

Week2 – Lab Practice

1. Insert at the Front:

- Time complexity: $O(1)$
- In an array, inserting at index 0 requires shifting all existing elements one position to the right, which takes $O(n)$ time
- In linked list, we just update pointers
- **Logic:**
 - Create a new node
 - Set the next pointer of the new node to the current head of the linked list
 - Update the head pointer to the new node

2. Insert at the End:

- Time complexity: $O(n)$
- Yes, we must traverse the entire list until we reach the last node then set the next pointer of the last node to the new node
- The difference is in an array we can access the last index directly in $O(1)$ time but in linked list we don't have the index to access, so we need to traverse until we reach the last node
- **Logic:**
 - Traverse the list to reach the last node
 - Create a new node
 - Set the next pointer of the last node to the new node

3. Insert in the Middle:

- Time complexity: $O(1)$
- The two arrows (pointers) need to be changed:
 - The next pointer of the node before the insertion point
 - The next pointer of the new node
- In array, inserting in the middle required shifting all elements after that point to right one position $O(n)$ time
- In linked list, only pointer changed are need
- **Logic:**
 - Traverse the list to find the node after which we want to insert the new node
 - Create a new node
 - Set the next pointer of the new node point to the next of current node
 - Update the next pointer of current node points to the new node

4. Delete from the Front:

- Time complexity: $O(1)$
- After delete front the head pointer is moved to the second node
- Then delete the old head node to prevent memory leaks
- **Logic:**
 - Check if the list is empty ($\text{head} == \text{NULL}$). If so, there's nothing to delete
 - Create temp node which point to head
 - Update the head pointer to point to the second node ($\text{head} = \text{head} \rightarrow \text{next}$)
 - Delete temp

5. Delete from the End:

- Time complexity: $O(n)$
- **Logic:**

- Check if the list is empty (`head == NULL`)
- Traverse the list to find the second-last node
- Point its **next** pointer to **NULL**
- Free or delete the last node
- To find the node before the last one we use:
- `while(cur->next->next != NULL) cur = cur->next;`
- So, if we reach the last node our **cur node** will be stay at the second last node because our condition checks the **next node** of the **next cur node**

6. Delete from the Middle

- Logic:
 - Validate the position (ensure its within bounds)
 - Traverse to the node just before the target position
 - Update its **next** pointer to skip the target node
 - Free or delete the target node
- Only one pointer changes: the previous node's **next** of the node before the target position
- If we forgot to free memory, the deleted node still exists in memory and causes a memory leak.

7. Traverse the List:

- Time complexity: $O(n)$
- Start from the head and follow each **next** pointer until the pointer is NULL, printing or processing each node's value.
- In array, accessing the *i*th element is $O(1)$ because memory is contiguous
- In a linked list, we can't directly access *i*th element, we must traverse from the head until reach the end

8. Swap two Nodes

- Time complexity: $O(n)$
- **Logic of Swapping Nodes without swapping data:**
 - The first check if the (**posA == posB**) nothing needs to be swap just return
 - If either position is outside the list bounds, return
 - Initialize pointer: **prevA**, **currA**, **prevB** and **currB** for prepare to find the **current node** and **previous node** of **posA** and **posB**
 - Find nodes at **posA** and **posB**
 - **currA** points to node at position **posA**
 - **prevA** points to node before it
 - The same for position **posB**
 - After we got the previous and current of **posA** and **posB**
 - We check if **currA** is not head, update **prevA->next** to point to **currB**
 - Otherwise, **currA** is the head, so make **currB** the new head
 - The same logic for **currB**
 - After that we create a **temp** to store the **currB->next**
 - Then: **currB -> next** is set to **currA -> next**
 - **currA ->** is set to **temp**
- Swapping values is easier than swapping without values:
 - We just exchange the **value** fields of the two nodes
 - Take $O(1)$ time after finding the nodes
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9. Search in Linked List:

- To search for a value in linked list, we start at the head and traverse the list, one node at a time. In each node we check if its data matches the target value
- If the target value is found, stop and return true
- If we reach the end of the list without finding the value, stop and return false
- Searching in Linked List is similar to Linear search because it both involve checking of all elements until matches the target
- The both have time complexity: $O(n)$
- For random access: Array is faster than linked list because array store its elements in contiguous memory locations. So, if we want to access element at index i -th we can access it directly, this is constant time: $O(1)$.
- But in linked list we need to traverse from the head until the position which we want, so it takes $O(n)$ time in worst case

10. Compare with Arrays

Operation	Array	Linked List
Access (by index)	$O(1)$	$O(n)$
Insert (at a specific position)	$O(n)$	$O(n)$
Delete (at a specific position)	$O(n)$	$O(n)$

- Insertion/Deletion at the beginning:
 - Linked List: $O(1)$ create a new node and adjust the head pointer
 - Array: $O(n)$ Every existing element must be shifting
- In situation is Linked list clearly better when we insertion/deletion the value especially at the beginning, or when the size of the data structure needs to change often.