# Lab 09 Due April 15 at 11:59 PM

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```
library(tidywerse)
library(tidymodels)
library(knitr)
library(viridis)

parkinsons = read_csv("parkinsons.csv")
```

## Exercise 1

```
park = parkinsons %>%
  mutate(name = str_remove_all(name, "_[^_]+$"))

park %>%
  filter(status == 0) %>%
  select(name) %>%
  unique() %>%
  kable()
```

name		
phon_	_R01_	_S07
$phon_{\_}$	_R01_	_S10
$phon_{\_}$	_R01_	_S13
$phon_{\_}$	_R01_	_S17
$phon_{\_}$	_R01_	$\_S42$
$phon_{\_}$	_R01_	$_{\rm S43}$
$phon_{\_}$	_R01_	_S49
$phon_{\_}$	_R01_	$_{\rm S50}$

# Exercise 2

```
test <- park %>%
  group_by(status) %>%
  arrange(name) %>%
  slice(1:24) %>%
  ungroup()
nrow(test)
```

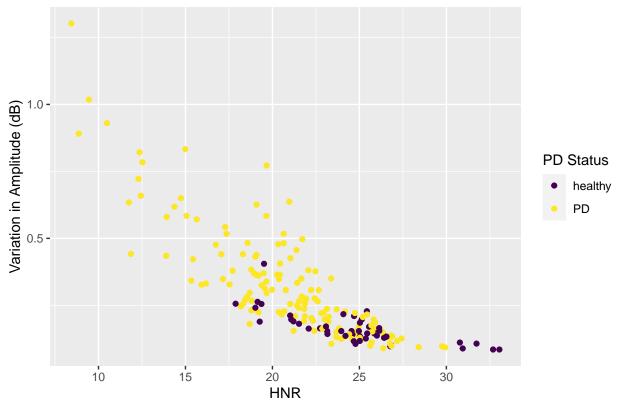
#### ## [1] 48

```
train <- park %>%
  group_by(status) %>%
  arrange(name) %>%
  slice(-c(1:24)) %>%
  ungroup()
nrow(train)
```

## [1] 147

## Exercise 3

# Relationship Between HNR and Variation in Amplitude (dB)



We observe a non-linear, negative correlation overall between HNR and amplitude variance. More specifically, those with PD had a larger range in amplitude variance, while the amplitude variance of healthy individuals

was more clustered at lower values. Similarly, no healthy participant had an HNR lower than 17.5, while participants with PD had HNR values getting even lower than 10.

### Exercise 4

```
fit_1 <- logistic_reg() %>%
 set_engine("glm") %>%
 fit(as.factor(status) ~ HNR + PPE + jitter + shimmer,
     data = train, family = "binomial")
tidy(fit_1)
## # A tibble: 5 x 5
##
   term estimate std.error statistic p.value
    <chr>
                  <dbl> <dbl>
                                     <dbl>
                                              <dbl>
                            4.42
## 1 (Intercept) -12.2
                                    -2.75 0.00595
## 2 HNR
                  0.328
                          0.140
                                     2.35 0.0190
                                     3.31 0.000921
## 3 PPE
                         6.33
                 21.0
## 4 jitter
               -104.
                          160.
                                    -0.651 0.515
                            5.91
## 5 shimmer
                 14.8
                                     2.50 0.0123
```

There are three predictors that are significant at the alpha = 0.05 level: HNR, PPE, and shimmer. All three of these predictors are significant because their p-value levels are less than alpha = 0.05.

#### Exercise 5

## # A tibble: 4 x 3
## status prob\_75

```
prediction = predict(fit_1, test, type = "prob")
test_result = test %>%
  mutate(predicted_prob_pd = prediction$.pred_1) %>%
  mutate(prob_50 = if_else(predicted_prob_pd > 0.5, 1, 0)) %>%
  mutate(prob_75 = if_else(predicted_prob_pd > .75, 1, 0)) %>%
  mutate(prob_90 = if_else(predicted_prob_pd > .9, 1, 0))
test result %>%
  count(status, prob_50)
## # A tibble: 3 x 3
    status prob 50
##
      <dbl>
             <dbl> <int>
## 1
         0
                  0
                       10
## 2
          0
                  1
                       14
## 3
         1
                  1
                       24
test_result %>%
  count(status, prob_75)
```

```
<dbl>
                <dbl> <int>
##
## 1
           0
                    0
                          22
## 2
                    1
                           2
           0
## 3
           1
                    0
                           1
## 4
           1
                    1
                          23
```

```
test_result %>%
count(status, prob_90)
```

```
## # A tibble: 3 x 3
##
     status prob_90
                          n
      <dbl>
               <dbl> <int>
##
## 1
           0
                   0
                         24
## 2
           1
                   0
                          7
## 3
           1
                   1
                         17
```

With a decision boundary of 50%, our model yields 14 false positives and 0 false negatives. With a decision boundary of 75%, our model yields 2 false positives and 1 false negative. With a decision boundary of 90%, our model yields 0 false positives and 7 false negatives.

Using this model as a diagnostic tool for PD, we would want to use the 75% boundary. Though it was the only level to have both false positives and false negatives, it also had the fewest incorrect measures overall - thus, it is the most accurate threshold.