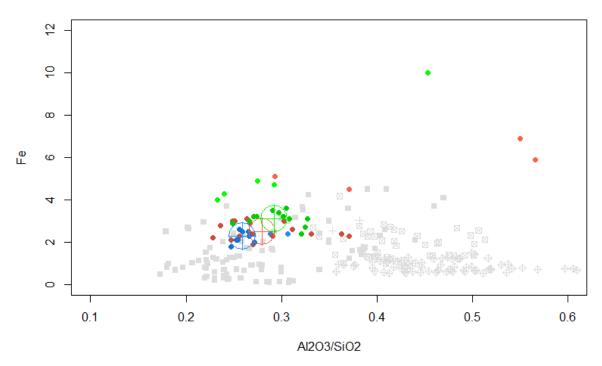
# SEM results of a sampling of stoneware sherds from PHC

By Alasdair Chi, PhD (NTU 2022)

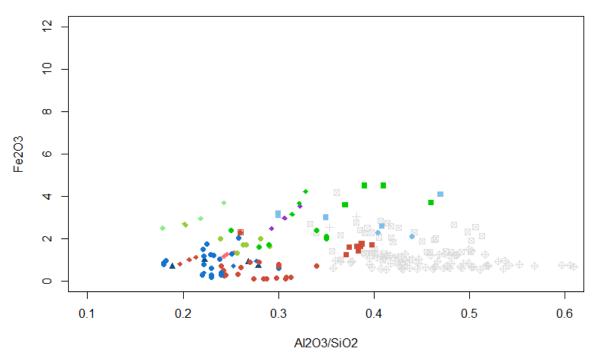
# **Bodies**

Iron oxide (Fe<sub>2</sub>O<sub>3</sub>) vs. Al<sub>2</sub>O<sub>3</sub>/SiO<sub>2</sub>

### PHC, Fe2O3 vs. Al2O3/SiO2



#### Chinese ceramics, Fe2O3 vs. Al2O3



	Main body	Outliers	Means
Buff ware	•	•	$\oplus$
Brittle ware	•	•	$\oplus$
Mercury jars	•	•	$\oplus$
Tempered jars	•	•	$\oplus$
Chinese ceramics		<b>♦</b> *	n/a

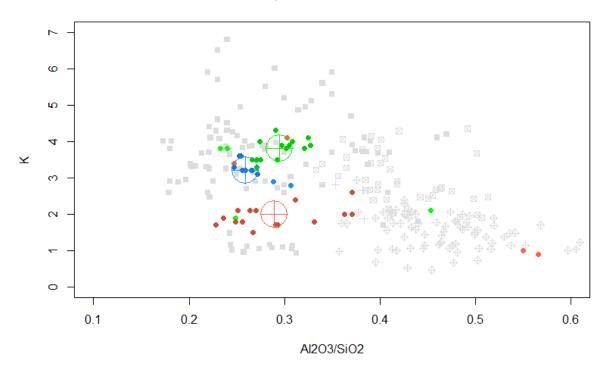
Iron oxide (Fe<sub>2</sub>O<sub>3</sub>) is generally seen as possessing a negative effect on the clay in the kiln during firing, whilst aluminium oxide (Al<sub>2</sub>O<sub>3</sub>) improves the quality of the clay, especially for stoneware and porcelain. The Al<sub>2</sub>O<sub>3</sub>/SiO<sub>2</sub> ratio (no units) is representative of the bulk properties of the clay and serves as a useful baseline / x-axis to compare the other minor-proportion characteristic elements.

With regards to  $Al_2O_3$  content, the KTC2020 sherds expresses typical values for stoneware in Singapore and Kota Cina, with the only notable high- $Al_2O_3$  outliers being two buff sherds. Mercury jars demonstrate a typical cluster of low, albeit non-distinct,  $Al_2O_3$  values.

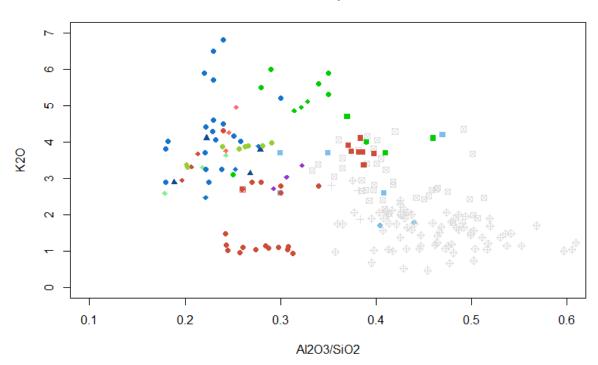
The differences in  $Al_2O_3\%$  between categories are too small for alumina content to be used as a discriminant. However, plotting  $Fe_2O_3$  against  $Al_2O_3/SiO_2$  results in similar distributions to most other sites, with mercury jars and buff ware containing less iron than brittle ware.

The  $Fe_2O_3\%$  vs.  $Al_2O_3/SiO_2$  means are most compatible with Hangzhou and Longquan ware, with some outliers tending towards Longquan Guan ware, with  $Al_2O_3/SiO_2$  ratios and  $Fe_2O_3$  fairly distant from those observed in Jingdezhen. Other buff and brittle outliers lie far beyond measured Chinese ceramics. As with all Southeast Asian stoneware thus studied, there is no commonality with high- $Fe_2O_3\%$  Chinese stonewares.

PHC, K2O vs. Al2O3/SiO2



# Chinese ceramics, K2O vs. Al2O3



Potassium oxide ( $K_2O$ ) is generally seen as possessing a positive effect on the clay in the kiln during firing, permitting tolerance to higher temperatures and longer firing durations.

The  $K_2O$  distribution is typical of Singaporean sites, with mercury jars grouping closer to high- $K_2O$  brittle ware than the buff ware.

The KTC2020 sherds group closer to Jingdezhen, Hangzhou, and Zhejiang produce than Longquan porcelains despite their  $Fe_2O_3\%$  affinity. As with previous manifestations of this trend, this still does not preclude the possibility of a Longquan origin, as adding potassium is less intensive than removing iron as concerns the formation of these stoneware clays.

## Aluminium oxide

Category	Al <sub>2</sub> O <sub>3</sub> %	Category	Al <sub>2</sub> O <sub>3</sub> %	Category	Al <sub>2</sub> O <sub>3</sub> %
Mercury jars	19.1 ± 0.5	Brittle ware	20.1 ± 1.0	Buff ware	19.5 ± 1.3
PHC-MER-GA	18.9 ± 0.3	PHC-BRI-GA	20.9 ± 2.0	PHC-BUF-GA	24.3 ± 1.0
PHC-MER-02	21.9	PHC-BRI-02	17.0	PHC-BUF-04	21.1
		PHC-BRI-04	17.3		
PHC-MER-GB	19.2 ± 0.6	PHC-BRI-GB	20.7 ± 1.6	PHC-BUF-GB	19.2 ± 0.7
PHC-MER-07	20.8				
		PHC-BRI-UC15	26.6	PHC-BUF-GC	19.6 ± 1.0
		PHC-BRI-UC16	19.1		
		PHC-BRI-UD	19.8 ± 0.8	PHC-BUF-UD	20.5 ± 2.1
				PHC-BUF-UE	29.4 ± 0.4
				PHC-BUF-16	19.7
				PHC-BUF-UF	18.2 ± 0.6
				PHC-BUF-UG	19.3 ± 2.5

#### **Fabric Groups**

> with(PHCdata.Al, pairwise.t.test(x=Al, g=Type, p.adjust="none"))

Pairwise comparisons using t tests with pooled SD

data: Al and Type

Brittle Buff Buff 0.48 -MercuryJar 0.35 0.14

P value adjustment method: none

The three categories are statistically indistinguishable based on  $Al_2O_3$  alone. There are two low- $Al_2O_3$  outliers amongst the brittle ware (UC-15, 26.6%) and three high- $Al_2O_3$  outliers: two buff sherds (UC-14, 29.1%; UC-15; 29.7%) and one brittle sherd (UC-15, 26.6%) which are notable not merely in PHC but in Singapore and even the Chinese corpus.

```
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsSTA$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsSTA$Al
F = 0.30202, num df = 7, denom df = 30, p-value = 0.1052
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1099859 1.3175486
sample estimates:
ratio of variances
         0.3020243
> t.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsSTA$Al, equal.var=t)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsSTA$Al
t = -2.749, df = 20.569, p-value = 0.01217
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.1463130 -0.1582032
sample estimates:
mean of x mean of y
 19.10000 19.75226
PHC mercury jars appear to be significantly depleted in mean Al<sub>2</sub>O<sub>3</sub> relative to STA2020
mercury jars, by about 0.7%.
Brittle ware
> var.test(PHCdata.Al[Type=="Brittle",]$Al, brittleTrimmedAl$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and brittleTrimmedAl$Al
F = 0.69714, num df = 16, denom df = 26, p-value = 0.4568
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.2954379 1.8148800
sample estimates:
ratio of variances
         0.6971402
> t.test(PHCdata.Al[Type=="Brittle",]$Al, brittleTrimmedAl$Al, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Brittle", ]$Al and brittleTrimmedAl$Al
t = -2.8804, df = 38.584, p-value = 0.00645
```

```
alternative hypothesis: true difference in means is not equal to 0 95 percent confidence interval:
-2.6926495 -0.4706003 sample estimates:
mean of x mean of y 20.12353 21.70515
```

PHC brittle ware appears to be significantly depleted in mean  $Al_2O_3$  relative to STA2020 brittle ware, by about 1.6%.

#### Buff ware

```
> var.test(PHCdata.Al[Type=="Buff",]$Al, buffTrimmedAl1$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Buff", ]$Al and buffTrimmedAl1$Al
F = 5.7774, num df = 15, denom df = 30, p-value = 4.644e-05
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  2.504115 15.273859
sample estimates:
ratio of variances
          5.777378
> t.test(PHCdata.Al[Type=="Buff",]$Al, buffTrimmedAl1$Al, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Buff", ]$Al and buffTrimmedAl1$Al
t = -1.5767, df = 17.729, p-value = 0.1325
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -3.4595306 0.4950145
sample estimates:
mean of x mean of y
 20.75000 22.23226
```

There is no statistically significant difference between mean PHC and STA2020 Al $_2$ O $_3$ % values with regards to buff ware.

```
STA 2017
Mercury jars
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsTrimmedAl$Al)
       F test to compare two variances
       PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsTrimmedAl$Al
```

F = 0.20118, num df = 7, denom df = 14, p-value = 0.04032 alternative hypothesis: true ratio of variances is not equal to 1 95 percent confidence interval: 0.05952291 0.92465805 sample estimates: ratio of variances 0.2011834

> t.test(PHCdata.Al[Type=="MercuryJar",]\$Al, mercuryjarsTrimmedAl\$Al, equal.var=F)

Welch Two Sample t-test

```
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsTrimmedAl$Al
t = -2.403, df = 20.671, p-value = 0.02574
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.4930083 -0.1069917
sample estimates:
mean of x mean of y
    19.1
               19.9
```

PHC mercury jars appear to be significantly depleted in mean Al<sub>2</sub>O<sub>3</sub>% relative to STA2017 mercury jars, by about 0.8%.

```
Brittle ware
```

```
> var.test(PHCdata.Al[Type=="Brittle",]$Al, brittleSTATrimmedAl$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and brittleSTATrimmedAl$Al
F = 0.9471, num df = 16, denom df = 70, p-value = 0.9566
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.4737349 2.3005594
sample estimates:
ratio of variances
         0.9470975
```

> t.test(PHCdata.Al[Type=="Brittle",]\$Al, brittleSTATrimmedAl\$Al, equal.var=T)

Welch Two Sample t-test

data: PHCdata.Al[Type == "Brittle", ]\$Al and brittleSTATrimmedAl\$Al

```
t = -2.2408, df = 24.751, p-value = 0.03426
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -1.916298 -0.080305
sample estimates:
mean of x mean of y
20.12353 21.12183
```

PHC brittle ware appears to be significantly depleted in mean Al<sub>2</sub>O<sub>3</sub> relative to STA2017 brittle ware, by about 1.0%.

```
Buff ware
> var.test(PHCdata.Al[Type=="Buff",]$Al, buffSTATrimmedAl$Al)
       F test to compare two variances
      PHCdata.Al[Type == "Buff", ]$Al and buffSTATrimmedAl$Al
F = 2.0804, num df = 15, denom df = 75, p-value = 0.04012
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 1.032838 5.199594
sample estimates:
ratio of variances
          2.080436
> t.test(PHCdata.Al[Type=="Buff",]$Al, buffSTATrimmedAl$Al, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Buff", ]$Al and buffSTATrimmedAl$Al
t = -1.9233, df = 18.152, p-value = 0.07028
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -3.8025286 0.1667391
sample estimates:
mean of x mean of y
 20.75000 22.56789
```

PHC buff ware appears to be almost significantly depleted in mean Al<sub>2</sub>O<sub>3</sub> relative to STA2017 buff ware, by about 1.8%.

```
KTC 2020
Mercury jars
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="MercuryJar",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and KTC2020dataAl[KTC2020dataAl$Type
== "MercuryJar", 1$Al
F = 1.1611, num df = 7, denom df = 3, p-value = 0.9915
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.07939269 6.83849237
sample estimates:
ratio of variances
           1.16107
> t.test(PHCdata.Al[Type=="MercuryJar",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="MercuryJar",]$Al, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "MercuryJar", ]$Al and KTC2020dataAl[KTC2020dataAl$Type
== "MercuryJar", ]$Al
t = -0.95656, df = 6.5484, p-value = 0.3728
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.9644182 0.4144182
sample estimates:
mean of x mean of y
   19.100
             19.375
There is no statistically significant difference between mean PHC and KTC2020 Al<sub>2</sub>O<sub>3</sub>% values
with regards to mercury jars.
Brittle ware
> var.test(PHCdata.Al[Type=="Brittle",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="Brittle",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and KTC2020dataAl[KTC2020dataAl$Type ==
"Brittle", ]$Al
F = 2.3394, num df = 16, denom df = 14, p-value = 0.1173
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.8002211 6.5900223
sample estimates:
ratio of variances
```

2.339361

```
> t.test(PHCdata.Al[Type=="Brittle",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="Brittle",]$Al, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Brittle", ]$Al and KTC2020dataAl[KTC2020dataAl$Type ==
"Brittle", ]$Al
t = -2.8109, df = 27.801, p-value = 0.00895
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -2.3568201 -0.3694544
sample estimates:
mean of x mean of v
 20.12353 21.48667
PHC brittle ware appears to be significantly depleted in mean Al<sub>2</sub>O<sub>3</sub> relative to KTC2020 brittle
ware, by about 1.4%.
Buff ware
>var.test(PHCdata.Al[Type=="Buff",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="Buff",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Buff", ]$Al and KTC2020dataAl[KTC2020dataAl$Type ==
"Buff", 1$Al
F = 12.831, num df = 15, denom df = 11, p-value = 0.000141
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  3.85313 38.59245
sample estimates:
ratio of variances
          12.83067
> t.test(PHCdata.Al[Type=="Buff",]$Al,
KTC2020dataAl[KTC2020dataAl$Type=="Buff",]$Al, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Buff", ]$Al and KTC2020dataAl[KTC2020dataAl$Type ==
"Buff", ]$Al
t = -0.4843, df = 18.014, p-value = 0.634
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -2.446502 1.529836
sample estimates:
mean of x mean of y
 20.75000 21.20833
```

There is no statistically significant difference between mean PHC and KTC2020 Al<sub>2</sub>O<sub>3</sub>% values with regards to buff ware.

```
KTC 2017
```

Mercury Jars

```
High Al
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsKTCTrimmedAlHigh$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsKTCTrimmedAlHigh$Al
F = 0.92838, num df = 7, denom df = 18, p-value = 0.983
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.2994886 4.1784184
sample estimates:
ratio of variances
         0.9283779
> t.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsKTCTrimmedAlHigh$Al,
equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsKTCTrimmedAlHigh$Al
t = -13.542, df = 13.694, p-value = 2.568e-09
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -3.296217 -2.393257
sample estimates:
mean of x mean of y
 19.10000 21.94474
Low Al
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsKTCTrimmedAlLow$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsKTCTrimmedAlLow$Al
F = 0.62849, num df = 7, denom df = 21, p-value = 0.5458
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.2117093 2.7980489
sample estimates:
ratio of variances
         0.6284866
> t.test(PHCdata.Al[Type=="MercuryJar",]$Al, mercuryjarsKTCTrimmedAlLow$Al,
equal.var=T)
       Welch Two Sample t-test
      PHCdata.Al[Type == "MercuryJar", ]$Al and mercuryjarsKTCTrimmedAlLow$Al
```

t = -1.169, df = 15.693, p-value = 0.2598

```
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.7207172 0.2088990
sample estimates:
mean of x mean of y
 19.10000 19.35591
```

```
While the mean Al<sub>2</sub>O<sub>3</sub>% of the PHC mercury jars is distinct from the high-Al KTC2017 group,
there is no significant difference between them and the low-Al KTC2017 group.
Brittle ware
> var.test(PHCdata.Al[Type=="Brittle",]$Al, brittleKTCAlTrimmed$Al)
        F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and brittleKTCAlTrimmed$Al
F = 2.6715, num df = 16, denom df = 34, p-value = 0.01578
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 1.203321 6.786166
sample estimates:
ratio of variances
          2.671541
> t.test(PHCdata.Al[Type=="Brittle",]$Al, brittleKTCAlTrimmed$Al, equal.var=F)
        Welch Two Sample t-test
data: PHCdata.Al[Type == "Brittle", ]$Al and brittleKTCAlTrimmed$Al
t = -1.6512, df = 22.005, p-value = 0.1129
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.6118119 0.1828707
sample estimates:
mean of x mean of y
 20.12353 20.83800
There is no statistically significant difference between mean PHC and KTC2017 Al<sub>2</sub>O<sub>3</sub>% values
with regards to brittle ware.
Buff ware
> var.test(PHCdata.Al[Type=="Buff",]$Al, buffKTC$Al)
        F test to compare two variances
```

```
data: PHCdata.Al[Type == "Buff", ]$Al and buffKTC$Al
F = 2.5869, num df = 15, denom df = 39, p-value = 0.01743
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
```

There is no statistically significant difference between mean PHC and KTC2017  $Al_2O_3\%$  values with regards to buff ware.

```
CCT
Mercury iars
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="MercuryJar",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and
CCTdataAlTrimmed[CCTdataAlTrimmed$Type == "MercuryJar", ]$Al
F = 0.7759, num df = 7, denom df = 4, p-value = 0.7201
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.08550687 4.28498877
sample estimates:
ratio of variances
         0.7759014
> t.test(PHCdata.Al[Type=="MercuryJar",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="MercuryJar",]$Al, equal.var=T)
       Welch Two Sample t-test
       PHCdata.Al[Type == "MercuryJar", ]$Al and
data:
CCTdataAlTrimmed[CCTdataAlTrimmed$Type == "MercuryJar", ]$Al
t = 1.4431, df = 7.7753, p-value = 0.188
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.2666268 1.1466268
sample estimates:
mean of x mean of y
    19.10
              18.66
There is no statistically significant difference between mean PHC and CCT Al<sub>2</sub>O<sub>3</sub>% values with
```

There is no statistically significant difference between mean PHC and CCT Al<sub>2</sub>O<sub>3</sub>% values with regards to mercury jars.

```
Brittle ware
> var.test(PHCdata.Al[Type=="Brittle",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="Brittle",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and
CCTdataAlTrimmed[CCTdataAlTrimmed$Type == "Brittle", ]$Al
F = 2.8054, num df = 16, denom df = 7, p-value = 0.1712
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.6175411 9.0317181
sample estimates:
ratio of variances
          2.805377
> t.test(PHCdata.Al[Type=="Brittle",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="Brittle",]$Al, equal.var=T)
       Welch Two Sample t-test
```

```
data: PHCdata.Al[Type == "Brittle", ]$Al and
CCTdataAlTrimmed[CCTdataAlTrimmed$Type == "Brittle", ]$Al
t = 0.42363, df = 21.38, p-value = 0.6761
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -0.8726054   1.3196643
sample estimates:
mean of x mean of y
   20.12353   19.90000
```

There is no statistically significant difference between mean PHC and CCT  $Al_2O_3\%$  values with regards to brittle ware.

```
Buff ware
> var.test(PHCdata.Al[Type=="Buff",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="Buff", ]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Buff", ]$Al and CCTdataAlTrimmed[CCTdataAlTrimmed$Type
== "Buff", ]$Al
F = 3.4918, num df = 15, denom df = 5, p-value = 0.1735
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  0.5432395 12.4881126
sample estimates:
ratio of variances
          3.491796
> t.test(PHCdata.Al[Type=="Buff",]$Al,
CCTdataAlTrimmed[CCTdataAlTrimmed$Type=="Buff",]$Al, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Buff", ]$Al and CCTdataAlTrimmed[CCTdataAlTrimmed$Type
== "Buff", ]$Al
t = -0.97529, df = 16.969, p-value = 0.3431
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -3.690824 1.357491
sample estimates:
mean of x mean of y
 20.75000 21.91667
```

There is no statistically significant difference between mean PHC and CCT Al<sub>2</sub>O<sub>3</sub>% values with regards to buff ware.

```
FTCSG
Mercury iars
> var.test(PHCdata.Al[Type=="MercuryJar",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="MercuryJar",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "MercuryJar", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Type == "MercuryJar", ]$Al
F = 0.85213, num df = 7, denom df = 4, p-value = 0.7982
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.09390755 4.70597012
sample estimates:
ratio of variances
         0.8521303
t.test(PHCdata.Al[Type=="MercuryJar",]$Al,FTCdataAlTrimmed[FTCdataAlTrimmed$Type=
="MercuryJar",]$Al, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "MercuryJar", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Tvpe == "MercuryJar", ]$Al
t = -1.3534, df = 8.0848, p-value = 0.2126
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.0803255 0.2803255
sample estimates:
mean of x mean of y
     19.1
               19.5
There is no statistically significant difference between mean PHC and FTCSG Al<sub>2</sub>O<sub>3</sub>% values
with regards to mercury jars.
Brittle ware
High Al
> var.test(PHCdata.Al[Type=="Brittle",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Brittle-HighAl",]$Al)
       F test to compare two variances
data: PHCdata.Al[Type == "Brittle", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Type == "Brittle-HighAl", ]$Al
F = 26.932, num df = 16, denom df = 5, p-value = 0.0018
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  4.205988 94.317658
sample estimates:
```

ratio of variances

```
> t.test(PHCdata.Al[Type=="Brittle",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Brittle-HighAl",]$Al, equal.var=F)
       Welch Two Sample t-test
       PHCdata.Al[Type == "Brittle", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Type == "Brittle-HighAl", ]$Al
t = -2.8116, df = 18.875, p-value = 0.01119
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -2.0526577 -0.3002835
sample estimates:
mean of x mean of y
 20.12353 21.30000
Low Al
> var.test(PHCdata.Al[Type=="Brittle",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Brittle-LowAl",]$Al)
       F test to compare two variances
       PHCdata.Al[Type == "Brittle", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Type == "Brittle-LowAl", ]$Al
F = 67.329, num df = 16, denom df = 5, p-value = 0.0001918
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  10.51497 235.79415
sample estimates:
ratio of variances
          67.32904
> t.test(PHCdata.Al[Type=="Brittle",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Brittle-LowAl",]$Al, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Al[Type == "Brittle", ]$Al and
FTCdataAlTrimmed[FTCdataAlTrimmed$Type == "Brittle-LowAl", ]$Al
t = 2.0268, df = 17.277, p-value = 0.0584
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.03266414 1.67972297
sample estimates:
mean of x mean of y
 20.12353 19.30000
While the mean Al<sub>2</sub>O<sub>3</sub>% of the PHC brittle ware is distinct from the high-Al FTCSG group, there
```

While the mean Al<sub>2</sub>O<sub>3</sub>% of the PHC brittle ware is distinct from the high-Al FTCSG group, there is almost no significant difference between them and the low-Al FTCSG group.

```
Buff ware
> var.test(PHCdata.Al[Type=="Buff",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Buff",]$Al)
```

#### F test to compare two variances

```
data: PHCdata.Al[Type == "Buff", ]$Al and FTCdataAlTrimmed[FTCdataAlTrimmed$Type
== "Buff", ]$Al
F = 10.956, num df = 15, denom df = 9, p-value = 0.001019
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  2.906527 34.211614
sample estimates:
ratio of variances
         10.95574
> t.test(PHCdata.Al[Type=="Buff",]$Al,
FTCdataAlTrimmed[FTCdataAlTrimmed$Type=="Buff",]$Al, equal.var=F)
       Welch Two Sample t-test
      PHCdata.Al[Type == "Buff", ]$Al and FTCdataAlTrimmed[FTCdataAlTrimmed$Type
== "Buff", ]$Al
t = 0.32149, df = 19.025, p-value = 0.7513
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.708068 2.328068
sample estimates:
mean of x mean of y
    20.75
              20.44
```

There is no statistically significant difference between mean PHC and FTCSG  $Al_2O_3\%$  values with regards to buff ware.

#### Iron oxide

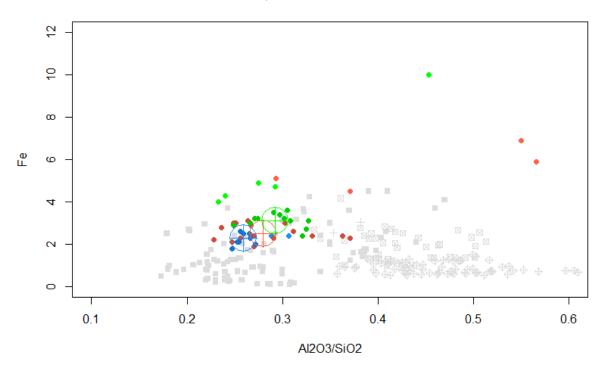
Category	Fe <sub>2</sub> 0 <sub>3</sub> %	Category	Fe <sub>2</sub> 0 <sub>3</sub> %	Category	Fe <sub>2</sub> 0 <sub>3</sub> %
Mercury jars	2.3 ± 0.3	Brittle ware	3.1 ± 0.3	Buff ware	2.5 ± 0.4
PHC-MER-GA	2.3 ± 0.2	PHC-BRI-GA	3.3 ± 0.3	PHC-BUF-GA	2.5 ± 0.3
		PHC-BRI-02	4.0	PHC-BUF-03	4.5
		PHC-BRI-04	4.3		
PHC-MER-UB	2.2 ± 0.3	PHC-BRI-GB	3.0 ± 0.3	PHC-BUF-GB	2.8 ± 0.4
		PHC-BRI-UC15	10.0	PHC-BUF-GC	2.0 ± 0.1
		PHC-BRI-UC16	4.9	PHC-BUF-11	5.1
		PHC-BRI-UD17	3.0	PHC-BUF-UD	2.5 ± 0.2
		PHC-BRI-UD18	4.7		
				PHC-BUF-UE14	6.9
				PHC-BUF-UE15	5.9
				PHC-BUF-UE16	2.9
				PHC-BUF-UF	2.9 ± 0.1
				PHC-BUF-UG	2.3 ± 0.1

The brittle ware is significantly enriched in  $Fe_2O_3$  relative to the other two categories, which are almost indistinguishable. Even amongst the high- $Fe_2O_3$  brittle sherds there are numerous outliers (GA-02, 4.0%; GA-04, 4.3%; UC-16, 4.9%, UD-18, 4.7%) with a truly remarkable one in UC-15 at 10.0%.

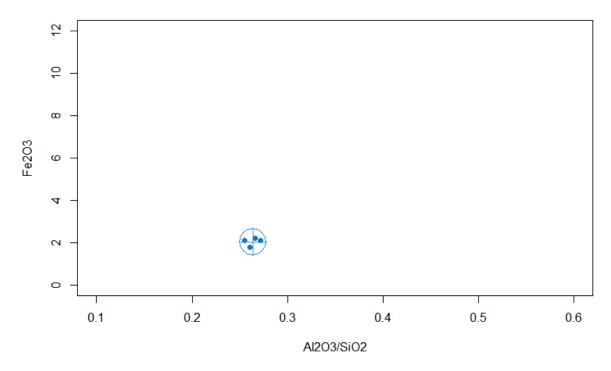
Apart from BRI-UC-16, the buff ware outliers are even more enriched in Fe $_2$ O $_3$  (GA-03, 4.5%; GC-11, 5.1%; UE-14, 6.9%; UE-15, 5.9%); BUF-UE is a clear outlier in all three elements used in these comparisons.

# Fabric Groups

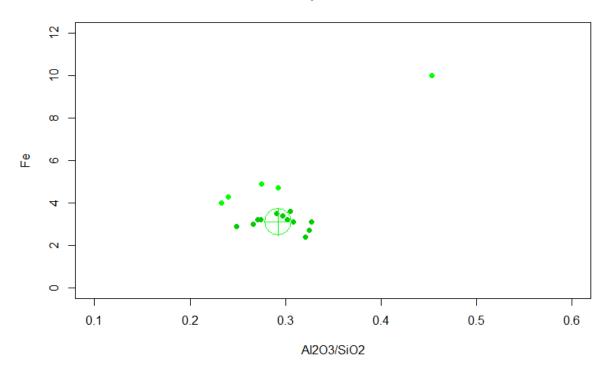
PHC, Fe2O3 vs. Al2O3/SiO2



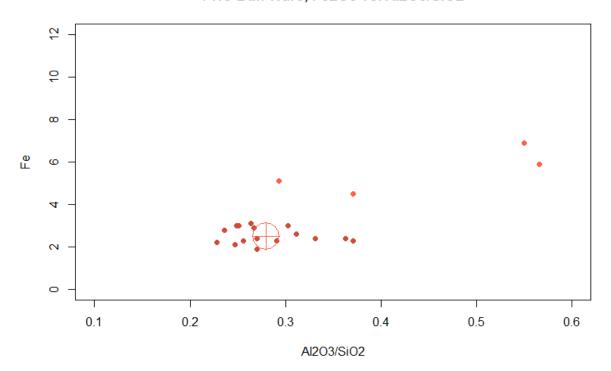
# KTC2020 Mercury Jars, Fe2O3 vs. Al2O3/SiO2



# PHC Brittle Ware, Fe2O3 vs. Al2O3/SiO2



# PHC Buff Ware, Fe2O3 vs. Al2O3/SiO2



```
KTC 2020
Mercury jars
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="MercuryJar",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and KTC2020dataFe[KTC2020dataFe$Type
== "MercuryJar", ]$Fe
F = 2.2259, num df = 9, denom df = 3, p-value = 0.5521
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  0.1537977 11.3035160
sample estimates:
ratio of variances
          2.225926
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="MercuryJar",]$Fe, equal.var=T)
       Welch Two Sample t-test
       PHCdata.Fe[Type == "MercuryJar", ]$Fe and KTC2020dataFe[KTC2020dataFe$Type
data:
== "MercuryJar", ]$Fe
t = 1.8476, df = 8.4797, p-value = 0.09974
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.05189659 0.49189659
sample estimates:
mean of x mean of y
     2.27
               2.05
There is no statistically significant difference between mean PHC and KTC2020 Fe<sub>2</sub>O<sub>3</sub>% values
with regards to mercury jars.
Brittle ware
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="Brittle",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and KTC2020dataFe[KTC2020dataFe$Type ==
"Brittle", ]$Fe
F = 0.98027, num df = 12, denom df = 11, p-value = 0.9667
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.2858254 3.2559500
sample estimates:
ratio of variances
         0.9802705
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="Brittle",]$Fe, equal.var=T)
```

Welch Two Sample t-test

```
"Brittle", 1$Fe
t = 2.5701, df = 22.801, p-value = 0.01718
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.06465951 0.59944305
sample estimates:
mean of x mean of y
 3.115385 2.783333
PHC brittle ware appears to be significantly enriched in mean Al<sub>2</sub>O<sub>3</sub> relative to KTC2020 brittle
ware, by about 0.3%.
Buff ware
>var.test(PHCdata.Fe[Type=="Buff",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="Buff",]$Fe)
        F test to compare two variances
data: PHCdata.Fe[Type == "Buff", ]$Fe and KTC2020dataFe[KTC2020dataFe$Type ==
"Buff", ]$Fe
F = 0.23108, num df = 15, denom df = 11, p-value = 0.01002
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.06939345 0.69503581
sample estimates:
ratio of variances
         0.2310757
> t.test(PHCdata.Fe[Type=="Buff",]$Fe,
KTC2020dataFe[KTC2020dataFe$Type=="Buff",]$Fe, equal.var=F)
```

data: PHCdata.Fe[Type == "Brittle", ]\$Fe and KTC2020dataFe[KTC2020dataFe\$Type ==

```
Welch Two Sample t-test
```

```
data: PHCdata.Fe[Type == "Buff", ]$Fe and KTC2020dataFe[KTC2020dataFe$Type ==
"Buff", ]$Fe
t = -1.1557, df = 14.817, p-value = 0.2661
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -0.8005047   0.2380047
sample estimates:
mean of x mean of y
   2.54375   2.82500
```

There is no statistically significant difference between mean PHC and KTC2020 Fe<sub>2</sub>O<sub>3</sub>% values with regards to buff ware.

```
KTC 2017
Mercury Jars
High Fe
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsKTCTrimmedFeHigh$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsKTCTrimmedFeHigh$Fe
F = 1.2758, num df = 9, denom df = 7, p-value = 0.7649
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.2645164 5.3546754
sample estimates:
ratio of variances
           1.27582
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsKTCTrimmedFeHigh$Fe,
equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsKTCTrimmedFeHigh$Fe
t = -10.056, df = 15.789, p-value = 2.88e-08
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.4002622 -0.9122378
sample estimates:
mean of x mean of y
  2.27000
            3.42625
Low Fe
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsKTCTrimmedFeLow$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsKTCTrimmedFeLow$Fe
F = 0.7439, num df = 9, denom df = 35, p-value = 0.6665
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.2971023 2.6253614
sample estimates:
ratio of variances
         0.7439046
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsKTCTrimmedFeLow$Fe,
equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsKTCTrimmedFeLow$Fe
t = -0.55981, df = 16.389, p-value = 0.5832
```

alternative hypothesis: true difference in means is not equal to 0

```
95 percent confidence interval:

-0.2562373 0.1490151

sample estimates:

mean of x mean of y

2.270000 2.323611
```

While the mean Fe<sub>2</sub>O<sub>3</sub>% of the PHC mercury jars is distinct from the high-Fe<sub>2</sub>O<sub>3</sub> KTC2017 group, there is no significant difference between them and the low- Fe<sub>2</sub>O<sub>3</sub> KTC2017 group.

```
Brittle ware
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleKTCFeTrimmed$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleKTCFeTrimmed$Fe
F = 0.22876, num df = 12, denom df = 36, p-value = 0.008915
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.0982284 0.6692456
sample estimates:
ratio of variances
         0.2287629
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleKTCFeTrimmed$Fe, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleKTCFeTrimmed$Fe
t = 1.7153, df = 43.2, p-value = 0.09346
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.04270414 0.52914905
sample estimates:
mean of x mean of y
 3.115385 2.872162
There is no statistically significant difference between mean PHC and FTCSG Fe<sub>2</sub>O<sub>3</sub>% values
with regards to brittle ware.
Buff ware
> var.test(PHCdata.Fe[Type=="Buff",]$Fe, buffKTCFeTrimmed$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffKTCFeTrimmed$Fe
F = 2.2163, num df = 15, denom df = 23, p-value = 0.08334
```

alternative hypothesis: true ratio of variances is not equal to 1

95 percent confidence interval:

PHC brittle ware appears to be significantly enriched in mean  $Fe_2O_3$  relative to KTC2017 mercury jars, by about 0.6%.

```
STA 2020
Mercury jars
High Fe
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsTrimmedHigh$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsTrimmedHigh$Fe
F = 1.0311, num df = 9, denom df = 6, p-value = 0.9914
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1866832 4.4541838
sample estimates:
ratio of variances
          1.031127
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsTrimmedHigh$Fe,
equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsTrimmedHigh$Fe
t = -8.2741, df = 13.202, p-value = 1.388e-06
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.3165267 -0.7720447
sample estimates:
mean of x mean of y
 2.270000 3.314286
Low Fe
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsTrimmedLow$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsTrimmedLow$Fe
F = 1.5774, num df = 9, denom df = 9, p-value = 0.5078
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.3918108 6.3507152
sample estimates:
ratio of variances
          1.577428
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsTrimmedLow$Fe,
equal.var=T)
       Welch Two Sample t-test
```

data: PHCdata.Fe[Type == "MercuryJar", ]\$Fe and mercuryjarsTrimmedLow\$Fe

t = 0.95734, df = 17.14, p-value = 0.3517

```
alternative hypothesis: true difference in means is not equal to 0 95 percent confidence interval: -0.1202467 \quad 0.3202467 sample estimates: mean of x mean of y 2.27 \quad 2.17
```

While the mean  $Fe_2O_3\%$  of the PHC mercury jars is distinct from the high- $Fe_2O_3$  STA2020 group, there is no significant difference between them and the low- $Fe_2O_3$  STA2020 group.

```
Brittle ware
High Fe
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleTrimmedFeHigh$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleTrimmedFeHigh$Fe
F = 1.3001, num df = 12, denom df = 7, p-value = 0.7526
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.2786363 4.6887190
sample estimates:
ratio of variances
          1.300069
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleTrimmedFeHigh$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleTrimmedFeHigh$Fe
t = -0.82069, df = 16.515, p-value = 0.4235
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.3920456 0.1728148
sample estimates:
mean of x mean of v
 3.115385 3.225000
Low Fe
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleTrimmedFeLow$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleTrimmedFeLow$Fe
F = 4.1231, num df = 12, denom df = 7, p-value = 0.06944
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  0.883675 14.869937
sample estimates:
ratio of variances
          4.123077
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleTrimmedFeLow$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleTrimmedFeLow$Fe
t = 7.042, df = 18.418, p-value = 1.259e-06
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.5198570 0.9609122
sample estimates:
```

mean of x mean of y 3.115385 2.375000

While the mean Fe $_2$ O $_3$ % of the PHC mercury jars is distinct from the high- Fe $_2$ O $_3$  STA2020 group, there is no significant difference between them and the low-Fe $_2$ O $_3$  KTC2017 group.

```
Buff ware
High Fe
> var.test(PHCdata.Fe[Type=="Buff",]$Fe, buffTrimmedFeHigh$Fe)
       F test to compare two variances
      PHCdata.Fe[Type == "Buff", ]$Fe and buffTrimmedFeHigh$Fe
F = 1.0033, num df = 15, denom df = 17, p-value = 0.9865
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.3684443 2.8220376
sample estimates:
ratio of variances
          1.003286
> t.test(PHCdata.Fe[Type=="Buff",]$Fe, buffTrimmedFeHigh$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffTrimmedFeHigh$Fe
t = -4.4309, df = 31.522, p-value = 0.0001057
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.8308951 -0.3073271
sample estimates:
mean of x mean of v
 2.543750 3.112861
Low Fe
> var.test(PHCdata.Fe[Type=="Buff",]$Fe, buffTrimmedFeLow$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffTrimmedFeLow$Fe
F = 10.129, num df = 15, denom df = 10, p-value = 0.0007775
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  2.876255 30.997438
sample estimates:
ratio of variances
          10.12923
> t.test(PHCdata.Fe[Type=="Buff",]$Fe, buffTrimmedFeLow1$Fe, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffTrimmedFeLow1$Fe
t = 3.5343, df = 20.692, p-value = 0.002001
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.1485551 0.5742390
sample estimates:
```

mean of x mean of y 2.543750 2.182353

The PHC buff ware is statistically distinct from both the high-  $Fe_2O_3$  STA2020 group, there is no significant difference between them and the low-  $Fe_2O_3$  STA2020 group.

```
STA 2017
Mercury jars
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsSTA$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsSTA$Fe
F = 0.54802, num df = 9, denom df = 30, p-value = 0.345
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.2128554 1.9511745
sample estimates:
ratio of variances
         0.5480196
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe, mercuryjarsSTA$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and mercuryjarsSTA$Fe
t = 1.6568, df = 20.575, p-value = 0.1127
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.0438199 0.3851102
sample estimates:
mean of x mean of y
 2.270000 2.099355
There is no statistically significant difference between mean PHC and STA2017 Fe<sub>2</sub>O<sub>3</sub>% values
with regards to mercury jars.
Brittle ware
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleSTATrimmedFe$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and brittleSTATrimmedFe$Fe
F = 0.14436, num df = 12, denom df = 62, p-value = 0.0007787
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.06678069 0.41054471
sample estimates:
ratio of variances
         0.1443583
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe, brittleSTATrimmedFe$Fe, equal.var=F)
```

PHCdata.Fe[Type == "Brittle", ]\$Fe and brittleSTATrimmedFe\$Fe

Welch Two Sample t-test

t = 0.39448, df = 50.754, p-value = 0.6949

```
alternative hypothesis: true difference in means is not equal to 0 95 percent confidence interval:
-0.2239173  0.3334167
sample estimates:
mean of x mean of y
3.115385  3.060635
```

There is no statistically significant difference between mean PHC and STA2017 Fe $_2O_3\%$  values with regards to brittle ware.

```
Buff ware
> var.test(PHCdata.Fe[Type=="Buff",]$Fe, buffSTATrimmedFe1$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffSTATrimmedFe1$Fe
F = 0.75263, num df = 15, denom df = 52, p-value = 0.5586
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.3587452 1.9140497
sample estimates:
ratio of variances
         0.7526262
> t.test(PHCdata.Fe[Type=="Buff",]$Fe, buffSTATrimmedFe1$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Buff", ]$Fe and buffSTATrimmedFe1$Fe
t = 1.8677, df = 28.141, p-value = 0.07225
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.0199534 0.4334911
sample estimates:
mean of x mean of y
 2.543750 2.336981
```

PHC buff ware appears to be almost significantly enriched in mean  $Fe_2O_3$  relative to STA2017 buff ware, by about 0.2%.

```
CCT
```

```
Mercury jars
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="MercuryJar",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and
CCTdataFeTrimmed[CCTdataFeTrimmed$Type == "MercuryJar", ]$Fe
F = 9.5397, num df = 9, denom df = 4, p-value = 0.04416
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  1.071311 45.008971
sample estimates:
ratio of variances
          9.539683
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="MercuryJar",]$Fe, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and
CCTdataFeTrimmed[CCTdataFeTrimmed$Type == "MercuryJar", ]$Fe
t = 1.669, df = 11.984, p-value = 0.121
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.04585276 0.34585276
sample estimates:
mean of x mean of y
               2.12
     2.27
There is no statistically significant difference between mean PHC and CCT Fe<sub>2</sub>O<sub>3</sub>% values with
regards to mercury jars.
Brittle ware
> var.test(PHCdata.Fe[Type=="Buff",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="Buff",]$Fe)
       F test to compare two variances
       PHCdata.Fe[Type == "Buff", ]$Fe and CCTdataFeTrimmed[CCTdataFeTrimmed$Type
data:
== "Buff", ]$Fe
F = 0.33681, num df = 15, denom df = 7, p-value = 0.07289
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.07373684 1.10925038
sample estimates:
ratio of variances
         0.3368142
> t.test(PHCdata.Fe[Type=="Buff",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="Buff",]$Fe, equal.var=T)
```

```
Welch Two Sample t-test
data: PHCdata.Fe[Type == "Buff", ]$Fe and CCTdataFeTrimmed[CCTdataFeTrimmed$Type
== "Buff", ]$Fe
t = -0.98944, df = 9.4314, p-value = 0.3472
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.7971756 0.3096756
sample estimates:
mean of x mean of y
  2.54375
            2.78750
There is no statistically significant difference between mean PHC and CCT Fe<sub>2</sub>O<sub>3</sub>% values in
terms of brittle ware.
Buff ware
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="Brittle",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and
CCTdataFeTrimmed[CCTdataFeTrimmed$Type == "Brittle", ]$Fe
F = 0.90192, num df = 12, denom df = 7, p-value = 0.8338
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.1933039 3.2527988
sample estimates:
ratio of variances
         0.9019231
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe,
CCTdataFeTrimmed[CCTdataFeTrimmed$Type=="Brittle",]$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Brittle", ]$Fe and
CCTdataFeTrimmed[CCTdataFeTrimmed$Type == "Brittle", ]$Fe
t = 1.4451, df = 14.348, p-value = 0.1699
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.1035606 0.5343298
sample estimates:
mean of x mean of y
 3.115385 2.900000
```

There is no statistically significant difference between mean PHC and CCT  $Fe_2O_3\%$  values in terms of buff ware.

```
FTCSG
```

```
Mercury jars
> var.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="MercuryJar",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "MercuryJar", ]$Fe and
FTCdataFeTrimmed[FTCdataFeTrimmed$Type == "MercuryJar", ]$Fe
F = 0.58068, num df = 9, denom df = 4, p-value = 0.4573
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.06521023 2.73967648
sample estimates:
ratio of variances
         0.5806763
> t.test(PHCdata.Fe[Type=="MercuryJar",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="MercuryJar",]$Fe, equal.var=T)
       Welch Two Sample t-test
       PHCdata.Fe[Type == "MercuryJar", ]$Fe and
data:
FTCdataFeTrimmed[FTCdataFeTrimmed$Type == "MercuryJar", ]$Fe
t = 0.40633, df = 6.4194, p-value = 0.6977
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.3449489 0.4849489
sample estimates:
mean of x mean of y
     2.27
               2.20
There is no statistically significant difference between mean PHC and FTCSG Fe<sub>2</sub>O<sub>3</sub>% values in
terms of mercury jars.
Brittle ware
> var.test(PHCdata.Fe[Type=="Brittle",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="Brittle",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Brittle", ]$Fe and
FTCdataFeTrimmed[FTCdataFeTrimmed$Type == "Brittle", ]$Fe
F = 2.4297, num df = 12, denom df = 11, p-value = 0.1523
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.7084386 8.0701046
sample estimates:
ratio of variances
           2,42967
> t.test(PHCdata.Fe[Type=="Brittle",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="Brittle",]$Fe, equal.var=T)
```

Welch Two Sample t-test

```
data: PHCdata.Fe[Type == "Brittle", ]$Fe and
FTCdataFeTrimmed[FTCdataFeTrimmed$Type == "Brittle", ]$Fe
t = -1.1016, df = 20.616, p-value = 0.2833
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
    -0.3408696    0.1049721
sample estimates:
mean of x mean of y
3.115385    3.233333
```

There is no statistically significant difference between mean PHC and FTCSG Fe<sub>2</sub>O<sub>3</sub>% values in terms of brittle ware.

```
Buff ware
> var.test(PHCdata.Fe[Type=="Buff",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="Buff",]$Fe)
       F test to compare two variances
data: PHCdata.Fe[Type == "Buff", ]$Fe and FTCdataFeTrimmed[FTCdataFeTrimmed$Type
== "Buff", ]$Fe
F = 2.2902, num df = 15, denom df = 8, p-value = 0.2384
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.5584269 7.3258372
sample estimates:
ratio of variances
          2.290227
> t.test(PHCdata.Fe[Type=="Buff",]$Fe,
FTCdataFeTrimmed[FTCdataFeTrimmed$Type=="Buff",]$Fe, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.Fe[Type == "Buff", ]$Fe and FTCdataFeTrimmed[FTCdataFeTrimmed$Type
== "Buff", ]$Fe
t = 1.8663, df = 22.221, p-value = 0.07525
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.02571968 0.49099746
sample estimates:
mean of x mean of y
 2.543750 2.311111
```

PHC buff ware appears to be almost significantly enriched in mean  $Fe_2O_3$  relative to STA2017 buff ware, by about 0.2%.

#### Potassium oxide

Category	K <sub>2</sub> 0%	Category	K <sub>2</sub> 0%	Category	K <sub>2</sub> 0%
Mercury jars	3.2 ± 0.3	Brittle ware	3.8 ± 0.3	Buff ware	2.0 ± 0.3
PHC-MER-GA	3.2 ± 0.4	PHC-BRI-GA	3.9 ± 0.2	PHC-BUF-GA	2.1 ± 0.3
PHC-MER-UB	3.2 ± 0.2	PHC-BRI-GB	3.8 ± 0.3	PHC-BUF-GB	2.0 ± 0.2
		PHC-BRI-12	1.9		
		PHC-BRI-UC15	2.1	PHC-BUF-GC	1.9 ± 0.3
		PHC-BRI-UC16	3.5	PHC-BUF-09	3.4
		PHC-BRI-UD	3.5 ±<0.1	PHC-BUF-UD	$2.1 \pm 0.4$
				PHC-BUF-UE14	1.0
				PHC-BUF-UE15	0.9
				PHC-BUF-UE16	1.5
				PHC-BUF-UF	$2.0 \pm 0.1$
				PHC-BUF-UG	1.7 ±<0.1

Pairwise comparisons using t tests with pooled SD

data: K and Type

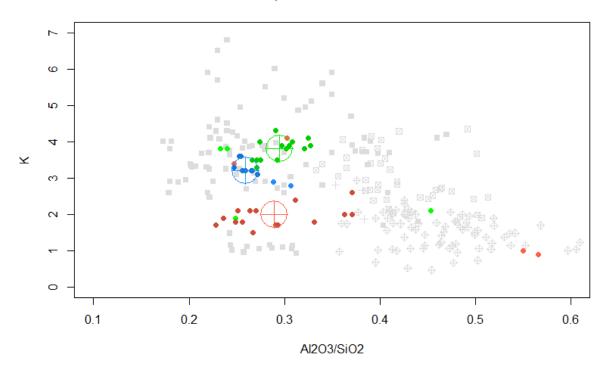
Brittle Buff MercuryJar
Buff 0.371 - MercuryJar 0.787 0.787 TemperedJar 0.015 0.764 0.764

P value adjustment method: holm

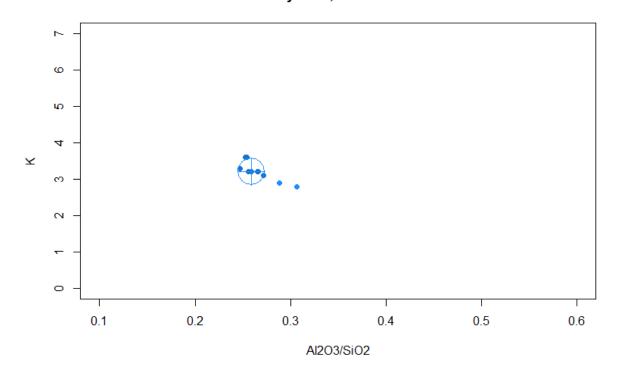
Mercury jars and brittle ware significantly enriched in  $K_2O$  relative to buff ware, a pattern consistently seen in other sites. There are two low- $K_2O$  brittle sherds (GB-12, 1.9%; UC-15, 2.1%), but only the buff outliers (which already have rare Al2O3 and Fe2O3 values) are particularly notable (UE-14, 1.0%; UE-15, 0.9%).

## Fabric Groups

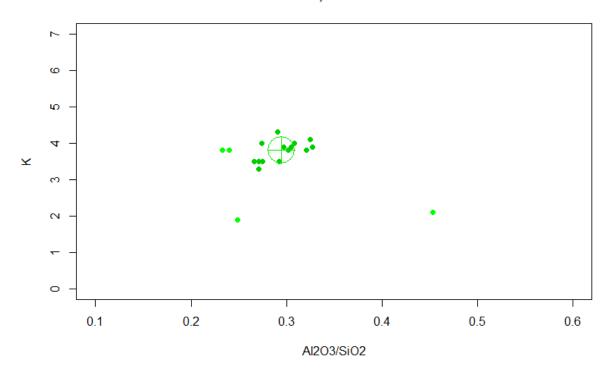
# PHC, K2O vs. Al2O3/SiO2



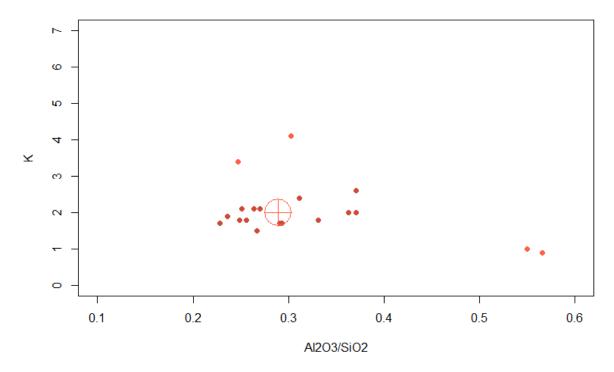
## PHC Mercury Jars, K2O vs. Al2O3/SiO2



# PHC Brittle Ware, K2O vs. Al2O3/SiO2



### PHC Buff Ware, K2O vs. Al2O3/SiO2



data: PHCdata.K[Type == "MercuryJar", ]\$K and KTC2020dataK[KTC2020dataK\$Type ==
"MercuryJar", ]\$K
F = 26.178, num df = 9, denom df = 3, p-value = 0.02131
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 1.808722 132.933862
sample estimates:
ratio of variances
 26.17778

> t.test(PHCdata.K[Type=="MercuryJar",]\$K,
KTC2020dataK[KTC2020dataK\$Type=="MercuryJar",]\$K, equal.var=F)

```
Welch Two Sample t-test
data: PHCdata.K[Type == "MercuryJar", ]$K and KTC2020dataK[KTC2020dataK$Type ==
"MercuryJar", ]$K
t = -0.17715, df = 10.513, p-value = 0.8628
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -0.2024208    0.1724208
sample estimates:
mean of x mean of y
    3.210    3.225
```

There is no statistically significant difference between mean PHC and KTC2020  $K_2O\%$  values with regards to mercury jars.

```
Brittle ware
```

```
data: PHCdata.K[Type == "Brittle", ]$K and KTC2020dataK[KTC2020dataK$Type ==
"Brittle", ]$K
t = 7.8203, df = 28.797, p-value = 1.329e-08
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.5125657 0.8757676
sample estimates:
mean of x mean of y
 3.787500 3.093333
PHC brittle ware appears to be significantly enriched in mean K<sub>2</sub>O relative to STA2017 brittle
ware, by about 0.7%.
Buff ware
> var.test(PHCdata.K[Type=="Buff",]$K,
KTC2020dataK[KTC2020dataK$Type=="Buff", ]$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and KTC2020dataK[KTC2020dataK$Type ==
"Buff", ]$K
F = 0.52101, num df = 15, denom df = 10, p-value = 0.246
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.1479436 1.5943902
sample estimates:
ratio of variances
          0.521009
> t.test(PHCdata.K[Type=="Buff",]$K, KTC2020dataK[KTC2020dataK$Type=="Buff",]$K,
equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Buff", ]$K and KTC2020dataK[KTC2020dataK$Type ==
"Buff", ]$K
t = -9.7775, df = 16.993, p-value = 2.159e-08
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.622664 -1.046654
sample estimates:
mean of x mean of y
 1.956250 3.290909
```

PHC buff ware appears to be significantly depleted in mean  $K_2O$  relative to STA2017 buff ware, by about 1.3%.

```
KTC 2017
Mercury jars
> var.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjarsKTCTrimmedK$K)
       F test to compare two variances
data: PHCdata.K[Type == "MercuryJar", ]$K and mercuryjarsKTCTrimmedK$K
F = 0.67393, num df = 9, denom df = 41, p-value = 0.5451
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.275841 2.359689
sample estimates:
ratio of variances
         0.6739261
> t.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjarsKTCTrimmedK$K, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "MercuryJar", ]$K and mercuryjarsKTCTrimmedK$K
t = 0.64515, df = 16.043, p-value = 0.528
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.1387450 0.2601736
sample estimates:
mean of x mean of y
 3.210000 3.149286
There is no statistically significant difference between mean PHC and KTC2017 K<sub>2</sub>0% values
with regards to mercury jars.
Brittle ware
> var.test(PHCdata.K[Type=="Brittle",]$K, brittleKTCKTrimmed$K)
       F test to compare two variances
data: PHCdata.K[Type == "Brittle", ]$K and brittleKTCKTrimmed$K
F = 0.43088, num df = 15, denom df = 35, p-value = 0.08355
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1927904 1.1247869
sample estimates:
ratio of variances
         0.4308848
> t.test(PHCdata.K[Type=="Brittle",]$K, brittleKTCKTrimmed$K, equal.var=T)
       Welch Two Sample t-test
```

data: PHCdata.K[Type == "Brittle", ]\$K and brittleKTCKTrimmed\$K

alternative hypothesis: true difference in means is not equal to 0

t = 7.0611, df = 42.517, p-value = 1.114e-08

95 percent confidence interval: 0.4771924 0.8589187 sample estimates: mean of x mean of y 3.787500 3.119444

PHC brittle ware appears to be significantly enriched in mean  $K_2O$  relative to STA2017 brittle ware, by about 0.7%.

```
Buff ware
```

```
> var.test(PHCdata.K[Type=="Buff",]$K, buffKTC$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and buffKTC$K
F = 0.2521, num df = 15, denom df = 39, p-value = 0.005887
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.1150426 0.6528379
sample estimates:
ratio of variances
         0.2521006
> t.test(PHCdata.K[Type=="Buff",]$K, buffKTC$K, equal.var=F)
       Welch Two Sample t-test
      PHCdata.K[Type == "Buff", ]$K and buffKTC$K
t = -8.4794, df = 50.99, p-value = 2.611e-11
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -1.1823426 -0.7296574
sample estimates:
mean of x mean of y
  1.95625
            2.91225
```

PHC buff ware appears to be significantly depleted in mean  $K_2O$  relative to STA2017 buff ware, by about 1.0%.

```
Mercury jars
> var.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjarsSTATrimmedK$K)
       F test to compare two variances
data: PHCdata.K[Type == "MercuryJar", ]$K and mercuryjarsSTATrimmedK$K
F = 1.1974, num df = 9, denom df = 27, p-value = 0.6729
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.4551539 4.2921816
sample estimates:
ratio of variances
          1.197444
> t.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjarsSTATrimmedK$K, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "MercuryJar", ]$K and mercuryjarsSTATrimmedK$K
t = 2.317, df = 14.732, p-value = 0.03533
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.0167923 0.4103506
sample estimates:
mean of x mean of y
 3.210000 2.996429
PHC mercury jars appear to be significantly enriched in mean K<sub>2</sub>O relative to STA2020 mercury
jars, by about 0.2%.
Brittle ware
> var.test(PHCdata.K[Type=="Brittle",]$K, brittle$K)
       F test to compare two variances
data: PHCdata.K[Type == "Brittle", ]$K and brittle$K
F = 0.078479, num df = 15, denom df = 19, p-value = 8.876e-06
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.0299869 0.2176259
sample estimates:
ratio of variances
        0.07847924
> t.test(PHCdata.K[Type=="Brittle",]$K, brittle$K, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Brittle", ]$K and brittle$K
t = 3.8384, df = 22.635, p-value = 0.0008586
alternative hypothesis: true difference in means is not equal to 0
```

```
95 percent confidence interval:
0.392626 1.312291
sample estimates:
mean of x mean of y
3.787500 2.935042
```

PHC brittle ware appears to be significantly enriched in mean K<sub>2</sub>O relative to STA2020 brittle ware, by about 0.8%.

```
Buff ware
> var.test(PHCdata.K[Type=="Buff",]$K, buff$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and buff$K
F = 0.14791, num df = 15, denom df = 12, p-value = 0.0008648
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.04655261 0.43829026
sample estimates:
ratio of variances
          0.147907
> t.test(PHCdata.K[Type=="Buff",]$K, buff$K, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Buff", ]$K and buff$K
t = -1.8919, df = 14.886, p-value = 0.07812
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.86138533 0.05157764
sample estimates:
mean of x mean of y
 1.956250 2.361154
```

PHC buff ware appears to be significantly depleted in mean  $K_2O$  relative to STA2020 buff ware, by about 0.4%.

```
STA 2017
Mercury jars
> var.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjars$K)
       F test to compare two variances
       PHCdata.K[Type == "MercuryJar", ]$K and mercuryjars$K
F = 0.40493, num df = 9, denom df = 20, p-value = 0.1646
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1427547 1.4848410
sample estimates:
ratio of variances
         0.4049303
> t.test(PHCdata.K[Type=="MercuryJar",]$K, mercuryjars$K, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "MercuryJar", ]$K and mercuryjars$K
t = 0.48284, df = 26.267, p-value = 0.6332
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.1875539 0.3027920
sample estimates:
mean of x mean of y
 3.210000 3.152381
There is no statistically significant difference between mean PHC and KTC2017 K<sub>2</sub>0% values
with regards to mercury jars.
Brittle ware
> var.test(PHCdata.K[Type=="Brittle",]$K, brittleSTA$K)
       F test to compare two variances
data: PHCdata.K[Type == "Brittle", ]$K and brittleSTA$K
F = 0.084106, num df = 15, denom df = 74, p-value = 4.32e-06
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.04170229 0.21031820
sample estimates:
ratio of variances
        0.08410577
> t.test(PHCdata.K[Type=="Brittle",]$K, brittleSTA$K, equal.var=F)
       Welch Two Sample t-test
```

data: PHCdata.K[Type == "Brittle", ]\$K and brittleSTA\$K

alternative hypothesis: true difference in means is not equal to 0

t = 4.9926, df = 81.419, p-value = 3.331e-06

```
95 percent confidence interval: 0.3748792 0.8715875 sample estimates: mean of x mean of y 3.787500 3.164267
```

PHC brittle ware appears to be significantly enriched in mean K<sub>2</sub>O relative to STA2017 brittle ware, by about 0.6%.

```
Buff ware
> var.test(PHCdata.K[Type=="Buff",]$K, buffSTATrimmedK$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and buffSTATrimmedK$K
F = 0.24056, num df = 15, denom df = 75, p-value = 0.003478
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1194257 0.6012220
sample estimates:
ratio of variances
          0.240558
> t.test(PHCdata.K[Type=="Buff",]$K, buffSTATrimmedK$K, equal.var=F)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Buff", ]$K and buffSTATrimmedK$K
t = -2.4639, df = 45.737, p-value = 0.01757
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.42976689 -0.04325943
sample estimates:
mean of x mean of y
 1.956250 2.192763
```

PHC brittle ware appears to be significantly depleted in mean K<sub>2</sub>O relative to STA2017 brittle ware, by about 0.2%.

```
CCT
```

*Mercury jars* 

> var.test(PHCdata.K[Type=="MercuryJar",]\$K,

```
CCTdataKTrimmed[CCTdataKTrimmed$Type=="MercuryJar",]$K)
       F test to compare two variances
       PHCdata.K[Type == "MercuryJar", ]$K and
CCTdataKTrimmed[CCTdataKTrimmed$Type == "MercuryJar", ]$K
F = 1.1481, num df = 9, denom df = 4, p-value = 0.9652
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1289376 5.4170530
sample estimates:
ratio of variances
          1.148148
> t.test(PHCdata.K[Type=="MercuryJar",]$K,
CCTdataKTrimmed[CCTdataKTrimmed$Type=="MercuryJar",]$K, equal.var=T)
       Welch Two Sample t-test
       PHCdata.K[Type == "MercuryJar", ]$K and
data:
CCTdataKTrimmed[CCTdataKTrimmed$Type == "MercuryJar", ]$K
t = -0.82116, df = 8.6446, p-value = 0.4336
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.414941 0.194941
sample estimates:
mean of x mean of y
     3.21
               3.32
There is no statistically significant difference between mean PHC and CCT K<sub>2</sub>O% values with
regards to mercury jars.
Brittle ware
> var.test(PHCdata.K[Type=="Brittle",]$K,
CCTdataKTrimmed[CCTdataKTrimmed$Type=="Brittle",]$K)
       F test to compare two variances
data: PHCdata.K[Type == "Brittle", ]$K and CCTdataKTrimmed[CCTdataKTrimmed$Type
== "Brittle", 1$K
F = 0.52743, num df = 15, denom df = 5, p-value = 0.3096
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.08205565 1.88631383
sample estimates:
ratio of variances
         0.5274314
> t.test(PHCdata.K[Type=="Brittle",]$K,
CCTdataKTrimmed[CCTdataKTrimmed$Type=="Brittle",]$K, equal.var=T)
       Welch Two Sample t-test
```

```
data: PHCdata.K[Type == "Brittle", ]$K and CCTdataKTrimmed[CCTdataKTrimmed$Type
== "Brittle", ]$K
t = -0.58667, df = 7.0811, p-value = 0.5756
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -0.4812052   0.2895385
sample estimates:
mean of x mean of y
   3.787500   3.883333
```

There is no statistically significant difference between mean PHC and CCT K<sub>2</sub>O% values with regards to brittle ware.

```
Buff ware
> var.test(PHCdata.K[Type=="Buff",]$K,
CCTdataKTrimmed[CCTdataKTrimmed$Type=="Buff",]$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and CCTdataKTrimmed[CCTdataKTrimmed$Type ==
"Buff", ]$K
F = 0.43796, num df = 15, denom df = 6, p-value = 0.1824
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.08312619 1.49550084
sample estimates:
ratio of variances
         0.4379642
> t.test(PHCdata.K[Type=="Buff",]$K,
CCTdataKTrimmed[CCTdataKTrimmed$Type=="Buff",]$K, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Buff", ]$K and CCTdataKTrimmed[CCTdataKTrimmed$Type ==
"Buff", 1$K
t = -0.57714, df = 8.3963, p-value = 0.579
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.5007292 0.2989435
sample estimates:
mean of x mean of y
 1.956250 2.057143
```

There is no statistically significant difference between mean PHC and CCT K<sub>2</sub>O% values with regards to buff ware.

```
FTCSG
```

```
Mercury jars
> var.test(PHCdata.K[Type=="MercuryJar",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="MercuryJar",]$K)
       F test to compare two variances
data: PHCdata.K[Type == "MercuryJar", ]$K and
FTCdataKTrimmed[FTCdataKTrimmed$Type == "MercuryJar", ]$K
F = 5.0342, num df = 9, denom df = 4, p-value = 0.1343
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
  0.5653417 23.7516941
sample estimates:
ratio of variances
          5.034188
> t.test(PHCdata.K[Type=="MercuryJar",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="MercuryJar",]$K, equal.var=T)
       Welch Two Sample t-test
       PHCdata.K[Type == "MercuryJar", ]$K and
data:
FTCdataKTrimmed[FTCdataKTrimmed$Type == "MercuryJar", ]$K
t = 0.73201, df = 12.967, p-value = 0.4772
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.1366425 0.2766425
sample estimates:
mean of x mean of y
     3.21
               3.14
There is no statistically significant difference between mean PHC and FTCSG K₂O% values with
regards to mercury jars.
Brittle ware
> var.test(PHCdata.K[Type=="Brittle",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="Brittle",]$K)
       F test to compare two variances
data: PHCdata.K[Type == "Brittle", ]$K and FTCdataKTrimmed[FTCdataKTrimmed$Type
== "Brittle", ]$K
F = 0.42138, num df = 15, denom df = 13, p-value = 0.112
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
 0.1380344 1.2324942
sample estimates:
ratio of variances
         0.4213793
> t.test(PHCdata.K[Type=="Brittle",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="Brittle",]$K, equal.var=T)
       Welch Two Sample t-test
```

```
data: PHCdata.K[Type == "Brittle", ]$K and FTCdataKTrimmed[FTCdataKTrimmed$Type
== "Brittle", ]$K
t = 1.0751, df = 21.787, p-value = 0.2941
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
   -0.1278859    0.4028859
sample estimates:
mean of x mean of y
    3.7875    3.6500
```

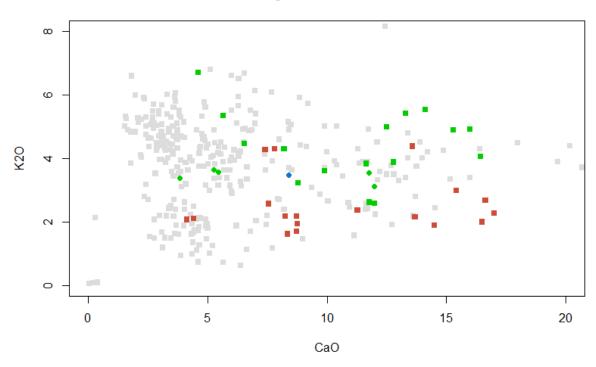
There is no statistically significant difference between mean PHC and FTCSG K<sub>2</sub>O% values with regards to brittle ware.

```
Buff ware
> var.test(PHCdata.K[Type=="Buff",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="Buff",]$K)
       F test to compare two variances
data: PHCdata.K[Type == "Buff", ]$K and FTCdataKTrimmed[FTCdataKTrimmed$Type ==
"Buff", ]$K
F = 1.7579, num df = 15, denom df = 10, p-value = 0.3705
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.4991593 5.3794467
sample estimates:
ratio of variances
          1.757876
> t.test(PHCdata.K[Type=="Buff",]$K,
FTCdataKTrimmed[FTCdataKTrimmed$Type=="Buff",]$K, equal.var=T)
       Welch Two Sample t-test
data: PHCdata.K[Type == "Buff", ]$K and FTCdataKTrimmed[FTCdataKTrimmed$Type ==
"Buff", 1$K
t = 0.11392, df = 24.713, p-value = 0.9102
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -0.1844892 0.2060801
sample estimates:
mean of x mean of y
 1.956250 1.945455
```

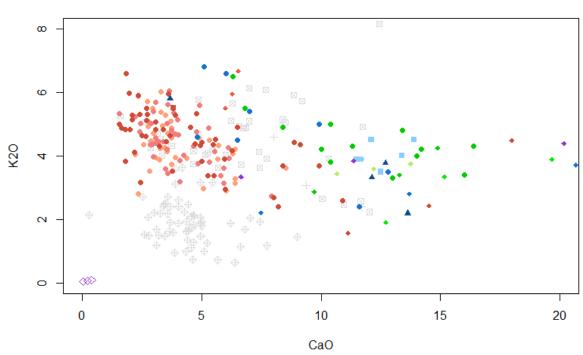
There is no statistically significant difference between mean PHC and FTCSG K₂O% values with regards to buff ware.

Glazes K₂O vs. CaO

PHC glazes, K2O vs. CaO

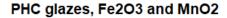


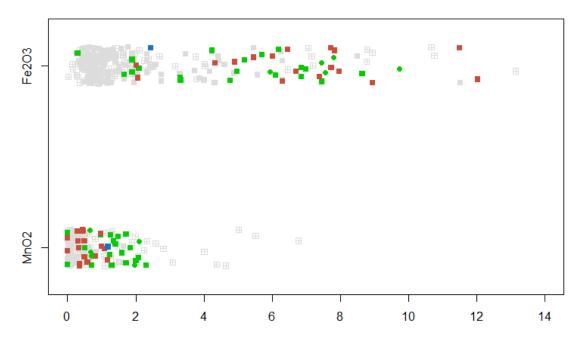
Chinese glazes, K2O vs. CaO



All but two buff glazes—the K2O-glazed exceptions being GA-02 (12.6%) and GA-03 (6.7%)—had CaO as their chief fluxing agent. The brittle ware (in **green**) and buff ware (in **red**) glazes have little in the way of overlap, the brittle glazes containing more K2O per CaO across all ranges. The sole glazed mercury jar sherd (in **blue**) groups closer to the brittle than buff ware. There is little to distinguish the PHC glazes from contemporary Chinese formulae.

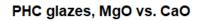
Fe<sub>2</sub>O<sub>3</sub> and MnO<sub>2</sub>

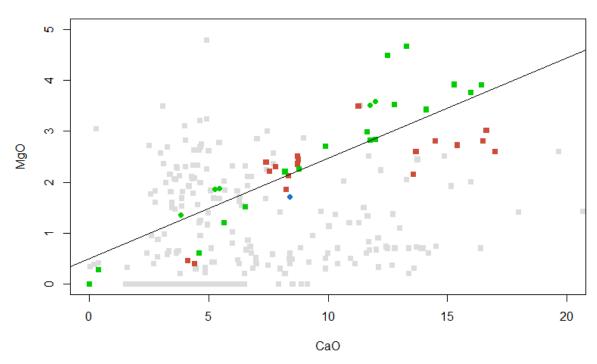




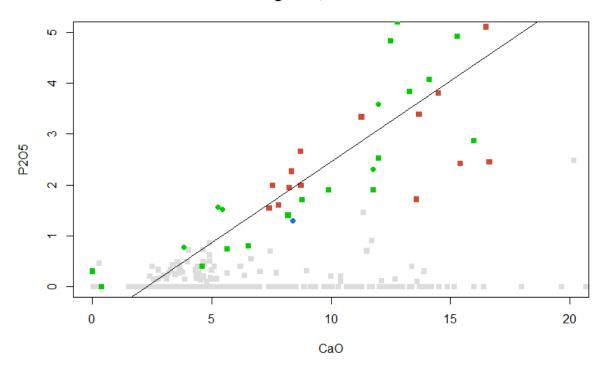
As with most sites in Singapore and previous measurements from KTC, it appears that iron and not manganese oxides are the chief colourants. Unlike their overall formulae, **brittle** and **buff** glazes are largely indistinguishable in  $Fe_2O_3$  content, although the brittle glazes seem to have more  $MnO_2$  overall. The mercury jar sherd does not contain much of either oxide.

### MgO and P<sub>2</sub>O<sub>5</sub>





### PHC glazes, P2O5 vs. CaO



As with all other sites, the positive correlation between both MgO and  $P_2O_5$  and CaO, once again strongly suggests that Chinese-style glazes seen in Southeast Asia are made with formulae with a higher organic component contemporary glazes in China.