

culvert

whether culvert is hydraulically short or long can not be determined from barrel length alone.

It depends on

- (i) slope —  $S$
- (ii) Size —  $d$
- (iii) entrance geometry —  $R/b$  or  $b/b_0$
- (iv) headwater —  $H$
- (v) entrance
- (vi) outlet condition

For coastal regulator  $\frac{L}{D} < 20$  culvert is hydraulically short.

$D =$  usually  $1.5 \text{ m}$

so if  $L < 1.5 \times 20 = 30 \text{ m}$  culvert is always hydraulically short. So type 2, T2 flow condition shall never

Ocean.

For Coastal regulation slope is always zero (we do not provide slope in Band). So it is always. So always less than super critical slope.

So FTG flow can never occur in Coastal regulation.

So type of flow that can occur in Coastal Regulation is

T1, T3, T4, T5

(1)

(2)

(3)

(4)

(5)

math flow = 0

P-3 = 0.5 x 2.1 > 1.1

So flow is super critical

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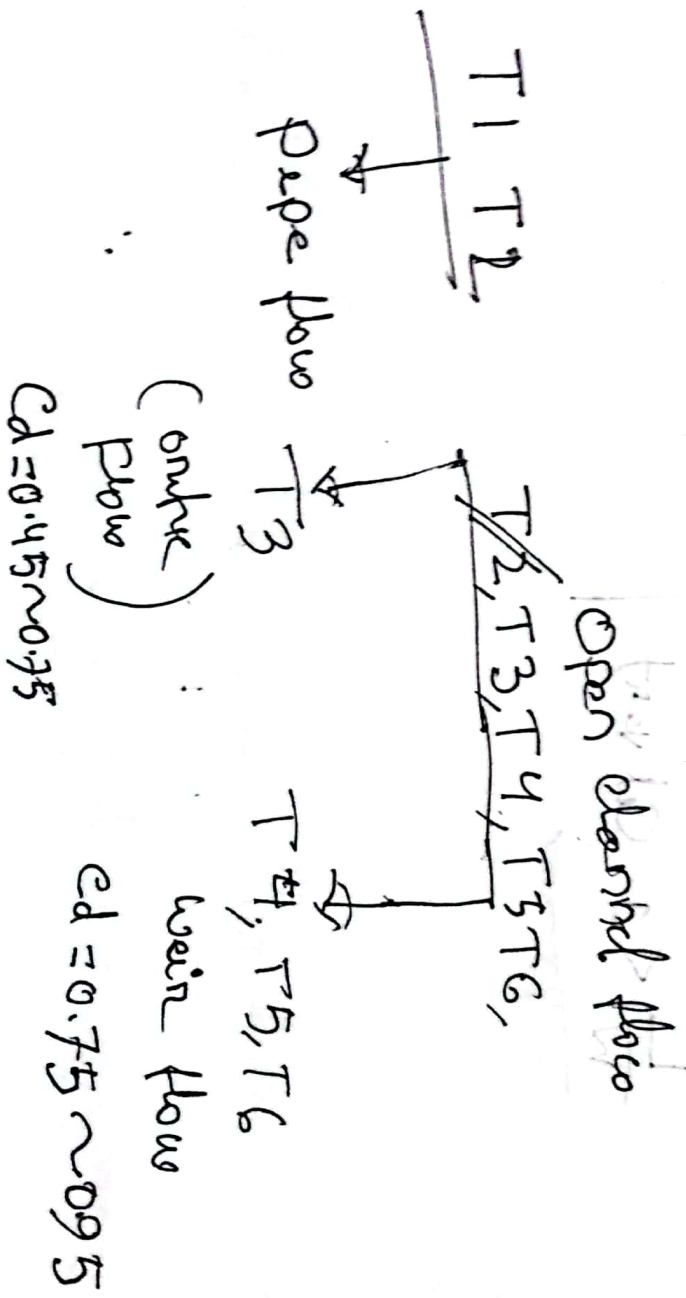
T<sub>1</sub> → pure flow (pressure flow)

T<sub>3</sub> → inlet control partially partial

• flow: ~~(T<sub>3</sub> flow)~~ (outlet flow)

T<sub>4</sub> Sub critical flow. Control at inlet

T<sub>5</sub> Subcritical flow control at outlet.



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Flow analysis can proceed  
as per article 11-1 — 11-3

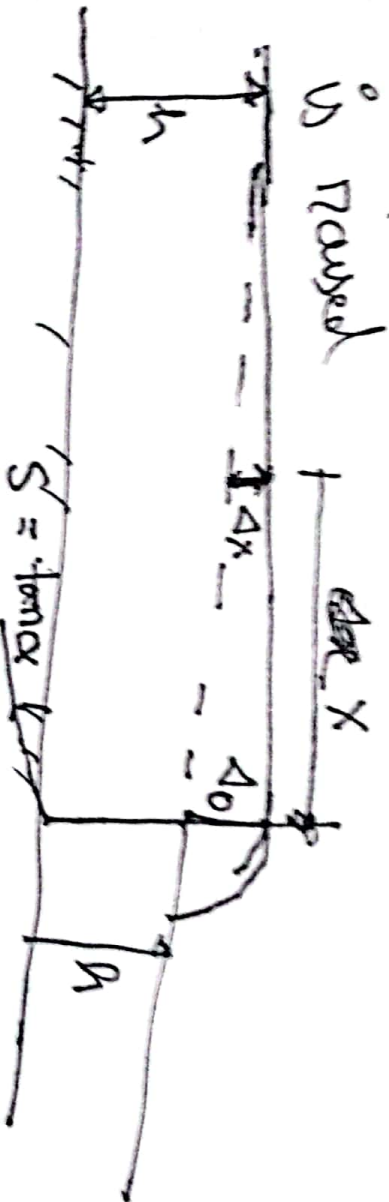
GVF (GVF VT chgs Page: 297 — 300)

Difference between budget and cost  
:  $\frac{L}{W} > 1$  budget  $\rightarrow$   
 $\frac{L}{W} \leq 1$  Cost

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## Backwater Curve

If flow in a channel obstructed by weir/culvert/structure  $\uparrow$  water surface



$$x \frac{\Delta x}{h} = \frac{[ (xS/h) - (2\Delta_0/h) ]^2}{4 \frac{\Delta_0}{h}}$$

$x$  = distance upstream (m)

$\Delta x$  = raise in water level at distance  $x$

(m)

$\Delta_0$  = raise in water level at distance

$x=0$  (m)

$S$  = bottom slope

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Question 2. How to determine  $\Delta_0$

to determine  $\Delta_0$  as well as  
crystal field splitting



$$\Delta_0 = \frac{h\nu}{hc} = \frac{h}{c} \cdot \frac{1}{\lambda}$$

(a) crystal field splitting =  $\Delta_0$

splitting of d-orbitals in octahedral field =  $\Delta_0$

splitting of d-orbitals in tetrahedral field =  $\frac{4}{9} \Delta_0$

(ii)  $\Delta_0 = \Delta$   
splitting = 2

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