

Cryptographic Administration for Secure Group Messaging

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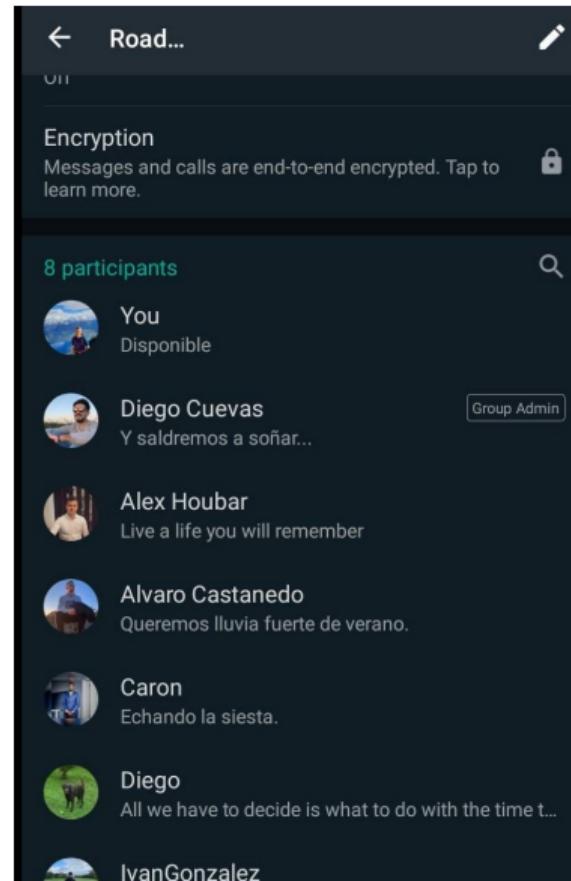
[‡]EPFL, Lausanne, Switzerland

Swiss Crypto Day, 8th September 2023

(USENIX Security '23... thank you David for your slides!)



Group Messaging?



[thenewsminute.com](#)

WhatsApp Group chats can be easily infiltrated, say researchers

Written by IANS

4–5 minutes

The WhatsApp attack on group chats takes advantage of a bug.

A team of German cryptographers has discovered flaws in WhatsApp's Group chats despite its end-to-end encryption, that makes it possible to infiltrate private group chats without admin permission.

According to a report in [Wired.com](#), the cryptographers from Ruhr University Bochum in Germany announced this at the "Real World Crypto Security Conference in Zurich, Switzerland, on Wednesday.

"Anyone who controls the app's servers could insert new people into private group chats without needing admin permission," the report said, citing cryptographers.

[thenewsminute.com](https://www.thenewsminute.com/article/whatsapp-group-chats-can-easily-infiltrated-say-researchers)

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The WhatsApp attack on group

A team of German cryptographers has found a way to infiltrate WhatsApp's Group chats despite the fact that it requires permission.

According to a report in Wired, researchers from Ruhr University Bochum in Germany presented their findings at the recent Crypto Security Conference in Berlin.

"Anyone who controls the app can add themselves into private group chats without anyone noticing," the report said, citing cryptographer Dan Jones.

ISG researchers discover vulnerabilities in Matrix protocol

> Research and teaching > Departments and schools > Information Security > News

Date 28 September 2022

A team of cryptographers – Dan Jones and Martin Albrecht (Royal Holloway), Sofía Celi (Brave) and Benjamin Dowling (University of Sheffield) has found several, practically-exploitable cryptographic vulnerabilities in the end-to-end encryption provided by the popular Matrix protocol and its flagship client implementation Element.



[thenewsminute.com](#)

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Three Lessons From Threema: Analysis of a Secure Messenger

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Kenneth G. Paterson

Applied Cryptography Group,
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Matteo Scarlata

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Kien Tuong Truong

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Abstract

- fine-grained perfect forward secrecy (PFS): compromise of a single device does not allow an attacker to read past messages.

Group membership?

Insecure group membership is a common design flaw in messaging.

Servers, and sometimes even users, may mount **attacks on group management**.

- Burgle into the group [RMS18]
- Censorship [BCG23]
- ...

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- The server can trivially send $(A, \dots, m = \{\text{add}, C\})$ instead!

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Can we build an efficient solution for users to *administrate* groups securely?

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- New **formalism** for groups (based on continuous group key agreement) with *cryptographic administrators*.
- **Correctness and security notions** matching modern messaging standards (forward security, post-compromise security).
- Two modular, **provably-secure constructions**, IAS and DGS.
- Efficient **integration with MLS**, benchmarking, and admin extensions.

Group Messaging

Group Administration?



Participants can:

Edit group settings



This includes the name, icon, description, disappearing message timer, and keeping and unkeeping messages.



Send messages



Add other participants



Admins can:

Approve new participants

When turned on, admins must approve anyone who wants to join the group. [Learn more](#)



Group admins

Edit group admins



Swiss Crypto Day Rules



Set Photo

Description (optional)



Group Type

Private



Chat History

Hidden



Topics



The group chat will be divided into topics created by admins or users.



Reactions

All



Permissions

13/13



Invite Links

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Group Administration?



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- In this talk: only *admins* should be able to **add and remove users** (and *admins*).

Group admins

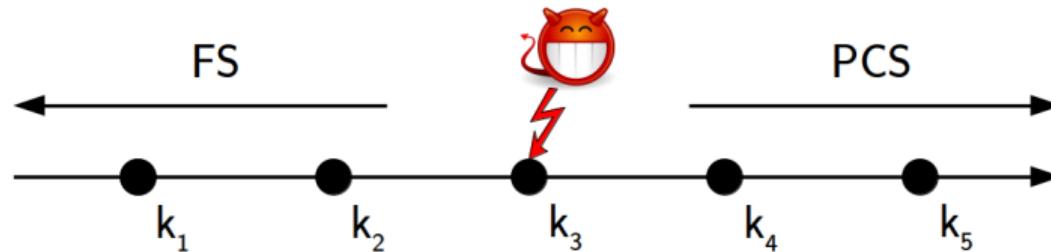
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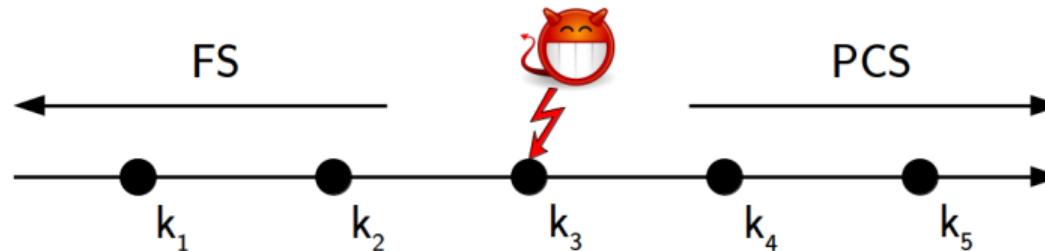
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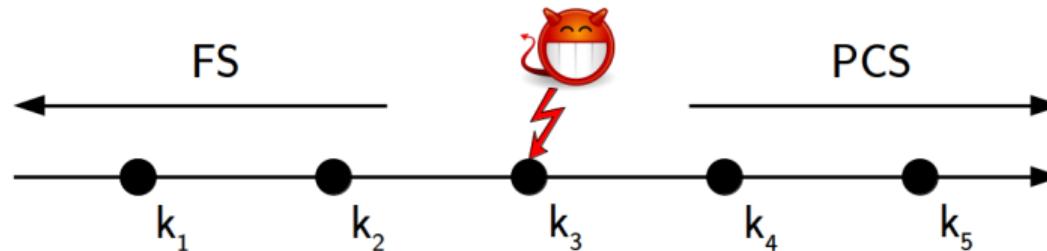
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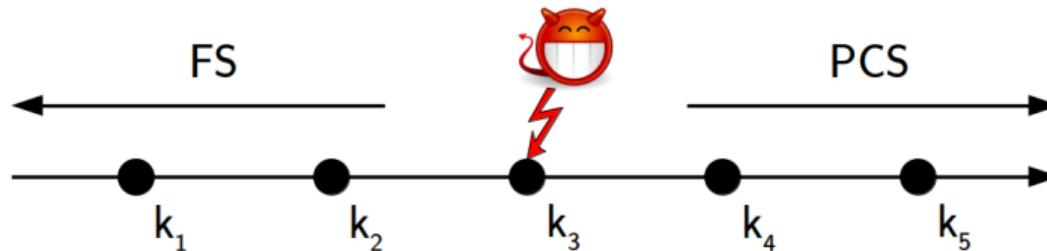
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- **Administration:** only admins $G^* \subseteq G$ can make group changes.

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Existing group messaging protocols:

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- Interest from academia and industry.



I E T F



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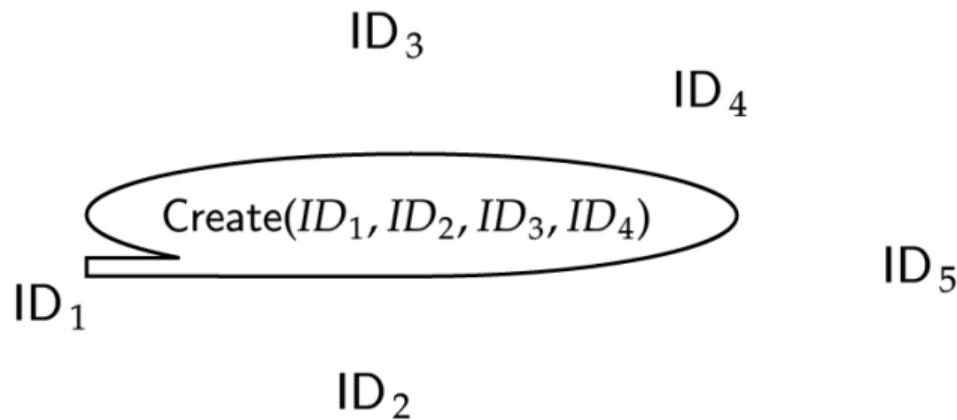
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CGKA (simplified):

- $\text{Init}(1^\lambda, ID)$
- $\text{Create}(G) \rightarrow T$
- $\text{Prop}(ID, \text{type}) \rightarrow P$
- $\text{Commit}(\vec{P}) \rightarrow T$
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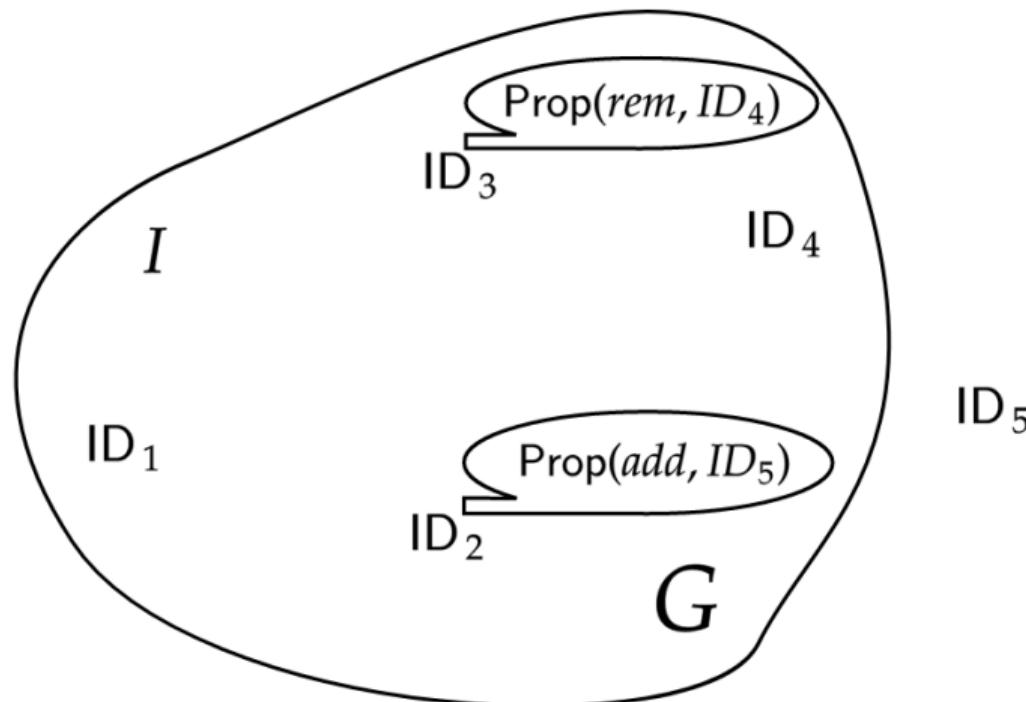
CGKA: Create

- ID₁ creates a group $G = \{ID_1, ID_2, ID_3, ID_4\}$.



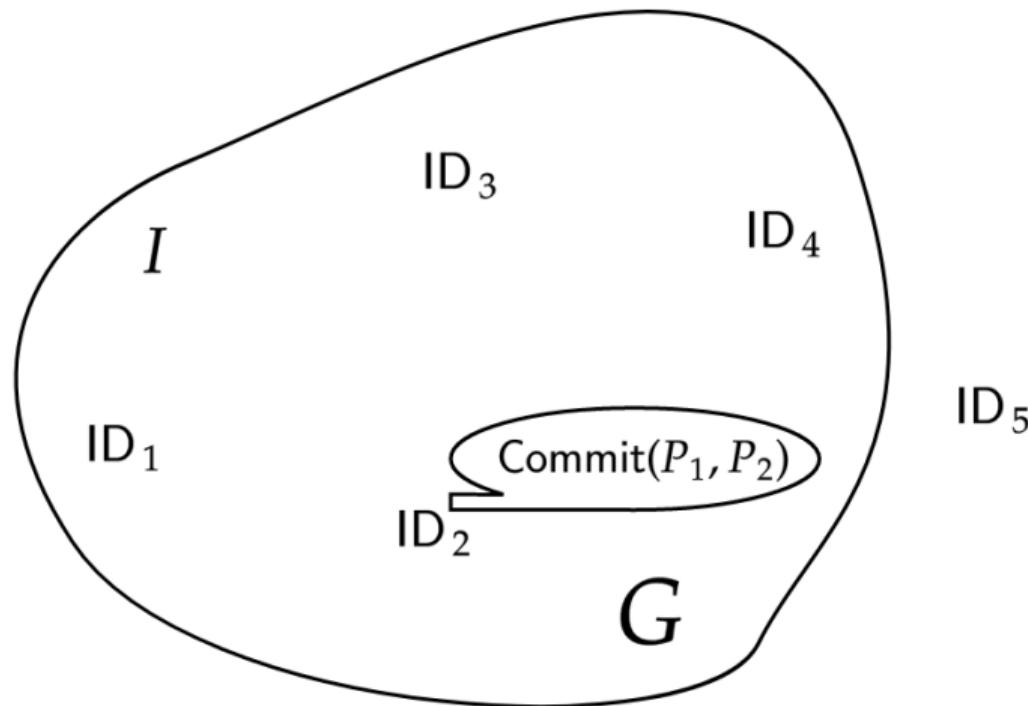
CGKA: Proposals

- ID_2 and ID_3 propose changes.



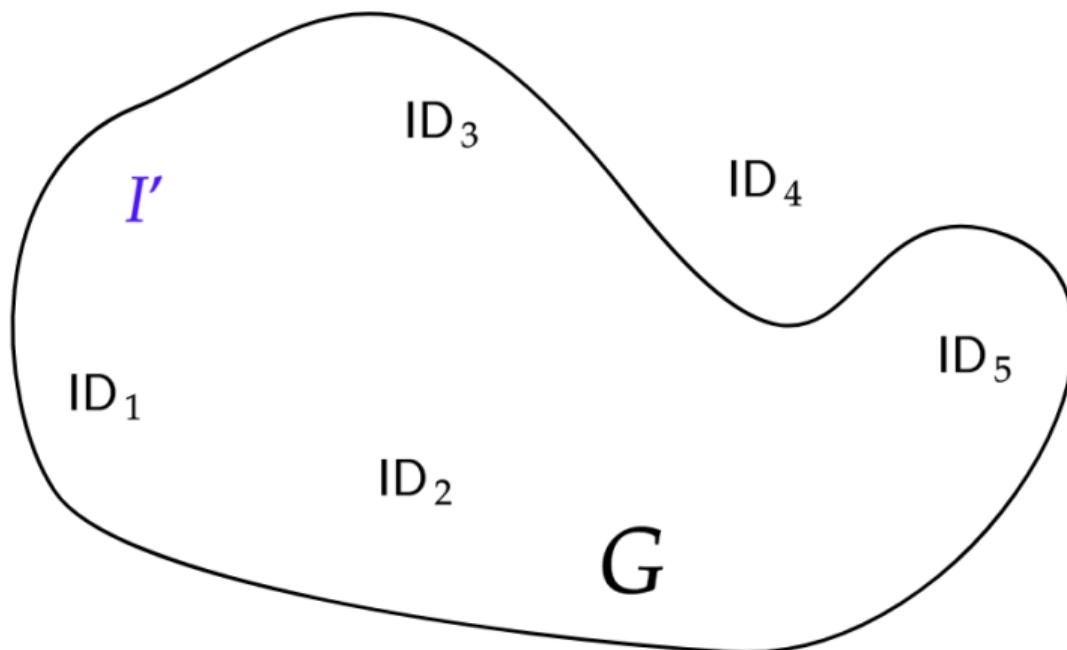
CGKA: Commit

- ID_2 commits both proposals.



CGKA: Process Changes

- The group evolves to a new *epoch* and I' is refreshed.



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Administered Continuous Group Key Agreement (A-CGKA).

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Administration security: Non-admins cannot commit (except updates and self-removes).

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$$\text{CORR}_{(\text{A})\text{-CGKA}, c_{\text{corr}}}^{\mathcal{A}}(1^\lambda)$$

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2 : require  $(m, \cdot) \notin \mathsf{T}$  // external forgery
3 :  $(\gamma, \perp) \leftarrow \text{proc}(\mathsf{ST}[\text{ID}], m)$ 
4 : if  $\mathcal{C}_{\text{forgery}}$ 
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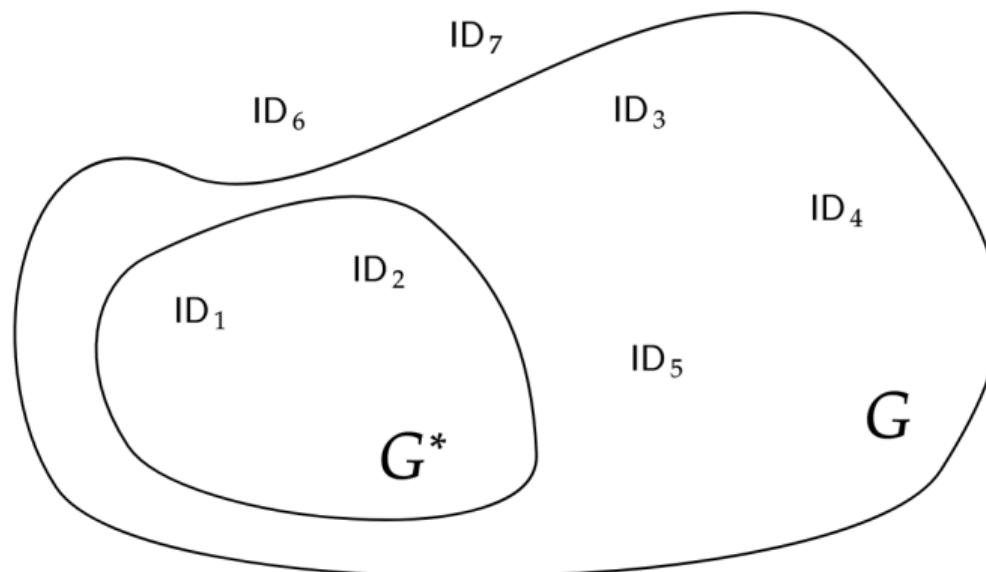
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Protocols for Secure Administration

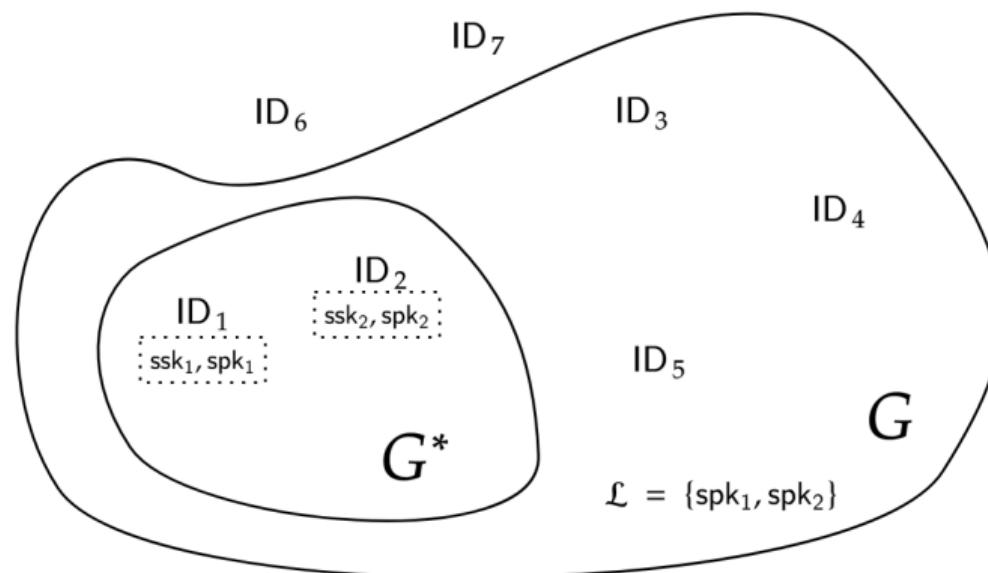
We introduce **IAS** (*Individual Admin Signatures*) and **DGS** (*Dynamic Group Signature*).

- Modular.
- Authenticate administrators (with different efficiency trade-offs).
- Allow for admin key refresh for PCS and FS.

Individual Admin Signatures (IAS)

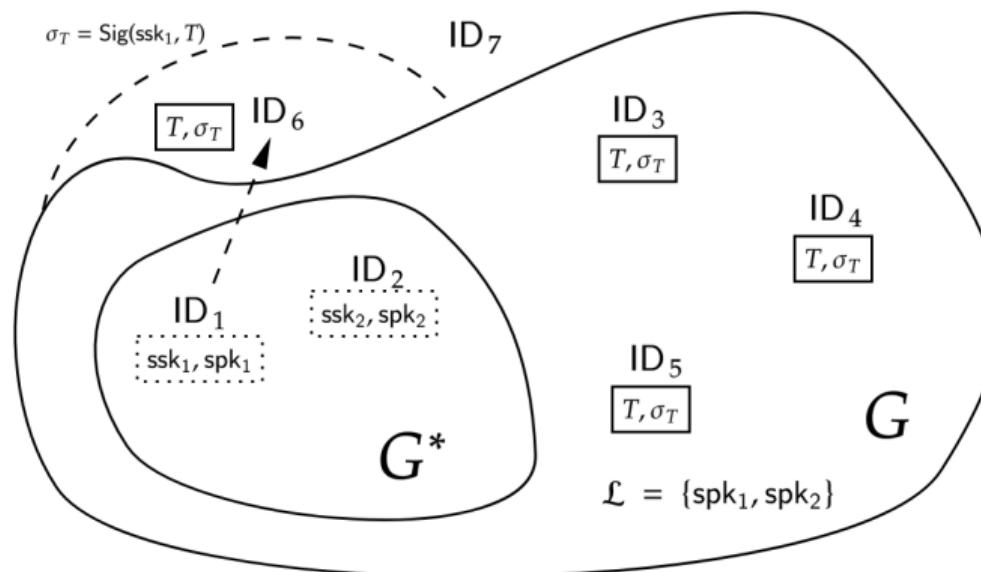


- We construct A-CGKA on top of any CGKA.
- Based on signatures.



- Admins have individual signature key pairs (ssk, spk).
- Users keep an admin list \mathcal{L} .

IAS: Add Participant



- Admin signs commit T with $ssk_1 \longrightarrow \sigma_T$.
- Users verify σ_T with spk_1 from \mathcal{L} .

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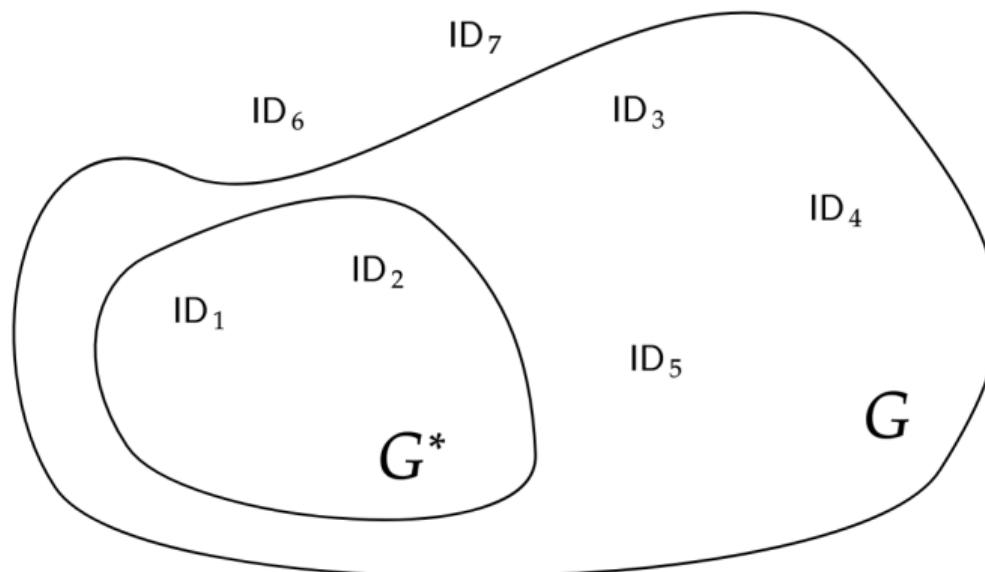
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- (Informal:) For an adversary that makes at most q oracle queries, IAS is $(q \cdot \epsilon_F + \epsilon_{CGKA} + q^2 \cdot \epsilon_{Sig})$ -secure for PRF F , CGKA $CGKA$ and SUF-CMA signature scheme Sig .

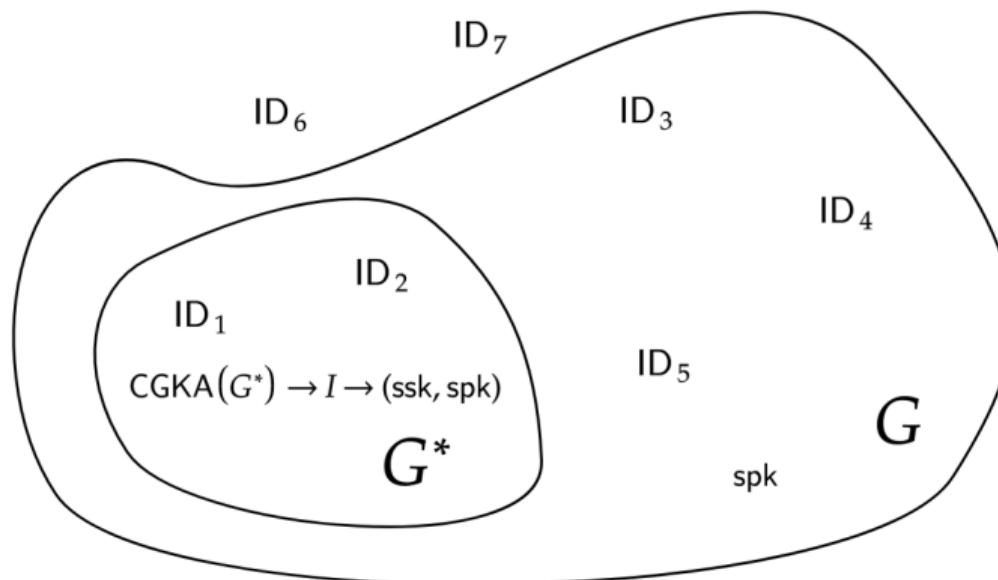
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- Can use forward-secure signatures for better (optimal) forward security.

Dynamic Group Signature (DGS)



- In DGS, all admins in G^* use the *same* signature key pair.
- Built from two CGKAs: the *core* CGKA $CGKA$ and the *admin* CGKA $CGKA^*$.



- Admin operations are managed through G^* .
- New admin public keys spk are signed under the old key.

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- (Informal:) For an adversary that makes at most q/q_{RO} oracle/RO queries, DGS is $(q \cdot \epsilon_F + \epsilon_{CGKA} + q \cdot \epsilon_{Sig} + q \cdot q_{RO} \cdot \epsilon_{cgka^*} + q \cdot 2^{-\lambda})$ -secure for PRF F , RO H CGKA CGKA and SUF-CMA signature scheme Sig .

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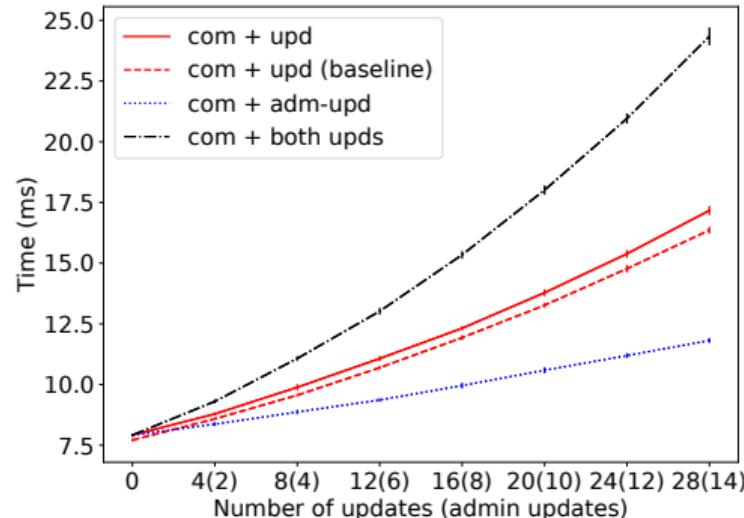
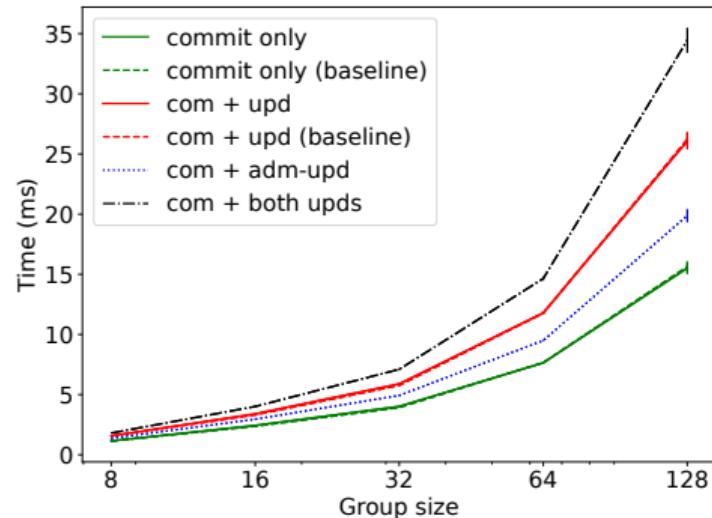
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Practical Administration for MLS

We also **integrate an IAS-based solution into MLS**:

- Leverages MLS' key credentials.
- Extended proposal types.
- Could be integrated as an *MLS extension*.
- **Minimal overhead** (from benchmarking):
 - We forked CISCO's golang MLS implementation.
 - Benchmarking setup: 11th Gen Intel i5-1135G7, 16GB RAM.
 - Operations are executed by a single party.

Benchmarking (commits)



- upd: $|G|/4$ updates; adm-upd: $|G|/8$ admin updates.
- *Less than 20%* overhead when $|G| / 8$ admins update simultaneously.
- *Additional communication < 3%* for $|G| = 128$ members.
- Overhead comes from admins performing CGKA updates.

Remarks on Performance

- IAS admin overhead:
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 - Generally efficient for standard users: admin-only commits could be just a new public key and signature verification if commits are splittable.
- Admin operations may be less frequent than regular ones.
- Forward-secure signatures: constant asymptotic overhead but non-standard.

Admin Extensions and Future Work

Our work serves to initiate the study of provably-secure administration:

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 - Hierarchical admins.
- Preventing insider attacks with trusted admins.

Conclusion

- Securing *membership* is essential in group messaging security.
- We treat cryptographic *administration* as a first-class (provable) security property.
- Can be implemented with small overhead.
- Modular solutions *readily compatible* with CGKAs and MLS.

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Thank you!



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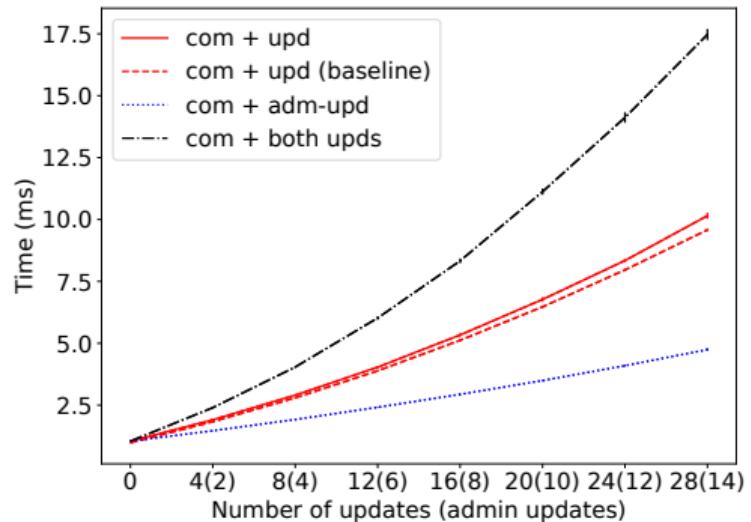
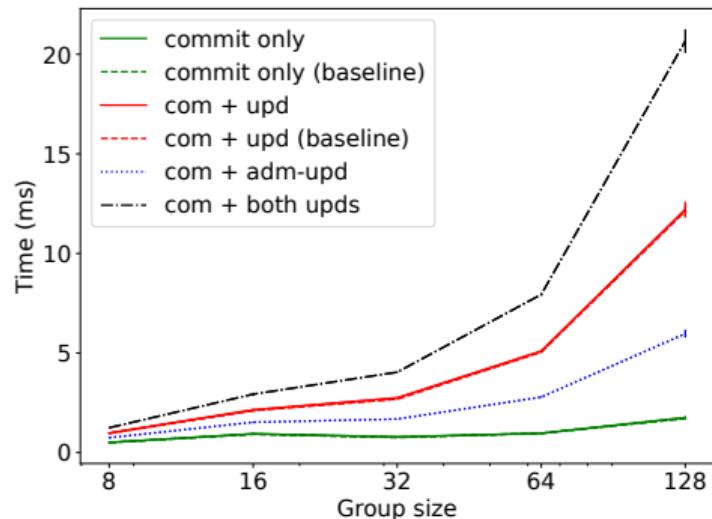
david.balbas@imdea.org

daniel.collins@epfl.ch

Backup Slides

Some additional slides follow.

Benchmarking (process)



- Comparable behaviour to commits.

On PKI

- We assume an incorruptible PKI.
- This follows previous work, except [AJM22] and [ACDT21] that allow malicious key uploads.
- Naturally, no security guarantees can be provided for users associated with these keys.
- All users always are assumed to share the same view of the PKI in all works we are aware of.