



Swiss Federal Institute of Technology Zurich

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Statistics

Department of Mathematics

Semester Paper

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Missing Data: Empirical Comparison between
Imputation and Nearest Neighbors Algorithms

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To the *R* community and *ESS* developers for their contribution.

Abstract

Incomplete or missing data are common in scientific works, and the most common solution to cope with them is the simply to discard them. However, this might lead to bias in the conclusion. This semester paper summaries modern methods and offers an empirical comparison of the packages *amelia*, *imputeKnn*, *mi*, *mice*, *softimpute* with the statistical software R.

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Notation

Explain your symbols and abbreviations.

Chapter 1

Introduction

Description of the work. Prepare the reader for the following chapters.

You will cite literature here, typically

Chapter 2

First Chapter

2.1 To include a picture

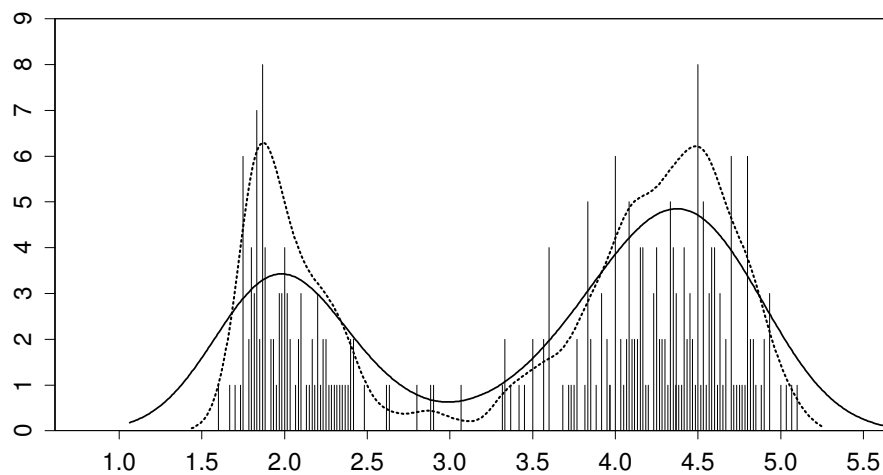


Figure 2.1: Old Faithful Geyser eruption lengths, $n = 272$; binned data and two (Gaussian) kernel density estimates ($\times 10$) with $h = h^* = .3348$ and $h = .1$ (dotted).

Or also with `includegraphics`:

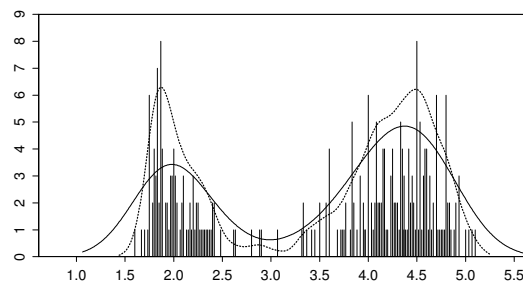


Figure 2.2: Old Faithful Geyser eruption lengths, $n = 272$; binned data and two (Gaussian) kernel density estimates ($\times 10$) with $h = h^* = .3348$ and $h = .1$ (dotted).

2.2 To make a proof

Proof. $1 + 1 = 2$

□

2.3 To include R code

See information in Appendix ??.

2.4 Other information

Put a text between quotes: make sure to use nice quotes, such as “quote”.

Cite a document in the bibliography (an example here): ?. Or mention that ? (a person) or ? (two persons) have already done quite a bit work.

Referencing a different part of your work: please refer to Appendix ??.

Chapter 3

First Chapter

3.1 To include a picture

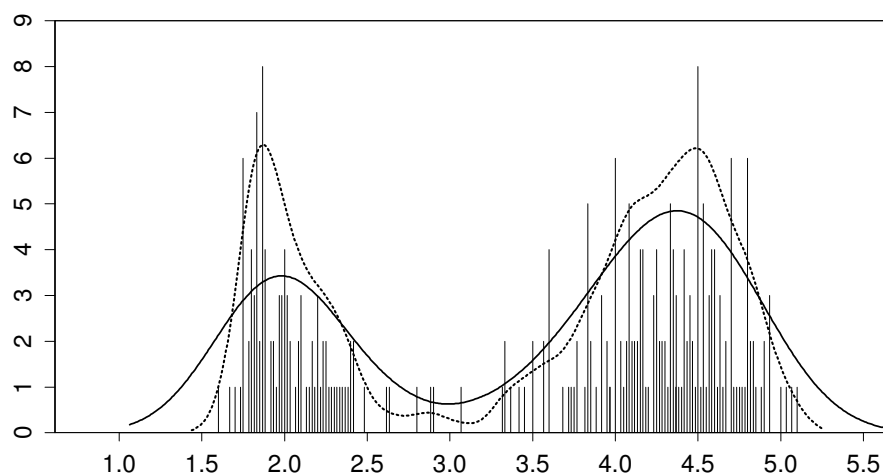


Figure 3.1: Old Faithful Geyser eruption lengths, $n = 272$; binned data and two (Gaussian) kernel density estimates ($\times 10$) with $h = h^* = .3348$ and $h = .1$ (dotted).

Or also with `includegraphics`:

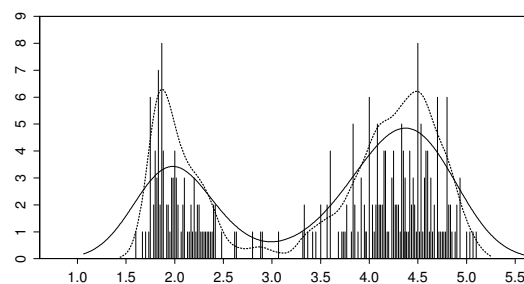


Figure 3.2: Old Faithful Geyser eruption lengths, $n = 272$; binned data and two (Gaussian) kernel density estimates ($\times 10$) with $h = h^* = .3348$ and $h = .1$ (dotted).

3.2 To make a proof

Proof. $1 + 1 = 2$

□

3.3 To include R code

See information in Appendix ??.

3.4 Other information

Put a text between quotes: make sure to use nice quotes, such as “quote”.

Cite a document in the bibliography (an example here): ?. Or mention that ? (a person) or ? (two persons) have already done quite a bit work.

Referencing a different part of your work: please refer to Appendix ??.

Chapter 4

Summary

Summarize the presented work. Why is it useful to the research field or institute?

4.1 Future Work

Possible ways to extend the work.

Bibliography

Author, F. and S. Author (year of publication). Title of the article. *Journal where the article has been published volume of the journal*(issue number), firstpage–lastpage.

Hampel, F. R. (1985). The breakdown points of the mean combined with some rejection rules. *Technometrics* 27(2), 95–107.

Stahel, W. and S. Weisberg (1991). *Directions in Robust Statistics and Diagnostics, 2 vol.* N. Y.: Springer-Verlag.

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