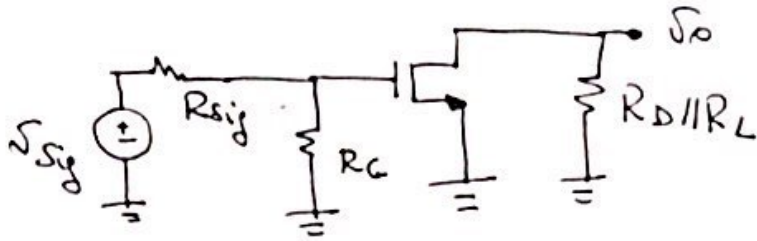


In class problem - Lecture 19

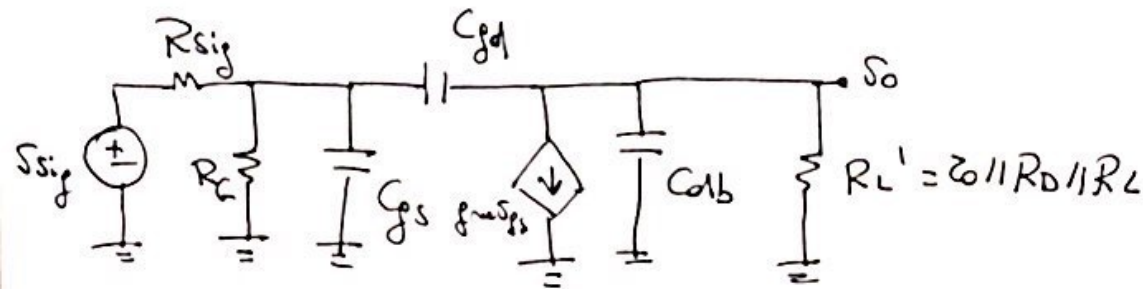
AC - CIRCUIT AT HIGH FREQUENCY

(1)

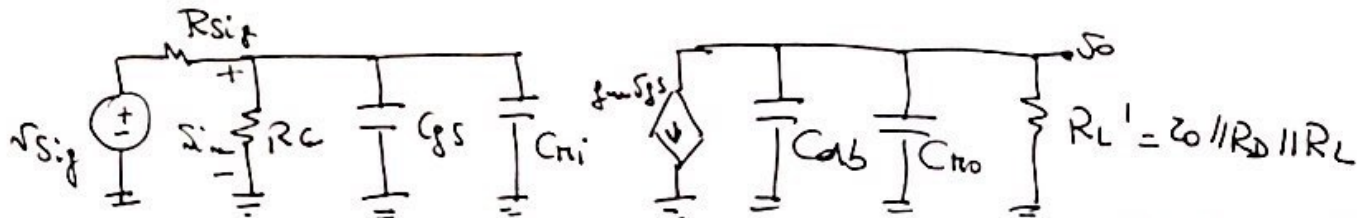


The circuit is obtained by replacing coupling and bypass capacitors with short-circuits.

Small signal equivalent circuit at high frequency

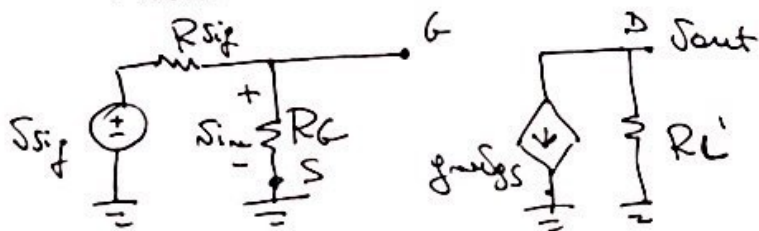


C_{gd} is a capacitor between the input and the output. We can use the Miller's theorem to simplify the circuit.



We have 2 capacitors: $C_{in} = C_{gs} + C_{mi}$ and $C_{out} = C_{db} + C_{no}$ yielding 2 upper corner fop.
 $C_{mi} = C_{gd}(1 - A_v)$ $C_{no} = C_{gd}\left(1 - \frac{1}{A_v}\right)$ $A_v = \frac{S_o}{S_{in}}$

To calculate the midband gain we need to use the circuit below:



$$A_v = \frac{S_o}{S_{in}}$$

$$S_o = -g_m V_{gs} R_L'$$

$$V_{gs} = S_{in} \Rightarrow A_v = -g_m R_L'$$

This midband circuit can be obtained from the high-frequency small-signal circuit by replacing the FET capacitors with open circuits.

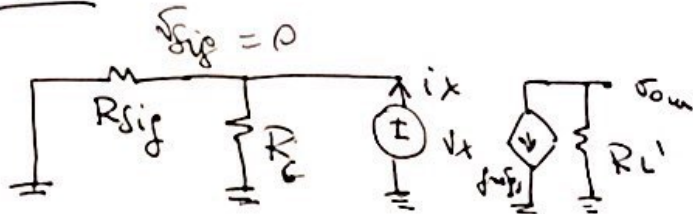
Thus $C_{mi} = C_{gd} (1 + g_m R_{L'})$ and $C_{mo} = C_{gd} \left(1 + \frac{1}{g_m R_{L'}} \right)$ (2)

The two upper corner frequencies to be determined are

$$f_{Hi} = \frac{1}{2\pi (C_{gs} + C_{mi}) (R_{pi})}$$

$$f_{Ho} = \frac{1}{2\pi (C_{db} + C_{mo}) (R_{po})}$$

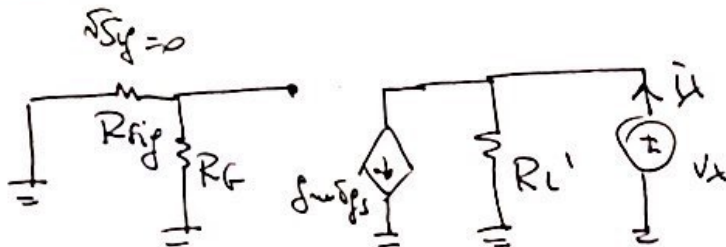
f_{Hi}



$$R_{pi} = \frac{v_x}{i_x} = R_{sig} \parallel R_G$$

$$f_{Hi} = \frac{1}{2\pi [C_{gs} + C_{gd} (1 + g_m R_{L'})] (R_{sig} \parallel R_G)}$$

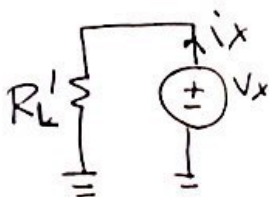
f_{Ho}



$$R_{po} = \frac{v_x}{i_x}$$

$$v_{gs} = 0 \Rightarrow g_m v_{gs} = 0$$

Thus



$$R_{po} = R_{L'}$$

$$f_{Ho} = \frac{1}{2\pi [C_{db} + C_{gd} \left(1 + \frac{1}{g_m R_{L'}} \right)] \cdot R_{L'}}$$