

Soil Analysis

Project Effect Fire Dung Beetle

David Vanegas-Alarcón

November 12, 2024

Read data

Read data from "DataGLM.csv".

```
ACC <- read.csv("ACC/DataACC.csv", header = T, sep = ";")
GLMSoil <- read.csv("ACC/DataACC.csv", header = T, sep = ";")

## Convert factor
ACC$FireRegime <- factor(ACC$FireRegime,
                        levels = c("Null", "Low", "High"))

ACC$Cover <- factor(ACC$Cover, levels = c("Secondary Forest",
                                          "Biodiverse pasture",
                                          "Grass Monoculture"))

GLMSoil$FireRegime <- factor(ACC$FireRegime,
                           levels = c("Null", "Low", "High"))

GLMSoil$Cover <- factor(ACC$Cover, levels = c("Secondary Forest",
                                              "Biodiverse pasture",
                                              "Grass Monoculture"))
```

Data exploration and visualization

Empezamos a realizar un análisis exploratorio previo sobre estos.

```
# Data soil
dim(ACC)
```

```
[1] 15 13
```

```
names(ACC)
```

```
[1] "ID"      "Cover"   "FireRegime" "Abundance" "Richness"
[6] "pH"      "Humidity" "DA"         "N"         "C"
[11] "P_disp"  "P_total" "Class"
```

Posteriormente vamos a utilizar la función `describe()` del paquete `psych` para conocer las características de nuestros datos.

```
# Describe soil
ACCDescribe <- describe(ACC)
ACCDescribe
```

	vars	n	mean	sd	median	trimmed	mad	min	max	range
ID*	1	15	8.00	4.47	8.00	8.00	5.93	1.00	15.00	14.00
Cover*	2	15	2.00	0.85	2.00	2.00	1.48	1.00	3.00	2.00
FireRegime*	3	15	2.00	0.85	2.00	2.00	1.48	1.00	3.00	2.00
Abundance	4	15	71.00	47.99	70.00	67.15	59.30	13.00	179.00	166.00
Richness	5	15	7.00	1.81	7.00	7.00	1.48	4.00	10.00	6.00
pH	6	15	5.95	0.28	5.91	5.93	0.21	5.52	6.65	1.13
Humidity	7	15	29.86	6.80	28.73	29.53	5.87	20.78	43.30	22.52
DA	8	15	2.03	0.14	2.07	2.04	0.18	1.82	2.23	0.41
N	9	15	0.18	0.13	0.16	0.16	0.10	0.03	0.51	0.48
C	10	15	2.84	1.40	2.55	2.73	1.28	1.17	5.88	4.71
P_disp	11	15	6.11	9.47	2.77	4.32	1.70	0.72	34.77	34.05
P_total	12	15	306.87	79.76	304.39	307.57	82.65	156.69	447.94	291.25
Class*	13	15	2.27	1.83	1.00	2.08	0.00	1.00	6.00	5.00

	skew	kurtosis	se
ID*	0.00	-1.44	1.15
Cover*	0.00	-1.69	0.22
FireRegime*	0.00	-1.69	0.22
Abundance	0.56	-0.67	12.39
Richness	0.20	-1.16	0.47
pH	0.78	0.17	0.07
Humidity	0.54	-0.86	1.76
DA	-0.14	-1.35	0.04
N	1.16	0.60	0.03
C	0.84	-0.39	0.36
P_disp	2.12	3.18	2.44
P_total	-0.03	-0.90	20.59
Class*	0.87	-0.99	0.47

Como podemos observar la salida de la función nos permite realizar algunas inferencias en relación con los datos presentados. Así mismo, podemos ver que los valores del *sesgo* y *kurtosis* nos sugieren un comportamiento de una distribuciones con sesgos negativos (*DA*) y positivos (*pH*, *K_int*, *Humidity*, *Ca_int*, *CIC*, *MO*, *Abundance* y *Richness*), leptocúrtica (*pH* y *K_int*) y platicúrticas (*Humidity*, *Ca_int*, *CIC*, *DA*, *MO*, *Abundance* y *Richness*).

```
# Función para buscar NA's en Soil
summary(is.na(ACC))
```

ID	Cover	FireRegime	Abundance
Mode :logical	Mode :logical	Mode :logical	Mode :logical
FALSE:15	FALSE:15	FALSE:15	FALSE:15
Richness	pH	Humidity	DA
Mode :logical	Mode :logical	Mode :logical	Mode :logical
FALSE:15	FALSE:15	FALSE:15	FALSE:15
N	C	P_disp	P_total

```

Mode :logical   Mode :logical   Mode :logical   Mode :logical
FALSE:15        FALSE:15        FALSE:15        FALSE:15
Class
Mode :logical
FALSE:15

```

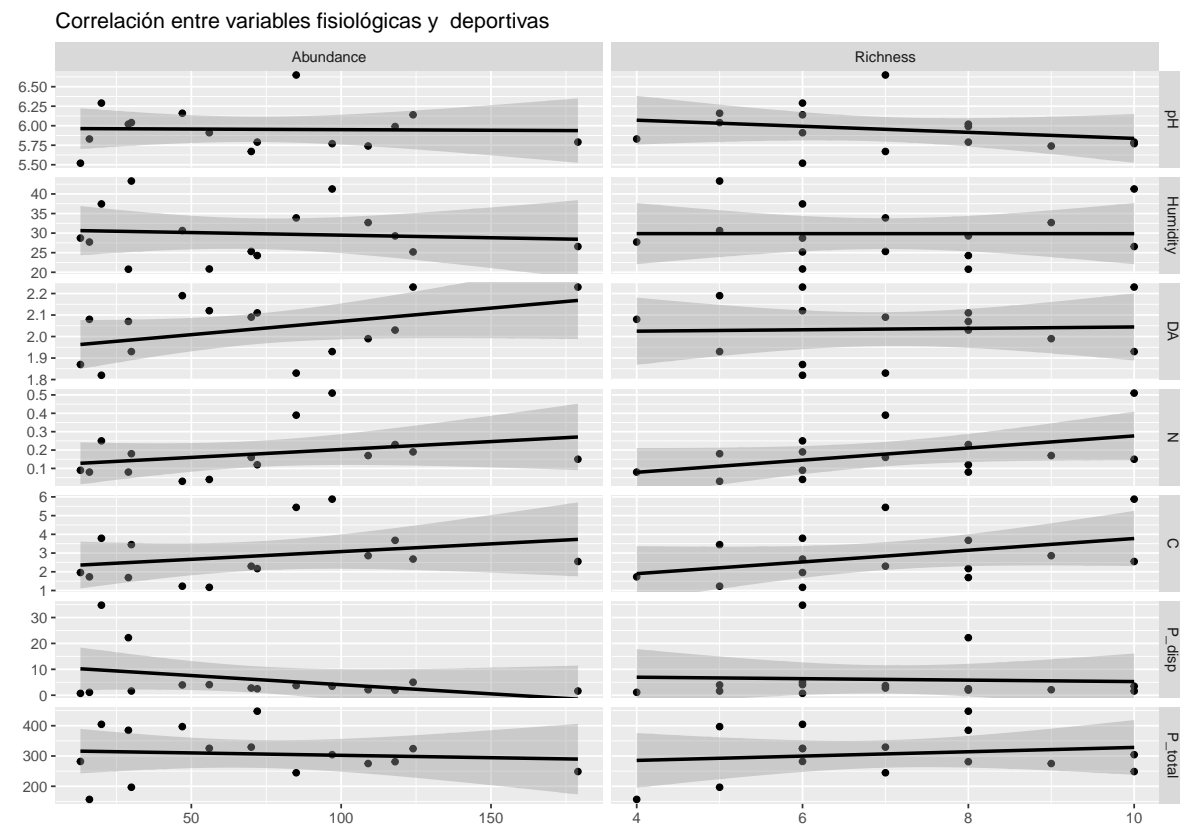
Observando la presencia de datos faltantes o *NA*'s, podemos ver que ninguna de las variables posee este tipo de datos.

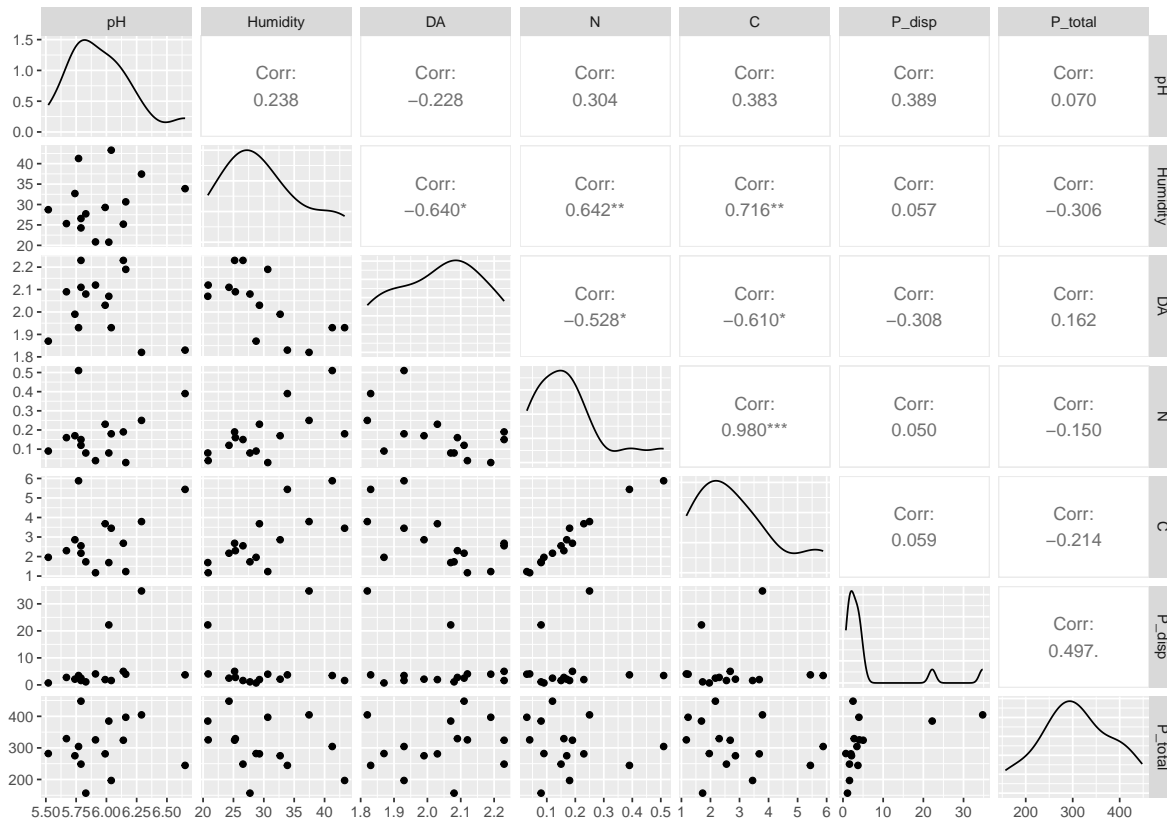
Análisis de correspondencia canónica

```

diversity <- ACC[, 4:5]
soil <- ACC[, 6:12]

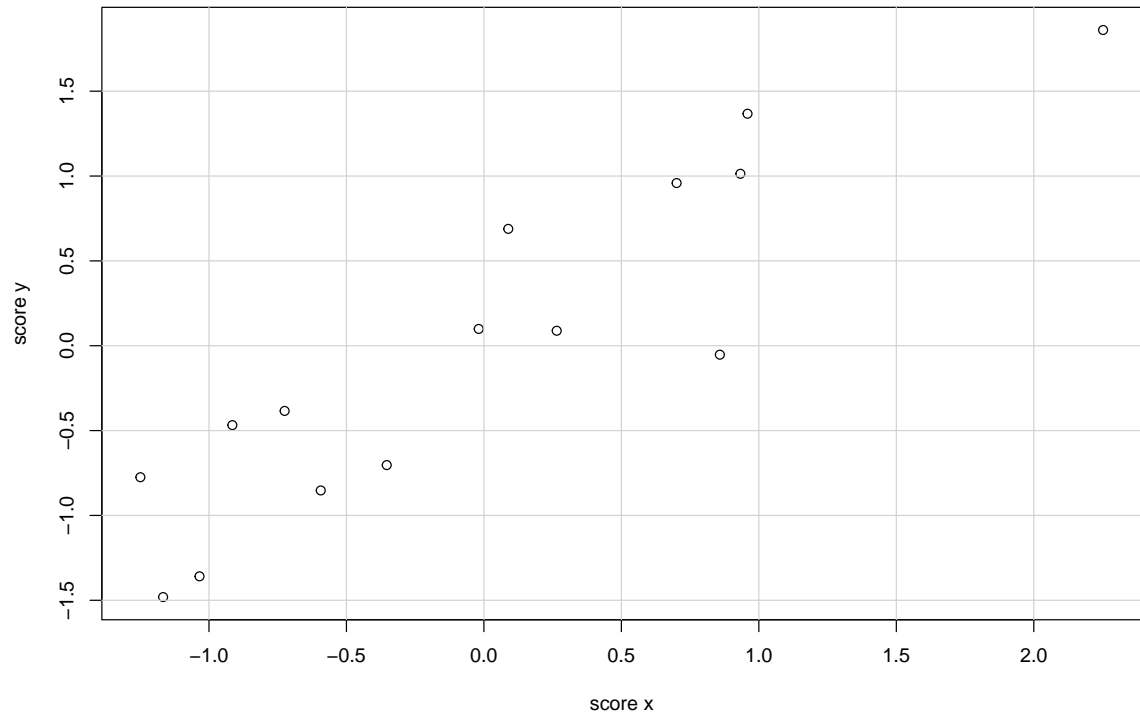
```

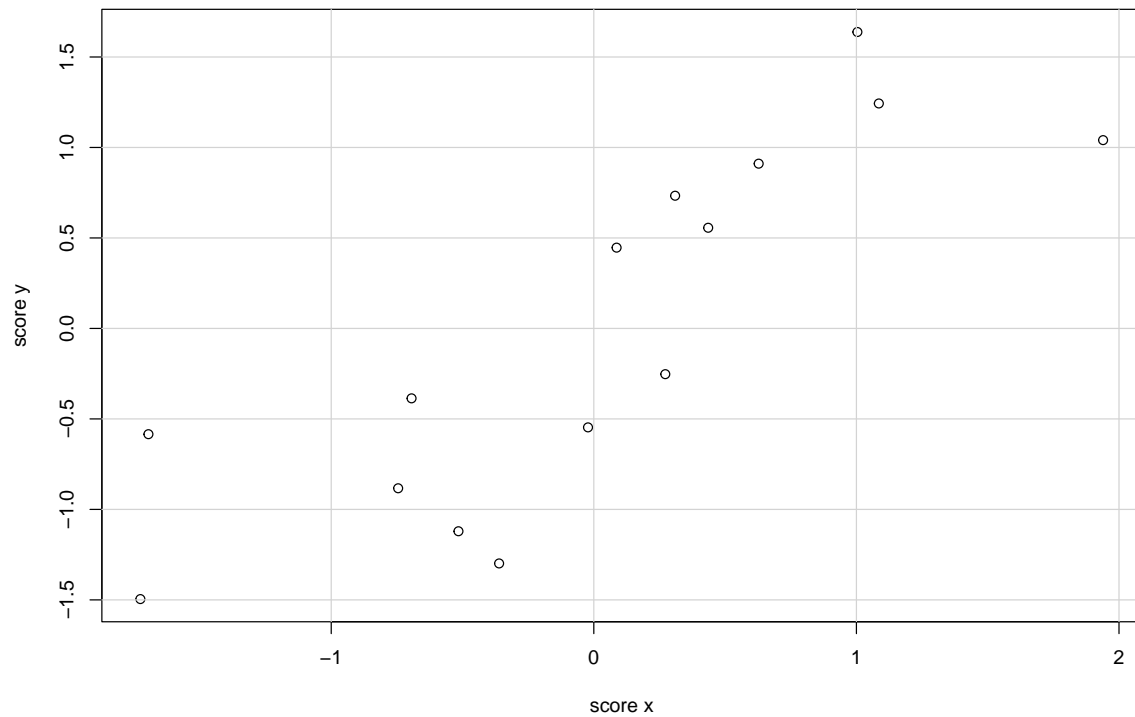




```
cc1 <- CCA::cc(diversity, soil)
cc1$cor
```

```
[1] 0.9084595 0.8271848
```





```
cc1
```

```
$cor
[1] 0.9084595 0.8271848

$names
$names$Xnames
[1] "Abundance" "Richness"

$names$Ynames
[1] "pH"          "Humidity" "DA"        "N"         "C"         "P_disp"    "P_total"

$names$ind.names
[1] "1" "2" "3" "4" "5" "6" "7" "8" "9" "10" "11" "12" "13" "14" "15"

$xcef
      [,1]      [,2]
Abundance 0.01891686 0.02211615
Richness  0.06968700 -0.76725924

$ycoef
      [,1]      [,2]
```

pH	-1.840660716	3.224441069
Humidity	-0.078041285	0.060007576
DA	8.717213242	2.724497028
N	-20.347685328	5.693723257
C	3.024741230	-1.087289276
P_disp	0.006940182	-0.038436103
P_total	0.001141786	-0.005385234

\$scores

\$scores\$xscores

	[,1]	[,2]
[1,]	-1.16686468	-0.51547763
[2,]	-0.72482097	-1.69613767
[3,]	0.26483599	0.30962614
[4,]	0.95877926	0.27219994
[5,]	0.85821456	-0.69410468
[6,]	-1.03444669	-0.36066456
[7,]	-0.59337857	1.00373082
[8,]	-0.35343985	0.43551695
[9,]	0.93290639	1.93941535
[10,]	-0.01891686	-0.02211615
[11,]	-0.91496513	0.62775622
[12,]	-1.24948812	1.08538932
[13,]	0.70089928	-1.72675775
[14,]	0.08860386	-0.74514309
[15,]	2.25208152	0.08676679

\$scores\$yscores

	[,1]	[,2]
[1,]	-1.48111016	-1.1207231
[2,]	-0.38409294	-0.5843804
[3,]	0.08826513	0.7333503
[4,]	1.36717156	-0.2526884
[5,]	-0.05277746	-0.3863298
[6,]	-1.35884518	-1.2986388
[7,]	-0.85284869	1.6380667
[8,]	-0.70328838	0.5563195
[9,]	1.01327152	1.0405451
[10,]	0.09897208	-0.5467652
[11,]	-0.46777798	0.9105315
[12,]	-0.77482754	1.2431404
[13,]	0.95869337	-1.4955714
[14,]	0.68865913	-0.8832780
[15,]	1.86053552	0.4464217

\$scores\$corr.X.xscores

	[,1]	[,2]
Abundance	0.9959007	0.09045357
Richness	0.7599327	-0.65000175

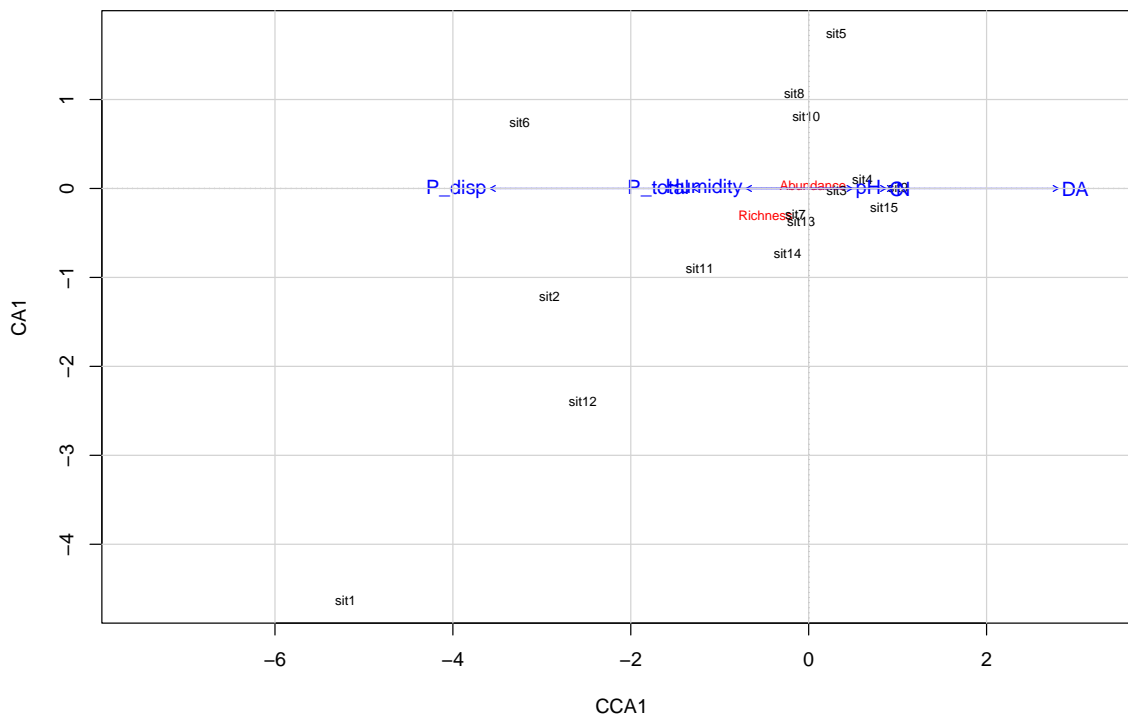
\$scores\$corr.Y.xscores

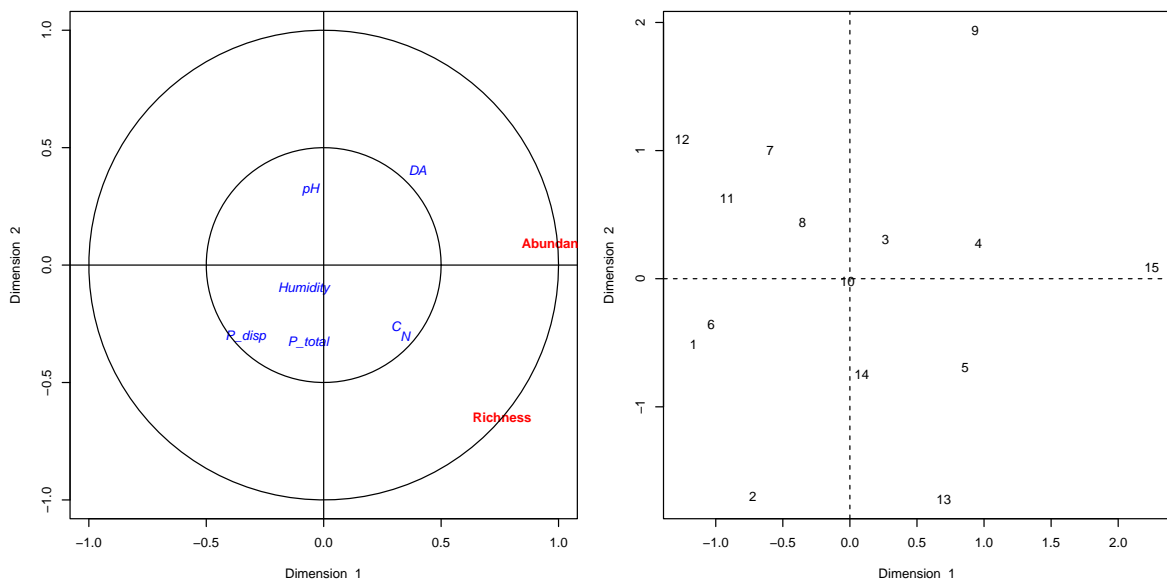
	[,1]	[,2]
pH	-0.05541963	0.32108946
Humidity	-0.08502250	-0.09904535

DA	0.40074996	0.40164000
N	0.34775220	-0.30370807
C	0.30771102	-0.26264590
P_disp	-0.33164703	-0.30493682
P_total	-0.06572707	-0.32717475

```
$scores$corr.X.yscores
      [,1]      [,2]
Abundance 0.9047354 0.07482182
Richness  0.6903681 -0.53767160
```

```
$scores$corr.Y.yscores
      [,1]      [,2]
pH      -0.06100397 0.3881713
Humidity -0.09358976 -0.1197379
DA       0.44113136 0.4855505
N        0.38279330 -0.3671586
C        0.33871738 -0.3175178
P_disp   -0.36506530 -0.3686441
P_total  -0.07235003 -0.3955280
```





Modelo pH

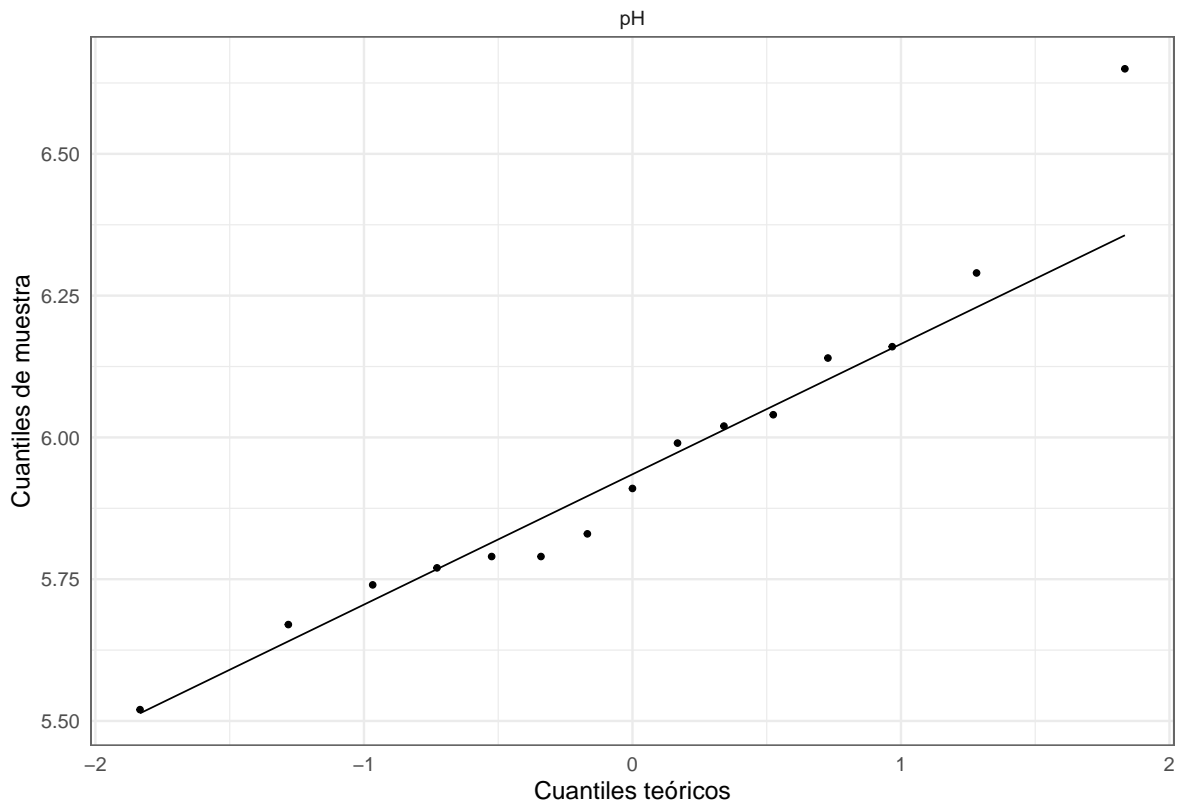
Analizaremos la cantidad de *outliers* para la variable *pH*

```
boxplot.stats(GLMSoil$pH)$out
```

```
[1] 6.65
```

Para apoyar el análisis de datos, realizaremos un gráfico para poder observar la disposición de la distribución de los datos.

Los gráficos cuantil cuantil (*quantile-quantile (qq)*) son una ayuda para explorar si un conjunto de datos o muestra proviene de una población con cierta distribución, en nuestro caso, exploraremos algún comportamiento en relación con su sesgo y su distribución.



Relación entre el pH y el Régimen de quemas

Modelo nulo

```
nullpHDB <- glm(pH ~ 1, family = gaussian(),
  data = GLMSoil)
summary(nullpHDB)
```

Call:

```
glm(formula = pH ~ 1, family = gaussian(), data = GLMSoil)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	5.95400	0.07261	82	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.07908286)

Null deviance: 1.1072 on 14 degrees of freedom

Residual deviance: 1.1072 on 14 degrees of freedom
AIC: 7.4744

Number of Fisher Scoring iterations: 2

Modelo $pH \sim \text{FireRegimen} + \text{Cover}$

Luego procederemos a realizar un modelo entre las variables pH y $\text{FireRegimen} + \text{Cover}$. Esto con el fin de poder conocer una posible asociación entre las variables.

```
pHDB <- glm(pH ~ FireRegime + Cover, family = gaussian(),  
            data = GLMSoil)  
summary(pHDB)
```

Call:

```
glm(formula = pH ~ FireRegime + Cover, family = gaussian(), data = GLMSoil)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	5.7225	0.1484	38.561	3.28e-12 ***
FireRegimeLow	0.1887	0.1860	1.014	0.334
FireRegimeHigh	0.1884	0.2148	0.877	0.401
CoverBiodiverse pasture	0.1507	0.2148	0.702	0.499
CoverGrass Monoculture	0.1666	0.2009	0.830	0.426

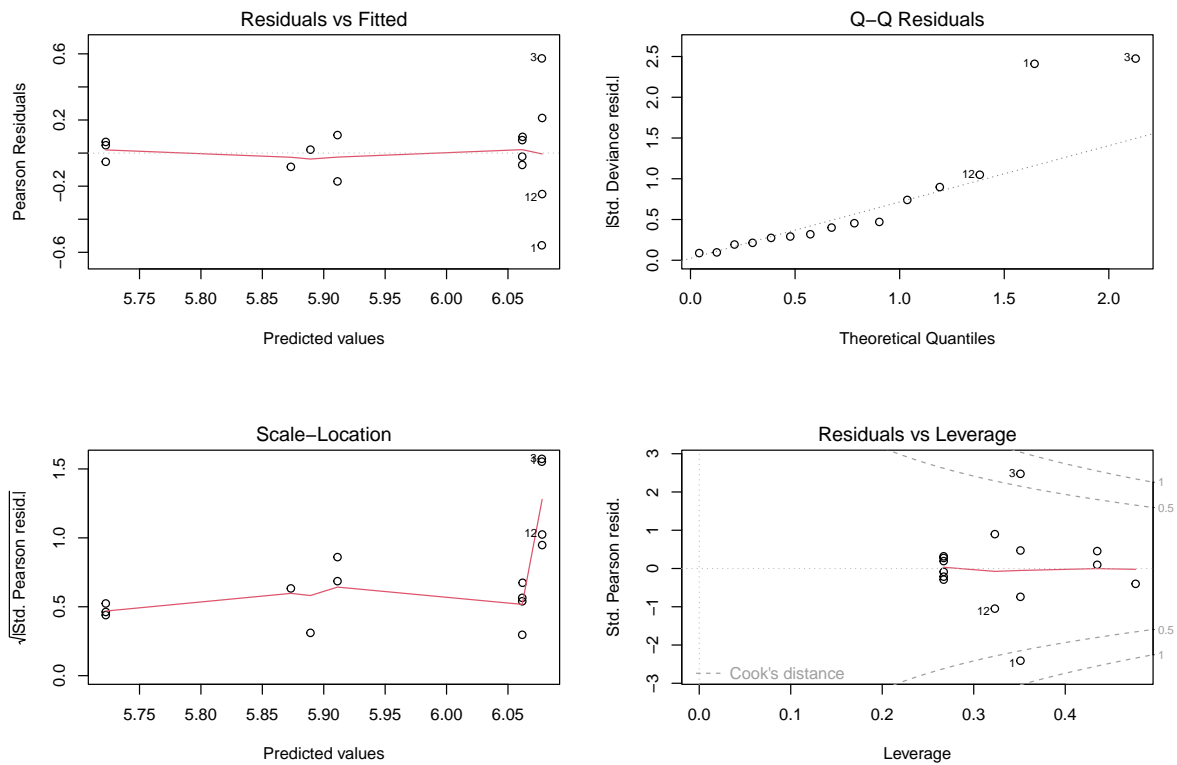
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.08244341)

Null deviance: 1.10716 on 14 degrees of freedom
Residual deviance: 0.82443 on 10 degrees of freedom
AIC: 11.052

Number of Fisher Scoring iterations: 2

Sin embargo, vamos a validar el modelo de regresión a partir de los gráficos de los residuales.



```
shapiro.test(pHDB$residuals)
```

Shapiro-Wilk normality test

```
data:  pHDB$residuals
W = 0.92193, p-value = 0.2061
```

```
result <- fligner.test(pH ~ interaction(FireRegime, Cover), data = GLMSoil)
print(result)
```

Fligner-Killeen test of homogeneity of variances

```
data:  pH by interaction(FireRegime, Cover)
Fligner-Killeen:med chi-squared = 13.02, df = 7, p-value = 0.07162
```

Interpretación de los Resultados

Intercepto (β_0):

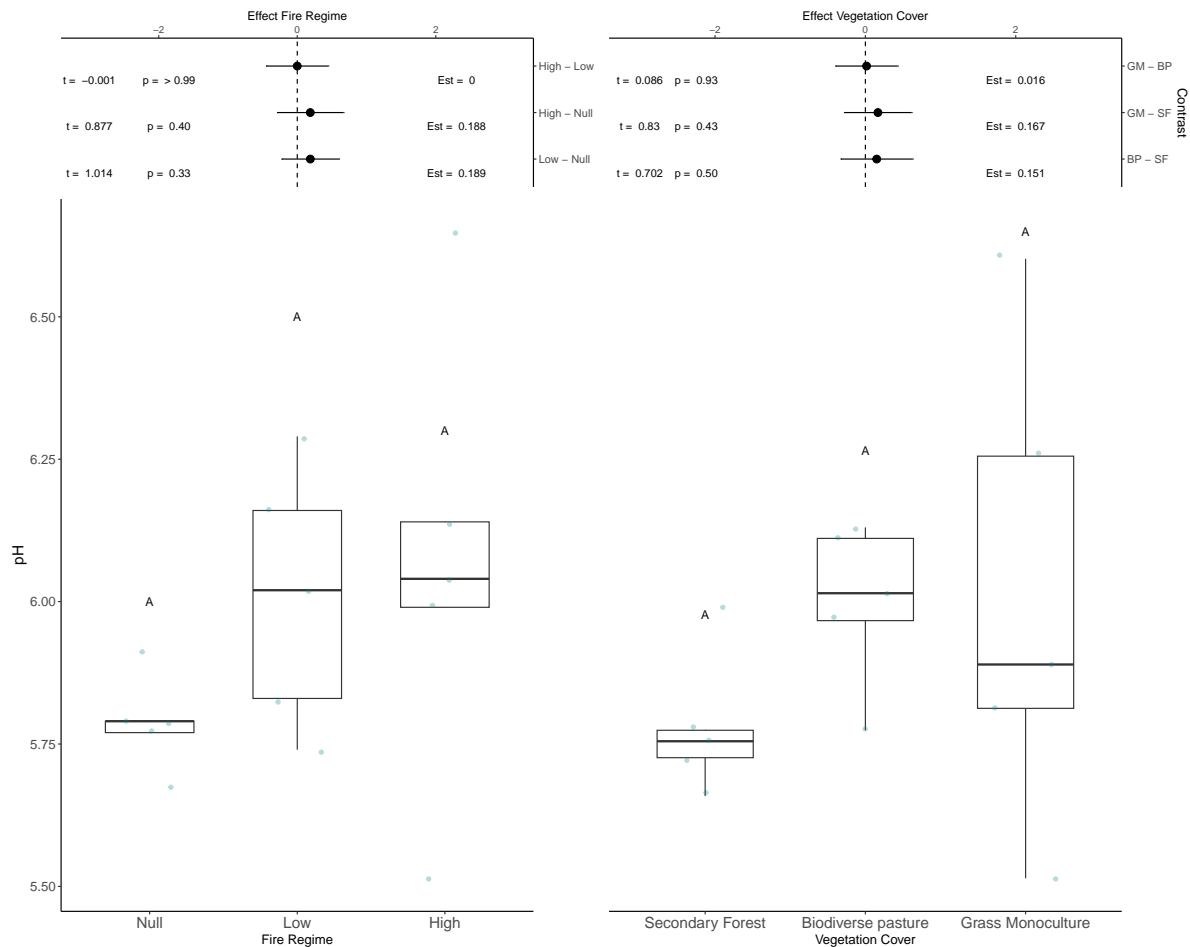
FireRegimenLow (β_1):

FireRegimenHigh (β_2):

CoverBiodiverse pasture (β_3):

FireRegimenLow (β_4):

Visualización



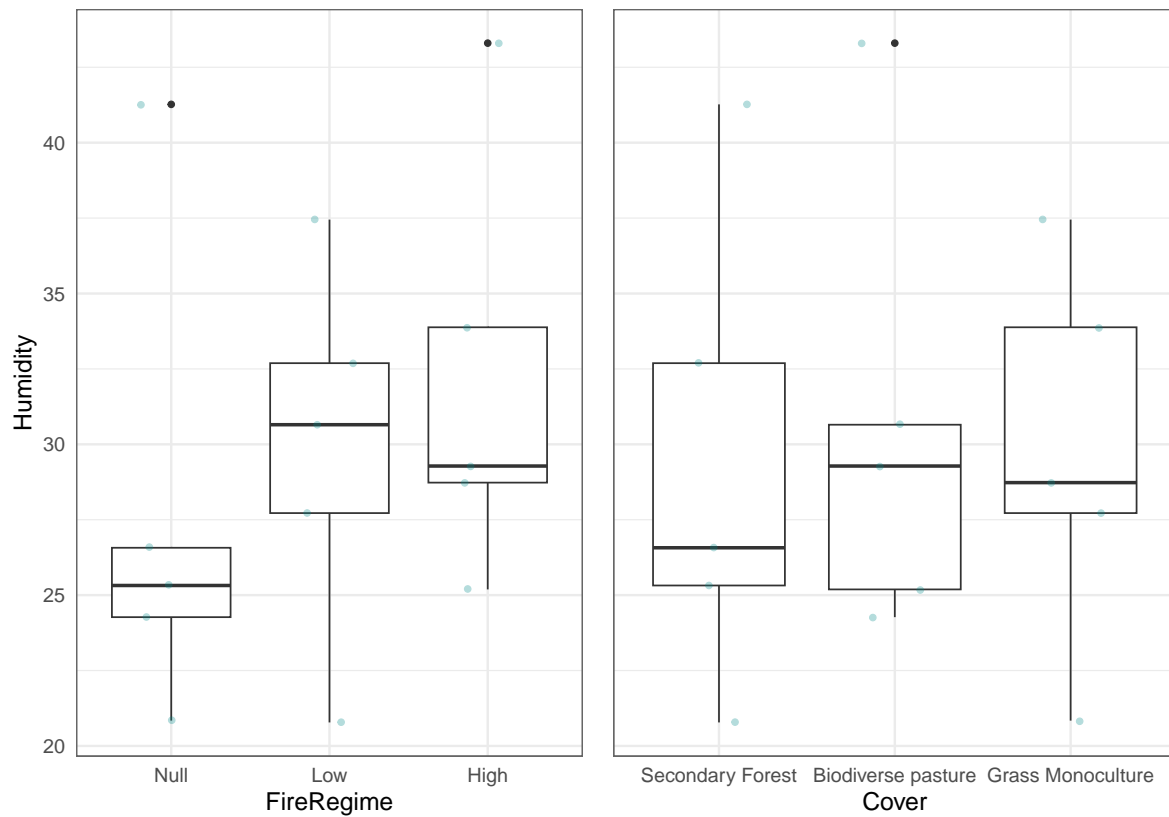
Modelo Humedad

Analizaremos la cantidad de *outliers* para la variable humedad

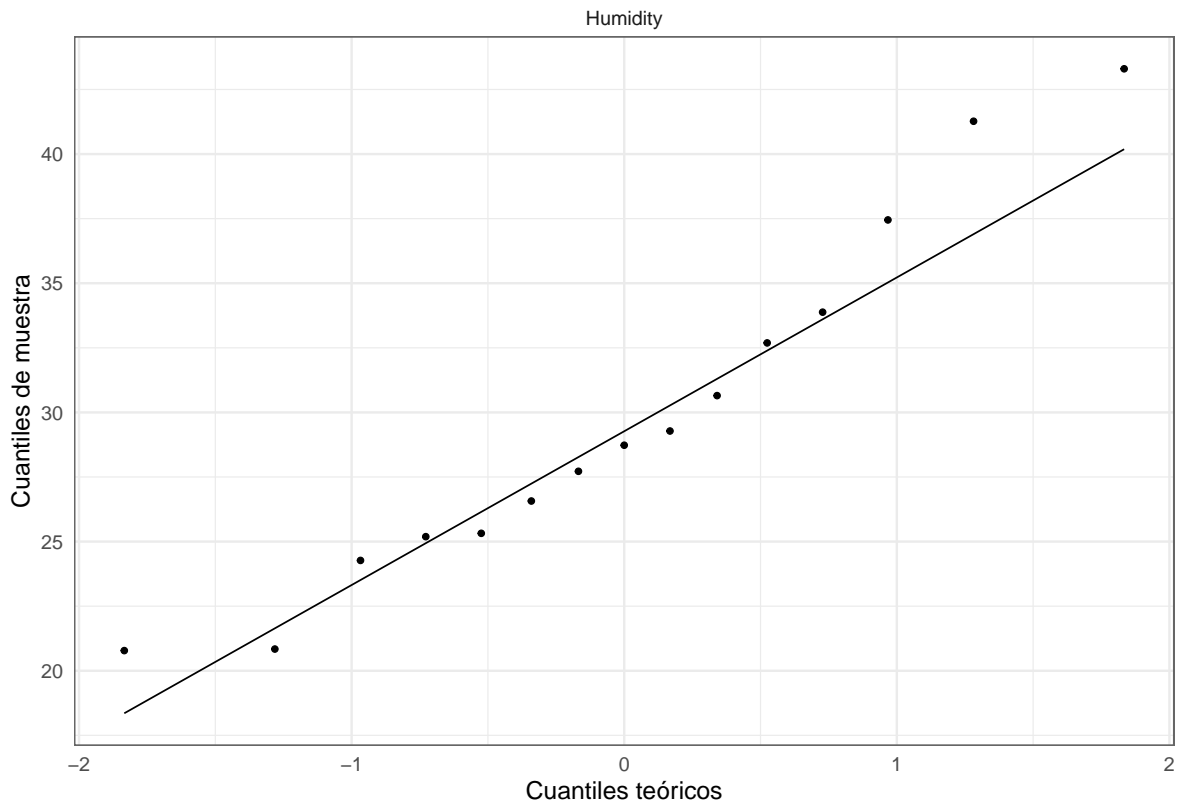
```
boxplot.stats(GLMSoil$Humidity)$out
```

```
numeric(0)
```

Para apoyar el análisis de datos, realizaremos un gráfico para poder observar la disposición de la distribución de los datos.



Los gráficos cuantil cuantil (*quantile-quantile (qq)*) son una ayuda para explorar si un conjunto de datos o muestra proviene de una población con cierta distribución, en nuestro caso, exploraremos algún comportamiento en relación con su sesgo y su distribución.



Relación entre el Humidity y el Régimen de quemas

Modelo nulo

```
nullHumidityDB <- glm(Humidity ~ 1, family = gaussian(),
                        data = GLMSoil)
summary(nullHumidityDB)
```

Call:

```
glm(formula = Humidity ~ 1, family = gaussian(), data = GLMSoil)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	29.863	1.756	17	9.58e-11 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 46.26539)

Null deviance: 647.72 on 14 degrees of freedom

Residual deviance: 647.72 on 14 degrees of freedom
AIC: 103.05

Number of Fisher Scoring iterations: 2

Modelo *Humidity ~ FireRegimen + Cover*

Luego procederemos a realizar un modelo entre las variables *Humidity* y *FireRegimen + Cover*. Esto con el fin de poder conocer una posible asociación entre las variables.

```
HumidityDB <- glm(Humidity ~ FireRegime + Cover, family = gaussian(),  
                  data = GLMSoil)  
summary(HumidityDB)
```

Call:

```
glm(formula = Humidity ~ FireRegime + Cover, family = gaussian(),  
     data = GLMSoil)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	28.304	3.977	7.116	3.23e-05 ***
FireRegimeLow	2.554	4.985	0.512	0.619
FireRegimeHigh	5.372	5.756	0.933	0.373
CoverBiodiverse pasture	-1.501	5.756	-0.261	0.800
CoverGrass Monoculture	-1.751	5.384	-0.325	0.752

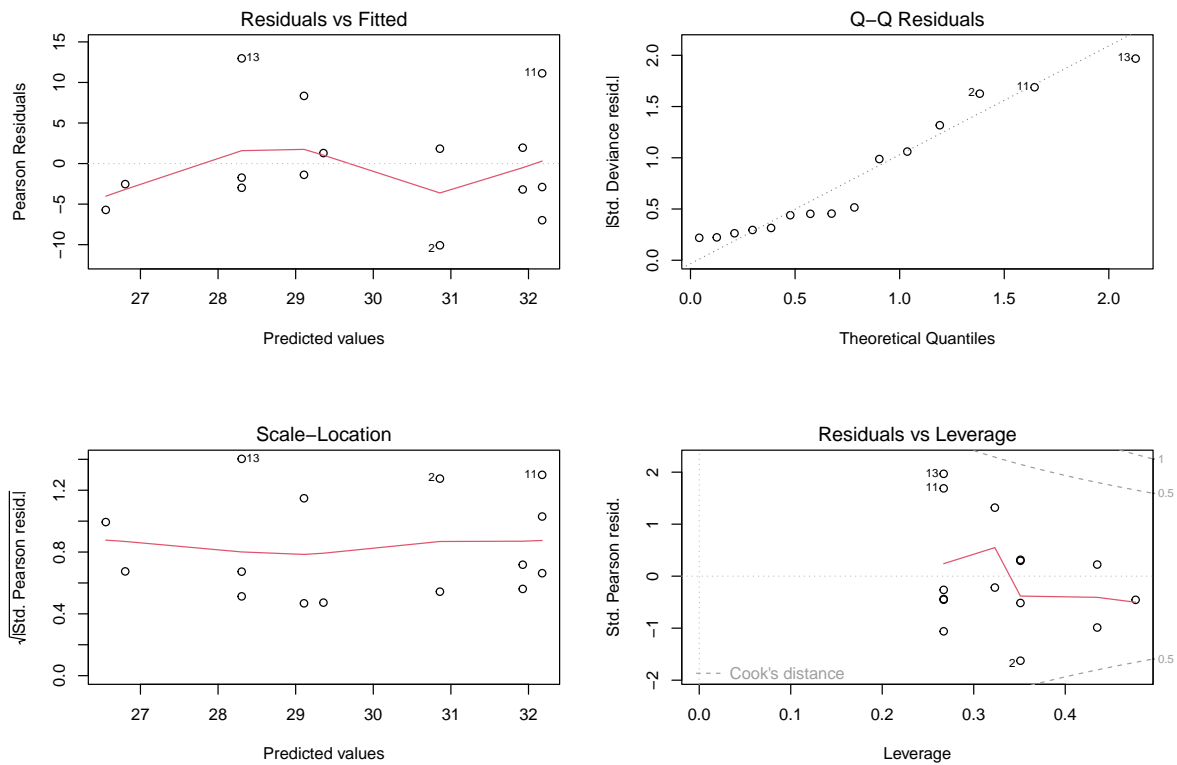
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 59.21731)

Null deviance: 647.72 on 14 degrees of freedom
Residual deviance: 592.17 on 10 degrees of freedom
AIC: 109.7

Number of Fisher Scoring iterations: 2

Sin embargo, vamos a validar el modelo de regresión a partir de los gráficos de los residuales.



```
shapiro.test(HumidityDB$residuals)
```

Shapiro-Wilk normality test

```
data: HumidityDB$residuals
W = 0.92454, p-value = 0.2258
```

```
result <- fligner.test(Humidity ~ interaction(FireRegime, Cover), data = GLMSoil)
print(result)
```

Fligner-Killeen test of homogeneity of variances

```
data: Humidity by interaction(FireRegime, Cover)
Fligner-Killeen:med chi-squared = 5.2303, df = 7, p-value = 0.6319
```

Interpretación de los Resultados

Intercepto (β_0):

FireRegimenLow (β_1):

FireRegimenHigh (β_2):

CoverBiodiverse pasture (β_3):

FireRegimenLow (β_4):

Visualización

