A Bounded Symbolic-Size Model for Symbolic Execution



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Symbolic Execution: Introduction

- Systematic program analysis technique
 - Run program with symbolic inputs
- Many applications:
 - Test input generation
 - Bug finding
- Active research area
- Used in industry















Motivation

• Size of input affects program behavior

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• Size of input affects program behavior

$|input| \geq 5$

```
int osip via parse(const char *hvalue) {
  if (hvalue == NULL) return OSIP BADPARAMETER;
  const char *version = strchr(hvalue, '/');
  if (version == NULL) return OSIP_SYNTAXERROR;
  const char *protocol = strchr(version + 1, '/');
  if (protocol == NULL) return OSIP SYNTAXERROR;
  if (protocol - votion < 2) return OSIP SYNTAXERROR;
  const char *hos/t =
                                col + 1, ' ');
                           YNTAXERROR;
  if (host == NULL)
  if (host == protocol
    while (0 == strncmp(host, ", 1)) {
      host++;
      if (strlen(host) == 1) return OSIP SYNTAXERROR;
    host = stronr(host + 1, ' ');
```

|input| = 1

```
int osip uri parse headers(const char *headers) {
  const char *equal = strchr(headers, '=');
  const char * and = strchr(headers + 1, '&));
  . . .
```

Motivation

- Size of input affects program behavior
- The problem: concrete-size model

$|input| \geq 5$

```
int osip via parse(const char *hvalue) {
  if (hvalue == NULL) return OSIP BADPARAMETER;
  const char *version = strchr(hvalue, '/');
  if (version == NULL) return OSIP_SYNTAXERROR;
  const char *protocol = strchr(version + 1, '/');
  if (protocol == NULL) return OSIP SYNTAXERROR;
  if (protocol - version < 2) return OSIP SYNTAXERROR;
  const char *hos/t =
                           YNTAXERROR;
  if (host == NULL) ret
  if (host == protocol
    while (0 == strncmp(host, ", 1)) {
      host++;
      if (strlen(host) == 1) return OSIP SYNTAXERROR;
    host = strohr(host + 1, ' ');
```

|input| = 1

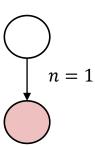
```
int osip uri parse headers(const char *headers) {
 const char *equal = strchr(headers, '=');
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```

```
int n; // symbolic
int z; // symbolic

char *p = malloc(n);
for (unsigned i = 0; i < n; i++) {
   if (z == 0) {
      break;
   }
   p[i] = i;
}</pre>
```

```
int n; // symbolic
int z; // symbolic

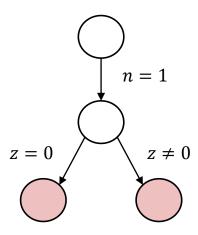
char *p = malloc(n);
for (unsigned i = 0; i < n; i++) {
   if (z == 0) {
      break;
   }
   p[i] = i;
}</pre>
```



concretize symbolic size n

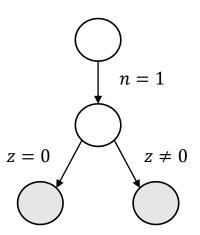
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```



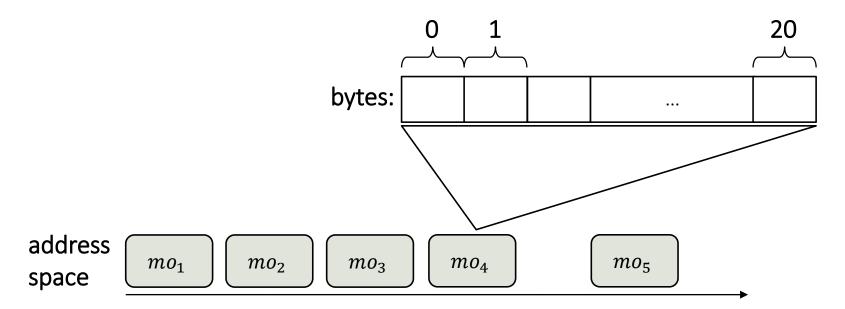
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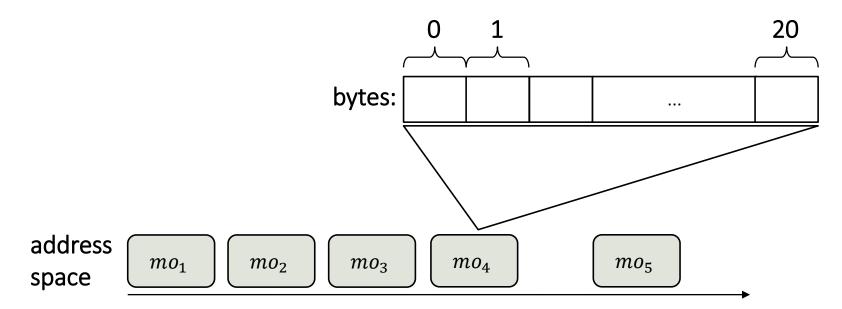
only 2 paths explored

- Linear address space
- Explicit encoding (QF_ABV)



Fully Symbolic-Size Model

- Linear address space → impossible to avoid overlapping
- Explicit encoding (QF_ABV) → high memory consumption



Bounded Symbolic-Size Model

A memory object has:

- Fixed (concrete) capacity
- Symbolic size : 0, 1, ..., capacity

Bounded Symbolic-Size Model

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- Fixed (concrete) capacity
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Works with a linear address space ✓

Bounded Symbolic-Size Model

A memory object has:

- Fixed (concrete) capacity
- Symbolic size : 0, 1, ..., capacity

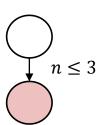
- Works with a linear address space ✓
- Controllable memory consumption (user-specified capacity) ✓

```
int n; // symbolic
int z; // symbolic

char *p = malloc(n); // capacity = 3
for (unsigned i = 0; i < n; i++) {
   if (z == 0) {
      break;
   }
   p[i] = i;
}</pre>
```

```
int n; // symbolic
int z; // symbolic

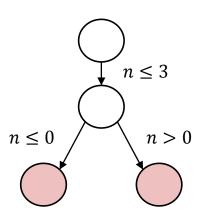
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```



add capacity constraint

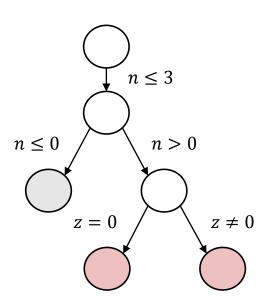
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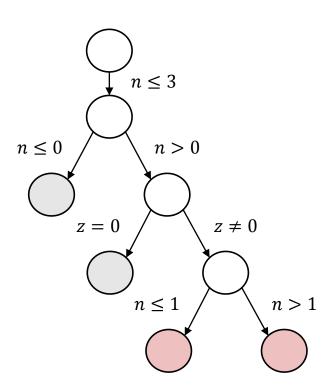
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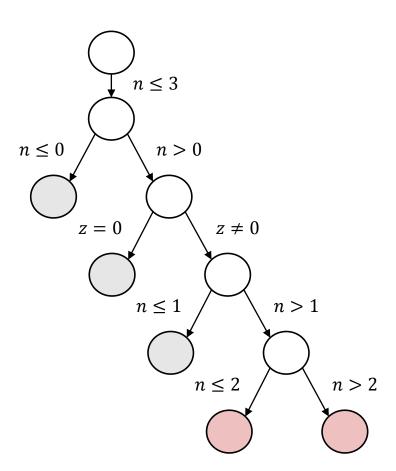
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```
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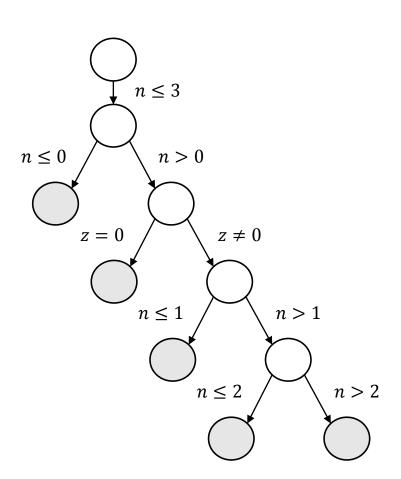
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```
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int z; // symbolic

char *p = malloc(n); // capacity = 3
for (unsigned i = 0; i < n; i++) {
  if (z == 0) {
    break;
  }
  p[i] = i;
}</pre>
```

5 paths explored



Arising Challenges

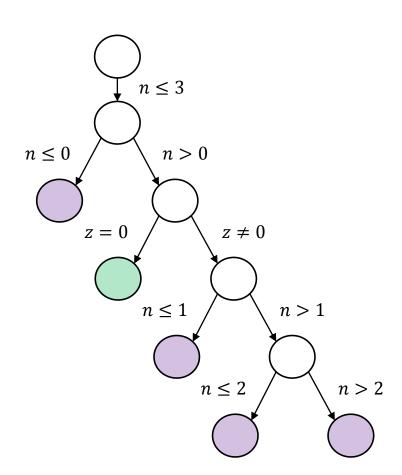
- Additional symbolic-size expressions
- Amplifies path explosion
 - Especially with size-dependent loops

- Detect symbolic-size dependent loops
- Execute the loop till **full exploration**
- Merge the resulting states

```
int n; // symbolic
int z; // symbolic

char *p = malloc(n); // capacity = 3
for (unsigned i = 0; i < n; i++) {
  if (z == 0) {
    break;
  }
  p[i] = i;
}</pre>
```

group states by loop exit

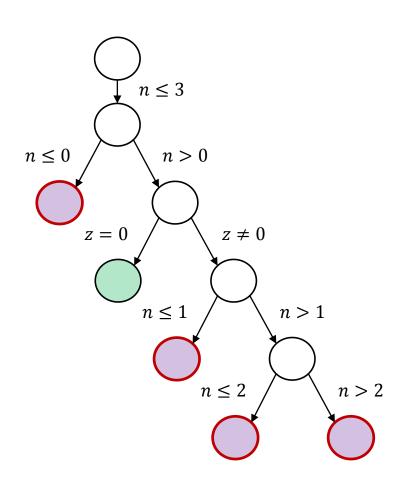


```
(n \le 0) \lor 
(n > 0 \land z \ne 0 \land n \le 1) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n \le 2) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n > 2)
```

merged constraint

$$(n > 0 \land z = 0)$$

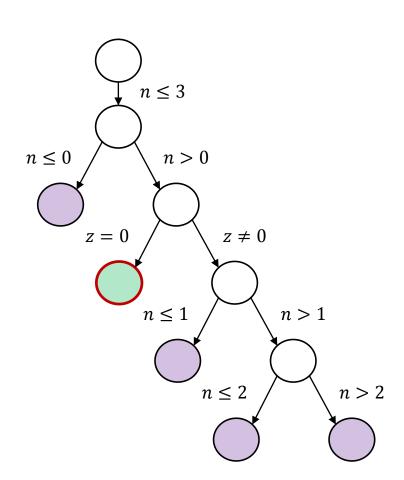
merged constraint



```
(n \le 0) \lor 
(n > 0 \land z \ne 0 \land n \le 1) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n \le 2) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n > 2)
```

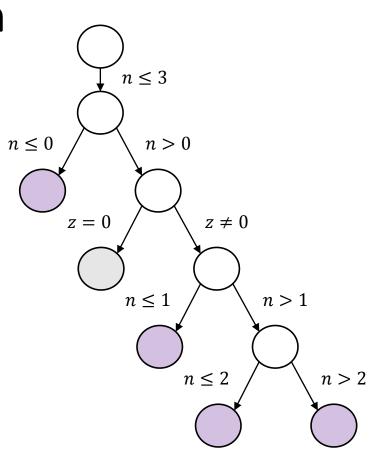
merged constraint

$$(n > 0 \land z = 0)$$
merged constraint



```
(n \le 0) \lor
(n > 0 \land z \ne 0 \land n \le 1) \lor
(n > 0 \land z \ne 0 \land n > 1 \land n \le 2) \lor
(n > 0 \land z \ne 0 \land n > 1 \land n > 2)
```

merged constraint



```
(n \le 0) \lor 
(n > 0 \land z \ne 0 \land n \le 1) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n \le 2) \lor 
(n > 0 \land z \ne 0 \land n > 1 \land n > 2)
```

merged constraint

 $n \leq 0$ n > 0z = 0 $z \neq 0$ n > 1 $n \leq 1$ $n \leq 2$ n > 2

```
(n \leq 0) \vee
                                                              n \leq 0
                                                                                    n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
         merged constraint
                                                                        z = 0
                                                                                              z \neq 0
                                                                                                       n > 1
                                                                                 n \leq 1
(n \le 0 \lor (n > 0 \land z \ne 0 \land (n \le 1 \lor (n > 1 \land (n \le 2 \lor n > 2)))))
                                                                                          n \le 2
                                                                                                                n > 2
                       merged constraint
```

```
(n \leq 0) \vee
                                                            n \leq 0
                                                                                 n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
                                                                                                            complete
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
                                                                                                            subtree
                                                                                          z \neq 0
        merged constraint
                                                                     z = 0
                                                                                                   n > 1
                                                                              n \leq 1
(n \le 0 \lor (n > 0 \land z \ne 0 \land (n \le 1 \lor (n > 1 \land (n \le 2 \lor n > 2)))))
                                                                                       n \le 2
                                                                                                            n > 2
                      merged constraint
```

```
(n \leq 0) \vee
(n > 0 \land z \neq 0 \land n \leq 1) \lor
                                                             n \leq 0
                                                                                  n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
                                                                                                             complete
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
                                                                                                             subtree
                                                                                           z \neq 0
        merged constraint
                                                                      z = 0
                                                                                                    n > 1
                                                                               n \leq 1
(n \le 0 \lor (n > 0 \land z \ne 0))
                                                                                                             n > 2
                                                                                        n \leq 2
                       merged constraint
```

Evaluation

API Testing

- GNU libtasn1 (17 API's)
- libpng (13 API's)
- GNU oSIP (48 API's)

Whole-program testing

• GNU Coreutils (99 programs)

Implementation

• On top of *KLEE*



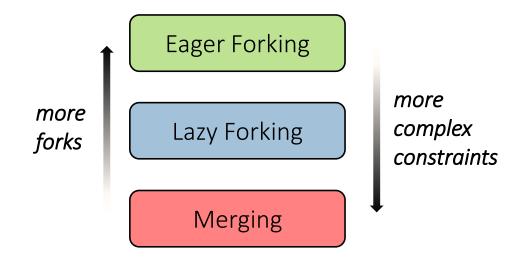


Evaluation: Approaches

Concrete-size Model

Base

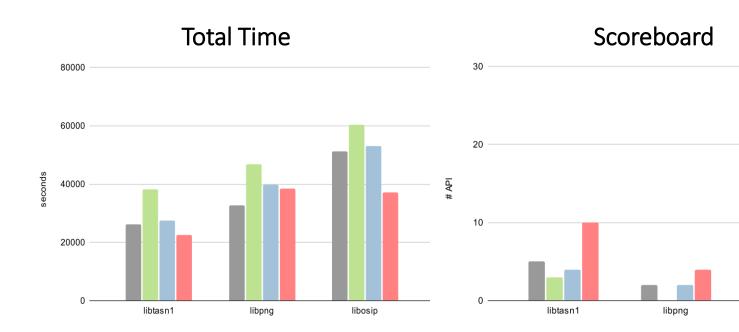
Bounded Symbolic-Size Model



API Testing: Analysis Time

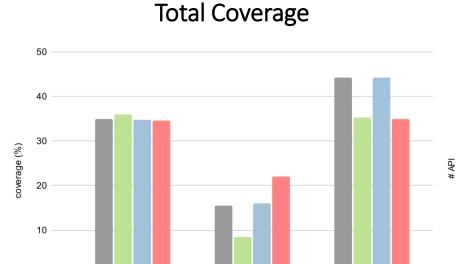
Base
Eager Forking
Lazy Forking
Merging

libosip



API Testing: Coverage

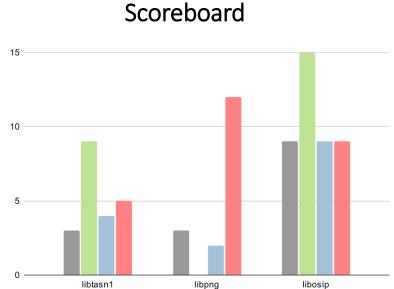
Base
Eager Forking
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Merging



libpng

libosip

libtasn1



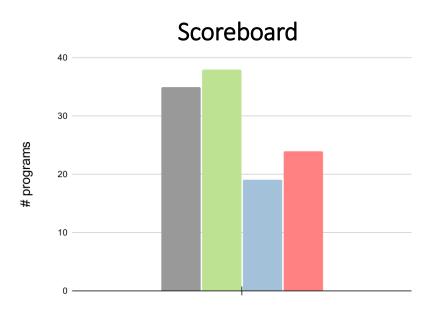
API Testing: Found Bugs

- GNU libtasn1
 - one out-of-bound-read
- GNU oSIP
 - three *out-of-bound-read's*
 - one integer-underflow

Evaluation: GNU Coreutils

- In 94 programs, all approaches timeout:
 - Compare coverage
- In the rest 5 programs:
 - Merging approach is faster

Base
Eager Forking
Lazy Forking
Merging



Summary

- Bounded modeling of variable-size inputs
- Evaluated in API testing and whole-program testing
- Found previously unknown bugs

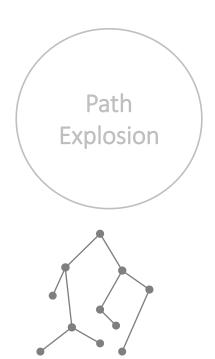
Future Work

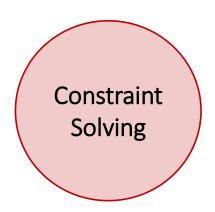
- Applying in other domains (patch testing, program repair, ...)
- Better encoding in state merging



Backup

Main Challenges





$$x = 1 \land z > 1 \land select(a_2, 7) = 1$$

 $y > 10 \land z > 1 \land z + y < 77$
 $a > b + 23 \land c - a > 56$
 $w > s * 6 \land t > w$

- A memory object has a concrete size
- Leads to concretizations (on allocations)
 - Less coverage
 - Missed bugs

```
(n \leq 0) \vee
                                                               n \leq 0
                                                                                     n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
         merged constraint
                                                                        z = 0
                                                                                              z \neq 0
                                                                                                       n > 1
                                                                                 n \leq 1
(n \le 0 \lor (n > 0 \land z \ne 0 \land (n \le 1 \lor (n > 1 \land (n \le 2 \land n > 2)))))
                                                                                          n \le 2
                                                                                                                n > 2
                       merged constraint
```

```
(n \leq 0) \vee
(n > 0 \land z \neq 0 \land n \leq 1) \lor
                                                               n \leq 0
                                                                                    n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
         merged constraint
                                                                        z = 0
                                                                                              z \neq 0
                                                                                                       n > 1
                                                                                 n \leq 1
(n \le 2 \lor n > 2)
                                                                                                                n > 2
                                                                                           n \leq 2
                       merged constraint
```

```
(n \leq 0) \vee
(n > 0 \land z \neq 0 \land n \leq 1) \lor
                                                               n \leq 0
                                                                                      n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
         merged constraint
                                                                         z = 0
                                                                                               z \neq 0
                                                                                                        n > 1
                                                                                  n \leq 1
(n \le 1 \lor (n > 1 \land (n \le 2 \land n > 2)))
                                                                                                                  n > 2
                                                                                            n \leq 2
                        merged constraint
```

```
(n \leq 0) \vee
(n > 0 \land z \neq 0 \land n \leq 1) \lor
                                                                n \leq 0
                                                                                       n > 0
(n > 0 \land z \neq 0 \land n > 1 \land n \leq 2) \lor
(n > 0 \land z \neq 0 \land n > 1 \land n > 2)
         merged constraint
                                                                          z = 0
                                                                                                 z \neq 0
                                                                                                          n > 1
                                                                                    n \leq 1
(z \neq 0 \land (n \leq 1 \lor (n > 1 \land (n \leq 2 \land n > 2))))
                                                                                                                   n > 2
                                                                                             n \le 2
                        merged constraint
```

Evaluation

Compare different modes:

- Concrete-size model
 - Base
 - Concretize to max value
- Bounded symbolic-size model
 - Eager Forking
 - Fork at allocation time for each possible value
 - Lazy Forking
 - Fork on-demand (standard)
 - Merging

Summary & Future Work

- Bounded modeling of variable-size inputs
- Evaluated in API testing the whole-program testing
- Found previously unknown bugs

Future research directions:

- Applying in other domains (patch testing, program repair, ...)
- Better encoding in state merging

Available on GitHub: https://github.com/davidtr1037/klee-symsize