

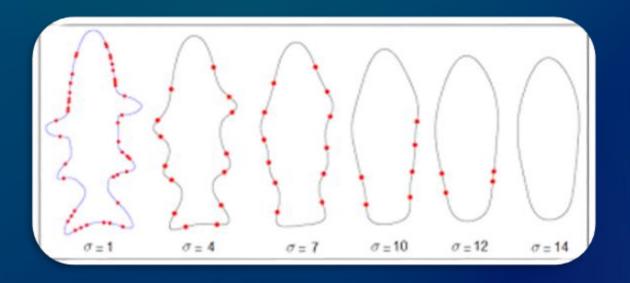
## DEEPGCSS: A ROBUST AND EXPLAINABLE CONTOUR CLASSIFIER PROVIDING GENERALIZED CURVATURE SCALE SPACE FEATURES

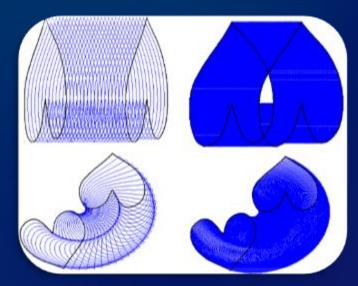
### Group 3

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Cole Rutledge,
Desmond Sheppard,
Darius Stevens,
Lance Swett,
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### KEY COMPONENTS OF DEEPGCSS

- Generalized
   Curvature Scale Space
   (GCSS) Descriptors
- Deep Neural Network
- Robustness
- Explainability





### RELATED Works

### ON ROBUSTNESS AND ACCURACY

"In our paper, we have proved that the accuracy metric is not enough to evaluate deep contour classifiers since the robustness that varies as a function of the attack is not necessarily correlated with the model accuracy."

### <u>Paper</u>

### ROBUSTNESS

Measures the model's ability to maintain performance when faced with such challenges.

### **ACCURACY**

Reflects how well a model performs under ideal conditions, but it does not indicate how the model handles challenges such as attacks, distortions, rotations, noise, or other disruptions.

### ON TYPES OF SHAPE DESCRIPTORS

- Region based
- Contour based
- CSS Specific

### Math Intro: CSS in 3 Steps

- 1.Arc Length Parameterization
- 2.Smoothing
- 3. Curvature

$$\Gamma: [0,1] \mapsto \mathbb{R}^2 \qquad t \mapsto [x(t),y(t)]^T$$

$$\Gamma^*(s) = [x(\phi^{-1}(s)), y(\phi^{-1}(s))]^T$$

$$\phi(u) = s(u) - s(0) = \int_0^u \Gamma'(u) du$$

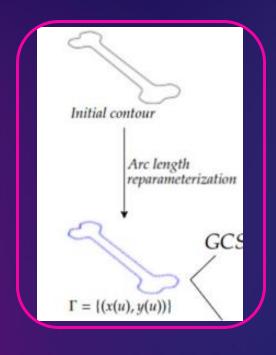
$$g(s,\sigma) = \frac{1}{\sigma\sqrt{2\pi}}e^{\frac{-s^2}{2\sigma^2}}$$

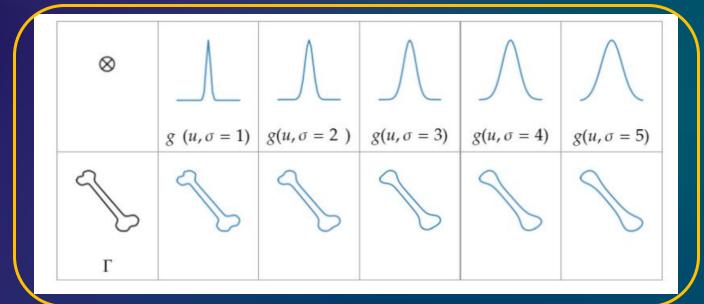
$$x(s,\sigma)=x(s)\otimes g(s,\sigma)$$

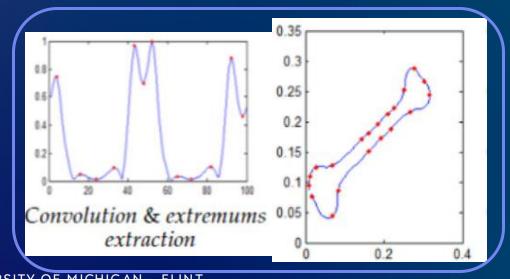
$$y(s,\sigma) = y(s) \otimes g(s,\sigma)$$

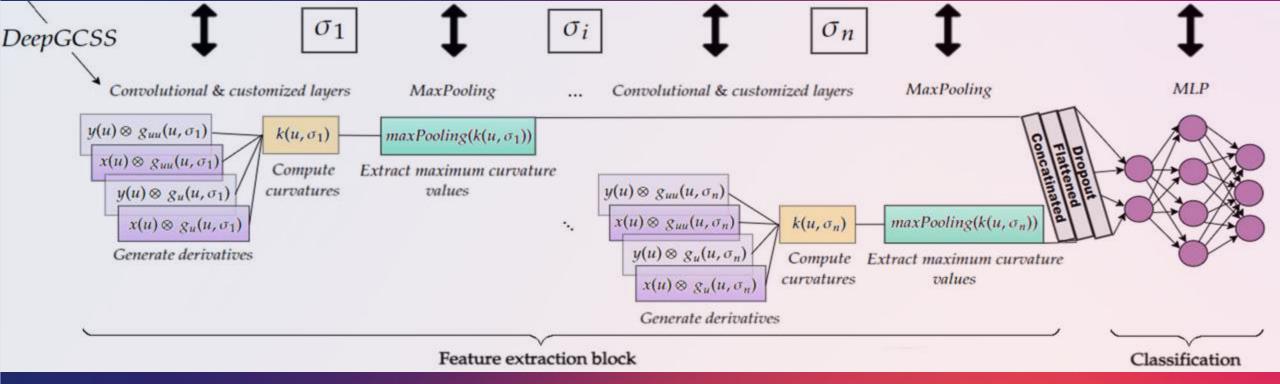
$$\kappa(s,\sigma) = \frac{\dot{x}(s,\sigma)\ddot{y}(s,\sigma) - \dot{y}(s,\sigma)\ddot{x}(s,\sigma)}{\left(\dot{x}^2(s,\sigma) + \dot{y}^2(s,\sigma)\right)^{3/2}}$$

$$\kappa(s,\sigma) = \dot{x}(s,\sigma)\ddot{y}(s,\sigma) - \dot{y}(s,\sigma)\ddot{x}(s,\sigma)$$











### **Contour Detection:**

•The process begins with detecting the contours of objects in an image, then parameterizing the contour.

### **Feature Extraction:**

•The GCSS descriptors are computed for the detected contours via curvature formula and MaxPooling.

### **Feature Learning:**

The extracted features are fed into the deep neural network.

### **Classification:**

 Once trained, the network can classify new contours by analyzing their GCSS descriptors.



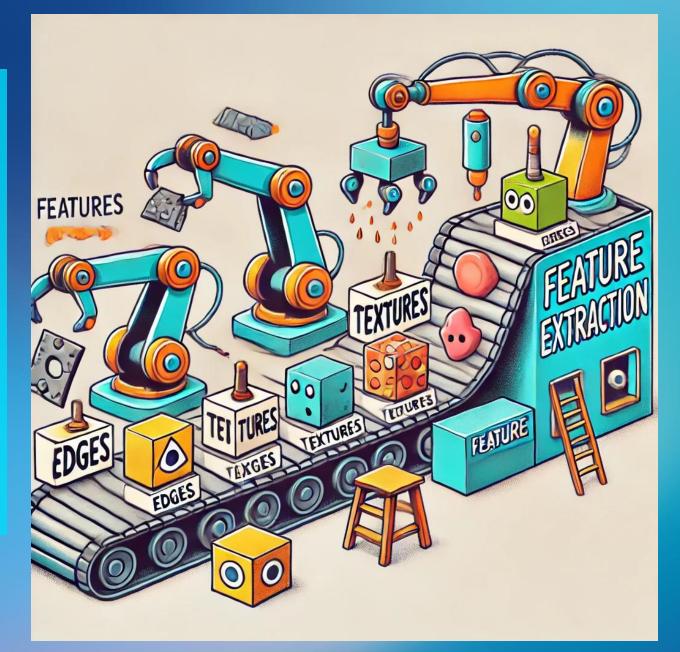
### BUILDING BLOCKS WITH KERAS

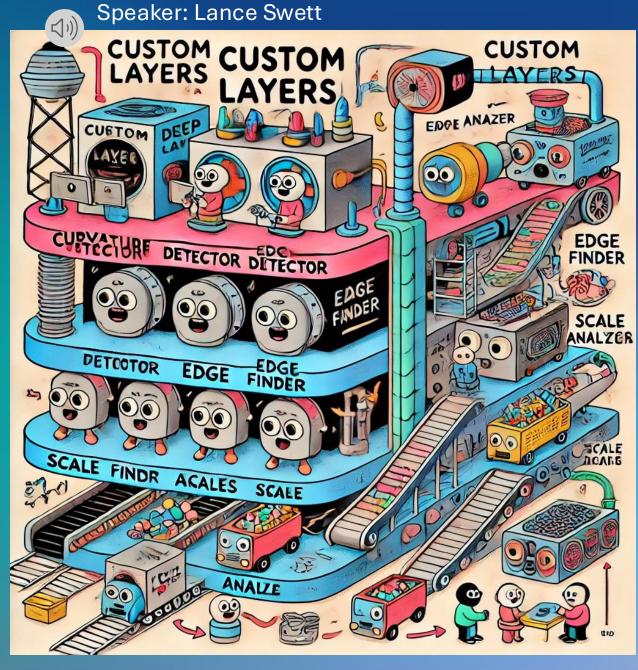
- Input Layer
- Conv2D
- Pooling Layer
- Batch Normalization
- Dense Layers



### THE GCSS PART

- Purpose
- GCSS Mimic
- Convolution Layers
- Multiple Scales





### CHALLENGES AND CUSTOM LAYERS

- Hard to replicate GCSS features
- Custom Layers Are a must
- Balance
- Keras defining custom processing



### UNIQUE METHODS

### **Traditional GCSS:**

- Handcrafted Features
- Interpretable

### **Deep Learning:**

- Automated feature extraction
- powerful

### DeepGCSS:

• Best of both worlds



### Speaker: Chantiese Tyler

### RESULTS

### **MNIST**

- 70K handwritten digits
- 60K used for training
- 10K used for validation

### MPEG - 7

- Shapes
- 70 types of objects with 20 different shapes
- Total of 1,400 shapes

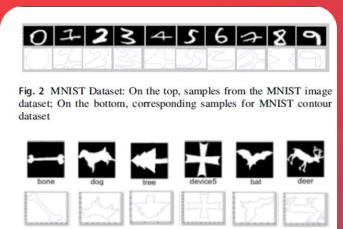
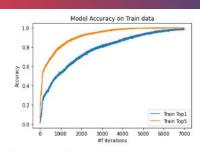
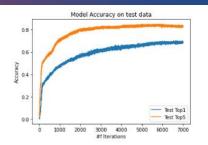


Fig. 3 MPEG-7 Dataset: On the top, some samples from MPEG-7 image dataset; On the bottom, samples from MPEG-7 contour dataset

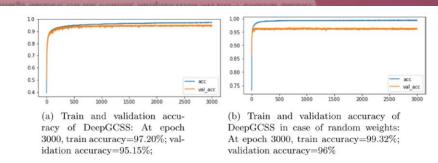


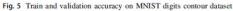


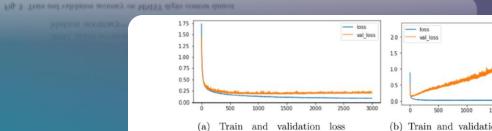
(a) At epoch 7000, TOP5 train accuracy (b) At epoch 7000, TOP5 validation is equal to 100%; TOP1 train accuracy accuracy is equal to 82.14%; TOP1 valiis equal to 98.98%

dation accuracy is equal to 68.57%;

Fig. 7 DeepGCSS TOP1 and TOP5 accuracy on MPEG-7 contours dataset Fig. 7. DeepOCSS TOP1 and TOP5 accuracy on MPEG-7 contours dataset





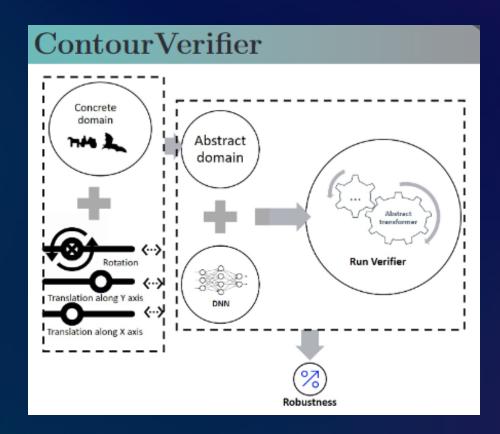


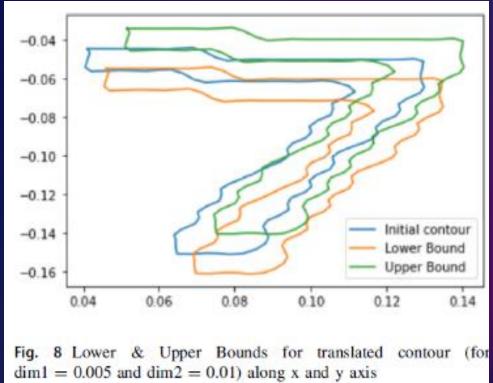
of DeepGCSS: At epoch 3000, train loss=8.37%; validation loss=19.58%

(b) Train and validation loss of Deep-GCSS in case of random weights: At epoch 3000, train loss=2.42%; validation loss=198%



UNIVE Fig. 6 Train and validation loss on MNIST digits contour dataset





### ROBUSTNESS

### ROBUSTNESS

Comparative Study Results:

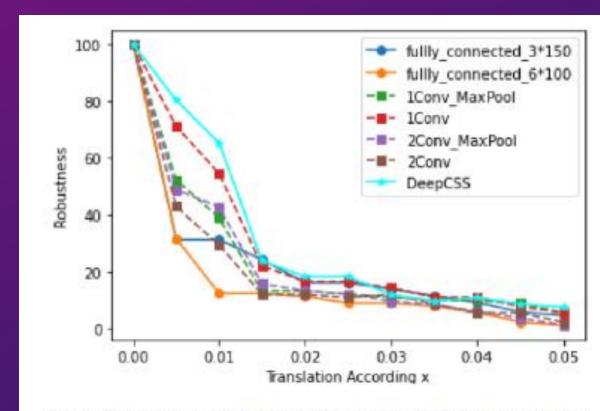
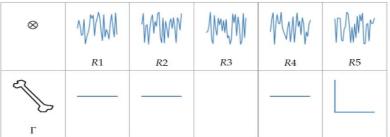


Fig. 9 Robustness variation according to the translation computed on 100 contours from MNIST contours dataset with different models including DeepGCSS

## Speaker: Darius Stevens | Solution | Speaker | Speaker

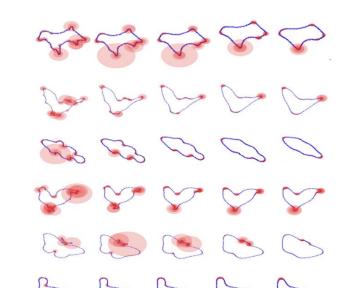


### RANDOM Kernels

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### PREDEFINED Kernels

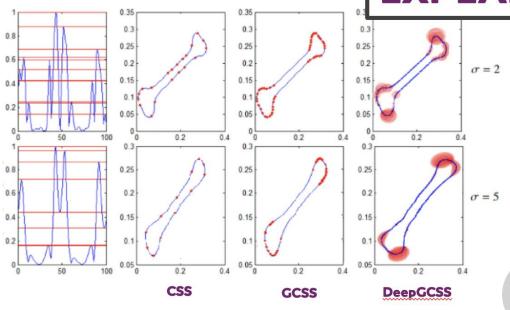
\* Gaussian Kernel (formula 4) :  $g(s,\sigma) = \frac{1}{\sigma\sqrt{2\pi}}e^{\frac{-s^2}{2\sigma^2}}$ 

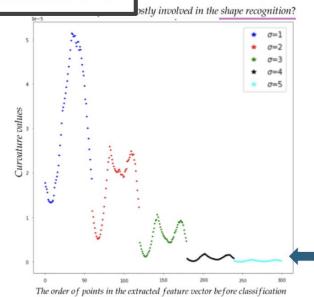


### DeepGCSS Feature Extraction

highlights areas with strong/ sharp curves (explainable)

### **EXPLAINABILITY**





Key Points in CSS Representation:

**Thresholding**  $\rightarrow$  max pooling

Scale optimization → autonomously optimizes sigmas

**Dropout Layer** 

### **BETTER FOR:**

Image / Video Analysis

**Medical Image Analysis** 

**Remote Sensing** 

**Robotics / Computer Vision** 

(Loose Latency Requirement)

### **WORSE FOR:**

Fine-Detail Analysis

**Analysis Under Inconstant Lighting** 

**Obscured Object Recognition** 

Real-Time Image Processing

(Strict Latency Requirement)

### HYPOTHETICAL IMPROVEMENTS AND EXTENSIONS

### DESCRIPTOR CHOICE

### TYPES AND SCENARIOS

- Choice of descriptor can drastically change the accuracy, robustness, and computational cost of running the model
- Should be determined by computational cost and by application

### **EFFICIENCY**

### SYMMETRY ANALYSIS

- Implement a symmetry sorting algorithm
  - Different paths for descriptors
- Model prefers Gaussian for less symmetric contours and Fourier for contours with higher radial symmetry

### ROBUSTNESS

### TOPOLOGY

- Utilize a topological descriptor like skeletonization or persistent homology
- Combine with gaussian smoothing and gaussian curvature descriptor
- Result: a model that very effectively can map a contour's global and local features

### **PARAMETERIZATION**

### AFFINE PARAMETERIZATION

- Different parameterization type
- Introduces curvature as a metric to determine how a contour is parameterized
- Adds a density component to parameterization
- Makes simple contours more unique

"My favorite part of the paper/class was getting to learn about math that I wouldn't necessarily choose to (Gaussian smoothing, etc) and learning about the affine parameterization vs euclidean."

- Cole Rutledge

"I was shocked that applying predefined weights will result in a more robust system. It showed me the limitations of AI. I would like to explore how this idea relates to other areas of deep learning."

- Darius Stevens

## WHAT WE LEARNED FROM OUR DL PROJECT

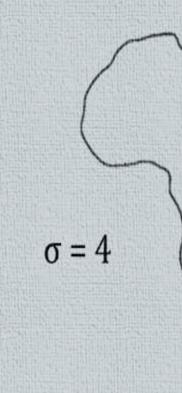


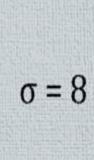
"I learned robustness does not necessarily correlate with accuracy."
- Alecia Del Core

"I gained a deeper understanding of how mathematical concepts like Gaussian kernels can be applied to solve real-world problems in computer vision." - Des Sheppard "I learned about accuracy of algorithms doesn't always correlate to real-world results. My favorite part would be understanding the implementation of tensor flow and keras." - Lance Swett

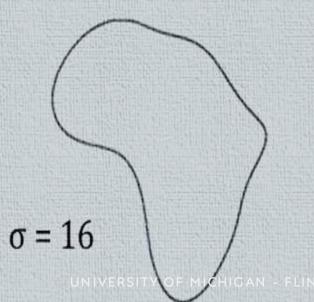
"I had a hard time understanding smoothing with Gaussian kernels. And why the smoothing was reducing how clear the images are." - Chantiese Tyler

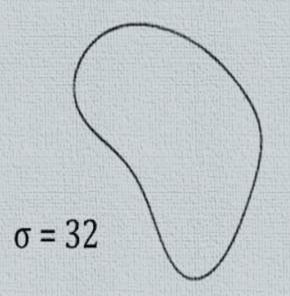
# $\sigma = 2$





### QUESTIONS?





 $\sigma = 64$ 

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