SWEN430 - Compiler Engineering

Lecture 3 - Compiler Architecture and Parsing

Lindsay Groves & David J. Pearce

School of Engineering and Computer Science Victoria University of Wellington

Compiler Architecture

- The usual structure of a compiler is:
 - Front end: Read program, check for errors, create intermediate form (e.g. AST)
 - Back end: Translate AST to machine/vm code and optimise; or just execute (interpreter); or compile while executing (JIT)
- This gives a "2⁺ pass" compiler front and back ends may each make several passes over the program (e.g. see JKit slide lecture 1).
- Intermediate form(s) may be written to a file or passed as a data structure, or front and back ends may run as coroutines.
- Compiled form usually written to a file which is then loaded, along with run-time system. May just write to memory and execute.
- A "one pass compiler" does everything in one pass!
 (Ex: What problems does that pose?)

Front end – more closely

The front end has several steps, mirroring the language definition:

- Scanner (Lexer, Tokeniser):
 - Read input as a sequence characters/lines
 - Output a sequence of tokens/lexemes/symbols
 - Report lexical errors (illegal symbols)
 - Strip out comments and white space
- Parser:
 - Read input as sequence of tokens
 - Build a parse tree (perhaps implicitly) with the input as its fringe
 - Report syntax errors (illegal combinations of symbols)
 - Build symbol table containing identifiers declared in the program
- Context checking, type checking and static analysis:
 - Check for context conditions such as variables used and methods called must be declared
 - Check for type correctness: methods and operators must be applied to arguments of the correct type
 - Check for properties such as definite assignment and dead code

Scanner design

- Set of tokens designed to form a (deterministic) regular language.
- The scanner is based on a finite state acceptor.
- Read one character at a time, and decide what to do next based on the next character, i.e. one character look ahead (or maybe 2 or 3) localises reading/counting lines and checking for end of file.
- May be table driven or generated from a regular grammar, or hand coded — in which case the FSA is implicit in the program code.
- Often the most time consuming part of a compiler, so must be fast.
- May run scanner over the entire input and create a token string which is passed to the parser; or call scanner as a nextToken method from the parser; or run scanner and parser in parallel, e.g. as coroutines.
- Ex: Look at the code for the While lexer.

Scanner design

Basic outline:

```
while there is more input do
  ch <- getNextChar
  case what kind of token can ch start of
    number: scanNumericCont;
    string: scanStringConst;
    ident: scanIdentifier; // includes keywords
    operator: scanOperator;
    whiteSpace: scanWhiteSpace;
    otherwise: error</pre>
```

- Each method scans one kind of token and advances over all of the characters in that token.
- Sometimes look for white space before each token.
- Adding an eof char avoids checking everywhere for end of input:

```
ch <- getNextChat
while ch neq eof do
  case what kind of token can ch start of</pre>
```

Parser design

- The set of syntactically valid programs is designed to be a (deterministically parsable) context-free language, defined by a form of context-free grammar.
- The parser is based on a *push-down automaton*.
- Read one token at a time and decide what to do next based on that token, i.e. one symbol look ahead (or sometimes ...).
- May build a parse tree from root down to leaves (top-down, LL(1));
 or from leaves up to root (bottom-up, LR(1)).
- May be table driven or generated from a context-free grammar, or hand coded — in which case the PDA is implicit in the program code.
- Lots of tools for generating scanners and parsers (yacc and lex, bison, antlr, ...).

- We'll use a form of top-down hand coded parser called recursive descent or predictive parsing.
- Simple but powerful deterministic parsing method uses one (or more) lookahead symbols to determine what to look for next.
- Grammars and languages for which recursive descent works are called LL(k), where k is the number of lookahead symbols needed.
- Most programming languages structures turn out to be LL(1).
- For each nonterminal N in the grammar, define a method parseN to recognise an instance of N as a prefix of the input, and build an AST for it.
- Logic of the parse methods reflects the structure of the grammar.
 Can be coded directly from the grammar once it is in LL(1) form.
- Easy to extend to do error analysis/reporting/recovery, semantic checking and building AST.

A Context-Free Grammar (CFG) is a set of rules of the form

$$N \longrightarrow A_1 \mid \ldots \mid A_n$$

where, N is a *non-terminal*, and A_1, \ldots, A_n are strings of *terminals* and/or non-terminals.

- Terminals are symbols that actually appear in a program
 Non-terminals are names of structural components of a program
- The parser method for such a rule (ignoring tree building) is:

```
parseN()
  if nextSym can start A1 then recognise A1
   ...
  else if nextSym can start An then recognise An
  else error(nextSym can't start N)
```

- If A_i is $X_1...X_m$
- Then recognise Ai is:

```
recognise X1; ... recognise Xm;
```

- Where recognise Xj calls parseXj if X_j is a nonterminal, and looks for terminal X_i otherwise.
- This needs some more plumbing to handle errors and build AST.
- In practice, we can simplify the parser a bit.

```
• Example: E \longrightarrow N \mid V \mid (E+E)

N \longrightarrow [0-9]^+

V \longrightarrow [a-zA-Z_]^+[a-zA-Z0-9_]^*
```

Note that this uses Unix regular expression notation to define sets of terminals.

Parser is:

When does it work? LL(1) conditions

- Must be able to decide what to do on basis of next input symbol.
- So, given $N \longrightarrow A|B$, no symbol that can start an A can also start a B.
- Define first sets:

Let γ be a sequence of terminal and non-terminal symbols. Then $\mathit{first}(\gamma)$ is the set of all terminal symbols which begin a string derived from γ .

- Code nextSym can start N as nextSym in first(N).
- We can now state the Choice Condition:

For any rule $N \longrightarrow \alpha | \beta$, it must hold that $\mathit{first}(\alpha) \cap \mathit{first}(\beta) = \emptyset$.

LL(1) — first() sets

• Example:
$$S \longrightarrow T \text{ a } | U \text{ b}$$
 (1,2)
 $T \longrightarrow \text{d } T | \text{e}$ (3,4)
 $U \longrightarrow \text{c } U | \text{f}$ (5,6)

Does this satisfy the choice condition?

LL(1) — first() sets

• What are the first() sets for these grammars?

$$oldsymbol{0}$$
 $S\longrightarrow a S \mid a$

3
$$S \longrightarrow T \text{ a } | U \text{ b}$$

 $S \longrightarrow T \text{ a } | U \text{ c}$
 $T \longrightarrow \text{d } T | \text{ e}$
 $U \longrightarrow \text{c } U | \epsilon$

Do they satisfy the choice condition?

Questions to ponder

- How do we extend the Choice Condition to $N \longrightarrow \alpha_1 |...| \alpha_n$?
- Are there any cases the Choice Condition doesn't handle?
 i.e. anywhere else the parser has to make a choice?
- How can we extend this to handle extended BNF grammars, where we can write:
 - $[\alpha]$ to mean that α is optional.
 - α^* to mean that α is repeated 0 or more times.
 - α^+ to mean that α is repeated 1 or more times.