

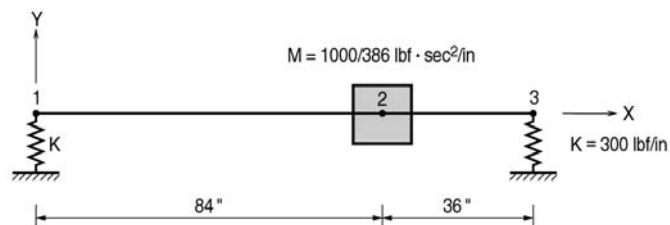
# Eigen-2

## Title

Simple beam with a lumped mass supported on two springs

## Description

Calculate the natural period of free vibration of a beam with a lumped mass.



*Structural geometry*

## MODEL

### *Analysis Type*

2-D eigenvalue analysis (X-Y plane)

### *Unit System*

in, lbf

### *Dimension*

Length             $L = 120$  in

Spring constant    $K = 300$  lbf/in

### *Element*

Beam element

### *Material*

Modulus of elasticity    $E = 30 \times 10^6$  psi

### *Section Property*

Moment of inertia        $I_{yy} = 1.0$  in<sup>2</sup>

### *Boundary Condition*

Nodes 1, 2 and 3 ; Constrain Dx

Nodes 1 and 3       ; Y spring constant = 300 lbf/in

### *Analysis Case*

A lumped mass,  $M = 1000/386$  lbf·sec<sup>2</sup>/in exists at the node 2.

## Results

### *Eigenvalue Analysis Results*

EIGENVALUE ANALYSIS													
	Mode No	Frequency				Period		Tolerance					
		(rad/sec)		(cycle/sec)		(sec)							
	1	11.783312		1.875372		0.533227		2.0470e-016					
MODAL PARTICIPATION MASSES(%) PRINTOUT													
	Mode No	TRAN-X		TRAN-Y		TRAN-Z		ROTN-X		ROTN-Y		ROTN-Z	
		MASS	SUM	MASS	SUM	MASS	SUM	MASS	SUM	MASS	SUM	MASS	SUM
	1	0.00	0.00	100.00	100.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
EIGENVECTOR													

## Comparison of Results

				Unit : psi
Result	Theoretical	STAAD/PRO	MIDAS/Civil	
Natural period	0.533	0.533	0.533	

## References

Timoshenko, Young and Weaver, “*Vibration Problems in Engineering*”, 4th Edition , p. 11, Problem 1.1-3.

“*STAAD-III/ISDS, Getting Started and Example Manual*”, Research Engineers, Inc.,1994, Verification problem No.2.