class7_clustering_and_pca

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Clustering

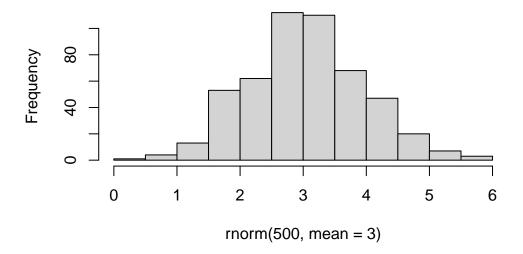
We can use **rnorm()** function to get random numbers around a normal distribution around a given **mean**.

```
# Creating a normal distribution
rnorm(15)

[1] -0.3098466   0.4085639 -0.9747739 -0.8824962 -0.1643940 -0.7714472
[7] -0.5877213   0.1176065 -1.1944430   1.9813439   1.1339639 -1.0779714
[13] -1.3324098 -0.5511356   0.7148234

# Creating histograms of a normal distribution around a given mean
hist( rnorm(500, mean = 3))
```

Histogram of rnorm(500, mean = 3)



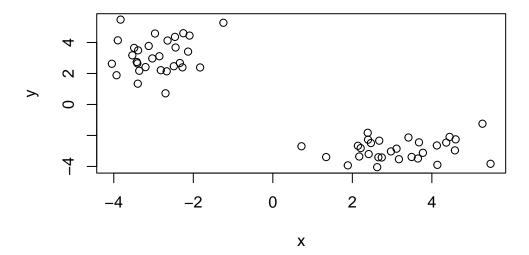
For 30 points with a mean of 3 and -3:

```
c(rnorm(30, mean = 3), rnorm(30, mean = -3))
 [1]
     3.583968 4.034051
                         3.688673 4.007489
                                              3.767139
                                                        1.793775
                                                                  3.754956
     2.376047
               2.818405
                         3.712174
                                   2.718872
                                              1.472650
                                                        2.444981
                                                                  3.169642
[15]
     2.754872
               4.004947
                         3.670301
                                   3.950462
                                              1.841681
                                                        2.849258
                                                                  2.473323
[22]
     3.544672
               3.602902 1.273280
                                   4.319420
                                              2.664497
                                                        1.534684
                                                                  2.147134
[29]
     2.768336 4.290680 -3.569709 -2.636965 -2.649003 -2.858358 -3.558958
[36] -3.127669 -3.632878 -2.938856 -2.714940 -1.354439 -2.561094 -3.676179
[43] -4.603782 -4.364091 -3.349084 -3.528944 -2.483600 -2.607692 -2.846106
[50] -2.985987 -2.513796 -2.251724 -3.411291 -4.696540 -4.191590 -5.200585
[57] -1.792775 -3.149812 -3.308138 -1.666350
```

Those same points, but putting them together:

```
data <- c(rnorm(30, mean = 3), rnorm(30, mean = -3))
combined_data <- cbind(x = data, y = rev(data))

# What does it look like?
plot(combined_data)</pre>
```



K-means clustering

Popular clustering method (especially for big datasets) that we can use with kmeans() function in base R.

```
km <- kmeans(combined_data, centers = 2)
km</pre>
```

K-means clustering with 2 clusters of sizes 30, 30

Cluster means:

```
x y
1 3.169197 -2.908822
2 -2.908822 3.169197
```

Clustering vector:

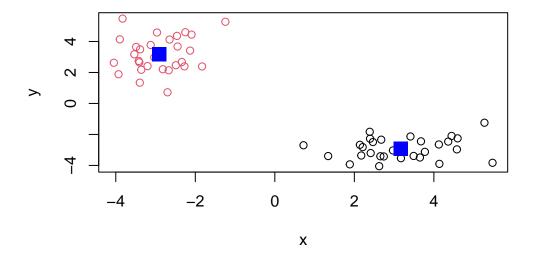
Within cluster sum of squares by cluster:

```
[1] 50.32017 50.32017 (between_SS / total_SS = 91.7 %)
```

Available components:

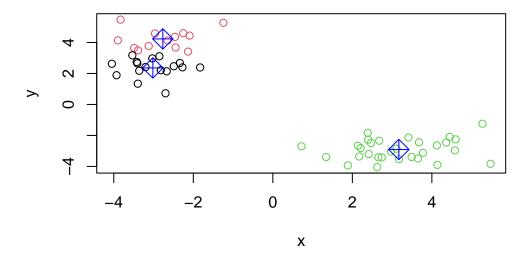
```
[1] "cluster" "centers" "totss" "withinss" "tot.withinss" [6] "betweenss" "size" "iter" "ifault"
```

kmeans() practice



Q. Clustering into 3 groups on same combined_data and make a plot:

```
km3 <- kmeans(combined_data, centers = 3)
plot(combined_data, col = km3$cluster)
points(km3$centers, col = "blue", pch = 9, cex = 2)</pre>
```



Hierarchical Clustering

We can use hclust() for hierarchical clustering. Unlike kmeans() where we could just pass in our data as input, we need to give hclust() a "distance matrix".

We will use the dist() function to start with.

```
d <- dist(combined_data)
hc <- hclust(d)
hc</pre>
```

Call:

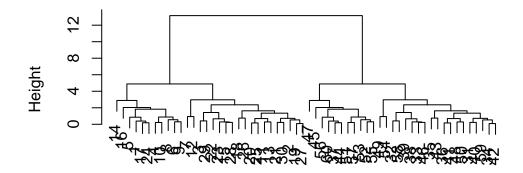
hclust(d = d)

Cluster method : complete
Distance : euclidean

Number of objects: 60

```
plot(hc)
```

Cluster Dendrogram



d hclust (*, "complete")

I can now "cut" my tree with the cutree() to yield a cluster membership vector.

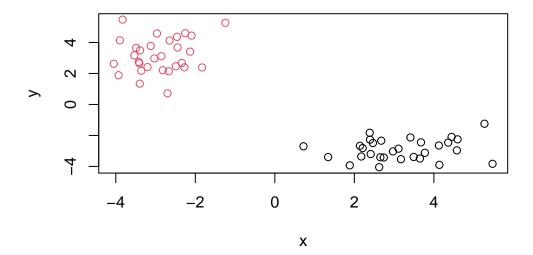
```
grps <- cutree(hc, h = 8)</pre>
```

You can also tell cutree() to cut where it yields "k" groups.

```
cutree(hc, k = 2)
```

Plotting these points with color:

```
plot(combined_data, col = grps)
```



Principal Componenet Analysis (PCA)

```
# Importing UK food data
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url)

# Q1. How many rows and columns are there in this dataframe?
dim(x)</pre>
```

[1] 17 5

Checking our data, noticing how the row names are incorrectly set as the first column head(x)

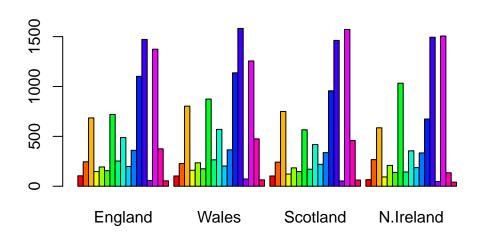
	Х	England	Wales	Scotland	N.Ireland
1	Cheese	105	103	103	66
2	Carcass_meat	245	227	242	267
3	Other_meat	685	803	750	586
4	Fish	147	160	122	93

```
5 Fats_and_oils 193 235 184 209
6 Sugars 156 175 147 139
```

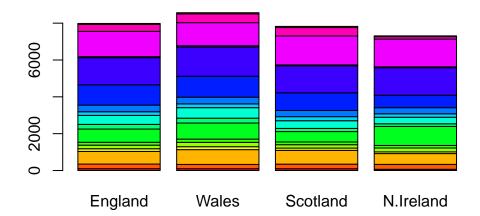
Q2. Let's fix this by setting the first column. Note that this method is preferred, as i
x <- read.csv(url, row.names=1)
head(x)</pre>

	England	Wales	${\tt Scotland}$	${\tt N.Ireland}$
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

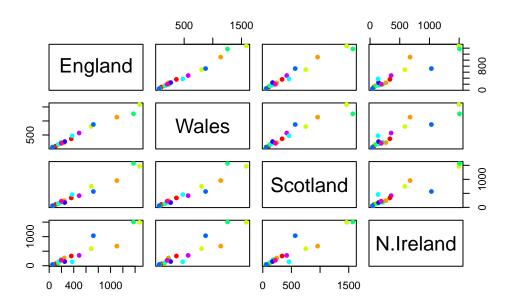
```
# Beginning to visualize the data
barplot(as.matrix(x), beside=T, col=rainbow(nrow(x)))
```



Q3. Leaving out the `beside` argument will generate the desired plot, as it is FALSE by barplot(as.matrix(x), col=rainbow(nrow(x)))



Q5. Generating pairwise plots. From the top left box going horizontal, England is the Y pairs(x, col=rainbow(10), pch=16)



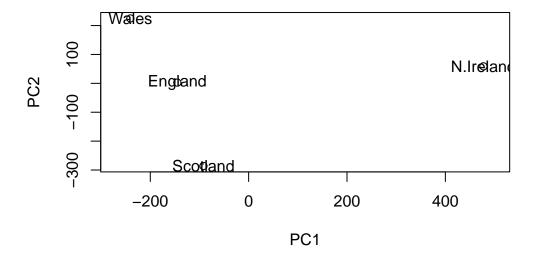
Q6. Looking at N. Ireland, their cyan, blue, and orange dots tend to not be on the diagonal compared to other pairings.

```
# Making sense with PCA
pca <- prcomp( t(x) )
summary(pca)</pre>
```

Importance of components:

```
PC1 PC2 PC3 PC4
Standard deviation 324.1502 212.7478 73.87622 4.189e-14
Proportion of Variance 0.6744 0.2905 0.03503 0.000e+00
Cumulative Proportion 0.6744 0.9650 1.00000 1.000e+00
```

```
# Q7. PC1 vs PC2 visualization
plot(pca$x[,1], pca$x[,2], xlab="PC1", ylab="PC2", xlim=c(-270,500))
text(pca$x[,1], pca$x[,2], colnames(x))
```



```
# Coloring them in
plot(pca$x[,1], pca$x[,2], xlab="PC1", ylab="PC2", xlim=c(-270,500))
text(pca$x[,1], pca$x[,2], colnames(x), col = c("orange", "red", "blue", "green"))
```

