

Date

EXPERIMENT-4

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ELIMINATION OF LEFT RECURSION AND LEFT FACTORING

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AIM: To remove left recursion and left factoring and execute the program.

ALGORITHM:

1. Elimination of left recursion.
2. We need to check if the grammar contains left recursion. If present we need to separate and start working.
 $[S \rightarrow Sa | Sb | c | d]$
3. Introduce new non-terminal and write 'A' at the least of every terminal. We produce new non-terminal S' & write production as,
 $S \rightarrow cS' | dS'$
4. So far equivalent production is $S \rightarrow cS' | S'$
 $S' \rightarrow ? | S' | bS'$
5. To remove left factoring
- for common prefix use only production.
Common prefix can be terminal, nonterminal or combination of both.
6. The result that is obtained after this process of left recursion and left factoring is known as left factor grammar.

→ Left Recursion

$$A \rightarrow A\alpha | \beta$$

↓ Removal

$$A \rightarrow \beta A'$$

$$A' \rightarrow \alpha A' | \epsilon$$

→ Left factoring

$$A \rightarrow \alpha\beta_1 | \alpha\beta_2$$

↓ Removal

$$A \rightarrow \alpha A'$$

$$A' \rightarrow \beta_1 | \beta_2$$

$S \rightarrow (L) | a$
 $S \rightarrow S \quad L \rightarrow L' | S$

Output

$A \rightarrow \text{And} | a$

Enter number of non terminals : 1

(Enter non terminals one by one :

Non-terminal 1 : A

Enter 'esp' for null

Number of A productions : 2

One by one enter all A production

RHS of production 1 : And

RHS of production 2 : a

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New set of non-terminals : A A'

New set of productions :

$A \rightarrow aA'$

$A' \rightarrow \text{And} | A$

$A' \rightarrow \text{esp}$

o/e ~~o/e~~

Input & Output : $L \rightarrow L' | S$

Enter no of non terminals : 2

Non terminal 1 : L

Number of L productions : 2

RHS of production 1 : L' S

RHS of production 2 : S

New set of non terminals : L S L'

New set of productions : $L \rightarrow SL' | L$

o/e ~~o/e~~

7. Algorithm for left factoring given grammar:

- For each nonterminal A, find longest prefix α common to 2 or more of its alternatives.
- If $\alpha \neq \epsilon$, there is non trivial common prefix, replace all A productions
- A' is new non terminal. Repeatedly apply this until no 2 alternatives for non terminal have common prefix.

PROGRAM CODE:

```
#include <iostream>
#include <vector>
#include <string>
using namespace std;

int main()
{
    int n;
    cout << "\n Enter no of non terminals : ";
    cin >> n;
    cout << "\n Enter nonterminal one by one : ";
    int i;
    vector <string> nonterm(n);
    vector <int> leftrecr(n, 0);
    for (i = 0; i < n; ++i) { cout << "In Non termel "<<
        i + 1 << " : ";
        cin >> nonterm[i]; }
    vector <vector <string>> prod;
    cout << "\n Enter 'exp' for null ";
    for (i = 0; i < n; ++i) {
        cout << "\n Number of "<< nonterm[i] << " productions ";
        int k;
        cin >> k;
        int j;
        cout << "One by one enter all "<< nonterm[i] << "
```

```

vector<string> temp(k);
for (j=0; j<k; ++j) {
    cout << "\n RHS of production " << j+1 << " production ";
    vector<string> temp(k);
    for (j=0; j<k; ++j) {
        string abc;
        cin >> abc;
        temp[j] = abc;
        if (nonterm[j].length() <= abc.length() && nonterm[j].
            compare(abc.substr(0, nonterm[j].length())) == 0)
            leftrecr[j] = 1;
        prod.push_back(temp);
    }
    for (i=0; i<n; i++) {
        cout << leftrecr[i] == 0)
            continue;
        int j;
        nonterm.push_back(nonterm[i] + " ");
        vector<string> temp;
        for (j=0; j<prod[i].size(); ++j) {
            if (nonterm[i].length() <= prod[i][j].length())
                string abc = prod[i][j].substr(nonterm[i].length(),)
                temp.push_back(abc);
            prod[i].erase(prod[i].begin()+j);
            --j;
        }
        else {
            prod[i][j] += nonterm[i] + " ";
        }
    }
}

```

output: left factoring

Enter the grammar: $A \rightarrow iEtS / iEtSeS / a$

$A \rightarrow iEtS / a$

$A' \rightarrow e / SeS$

~~no~~

o/p
3/2

Enter Grammar: $A \rightarrow aAB$

Grammar has ~~no~~ left factoring

o/p
3/2

main.cpp

Run

Clear

```
1 #include<iostream>
2 #include<string.h>
3 #include<stdlib.h>
4 using namespace std;
5 int main()
6 {
7     string s,a,b;int i;
8     cout<<"Enter Grammar:";
9     cin>>s;
10    if(s[0]==s[3])
11    {
12        cout<<"Given grammar has left recursion\n";
13        for(i=4;s[i]!='\0';i++)
14        {
15            a+=s[i];
16        }
17        i++;
18        for(i;s.length();i++)
19        {
20            b+=s[i];
21        }
22        cout<<s[0]<<"->"<<b<<s[0]<<"\n"<<endl;
```

Output

Clear

```
/tmp/rg4fXMH2v7.o
Enter Grammar:A->And/a
Given grammar has left recursion
A->aA'
A'->e/ndA'
```

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main.cpp

Run

Clear

```
15 {
16     if(a[k++]!=s[i])
17     {
18         cout<<"grammar has no left factoring\n";break;
19     }
20 }
21 for(i;s[i]!='\0';i++)
22 {
23     d+=s[i];
24 }
25 for(i;j;s[i]!='\0';i++)
26 {
27     b+=s[i];
28 }
29 i++;
30 for(i;i<s.length();i++)
31 {
32     c+=s[i];
33 }
34 cout<<s[0]<<"->"<<a<<s[0]<<"\n"<<c<<endl;
35 cout<<s[0]<<"->"<<b<<s[0]<<"\n"<<d<<endl;
36 }
```

Output

Clear

```
/tmp/rg4fXMH2v7.o
Enter grammar: A->iEts/iEtSes/a
grammar has no left factoring
A->iEtsA'/a
A'->e/Ses
```

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```

temp.push_back("ε");
prod.push_back(temp);
}
cout << "\n\n";
cout << "New set of non-terminals : ";
for (i=0; i < nonterm.size(); ++i)
    cout << nonterm[i] << " ";
cout << "\n\n New set of productions : ";
for (i=0; i < nonterm.size(); ++i)
{
    cout << "i";
    for (j=0; j < prod[i].size(); ++j)
    {
        cout << " " << nonterm[i] << " -> " << prod[i][j];
    }
}
return 0;
}

```

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RESULT: Hence left recursion and left factoring is done for the given grammar.