

# The Long and Winding Path to Secure Implementation of GlobalPlatform SCP10

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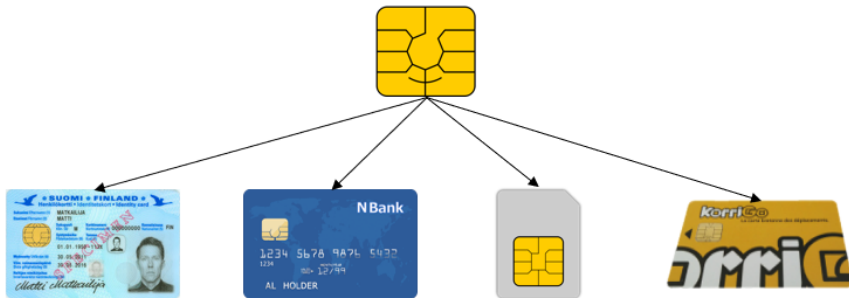
- 1 Context
- 2 Notation & Reminders
- 3 Deterministic RSA Padding
- 4 Padding Oracle on Key Transport
- 5 Key Reuse
- 6 Secure Implementation
- 7 Conclusion

# Context

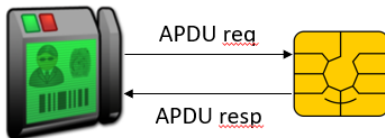
# The smart card world



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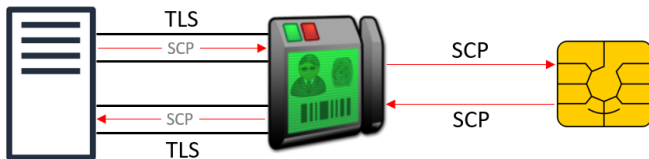
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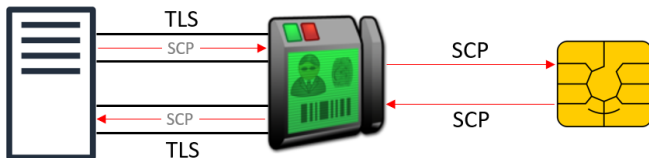


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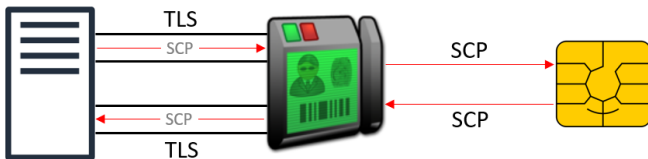


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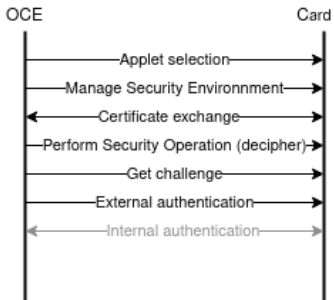
- Establish a secure session between a card and an Off-Card Entity
- 2-steps protocol: Key Exchange + Communication

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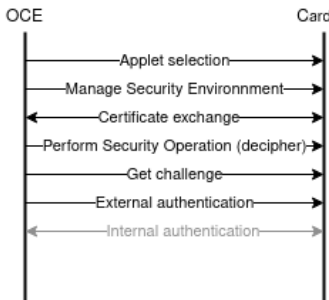
- Establish a secure session between a card and an Off-Card Entity
- 2-steps protocol: Key Exchange + Communication
- SCP10 relies on a Public Key Infrastructure:
  - Both the card and off-card entity have a key pair
  - They use each other public key to encrypt/verify messages

# Key Exchange Modes

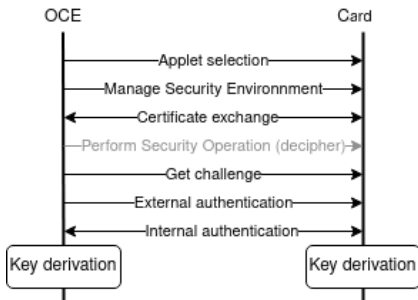


(a) Key Transport mode

# Key Exchange Modes



(a) Key Transport mode



(b) Key Agreement mode

# Our contributions

## Our contributions:

- 1 Abuse blurs and flaws in the RSA encryption in Key Transport
- 2 Recovered session keys by two independent means
  - In less than a second with the first attack
  - In an average of 2h30 for the second
- 3 Exploit a design flaw in the specification to forge a valid certificate, signed by the card (allowing impersonation)
- 4 Implement a (semi-)compliant version of SCP10 as an applet
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## However, we did **not**:

- ✗ Attack real cards (no implementation in the wild)
- ✗ Try to exploit weakness in the symmetric encryption

# Our Threat Model

Our attacker can:

- ✓ Initiate an SCP10 session with a card
- ✓ Intercept, read and modify plaintext message transmitted between a legitimate Off-Card Entity and the card
- ✓ Measure the time needed by the card to respond

She cannot:

- ✗ Have physical access to the card
- ✗ Break the cryptographic primitives

## Notation & Reminders



# Acronyms

- APDU: Application Protocol Data Unit  
Message format of request send to the card
- TLV: Tag Length Value  
Data structure used to ease parsing
- CRT: Control Reference Template  
Data structure defining a symmetric key and its usage
- IV: Initialization Vector  
Initialisation vector used to initialize symmetric encryption

# RSA and padding

## RSA:

$$pub = (n, e)$$

$$priv = (n, d)$$

$$\text{Encryption: } c = m^e \bmod n,$$

$$\text{Decryption: } m = c^d \bmod n.$$

$$\text{Signature: } s = RSA_{sign}(m, priv),$$

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## PKCS#1v1.5 padding:

$$\text{Enc: EME-PKCS1-v1}_5(m) = 0x00 \parallel 0x02 \parallel \underbrace{\text{PS}}_{\text{random bytes}} \parallel 0x00 \parallel m$$

$$\text{Sig: EMSA-PKCS1-v1}_5(m) = 0x00 \parallel 0x01 \parallel 0xFF \dots FF \parallel 0x00 \parallel m$$

# Deterministic RSA Padding

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⇒ Only few **unknown bytes** (compared to the modulus size)



# Coppersmith's Low Exponent Attack

## Coppersmith attack:<sup>1</sup>

Recover the message if the unknown part is small enough: we need

$$x \leq n^{\frac{1}{e}}$$

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- A 1024 bits modulus (RSA-2048 would make it easier)
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We can recover up to  $\left\lceil \log_2(n^{\frac{1}{3}}) \right\rceil = 341$  bits ( $\approx 42$  bytes)

- An encryption key: 16-24 unknown bytes
- An integrity key (with IV): 26-34 unknown bytes

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# In practice...

- Recover the message in 0.35s on average for a 128 bits key  
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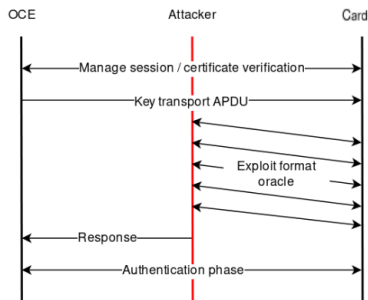
⚠ "Classic" PKCS#1v1.5 padding may not be a valid solution...

## Padding Oracle on Key Transport

# Bleichenbacher's attack

## Abusing PERFORM SECURITY OPERATION:

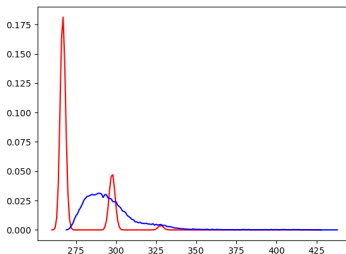
- Anybody can send this APDU (no authentication before)
- 3 steps on card: decryption → verification → TLV parsing
- Unique error code but no mention of constant time
- Constant time verification is hard, even harder with TLV parsing





# In practice...

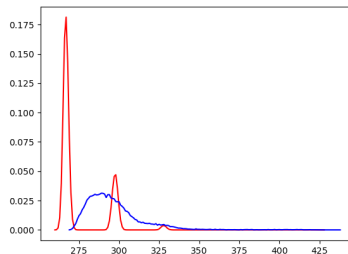
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- Large number of query needed
  - On average 28000 queries  $\rightarrow \approx 2\text{h}30$
  - Significant communication overhead
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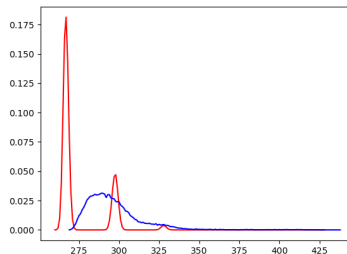


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## Key Reuse

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## Design flaw:

- Same RSA key for Key Transport and Key Agreement
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- Valid signature forgery using Bleichenbacher's attack
  - On average 74838 queries →  $\approx 7h$
- Certificate forgery, signed by the card ⇒ card impersonation in all future sessions
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⇒ Key isolation, at least between confidentiality and authentication

## Secure Implementation



# Major countermeasures

- Key isolation
  - Significant overhead during certificate verification
  - No need to repeat it at each session
- RSA-OAEP
  - Negligible overhead ( $\approx 0.01s$ )
- Enforce public exponent  $e = 65537$ 
  - Negligible overhead
  - Not mandatory when using OAEP
- Switching from null to random IV for CBC encryption
  - Negligible overhead

# Global Overhead<sup>1</sup>

		Original	Secure	Diff.
Key Transport, (mutual authentication)	Cert. verification (card)	0.92	2.06	+124%
	Cert. verification (OCE)	0.15	0.24	+60%
	PSO (decipher)	0.15	0.16	+6%
	External authentication	0.68	0.8	+18%
	Internal authentication	0.73	0.71	-3%
	<b>Total</b>	<b>2.76</b>	<b>4.11</b>	<b>+49%</b>
Key Transport, (external authentication only)	Cert. verification (card)	1.13	2.44	+116%
	Cert. verification (OCE)	0.15	0.24	+60%
	PSO (decipher)	0.15	0.16	+6%
	External authentication	0.72	0.82	+14%
	<b>Total</b>	<b>2.31</b>	<b>3.81</b>	<b>+65%</b>
Key Agreement	Cert. verification (card)	1.18	2.12	+80%
	Cert. verification (OCE)	0.15	0.24	+60%
	PSO (decipher)	0.15	0.16	+6%
	External authentication	1.61	1.43	-11%
	Internal authentication	0.85	0.80	-6%
	<b>Total</b>	<b>4.09</b>	<b>4.90</b>	<b>+20%</b>

<sup>1</sup>Measure done on a NXP J3H145 JCOP3 JavaCard 3.0.4

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	<b>Total</b>	<b>1.56</b>	<b>1.67</b>	<b>+7%</b>
Key Transport, (external authentication only)	PSO (decipher)	0.15	0.16	+6%
	External authentication	0.72	0.82	+14%
	<b>Total</b>	<b>0.87</b>	<b>0.98</b>	<b>+13%</b>
Key Agreement	PSO (decipher)	0.15	0.16	+6%
	External authentication	1.61	1.43	-11%
	Internal authentication	0.85	0.80	-6%
	<b>Total</b>	<b>2.61</b>	<b>2.39</b>	<b>-10%</b>

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## Conclusion

# Sum-up

- We tried to apply well known attack to the smart cards world
- Successfully performed two attacks speculating on the implementation
  - We believe our assumption to be reasonable giving past attacks
  - Key isolation is not implementation dependent
- Suggest mitigations:
  - Easy to add in the specification
  - Reasonable overhead
- GlobalPlatform is taking our recommendations into account

Thank you for your attention !

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