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Lista de Exercícios 3

① a) $(aa + b)^* (a + bb)$

$\Rightarrow L = \{aaa; a; bb; aabb; ba; bbb; \dots\}$

\therefore Todas as cadeias de "aa"; "b" em vazia, que terminam com "a" ou "bb".

b) $(b + ab)^* (\epsilon + a)$

$\Rightarrow L = \{\epsilon; a; b; ba; ab; aba; \dots\}$

\therefore Todas as cadeias de b; ab em vazia, que terminam com "a" ou vazia.

c) $(aa + bb + (aa + bb)(ab + ba)(aa + bb)^*)$

$\Rightarrow L = \{aa; bb; aaab; aaba; bbab; bbba; aaabaa; aaba aa; aaabbb; \dots\}$

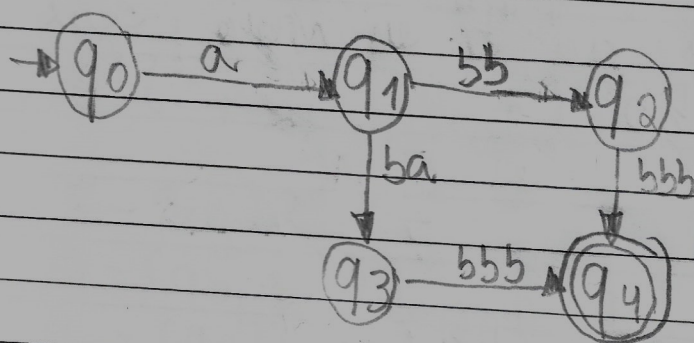
\therefore Todas as cadeias iniciadas em "aa" ou "bb", contendo "ab" ou "ba" e terminando em "aa", "bb" ou vazia.

2) a) $a(bb+ba)bbb$

$M = \{E, Q, \Sigma, q_0, F\}$

$\Sigma = \{a, b\}$

$q_0 = \{q_0\}$



$F = \{q_4\}$

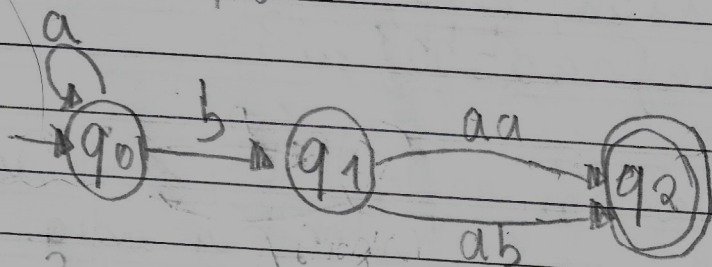
$Q = \{q_0, q_1, q_2, q_3, q_4\}$

b) $a^*b(aa+ab)$

$M = \{E, Q, \Sigma, q_0, F\}$

$\Sigma = \{a, b\}$

$q_0 = \{q_0\}$



$F = \{q_2\}$

$Q = \{q_0, q_1, q_2\}$

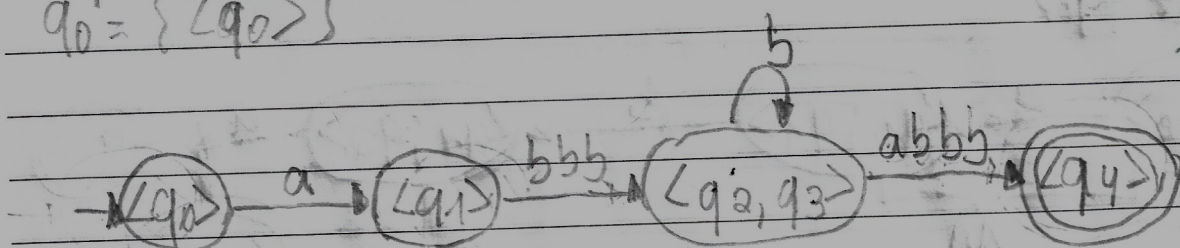
③ a) $a(bb+ba)bbb$

$$\Rightarrow M' = \{E, Q', \Sigma, q_0', F\}$$

$$\Sigma = \{a, b\}$$

$$Q' = \{ \langle q_0 \rangle; \langle q_1 \rangle; \langle q_2 \rangle; \langle q_3 \rangle; \langle q_0, q_1 \rangle; \langle q_1, q_2 \rangle; \langle q_1, q_3 \rangle; \langle q_2, q_4 \rangle; \langle q_3, q_4 \rangle \}$$

$$q_0' = \{ \langle q_0 \rangle \}$$



$$F = \{ \langle q_4 \rangle \}$$

$$\Rightarrow G = \{V, \vdash, P, S\}$$

$$\vdash = \{a, b\}$$

$$S = \{ABC\}$$

$$V = \{A, B, C\}$$

$$\Rightarrow P = \{ A \rightarrow aA; \\ B \rightarrow bbB / ba; \\ C \rightarrow bbbC \}$$

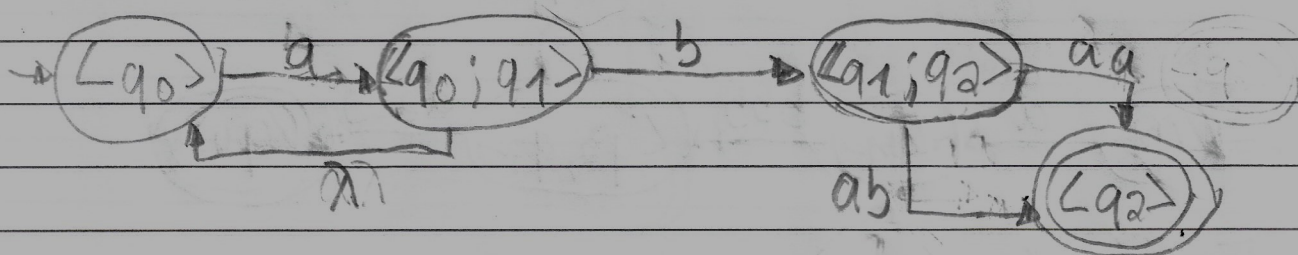
b) $a^*b(aa+ab)$

$\Rightarrow M' = \{E; Q'; d'; q_0'; F'\}$

$E = \{a, b\}$

$Q' = \{ \langle q_0 \rangle; \langle q_1 \rangle; \langle q_2 \rangle; \langle q_0, q_1 \rangle; \langle q_0, q_2 \rangle; \langle q_1, q_2 \rangle \}$

$q_0' = \{ \langle q_0 \rangle \}$



$\Rightarrow G = (V, T, P, S)$

$T = \{a, b\}$

$S = \{AB\}$

$V = \{A, B\}$

$P = \{ A \rightarrow aAb / \epsilon; B \rightarrow aaB / ab \}$