$\underline{L} \ \underline{I} \ \underline{S} \ \underline{T} \quad \underline{O} \ \underline{F} \quad \underline{S} \ \underline{Y} \ \underline{M} \ \underline{B} \ \underline{O} \ \underline{L} \ \underline{S}$

- d, distance from tailwater surface to floor of stilling basin
- d_c critical depth = $\sqrt[3]{(Q/L)^2/g}$ = (2/3) H
- g acceleration due to gravity
- H specific head in approach to crest = depth plus velocity head = (3/2) d
- L crest length = stilling basin width
- $L_{\rm B}$ minimum stilling basin length = $x_{\rm a}$ + $x_{\rm b}$ + $x_{\rm c}$
- Q discharge
- v critical velocity
- horizontal distance from crest to point where upper surface of free-falling nappe strikes stilling basin floor
- horizontal distance from crest to point at which average of upper surfaces of free-falling and tangent nappes strikes stilling basin floor = $(x_F + x_\phi)/2$
- x_b distance to floor blocks from point at which average of upper surfaces of free-falling and tangent nappes strikes stilling basin floor
- x distance from upstream face of floor blocks to end of stilling basin
- x horizontal distance from crest to upper surface of free-falling nappe
- horizontal distance from crest to upper surface of submerged nappe
- horizontal distance from crest to point at which upper surface of free-falling nappe plunges into tailwater
- \mathbf{x}_{T} horizontal distance from crest to point where upper surface of tangent nappe strikes stilling basin floor
- y vertical distance from crest to stilling basin floor (y is negative)
- yn vertical distance from crest to upper surface of free-falling nappe (y_n) is positive above the crest and negative below the crest)
- yt vertical distance from crest to tailwater surface (yt is positive when the tailwater surface is above the crest, negative when the tailwater surface is below the crest)