Local Interpretation and LIME

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April 28, 2021

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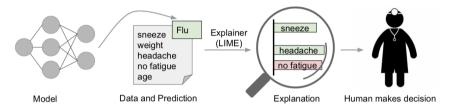
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Introduction

Local Feature Importance

- I want to know *why* a particular prediction was made.
- Don't care that x_1 (say age) is generally important to the prediction function.
- I want to know why f(x) = DENY LOAN.
- e.g. Perhaps when $x_2 = Bad Credit$, x_1 is irrelevant.
- If my loan was denied, I may also want to know
 - what can I change to improve my score, according to your function f?
- The methods we talk about today are about local feature importance
 - But they can be aggregated back to global importance scores

Idea of local interpretability



- Model makes prediction for diagnosis given observations.
- "Explanation" highlights symptoms that provide most evidence for and against the prediction.
- Helps human decide whether to trust prediction.
- By looking at many such explanations, can we build trust in the model?

What does this buy us?

- Helps detect leakage (i.e. information leakage from label to input)
- Helps identify domain shift (e.g. feature useful in training that won't be useful in deployment)
- Could help inform model selection
 - e.g. two models perform equally well on validation metrics
 - one model uses features that are more intuitive to us

LIME

LIME: Local Interpretable Model-agnostic Explanations

"Why Should I Trust You?" Explaining the Predictions of Any Classifier

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- This is the paper that introduced LIME [RSG16b].
- A popular local interpretation method.
- In other words, explain the prediction for a particular instance $x \in \mathcal{X}$.
- The paper is actually a bit difficult to understand, but we'll unpack it here.

Will the real LIME please stand up?

- There was the original LIME paper [RSG16b].
 - Presented a general approach for local interpretation...
 - But only really fleshed out the method for image and text inputs.
 - My thought: when it works, seems useful!
- The associated GitHub repo later added support for tabular data.
 - My thought: not as natural or compelling as for images / text
- Explanatory blogs and books (e.g. [Mol19, Tha21])
 - often introduce LIME for the tabular case, and give reasonable critique,
 - but not obvious the same critiques are as relevant for images and text

LIME: basic idea

- Given: prediction function f
- Given: instance $x \in \mathcal{X}$ to be explained
- Build "interpretable" / "white box" model \hat{f} that approximates f near x.
- Explain prediction f(x) by interpreting \hat{f} .
- How this is implemented varies by input domain.

What's interpretable, really?

- Some standard "white box" / interpretable models are
 - linear models
 - tree models
 - generalized additive models
- But for these to be interpretable, the features must be interpretable.
 - No word embeddings.
 - No pixels.
 - No complicated derived features or principal components.
 - etc...

Interpretable data representations

- [RSG16b] presents the idea of
 - "interpretable data representations"
- We'll also call them interpretable features.
- For interpretable features, they recommend using binary features.
- If $x \in \mathbb{R}^d$ is the original representation of some instance,
 - we'll use $x' \in \{0,1\}^{d'}$ as the interpretable representation.
- This interpretable representation is only intended to represent examples
 - that are "local" to x in some sense.
 - Or are "perturbations" of x.
- In particular, the instance x is usually represented as $(1, ..., 1)^{d'}$
 - i.e. all 1's.

An explanation for f(x) at x

- [RSG16b] defines an explanation as
 - a model $g \in G$, where G is a class of interpretable models.
- Important: the explanation model g is specific to an instance x.
- The domain of g is $\{0,1\}^{d'}$.
- That is, g acts on the presence or absence of "interpretable components."
- Let's jump to an example...

Example: LIME for vision

LIME: for vision

- Suppose we have a trained model that predicts $\mathbb{P}(frog)$.
- We want to understand the prediction for the following:



Original Image

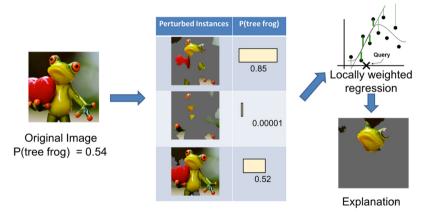


Interpretable Components

LIME: Main idea

- Which part of the image / "interpretable component" was most important for prediction?
- One strategy: cover up various parts of the image, and see effect on $\mathbb{P}(frog)$.
 - cover up = replace with solid background color
- LIME strategy
 - Use 0/1 indicator vector to indicate which parts of image are "on"
 - Train [weighted, sparse] linear regression to predict the [logit of] probability
 - feature with largest positive weight is the "explanation"

LIME: For vision



LIME: For vision



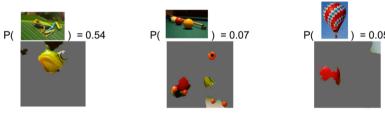
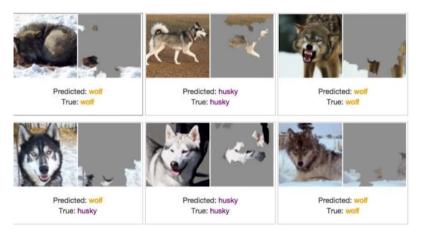


Figure 6. Explanation for a prediction from Inception. The top three predicted classes are "tree frog," "pool table," and "balloon." Sources: Marco Tulio Ribeiro, Pixabay (frog, billiards, hot air balloon).

LIME: For finding generalization issues



Husky vs wolf? or "snow detector" attribution.

Interpretation for dog playing guitar

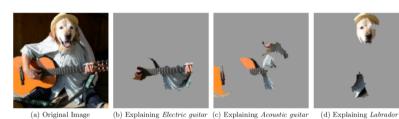


Figure 4: Explaining an image classification prediction made by Google's Inception neural network. The top 3 classes predicted are "Electric Guitar" (p = 0.32), "Acoustic guitar" (p = 0.24) and "Labrador" (p = 0.21)

LIME (generic paper version)

The interpretable representation

- Generate interpretable representation.
- That is, create a mapping $h_x: \{0,1\}^{d'} \to \mathbb{R}^d$ such that
 - $h_x((1,1,\ldots,1)) = x$.
 - for any $x' \in \{0,1\}^{d'}$, $h_x(x')$ is some "perturbation" of x.
- For example
 - h(x') is an image with regions blocked out.
 - h(x') is a sentence with words eliminated.

Sample perturbations

- In [RSG16b] they say they sample as follows:
 - Sample k uniformly at random from $1, \ldots, d'$.
 - Then randomly choose k interpretable components to keep.
 - So if we choose k = 3 and d' = 5, we may end up with

$$x' = (1, 1, 0, 1, 0)$$
.

- Though in the LIME codebase,
 - they just keep or remove each component with equal probability,
 - which is quite different.
- In either case, $h_x(x') \in \mathbb{R}^d$ will be some perturbed version of x in the original space.

Proximity measure

- Introduce proximity measure $\pi_x(z)$.
- Measure how "similar" z and x are.
- Both z and x are in the original feature space \mathbb{R}^d .
- For perturbed sample $x' \in \{0, 1\}^{d'}$,
 - we create its image in feature space $h(x') \in \mathbb{R}^d$
 - then compute its "similarity" to x with $\pi_x(h(x'))$.
- In [RSG16b] they use a standard RBF kernel

$$\pi_{x}(z) = \exp\left(-D(x,z)^{2}/\sigma^{2}\right)$$
,

with any distance function D and $\sigma > 0$.

• e.g. D can be Euclidean distance or cosine distance.

Fidelity measure

- The idea is for g to be a good approximation of f around x.
- How can we assess that?
- Let $\mathcal{D}'_x \subset \{0,1\}^{d'}$ be a set of perturbations of x.
- They use a square-loss fidelity measure:

$$\mathcal{L}(f,g,\pi_x,\mathcal{D}_x') = \sum_{x'\in\mathcal{D}_x'} \pi_x(h(x')) \left(f(h(x')) - g(x') \right)^2.$$

- In words: g's predictions on \mathcal{D}'_{x} are close to
 - f's predictions on the feature-space versions of elements of \mathcal{D}'_x ,
 - ullet weighted by the similarity between the perturbations and x.

Fitting g

• They take G to be the class of linear models

$$g(x') = w_g^T x'$$

for $x' \in \{0,1\}^{d'}$ and $w_g \in \mathbb{R}^{d'}$.

- Create perturbation set $\mathfrak{D}'_{\mathsf{x}} \subset \{0,1\}^{d'}$.
- For each $x' \in \mathcal{D}_x'$ we get a training example (x', f(h(x'))) with weight $\pi_x(h(x'))$.
- Fit g with this weighted training data so that w_g is sparse.
 - ullet e.g. use Lasso to get at most K nonzero components of w_g .
- Resulting weights w_g can be "interpreted".

LIME: tabular version (from code)

Tabular case

- [RSG16b] doesn't discuss the tabular case.
- But the LIME codebase supports it.
- What changes?
 - perturbations
 - the interpretable representation
- Perturbations are done separately for each column/feature.
- At a high level, we resample each feature according to
 - some approximation of its marginal distribution.

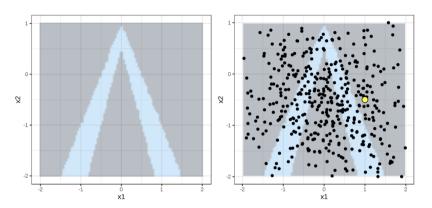
Tabular case: perturbations for categorical variables

- For a categorical column,
 - we get the relative frequencies of the categories in a training set.
- Column is perturbed by resampling according to those frequencies.
- The "interpretable representation" is a binary indicator
 - 1 if resampled column is same as original value of point we're trying to interpret
 - 0 otherwise

Tabular case: perturbations for continuous variables

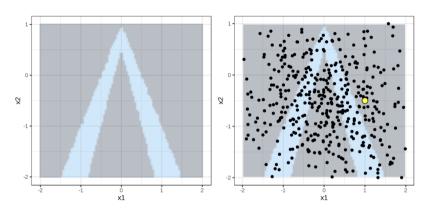
- For a continuous column,
 - we compute the mean μ and SD σ of the column.
- We perturb by sampling a Gaussian either from $\mathcal{N}(\mu, \sigma^2)$.
 - This doesn't actually feel like a perturbation, since it has nothing to do with x.
- OR we sample from from $\mathcal{N}(x, \sigma^2)$,
 - where x is the value of the variable for the instance of point we're interpreting,
 - which feels more like a perturbation.
- If the variable is sparse, we only perturb the nonzero values.

For tabular data (continuous case)



- Left: color indicates prediction of model on input space (x_1, x_2) .
- Right: black dots are the "perturbed" versions of the yellow instance

Basic idea of building interpretable model (I)



- Left: color indicates prediction of model on input space (x_1, x_2) .
- \bullet Right: black dots are a sample from input space; yellow dot is x_0 , instance to be explained

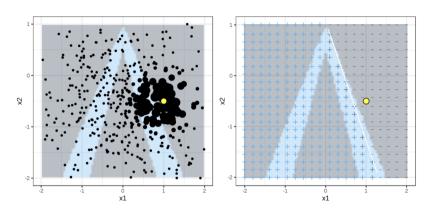
Getting a sample

- In LIME, we're only given the prediction function f.
- If we were also given access to the data-generating distribution,
 - perhaps we could lus e

Weight samples by proximity to instance

- Somehow we get a sample from the input space (we'll come back to this).
- We want to build a model that's "local" to the yellow instance of interest.
- Let $\pi_{x_0}(x)$ be a weighting function
 - gives higher weight to points x that are "closer" to x_0 .
- [RSG16b] calls π_{x_0} a **proximity measure** to define "locality" around x_0 .
- We then do a weighted fit for our interpretable model to the sample points.

Basic idea of building interpretable model (II)



- Left: weights of sample points are shown
- Right: class predictions of linear model fit to weighted points white line is boundary

References

Resources

- Christoph Molnar's online book, continually updating, is a great source for interpretable machine learning [Mol19]. Though currently (25 April 2021), the explanation for LIME glosses over a lot of details.
- Authors of the LIME paper have a nice blog post [RSG16a]

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- [Kul17] Kasia Kulma, Interpretable machine learning using lime framework, https://www.slideshare.net/Oxdata/interpretable-machine-learning-using-lime-framework-kasia-kulma-phd-d 2017, [Online; accessed 15-June-2021].
- [Mol19] Christoph Molnar, *Interpretable machine learning*, bookdown.org, 2019, https://christophm.github.io/interpretable-ml-book/.
- [RSG16a] Marco Tulio Ribeiro, Sameer Singh, and Carlos Guestrin, Local interpretable model-agnostic explanations (lime): An introduction, Aug 2016, https://www.oreilly.com/content/ introduction-to-local-interpretable-model-agnostic-explanations-lime/

References II

[RSG16b] ______, "why should i trust you?": Explaining the predictions of any classifier, Proceedings of the 22nd ACM SIGKDD International Conference on Knowledge Discovery and Data Mining (New York, NY, USA), KDD '16, Association for Computing Machinery, 2016, pp. 1135–1144.

[Tha21] Ajay Thampi, *Interpretable ai*, Manning Publications, 2021, https://www.manning.com/books/interpretable-ai.