A COMPARATIVE STUDY OF TECHNIQUES FOR ESTIMATION AND INFERENCE OF NONLINEAR STOCHASTIC TIME SERIES

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- I. Framing
- 2. Hamiltonian HMCMC
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Framing

Some stuff about forecasting being important ...
... and lacking a "gold standard"

Hamiltonian MCMC



Iterated Filtering 2

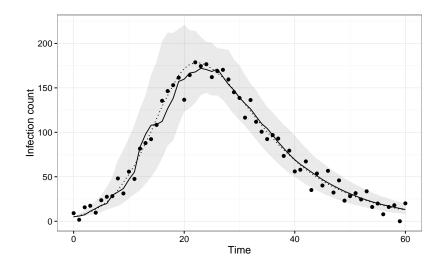


Model Fitting

Stochastic SIR Model

$$\begin{aligned} \frac{\mathrm{dS}}{\mathrm{dt}} &= -\beta \mathrm{SI} \\ \frac{\mathrm{dI}}{\mathrm{dt}} &= \beta \mathrm{SI} - \gamma \mathrm{I} \\ \frac{\mathrm{dR}}{\mathrm{dt}} &= \gamma \mathrm{I} \\ \end{aligned}$$

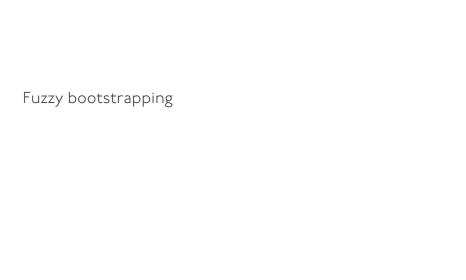
$$eta_{i+1} = \exp\left[eta_i + \eta\left(ar{eta} - eta_i
ight) + \mathcal{N}(0, \sigma_{\mathsf{proc}})
ight]$$



Mmmmm, Kernels

Forecasting Frameworks



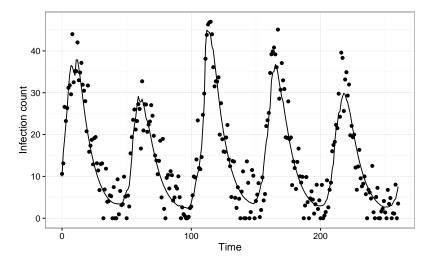


S-maps & Seasonal Outbreaks

Stochastic SIRS Model

$$\begin{aligned} \frac{\mathrm{dS}}{\mathrm{dt}} &= -\beta \mathrm{SI} + \alpha \mathrm{R} \\ \frac{\mathrm{dI}}{\mathrm{dt}} &= \beta \mathrm{SI} - \gamma \mathrm{I} \\ \frac{\mathrm{dR}}{\mathrm{dt}} &= \gamma \mathrm{I} - \alpha \mathrm{R} \\ &+ \end{aligned}$$

$$eta_{i+1} = \exp\left[eta_i + \eta\left(ar{eta} - eta_i
ight) + \mathcal{N}(0, \sigma_{\mathsf{proc}})
ight]$$



Sugihara in the hizzy, knowahtimsaying????

Spatiotemporal Epidemics

If you liked it then you should have put a ring on it

Parallelism & Future Directions



