par(mfrow = c(2, 3),  
mar = c(4, 4, 2, 1))  
  
plot(nba_data_final$Age, nba_data_final$Salary,  
main = "Salary vs Age",  
xlab = "Age",  
ylab = "Salary (USD)",  
pch = 16,           # Solid circle  
col = "steelblue")  
  
# Add linear regression line  
abline(lm(Salary ~ Age, data = nba_data_final), col = "red", lwd = 2)
```

```

# Scatter plot of Salary vs PTS
plot(nba_data_final$PTS, nba_data_final$Salary,
      main = "Salary vs Points (PTS)",
      xlab = "Points (PTS)",
      ylab = "Salary (USD)",
      pch = 16,
      col = "darkgreen")

# Add linear regression line
abline(lm(Salary ~ PTS, data = nba_data_final), col = "red", lwd = 2)

# Scatter plot of Salary vs AST
plot(nba_data_final$AST, nba_data_final$Salary,
      main = "Salary vs Assists (AST)",
      xlab = "Assists (AST)",
      ylab = "Salary (USD)",
      pch = 16,
      col = "purple")

# Add linear regression line
abline(lm(Salary ~ AST, data = nba_data_final), col = "red", lwd = 2)

# Scatter plot of Salary vs TRB
plot(nba_data_final$TRB, nba_data_final$Salary,
      main = "Salary vs Rebounds (TRB)",
      xlab = "Rebounds (TRB)",
      ylab = "Salary (USD)",
      pch = 16,
      col = "orange")

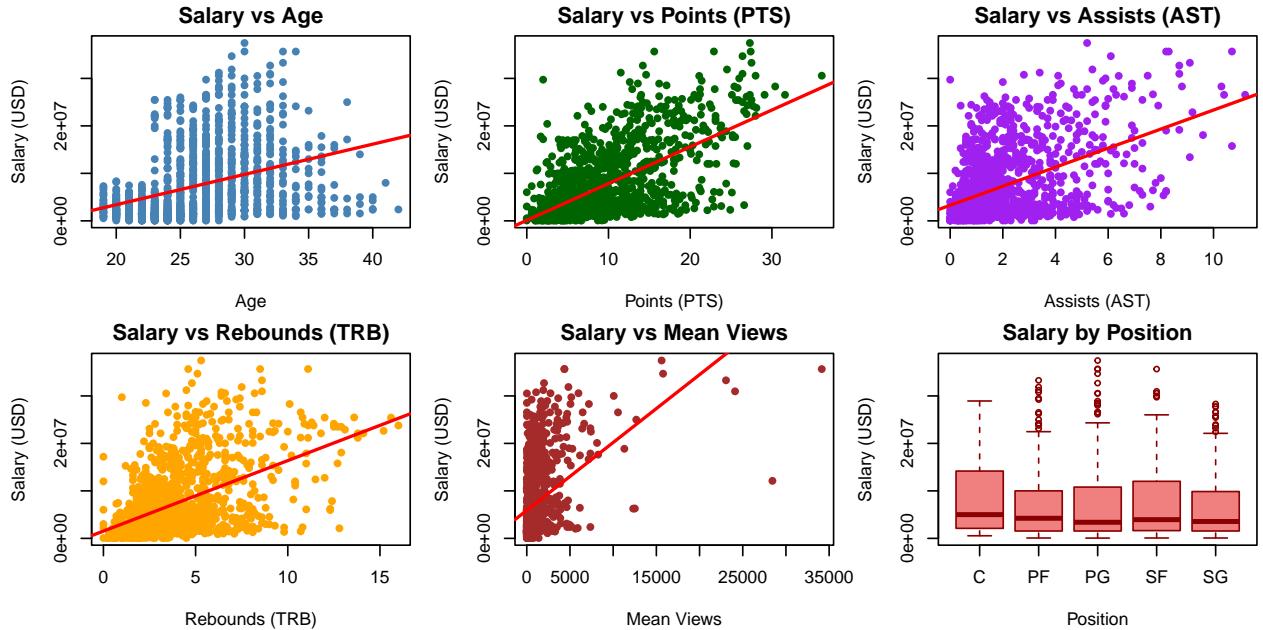
# Add linear regression line
abline(lm(Salary ~ TRB, data = nba_data_final), col = "red", lwd = 2)

# Scatter plot of Salary vs Mean Views
plot(nba_data_final$mean_views, nba_data_final$Salary,
      main = "Salary vs Mean Views",
      xlab = "Mean Views",
      ylab = "Salary (USD)",
      pch = 16,
      col = "brown")

# Add linear regression line
abline(lm(Salary ~ mean_views, data = nba_data_final), col = "red", lwd = 2)

# Boxplot of Salary by Position
boxplot(Salary ~ Pos1, data = nba_data_final,
        main = "Salary by Position",
        xlab = "Position",
        ylab = "Salary (USD)",
        col = "lightcoral",
        border = "darkred")

```



# Checking multicollinearity

```
predictor_fit <- lm(PTS ~ Age + AST + TRB + Pos1 + mean_views, data = nba_data_final)
summary(predictor_fit)
```

```
##
## Call:
## lm(formula = PTS ~ Age + AST + TRB + Pos1 + mean_views, data = nba_data_final)
##
## Residuals:
##      Min       1Q   Median       3Q      Max 
## -14.777  -1.854  -0.288   1.541  13.743 
##
## Coefficients:
##             Estimate Std. Error t value Pr(>|t|)    
## (Intercept) 0.2941110  0.6926241  0.425   0.6712    
## Age         -0.0568211  0.0223575 -2.541   0.0112 *  
## AST          1.6352396  0.0811068 20.162 < 2e-16 *** 
## TRB          1.2538118  0.0537110 23.344 < 2e-16 *** 
## Pos1PF       1.7681028  0.3023840  5.847 6.42e-09 *** 
## Pos1PG       1.1330273  0.4480789  2.529   0.0116 *  
## Pos1SF       2.8422595  0.3486863  8.151 8.91e-16 *** 
## Pos1SG       4.0517314  0.3554429 11.399 < 2e-16 *** 
## mean_views   0.0003406  0.0000495  6.881 9.53e-12 *** 
## ---        
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 3.308 on 1210 degrees of freedom
## Multiple R-squared:  0.7045, Adjusted R-squared:  0.7026 
## F-statistic: 360.6 on 8 and 1210 DF,  p-value: < 2.2e-16
```

## Fit the multiple regression model

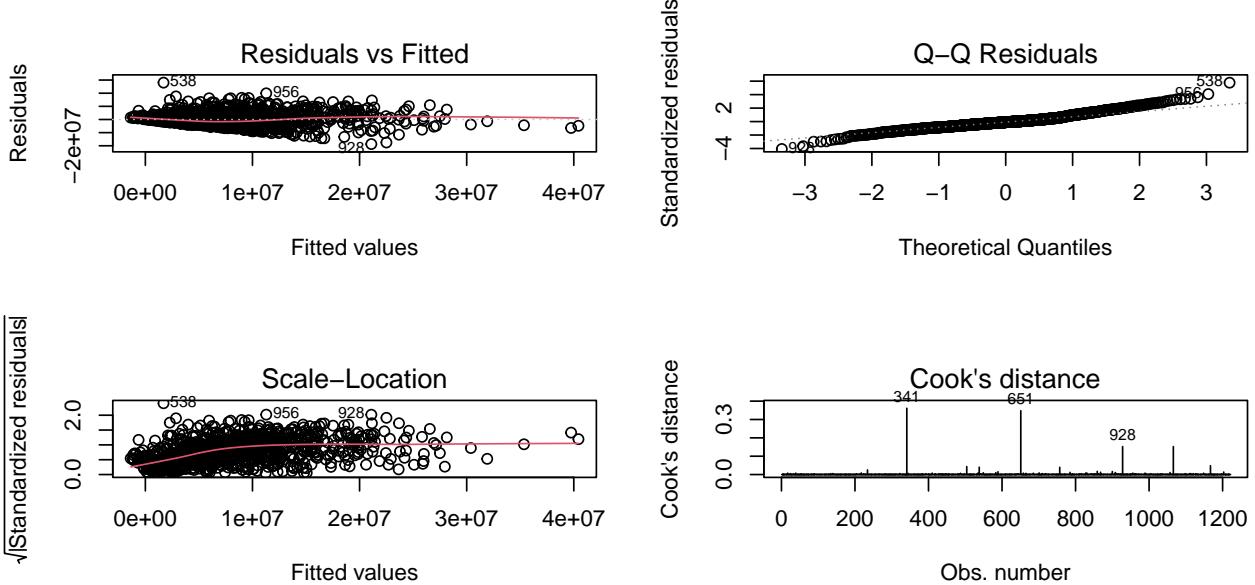
```
nba_model <- lm(Salary ~ Age * PTS + AST + TRB + Pos1 * mean_views, data = nba_data_final)

# View the summary of the model
summary(nba_model)

## 
## Call:
## lm(formula = Salary ~ Age * PTS + AST + TRB + Pos1 * mean_views,
##      data = nba_data_final)
##
## Residuals:
##    Min      1Q   Median      3Q     Max 
## -18703871 -2962849 -439232  2199038 28031207 
## 
## Coefficients:
##             Estimate Std. Error t value Pr(>|t|)    
## (Intercept) 648686.9  1665198.7   0.390  0.69693    
## Age          -26045.9    60542.9  -0.430  0.66712    
## PTS         -1328992.3   168174.5  -7.902 6.13e-15 *** 
## AST          705474.5   140025.7   5.038 5.42e-07 *** 
## TRB          424777.2   99265.2   4.279 2.02e-05 *** 
## Pos1PF       -537215.7   543403.3  -0.989  0.32305    
## Pos1PG       -2310005.5   706790.3  -3.268  0.00111 **  
## Pos1SF       -165652.1   596387.6  -0.278  0.78124    
## Pos1SG       -685450.3   617559.6  -1.110  0.26725    
## mean_views     677.6     337.4    2.008  0.04486 *   
## Age:PTS        70212.5    6328.9   11.094 < 2e-16 *** 
## Pos1PF:mean_views -536.5    370.3   -1.449  0.14767    
## Pos1PG:mean_views -558.5    352.2   -1.586  0.11308    
## Pos1SF:mean_views -608.0    351.4   -1.730  0.08385 .  
## Pos1SG:mean_views -894.5    414.8   -2.156  0.03124 *  
## --- 
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 
## 
## Residual standard error: 4900000 on 1204 degrees of freedom
## Multiple R-squared:  0.586, Adjusted R-squared:  0.5812 
## F-statistic: 121.7 on 14 and 1204 DF,  p-value: < 2.2e-16
```

## Diagnostic plots

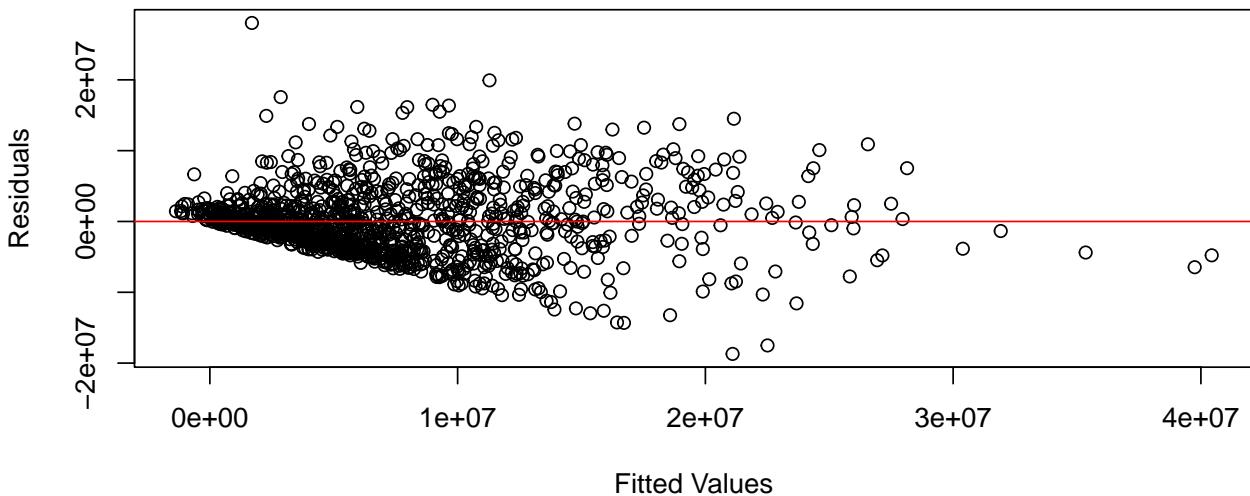
```
par(mfrow = c(2, 2))
plot(nba_model, which = c(1, 2, 3, 4))
```



```
# Closer look at diagnostic plots
par(mfrow = c(1,1))
residuals <- resid(nba_model)
fitted_values <- fitted(nba_model)

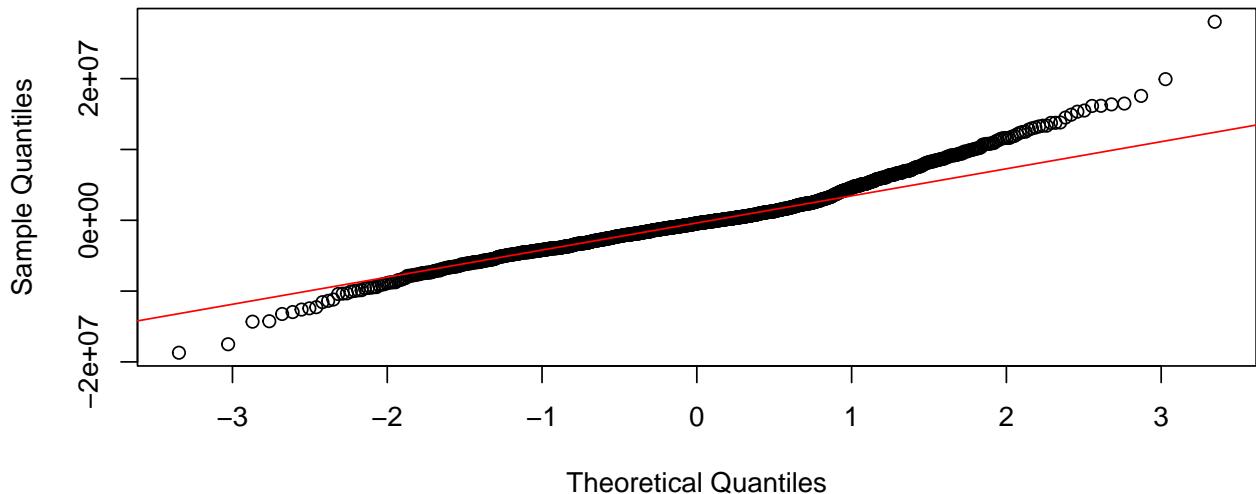
# Residuals vs Fitted
plot(fitted_values, residuals,
      xlab = "Fitted Values",
      ylab = "Residuals",
      main = "Residuals vs Fitted")
abline(h = 0, col = "red") # Horizontal line at zero
```

### Residuals vs Fitted



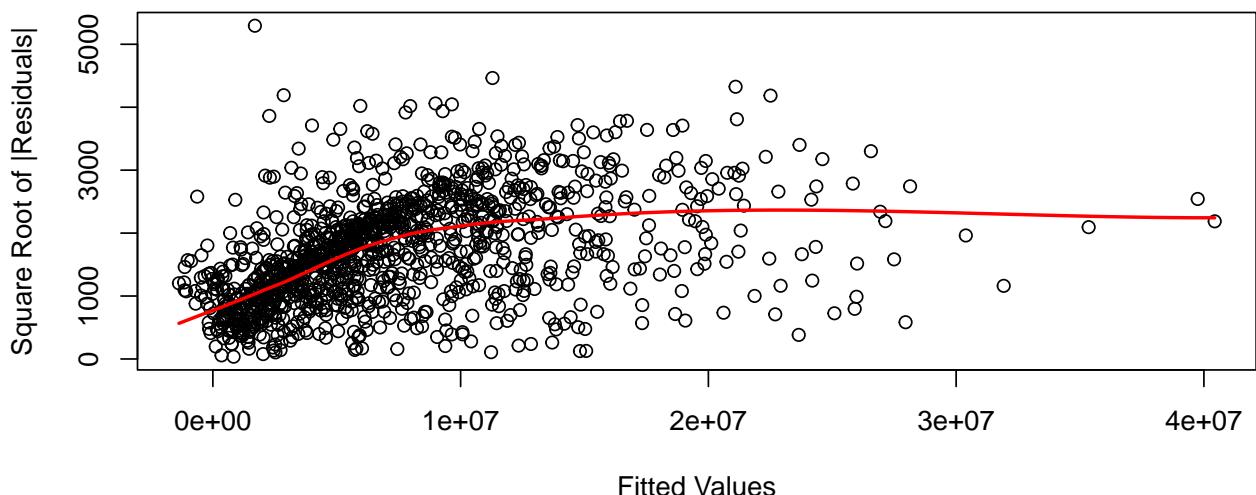
```
# Normal Q-Q Plot
qqnorm(residuals, main = "Normal Q-Q Plot")
qqline(residuals, col = "red")
```

## Normal Q-Q Plot



```
# Scale-Location Plot
sqrt_std_resid <- sqrt(abs(residuals)) # Square root of standardized residuals
plot(fitted_values, sqrt_std_resid,
      xlab = "Fitted Values",
      ylab = "Square Root of |Residuals|",
      main = "Scale-Location Plot")
lines(loess.smooth(fitted_values, sqrt_std_resid), col = "red", lwd = 2)
```

## Scale-Location Plot

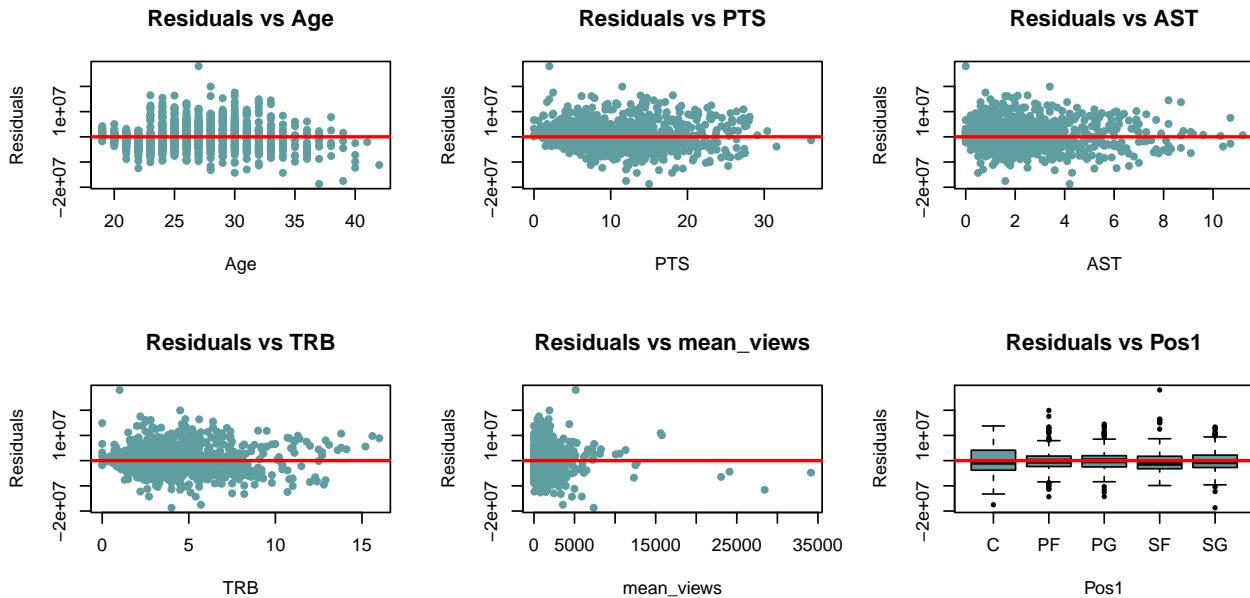


```
# residuals vs each predictor
predictors <- nba_data_final[, c("Age", "PTS", "AST", "TRB", "mean_views", "Pos1")] # Select predictors
par(mfrow = c(2, 3))
residuals <- resid(nba_model)
for (predictor in names(predictors)) {
  plot(predictors[[predictor]], residuals,
       xlab = predictor,
       ylab = "Residuals",
       main = paste("Residuals vs", predictor),
```

```

        col = "cadetblue", pch = 16)
abline(h = 0, col = "red", lwd = 2)
}

```



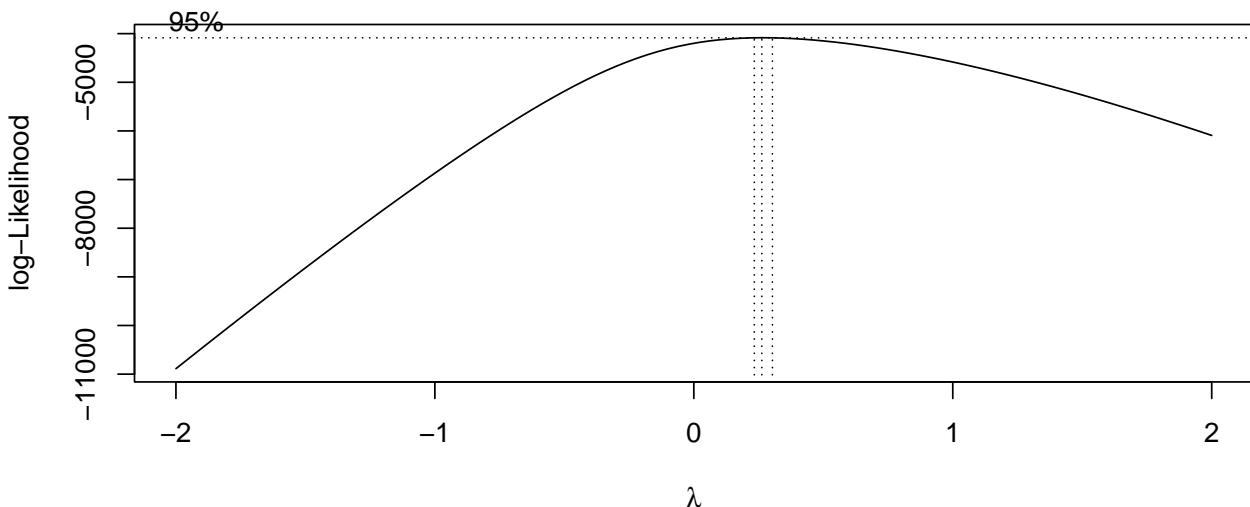
```
# Transformations
```

```
# Perform Box-Cox transformation
library(MASS)
```

```
##
## Attaching package: 'MASS'

## The following object is masked from 'package:dplyr':
##       select

# Apply Box-Cox transformation to find optimal lambda
boxcox_fit <- boxcox(nba_model, lambda = seq(-2, 2, 0.1))
```



```
lambda_optimal <- boxcox_fit$x[which.max(boxcox_fit$y)] # Extract the optimal lambda
lambda_optimal
```

```

## [1] 0.2626263

# Apply the transformation with the optimal lambda
lambda <- 0.3
if (lambda == 0) {
  nba_data_final$Salary_transformed <- log(nba_data_final$Salary)
} else {
  nba_data_final$Salary_transformed <- (nba_data_final$Salary^lambda - 1) / lambda
}

# transform AST
nba_data_final$Age_sq <- nba_data_final$Age^2

# transform mean_views
nba_data_final$log_mean_views <- log(nba_data_final$mean_views)

# Fit the model with the transformed variables
transformed_fit <- lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views,
                      data = nba_data_final)

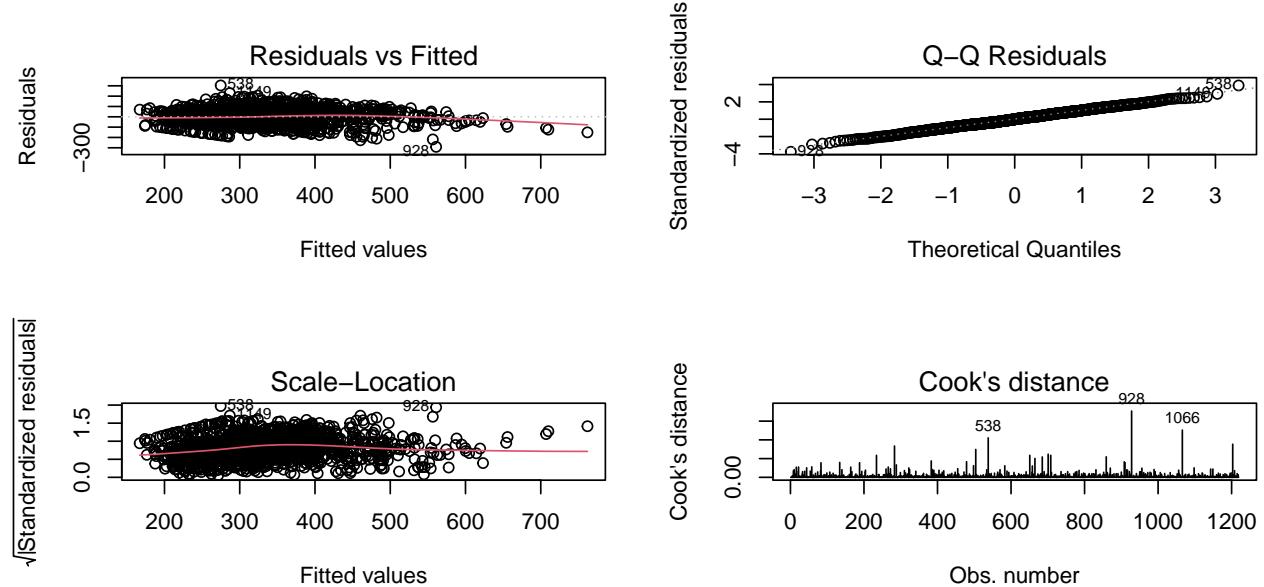
# Summary of the transformed model
summary(transformed_fit)

##
## Call:
## lm(formula = Salary_transformed ~ Age_sq * PTS + AST + TRB +
##     Pos1 * log_mean_views, data = nba_data_final)
##
## Residuals:
##      Min        1Q        Median        3Q        Max 
## -291.014   -51.107    -0.975    54.702   303.840 
## 
## Coefficients:
##                               Estimate Std. Error t value Pr(>|t|)    
## (Intercept)           126.696045  26.874071  4.714 2.71e-06 ***
## Age_sq                  0.103881   0.017436  5.958 3.35e-09 ***
## PTS                     1.563073   1.422574  1.099  0.2721    
## AST                     9.592956   2.252890  4.258 2.22e-05 ***
## TRB                     7.784957   1.567034  4.968 7.74e-07 ***
## Pos1PF                  8.949916   30.833570  0.290  0.7717    
## Pos1PG                 -53.954931  30.606064 -1.763  0.0782    
## Pos1SF                 -34.251729  29.971995 -1.143  0.2534    
## Pos1SG                  -3.415460  30.296690 -0.113  0.9103    
## log_mean_views            5.417214   3.835489  1.412  0.1581    
## Age_sq:PTS                0.008167   0.001816  4.498 7.52e-06 ***
## Pos1PF:log_mean_views   -3.770668   5.011034 -0.752  0.4519    
## Pos1PG:log_mean_views    2.207409   4.887976  0.452  0.6516    
## Pos1SF:log_mean_views    4.376313   4.844863  0.903  0.3666    
## Pos1SG:log_mean_views   -1.723499   4.940541 -0.349  0.7273    
## ---                        
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## 
## Residual standard error: 78.88 on 1204 degrees of freedom
## Multiple R-squared:  0.5562, Adjusted R-squared:  0.551
## F-statistic: 107.8 on 14 and 1204 DF,  p-value: < 2.2e-16

```

## Verify assumptions for transformed fit

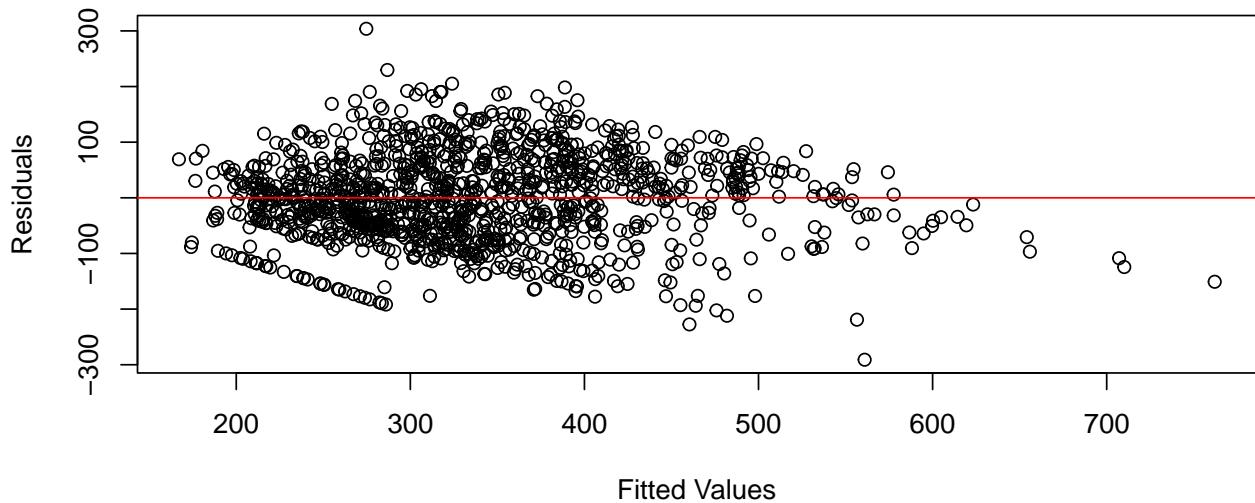
```
# Diagnostic plots
par(mfrow = c(2, 2))
plot(transformed_fit, which = c(1, 2, 3, 4))
```



```
# Closer look at diagnostic plots
par(mfrow = c(1,1))
residuals <- resid(transformed_fit)
fitted_values <- fitted(transformed_fit)
sresidual_values <- rstandard(transformed_fit)

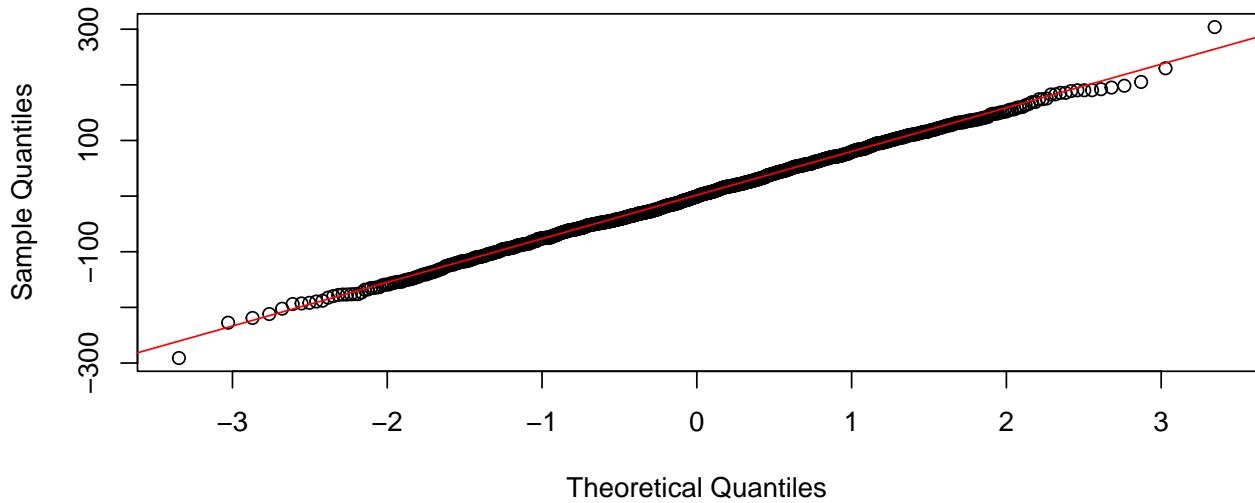
# Residuals vs Fitted
plot(fitted_values, residuals,
      xlab = "Fitted Values",
      ylab = "Residuals",
      main = "Residuals vs Fitted")
abline(h = 0, col = "red") # Horizontal line at zero
```

### Residuals vs Fitted



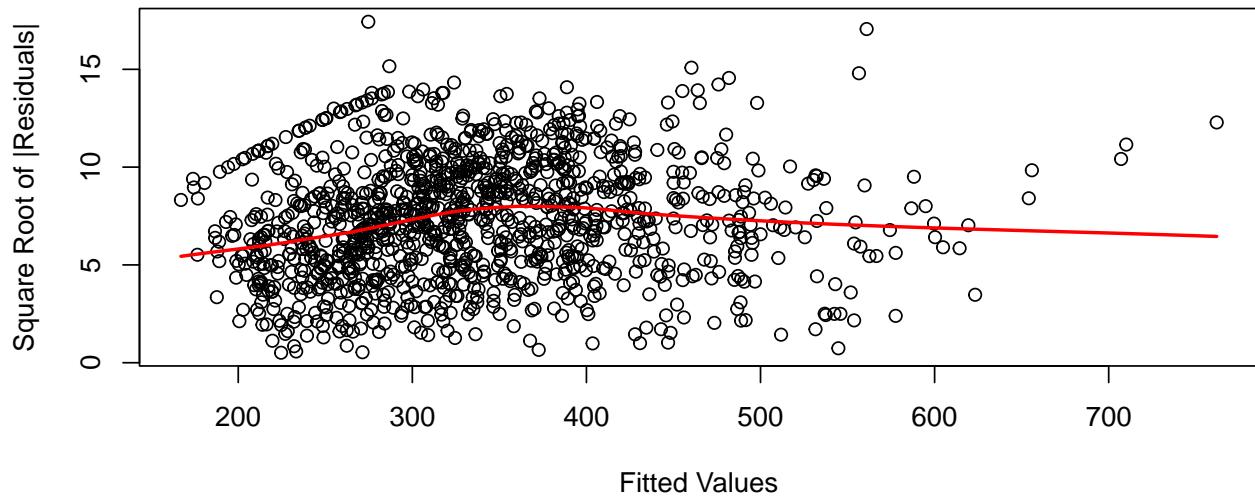
```
# Normal Q-Q Plot
qqnorm(residuals, main = "Normal Q-Q Plot")
qqline(residuals, col = "red")
```

### Normal Q-Q Plot



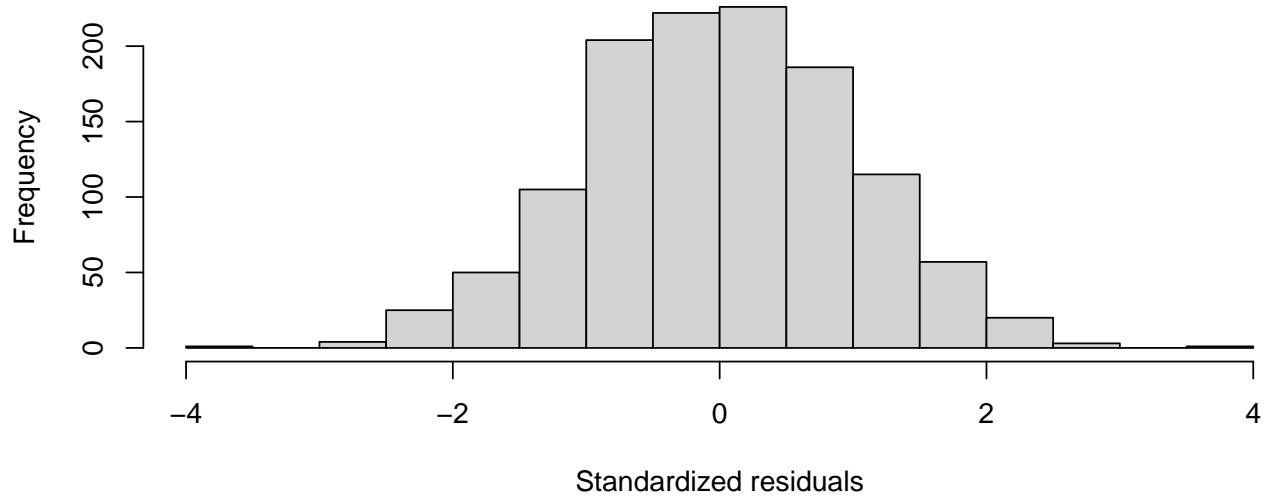
```
# Scale-Location Plot
sqrt_std_resid <- sqrt(abs(residuals)) # Square root of standardized residuals
plot(fitted_values, sqrt_std_resid,
      xlab = "Fitted Values",
      ylab = "Square Root of |Residuals|",
      main = "Scale-Location Plot")
lines(loess.smooth(fitted_values, sqrt_std_resid), col = "red", lwd = 2)
```

### Scale–Location Plot

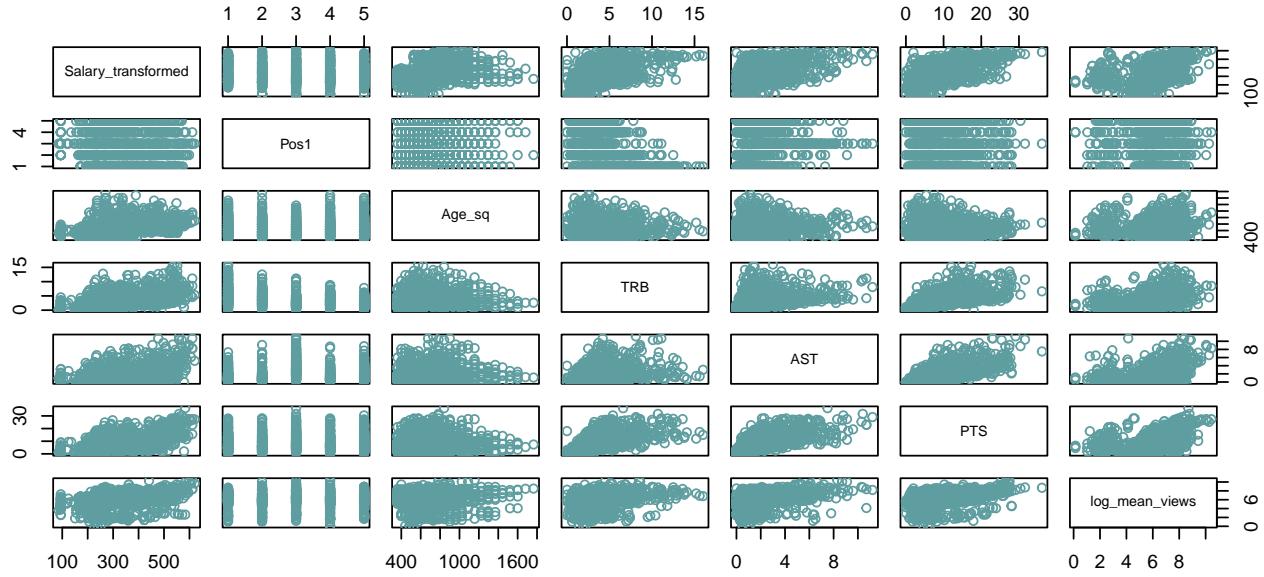


```
hist(sresidual_values,  
      main = "Standardized residuals histogram",  
      xlab = "Standardized residuals")
```

### Standardized residuals histogram



```
plot(nba_data_final[, c(46, 4, 47, 26, 27, 32, 48)], col="cadetblue")
```

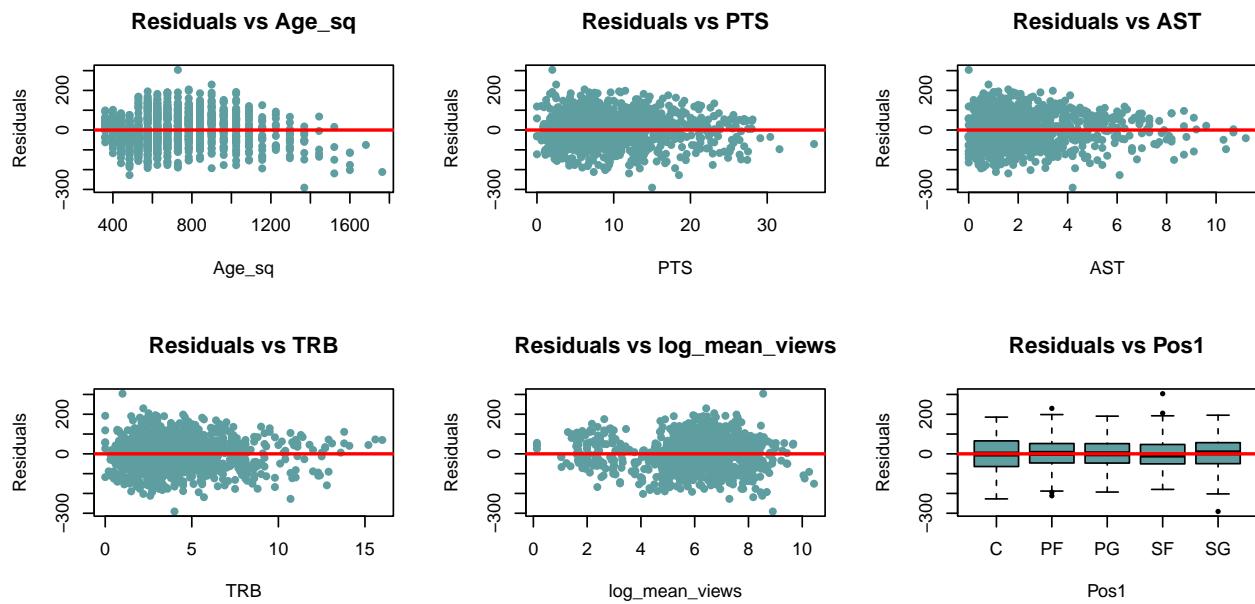


# residuals vs each predictor

```
predictors <- nba_data_final[, c("Age_sq", "PTS", "AST", "TRB", "log_mean_views", "Pos1")] # Select predictors
par(mfrow = c(2, 3))

residuals <- resid(transformed_fit)

for (predictor in names(predictors)) {
  plot(predictors[[predictor]], residuals,
       xlab = predictor,
       ylab = "Residuals",
       main = paste("Residuals vs", predictor),
       col = "cadetblue", pch = 16)
  abline(h = 0, col = "red", lwd = 2)
}
```



# full F-test

```

# Perform ANOVA to compare with the null model
fit_null <- lm(Salary_transformed ~ 1, data = nba_data_final) # Null model with only intercept
anova(fit_null, transformed_fit)

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ 1
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views
##   Res.Df   RSS Df Sum of Sq    F    Pr(>F)
## 1    1218 16879008
## 2    1204  7490792 14   9388216 107.78 < 2.2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

## Partial F-tests

```

# dropping Age_Sq:PTS
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq + PTS + AST + TRB + Pos1 * log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq + PTS + AST + TRB + Pos1 * log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views
##   Res.Df   RSS Df Sum of Sq    F    Pr(>F)
## 1    1205 7616678
## 2    1204  7490792 1    125886 20.234 7.515e-06 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# dropping Pos1:log_mean_views
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # not significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 * log_mean_views
##   Res.Df   RSS Df Sum of Sq    F    Pr(>F)
## 1    1208 7516863
## 2    1204  7490792 4    26071 1.0476 0.3813

# dropping Pos1
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

```

```

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq * PTS + AST + TRB + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df      RSS Df Sum of Sq      F    Pr(>F)
## 1     1212 7626125
## 2     1208 7516863  4     109262 4.3898 0.001582 **
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# dropping log_mean_views
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df      RSS Df Sum of Sq      F    Pr(>F)
## 1     1209 7600259
## 2     1208 7516863  1     83396 13.402 0.0002622 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# dropping TRB
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + Pos1 + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq * PTS + AST + Pos1 + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df      RSS Df Sum of Sq      F    Pr(>F)
## 1     1209 7671910
## 2     1208 7516863  1     155047 24.917 6.863e-07 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# dropping AST
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ Age_sq * PTS + TRB + Pos1 + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ Age_sq * PTS + TRB + Pos1 + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df      RSS Df Sum of Sq      F    Pr(>F)

```

```

## 1    1209 7634853
## 2    1208 7516863  1    117990 18.962 1.447e-05 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# dropping Age_sq
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ PTS + AST + TRB + Pos1 + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ PTS + AST + TRB + Pos1 + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df   RSS Df Sum of Sq   F   Pr(>F)
## 1    1210 9566390
## 2    1208 7516863  2   2049527 164.69 < 2.2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# dropping PTS
full_fit = lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
              data = nba_data_final)
reduced_fit = lm(Salary_transformed ~ PTS + AST + TRB + Pos1 + log_mean_views,
                 data = nba_data_final)
anova(reduced_fit, full_fit) # is significant

## Analysis of Variance Table
##
## Model 1: Salary_transformed ~ PTS + AST + TRB + Pos1 + log_mean_views
## Model 2: Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views
##   Res.Df   RSS Df Sum of Sq   F   Pr(>F)
## 1    1210 9566390
## 2    1208 7516863  2   2049527 164.69 < 2.2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

## Final model

```

final_model <- lm(Salary_transformed ~ Age_sq * PTS + AST + TRB + Pos1 + log_mean_views,
                  data = nba_data_final)
summary(final_model)

##
## Call:
## lm(formula = Salary_transformed ~ Age_sq * PTS + AST + TRB +
##     Pos1 + log_mean_views, data = nba_data_final)
##
## Residuals:
##      Min        1Q    Median        3Q       Max
## -297.720  -50.894   -0.838   55.624  314.776
##
## Coefficients:

```

```

##             Estimate Std. Error t value Pr(>|t|)
## (Intercept) 125.278572 16.828335 7.445 1.84e-13 ***
## Age_sq       0.102745  0.017398 5.905 4.57e-09 ***
## PTS          1.505158  1.414674 1.064 0.287559
## AST          9.694878  2.226404 4.355 1.45e-05 ***
## TRB          7.700196  1.542606 4.992 6.86e-07 ***
## Pos1PF      -12.698336  7.349789 -1.728 0.084295 .
## Pos1PG      -40.944888 10.733928 -3.815 0.000143 ***
## Pos1SF      -9.080352  8.578649 -1.058 0.290047
## Pos1SG      -13.662659  8.934200 -1.529 0.126463
## log_mean_views 5.842177  1.595834 3.661 0.000262 ***
## Age_sq:PTS   0.008243  0.001810  4.553 5.82e-06 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 78.88 on 1208 degrees of freedom
## Multiple R-squared: 0.5547, Adjusted R-squared: 0.551
## F-statistic: 150.5 on 10 and 1208 DF, p-value: < 2.2e-16

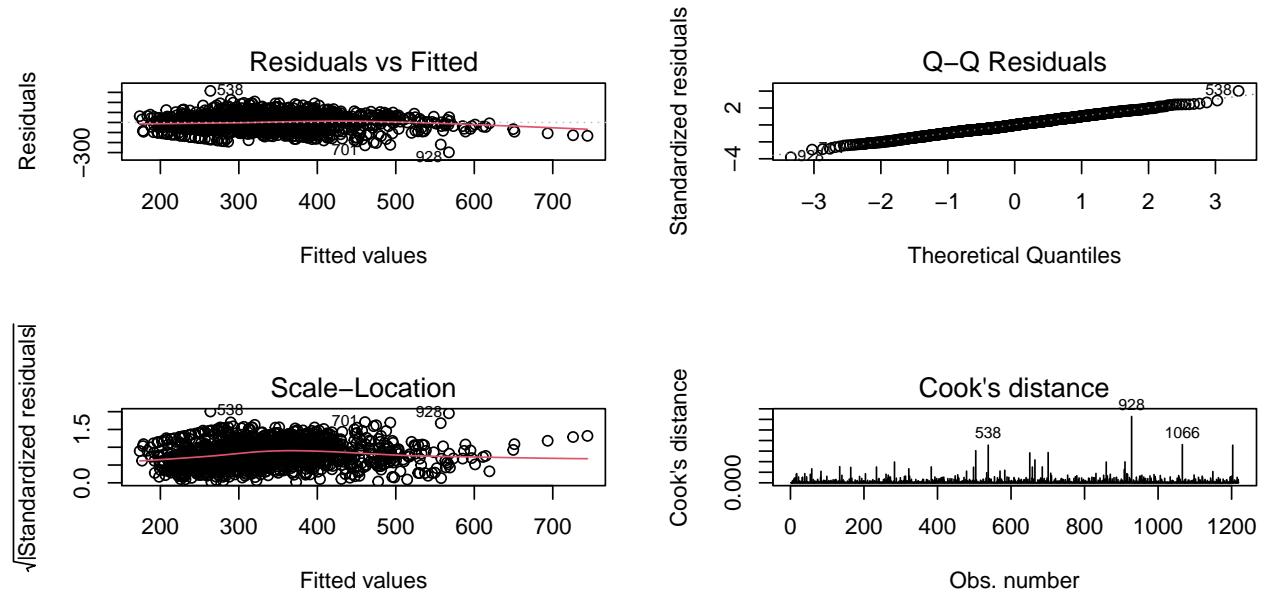
```

## Verifying assumptions for final model

```

par(mfrow = c(2, 2))
plot(final_model, which = c(1, 2, 3, 4))

```



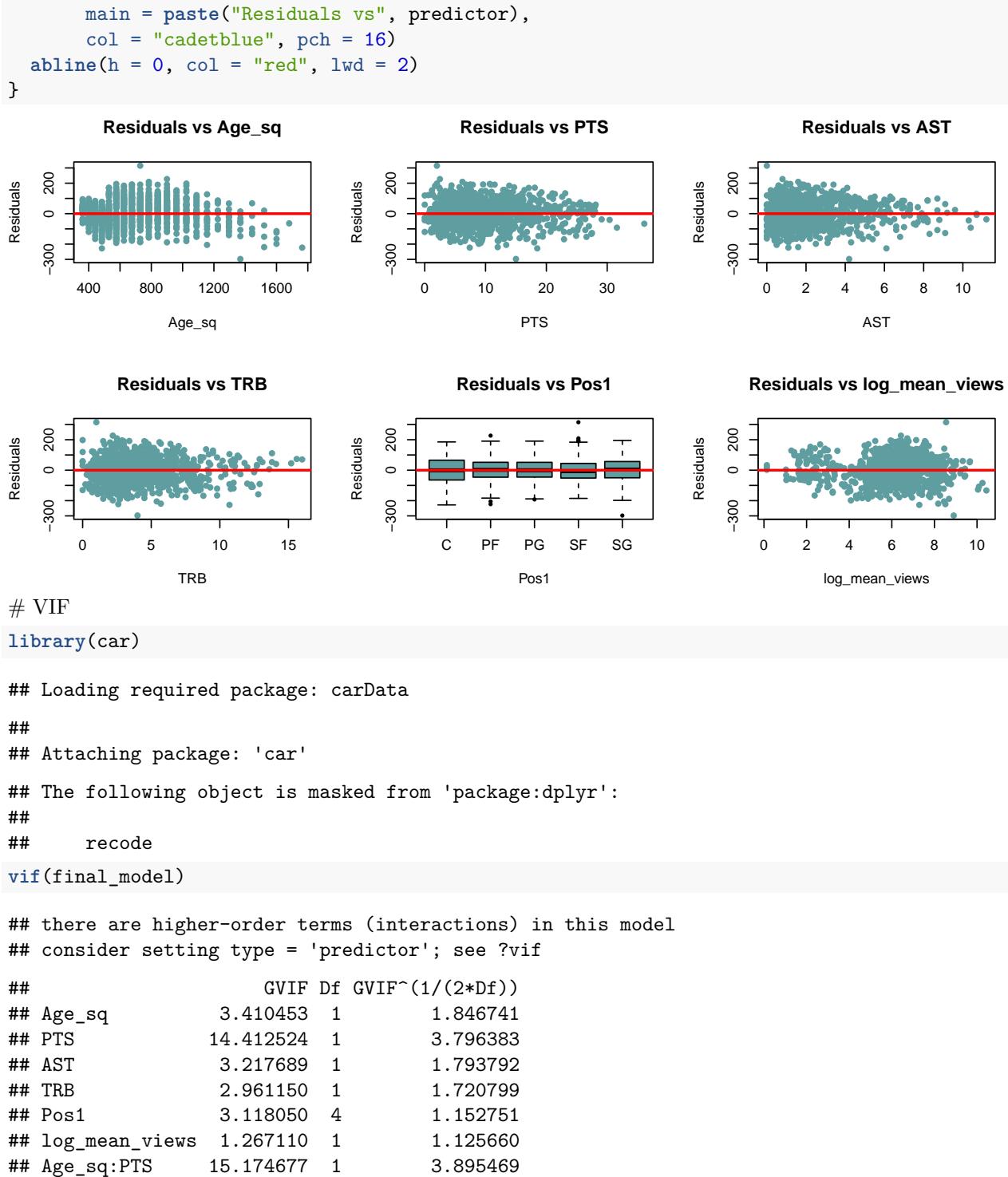
```

# residuals vs each predictor
predictors <- nba_data_final[, c("Age_sq", "PTS", "AST", "TRB", "Pos1", "log_mean_views")] # Select pr
par(mfrow = c(2, 3))

residuals <- resid(final_model)

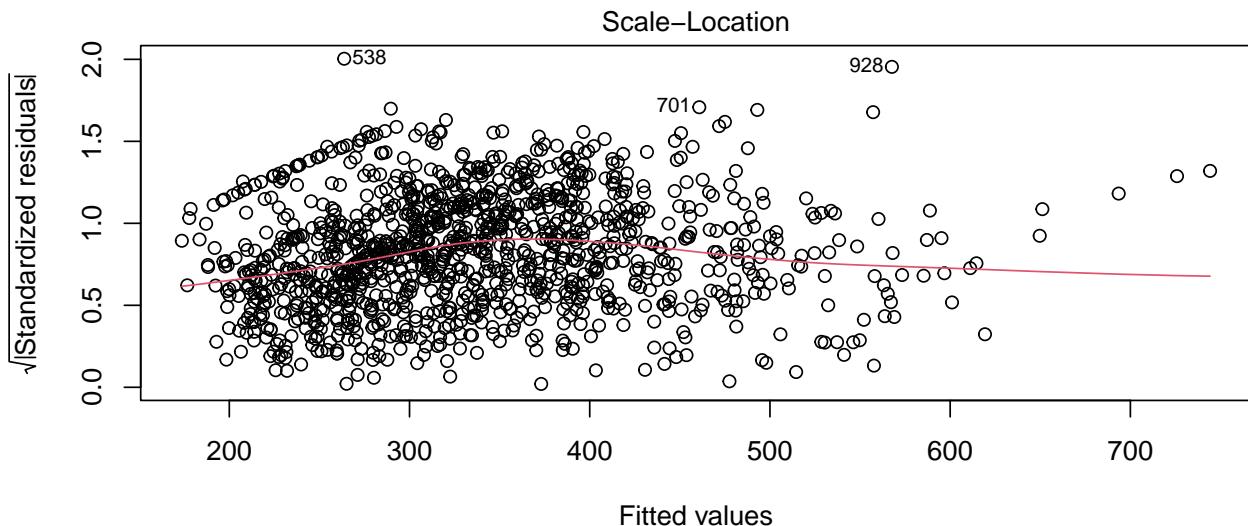
for (predictor in names(predictors)) {
  plot(predictors[[predictor]], residuals,
       xlab = predictor,
       ylab = "Residuals",

```



## Outliers, influential points, leverage points

```
# outliers
plot(final_model, which = c(3))
```



Fitted values  
lm(Salary\_transformed ~ Age\_sq \* PTS + AST + TRB + Pos1 + log\_mean\_views)

```

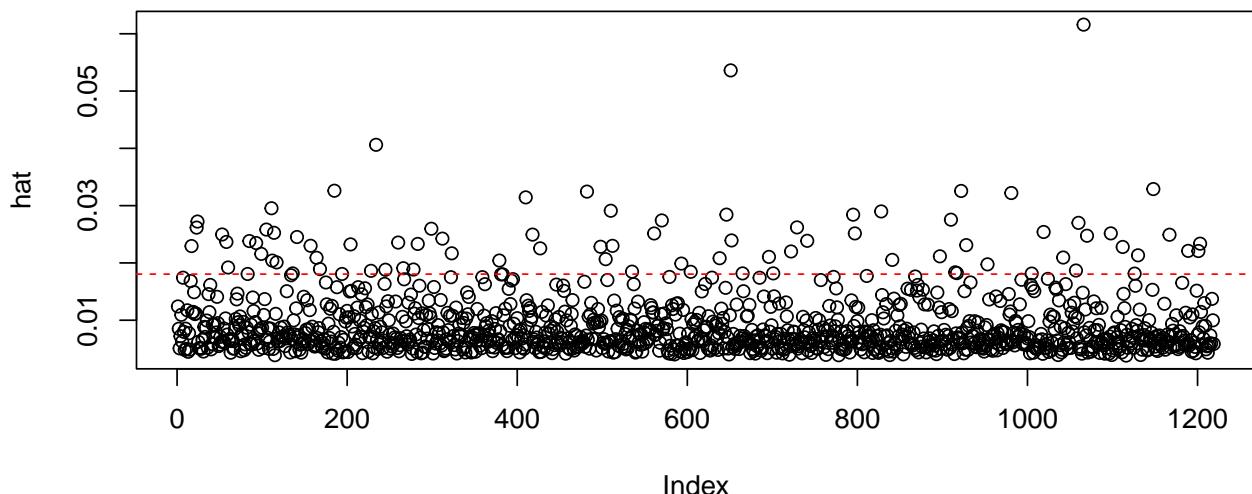
std_residuals <- rstandard(final_model)
outliers <- which(abs(std_residuals) > 4)
outliers

## 538
## 538
nba_data_final[538,]

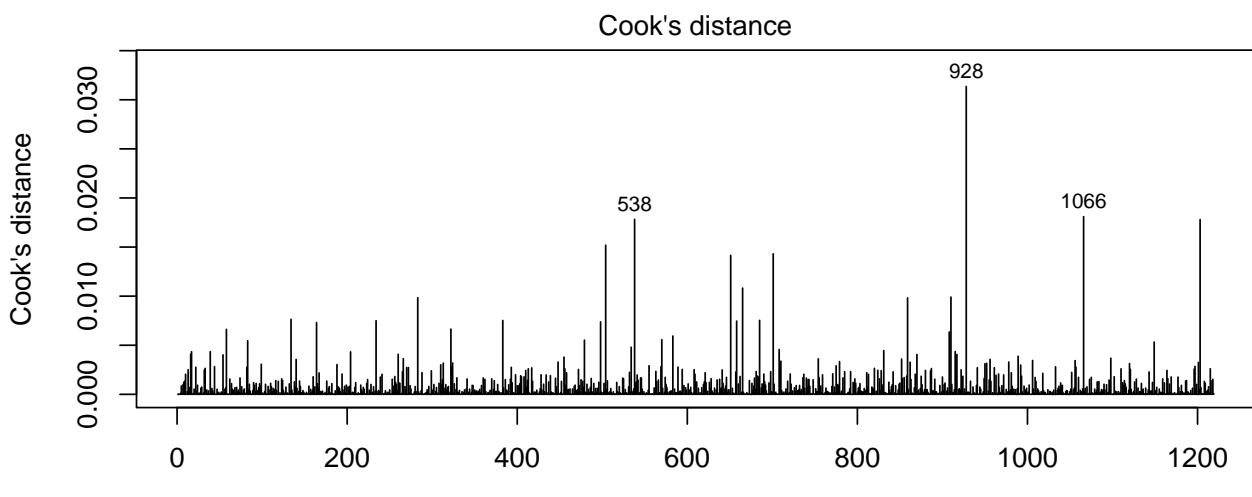
## # A tibble: 1 x 48
##   Rk Player.x Player_ID Pos1  Pos2    Age Tm      G   GS   MP    FG    FGA
##   <dbl> <chr>     <chr>   <fct> <chr> <dbl> <chr> <dbl> <dbl> <dbl> <dbl>
## 1  207 Gordon ~ haywago01 SF     <NA>    27 BOS     1     1     5     1     2
## # i 36 more variables: FG. <dbl>, X3P <dbl>, X3PA <dbl>, X3P. <dbl>, X2P <dbl>,
## #   X2PA <dbl>, X2P. <dbl>, eFG. <dbl>, FT <dbl>, FTA <dbl>, FT. <dbl>,
## #   ORB <dbl>, DRB <dbl>, TRB <dbl>, AST <dbl>, STL <dbl>, BLK <dbl>,
## #   TOV <dbl>, PF <dbl>, PTS <dbl>, Salary <dbl>, mean_views <dbl>,
## #   Season <chr>, Conference <chr>, Role <chr>, Fvot <dbl>, FRank <dbl>,
## #   Ptot <dbl>, PRank <dbl>, Mtot <dbl>, MRank <dbl>, Score <dbl>, Play <chr>,
## #   Salary_transformed <dbl>, Age_sq <dbl>, log_mean_views <dbl>

# high leverage points
hat <- hatvalues(final_model)
threshold <- 2 * mean(hat)
plot(hat)
abline(h = threshold, col = "red", lty = 2)

```



```
# influential points
plot(final_model, which = c(4))
```



Cook's distance  
Obs. number  
lm(Salary\_transformed ~ Age\_sq \* PTS + AST + TRB + Pos1 + log\_mean\_views)

```
nba_data_final[538,]
```

```
## # A tibble: 1 x 48
##   Rk Player.x Player_ID Pos1  Pos2     Age Tm      G    GS    MP    FG    FGA
##   <dbl> <chr>      <chr> <fct> <chr> <dbl> <chr> <dbl> <dbl> <dbl> <dbl>
## 1 207 Gordon ~ haywago01 SF    <NA>    27 BOS     1     1     5     1     2
## # i 36 more variables: FG. <dbl>, X3P <dbl>, X3PA <dbl>, X3P. <dbl>, X2P <dbl>,
## # X2PA <dbl>, X2P. <dbl>, eFG. <dbl>, FT <dbl>, FTA <dbl>, FT. <dbl>,
## # ORB <dbl>, DRB <dbl>, TRB <dbl>, AST <dbl>, STL <dbl>, BLK <dbl>,
## # TOV <dbl>, PF <dbl>, PTS <dbl>, Salary <dbl>, mean_views <dbl>,
## # Season <chr>, Conference <chr>, Role <chr>, Fvot <dbl>, FRank <dbl>,
## # Ptot <dbl>, PRank <dbl>, Mtot <dbl>, MRank <dbl>, Score <dbl>, Play <chr>,
## # Salary_transformed <dbl>, Age_sq <dbl>, log_mean_views <dbl>
```

```
nba_data_final[928,]
```

```
## # A tibble: 1 x 48
##   Rk Player.x Player_ID Pos1  Pos2     Age Tm      G    GS    MP    FG    FGA
```

```

##   <dbl> <chr>    <chr>      <fct> <chr> <dbl> <dbl> <dbl> <dbl> <dbl>
## 1   493 Dwyane ~ wadedw01 SG     <NA>     37 MIA      72    2  26.2  5.8 13.3
## # i 36 more variables: FG. <dbl>, X3P <dbl>, X3PA <dbl>, X3P. <dbl>, X2P <dbl>,
## #   X2PA <dbl>, X2P. <dbl>, eFG. <dbl>, FT <dbl>, FTA <dbl>, FT. <dbl>,
## #   ORB <dbl>, DRB <dbl>, TRB <dbl>, AST <dbl>, STL <dbl>, BLK <dbl>,
## #   TOV <dbl>, PF <dbl>, PTS <dbl>, Salary <dbl>, mean_views <dbl>,
## #   Season <chr>, Conference <chr>, Role <chr>, Fvot <dbl>, FRank <dbl>,
## #   Ptot <dbl>, PRank <dbl>, Mtot <dbl>, MRank <dbl>, Score <dbl>, Play <chr>,
## #   Salary_transformed <dbl>, Age_sq <dbl>, log_mean_views <dbl>
nba_data_final[1066,]

## # A tibble: 1 x 48
##   Rk Player.x Player_ID Pos1  Pos2    Age Tm       G   GS   MP    FG   FGA
##   <dbl> <chr>    <chr>    <fct> <chr> <dbl> <chr> <dbl> <dbl> <dbl> <dbl>
## 1   258 LeBron ~ jamesle01 SF     <NA>     34 LAL      55    55 35.2 10.1 19.9
## # i 36 more variables: FG. <dbl>, X3P <dbl>, X3PA <dbl>, X3P. <dbl>, X2P <dbl>,
## #   X2PA <dbl>, X2P. <dbl>, eFG. <dbl>, FT <dbl>, FTA <dbl>, FT. <dbl>,
## #   ORB <dbl>, DRB <dbl>, TRB <dbl>, AST <dbl>, STL <dbl>, BLK <dbl>,
## #   TOV <dbl>, PF <dbl>, PTS <dbl>, Salary <dbl>, mean_views <dbl>,
## #   Season <chr>, Conference <chr>, Role <chr>, Fvot <dbl>, FRank <dbl>,
## #   Ptot <dbl>, PRank <dbl>, Mtot <dbl>, MRank <dbl>, Score <dbl>, Play <chr>,
## #   Salary_transformed <dbl>, Age_sq <dbl>, log_mean_views <dbl>
```

## Inference

```

confidence_intervals <- confint(final_model)
print(confidence_intervals)

##                      2.5 %      97.5 %
## (Intercept) 92.262560759 158.29458310
## Age_sq        0.068610167  0.13687929
## PTS         -1.270333213  4.28064918
## AST          5.326829731 14.06292627
## TRB          4.673711440 10.72668139
## Pos1PF      -27.118106281  1.72143370
## Pos1PG      -62.004100958 -19.88567527
## Pos1SF      -25.911057565  7.75035351
## Pos1SG      -31.190931993  3.86561440
## log_mean_views  2.711263090  8.97309121
## Age_sq:PTS    0.004691395  0.01179549
```