PARASITE: PAssword Recovery Attack against Srp Implementations in ThE wild

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Context and Motivations

A Few Words About PAKEs

What to expect from a PAKE, starting from a password:

- Authentication
- End up with strong key
- Resist to (offline) dictionary attack

Lots of different PAKEs (two main families: balanced - asymmetric).

Why Looking at PAKEs?

Recent interest:

- Wide Deployment of Dragonfly in WPA3
- CFRG competition for new standard (OPAQUE and CPace)

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Practical security considerations

- Dragonfly and WPA3: Dragonblood¹ and attack refinement²
- Partitioning Oracle Attack³ applied to some OPAQUE implementations

Case study: Secure Remote Password

¹ M.Vanhoef and E.Ronen *Dragonblood: Analyzing the Dragonfly Handshake of WPA3 and EAP-pwd*. In IEEE S&P. 2020

² D.Braga et al. *Dragonblood Is Still Leaking: Practical Cache-based Side-Channel in the Wild.* In ACSAC. 2020

³ J.Len et al. *Partitioning Oracle Attack*. In USENIX Security. 2021

What about SRP?

Available for a long time => de facto standard for more than 20 years

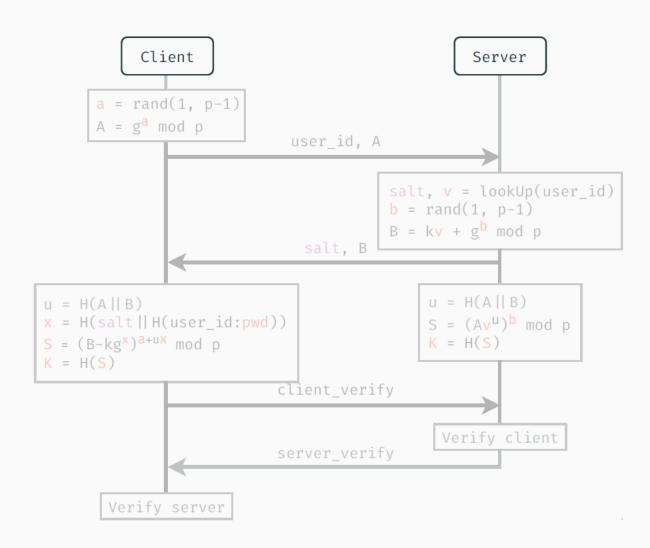
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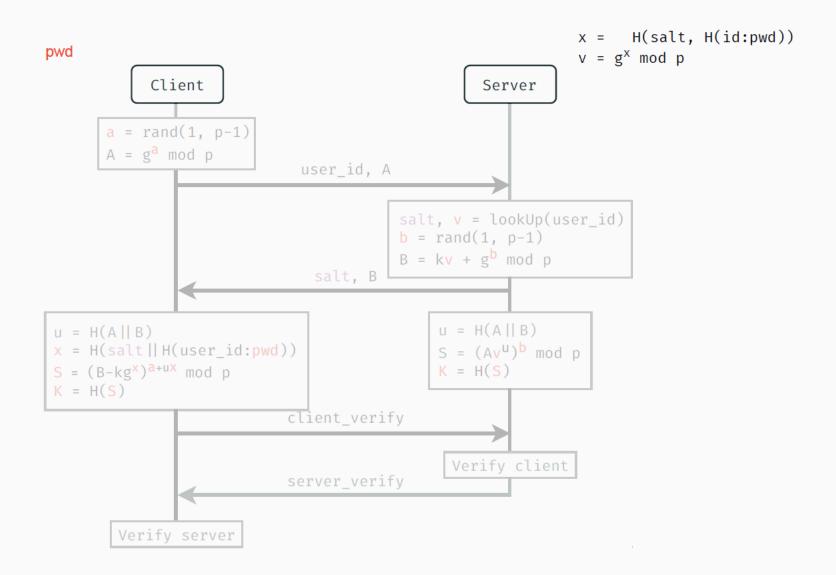
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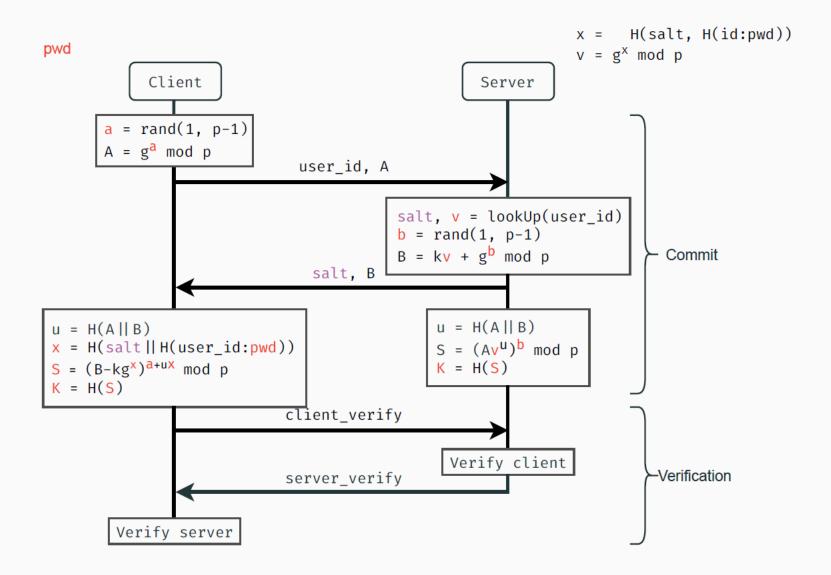
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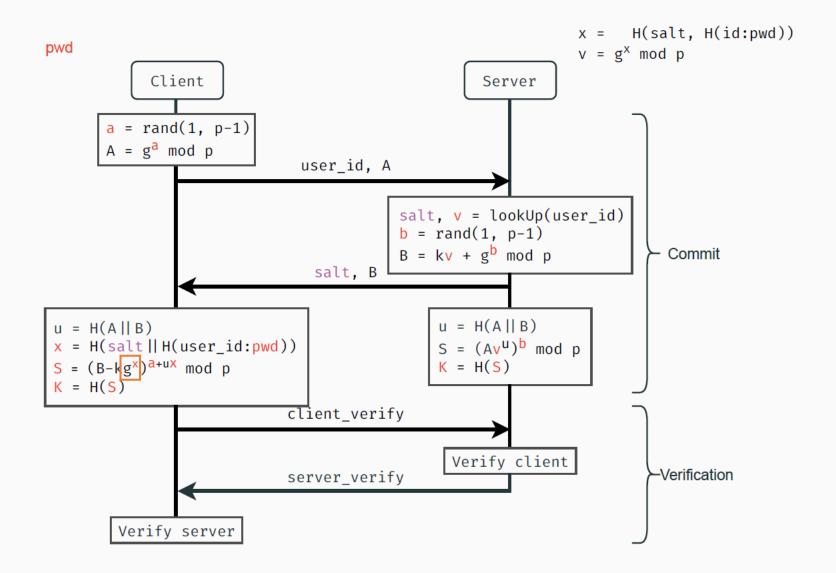
Recent work on SRP at ACNS¹

¹ A.Russon Threat for the Secure Remote Password Protocol and a Leak in Apple's Cryptographic Library. In ACNS. 2021









Contributions

Contributions

- 1. Study of various SRP implementations
- 2. Highlight a leakage in the root library used for big number arithmetic (OpenSSL)
- 3. Design PoCs of an offline dictionary attack recovering the password on impacted projects
- 4. Outline the importance of SCA, especially for PAKEs

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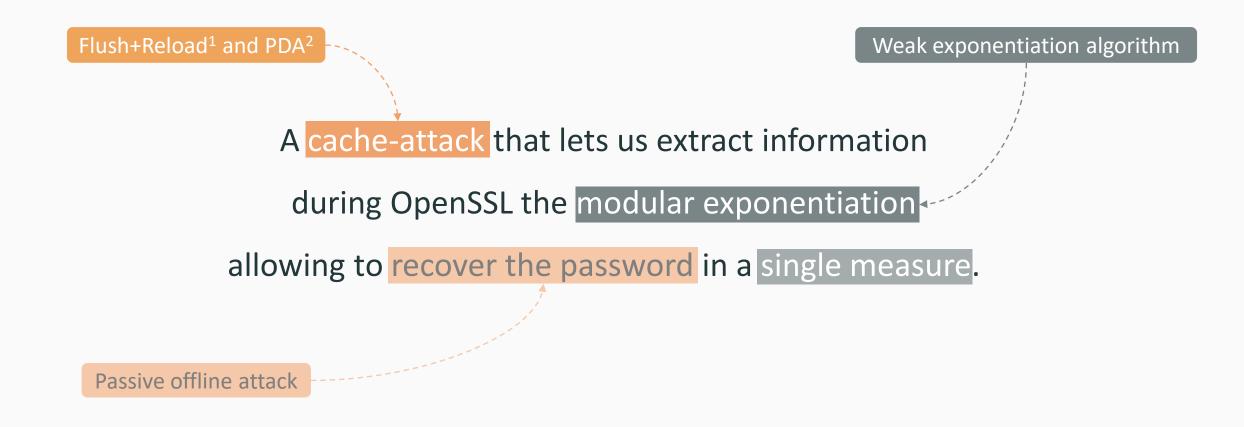
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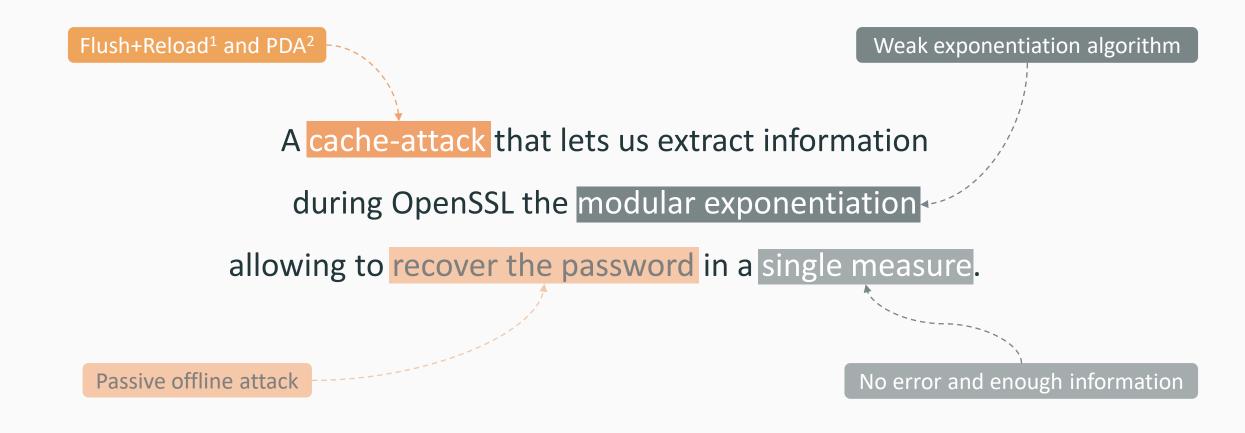
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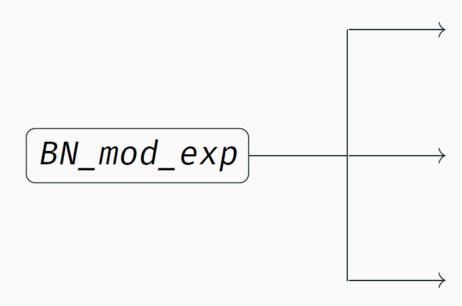


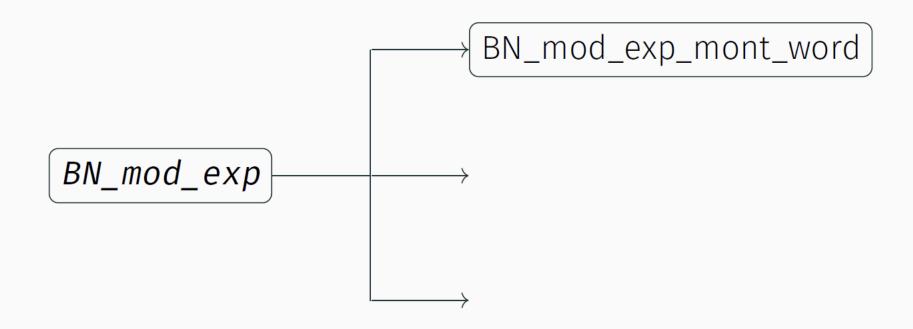
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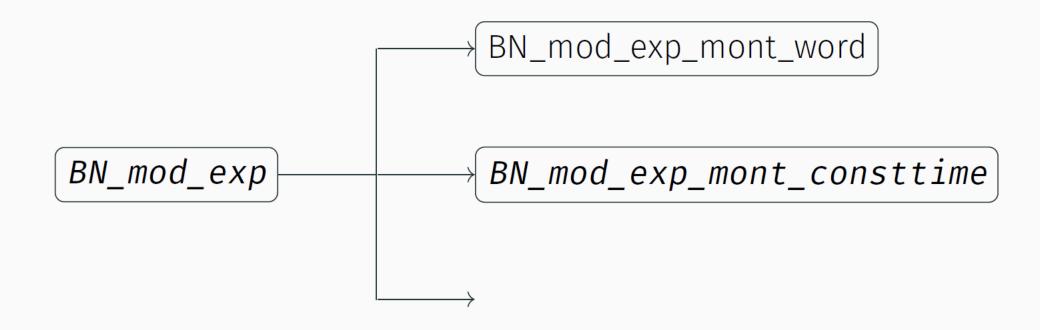
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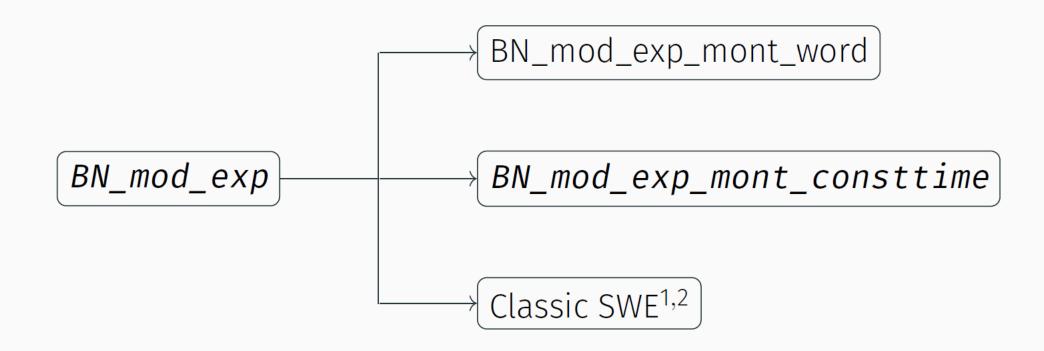
The Vulnerability

BN_mod_exp



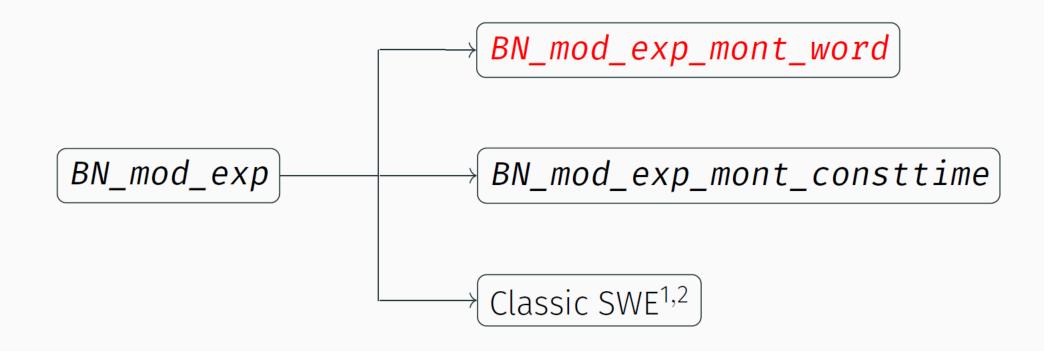






¹ C. Percival Cache missing for fun and profit. 2005

² C. Peraida Garia et al. Certified Side Channels. In USENIX Security. 2020



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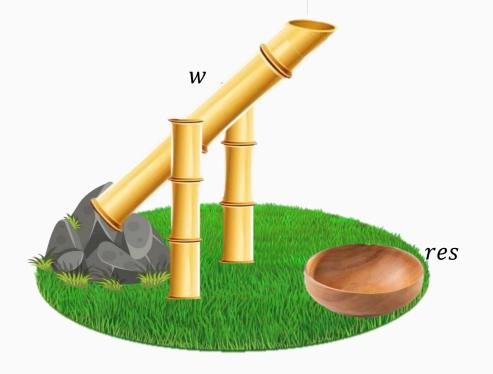
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   for b in range(bitlen-2, 0, -1):
       next_w = w \times w
       if next_w/w != w:
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Exploiting the Leakage

Trace Acquisition

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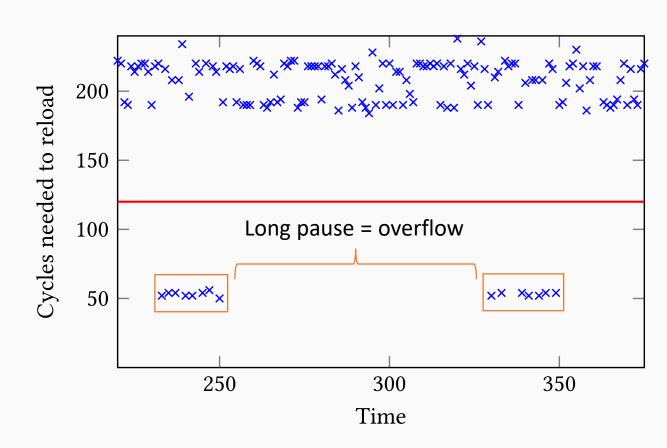
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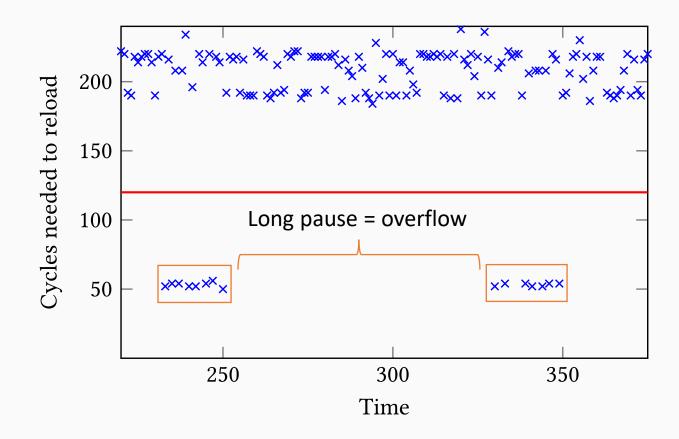
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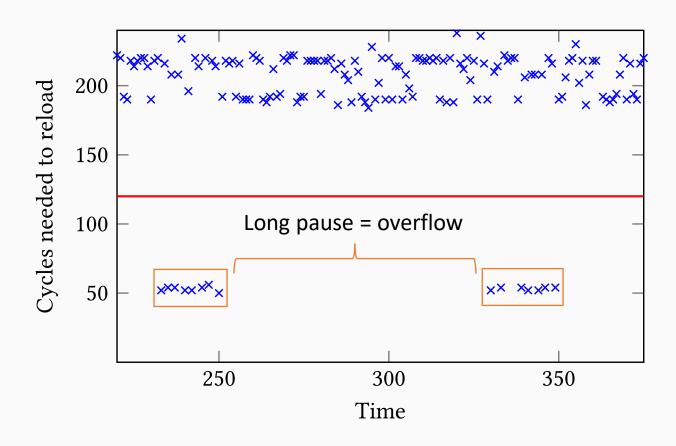
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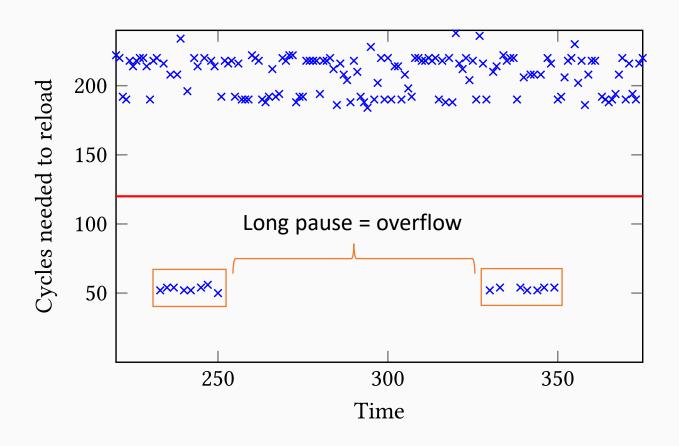


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\forall vvvv \rightarrow yyyyb, yyyy \in \{110b, 10bb, 0111\}

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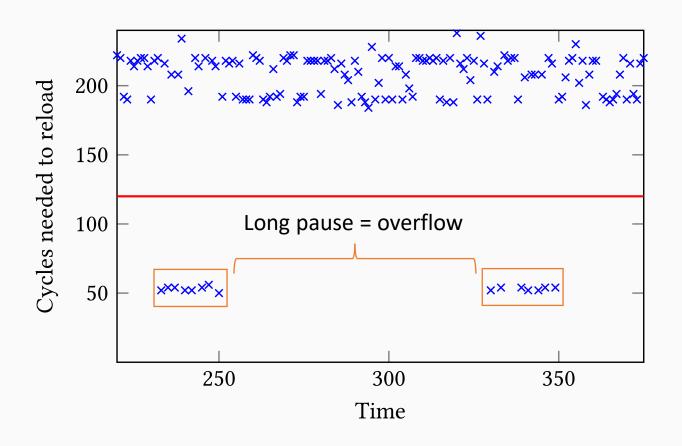
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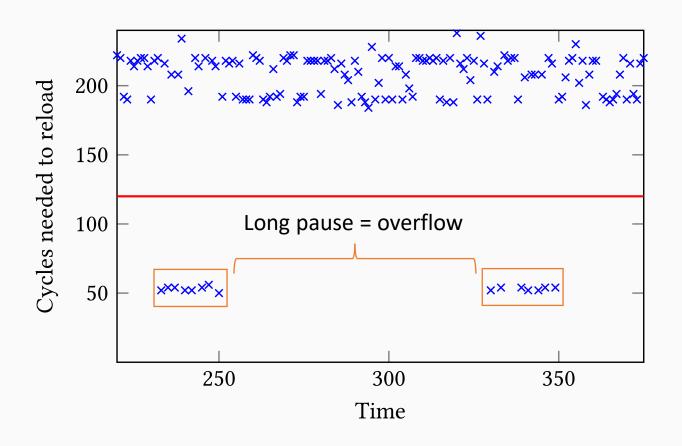
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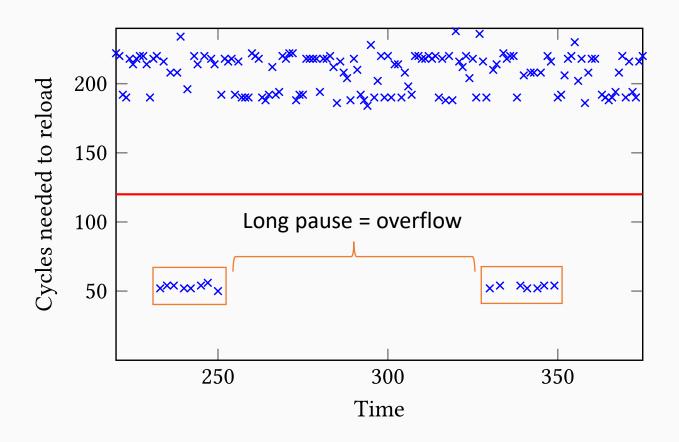
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                             1 1 1 b y y y y b 0 y y y b 1 1 1 b 0 y y y y b
              pwd_1
              pwd_2
              pwd_3
              pwd_4
                             1 1 1 1 1 1 0 0 0 0 1 0 1 1 0 1 1 1 0 0 0 1 1 1 1
              pwd_5
                              0 1 1 1 1 0 1 1 1 1 0 0 1 0 1 1 1 1 0 0 0 0 0 1 0 0
              pwd_n
                             1 0 0 0 1 1 0 0 0 0 0 0 0 0 1 1 0 1 1 0 0 1 0 1
             Password
                                                   X value
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                                                                                            15
               pwd_1
               pwd_2
                                                                                            14
               pwd_3
                                                                                            11
               pwd_4
               pwd_5
                                                                                            11
                                                                                            12
               pwd_n
                              1 0 0 0 1 1 0 0 0 0 0 0 0 0 0 1 1 0 1 1 0 0 1 0 1
             Password
                                                     X value
                                                                                         Diff score
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- Very accurate measurement
- Each bit of information halves the number of possible passwords
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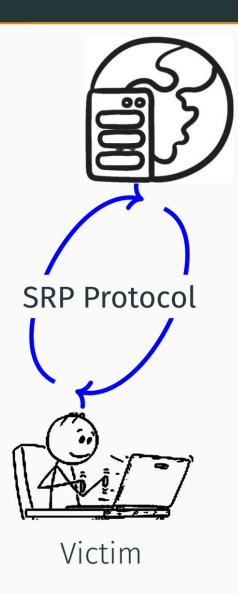
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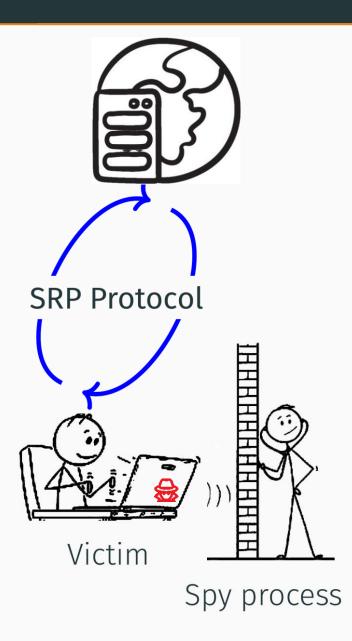
SHA-1: 66 bits of information

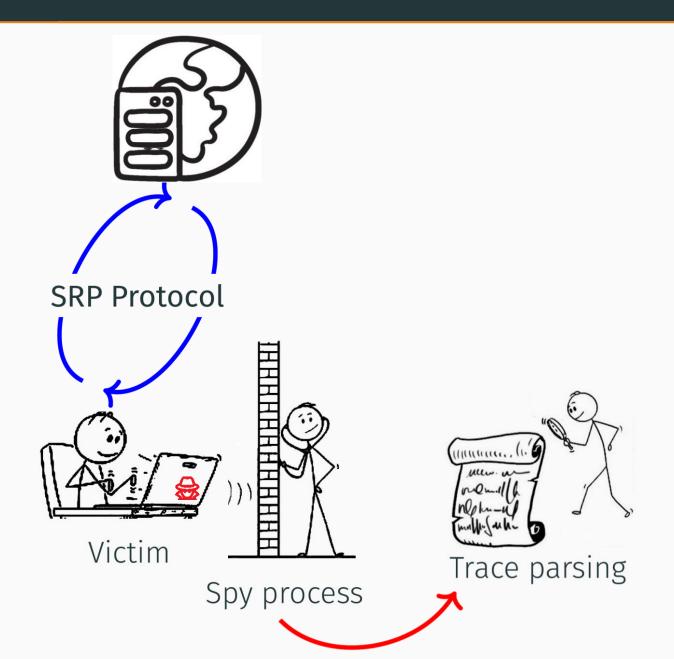
SHA-256: 104 bits of information

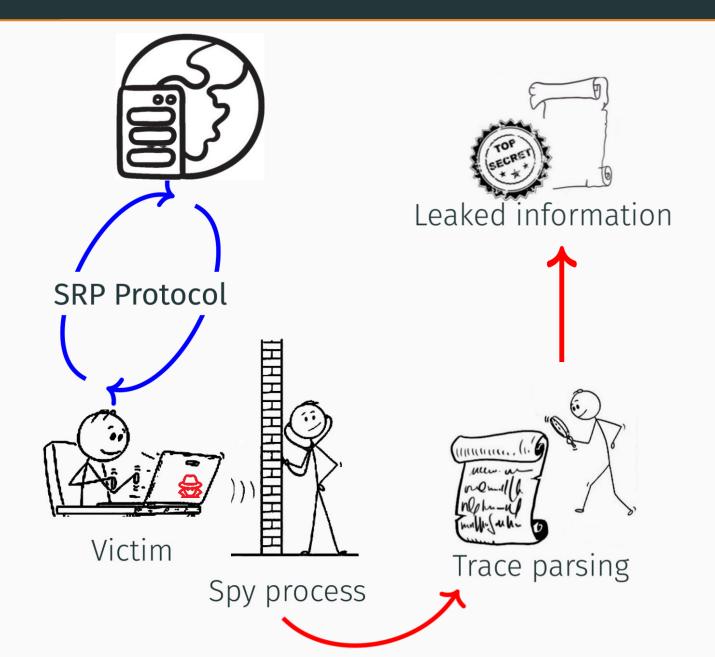
Attacker Model

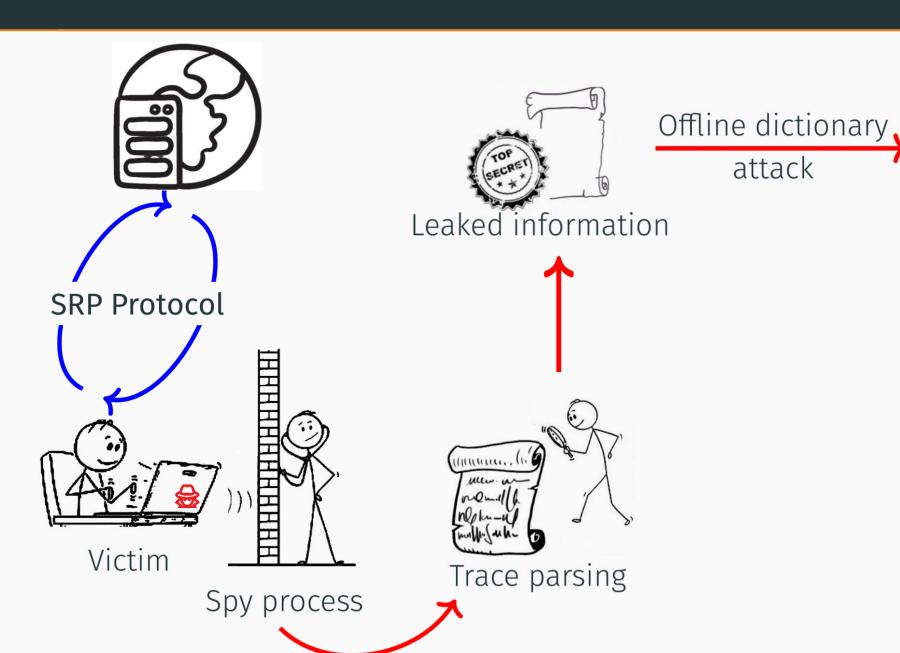
- Unprivileged spyware on the victim station
- Victim tries to connect
- MitM can help to gather more information (optional)





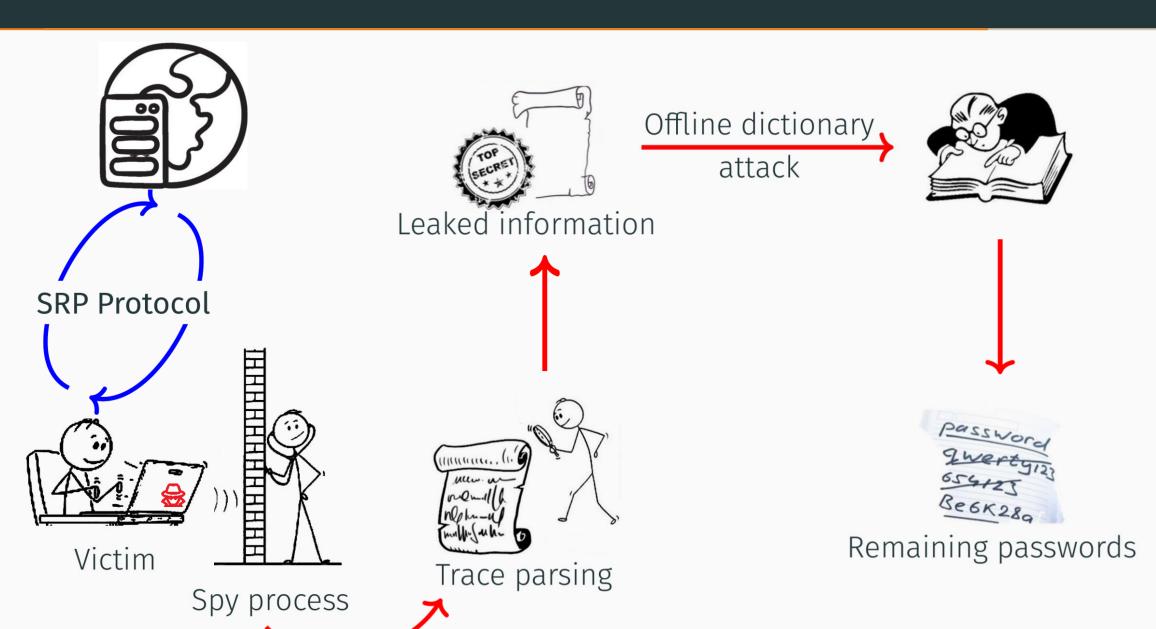








attack



Practical Impact

Impacted Projects

- Lots of project using OpenSSL are impacted, including
 - OpenSSL TLS-SRP
 - Apple HomeKit ADK
 - PySRP (used in ProtonMail python client)
 - •

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•



Wait, how are big numbers managed in high level languages ?...

Impacted Languages

- Many reference libraries are based on OpenSSL to manage bignums
- They usually (never?) manage the flag properly
 - Ruby/openssl
 - Javascript node-bignum
 - Erlang OTP

All SRP implementations using these packages / libraries would be affected!

Mitigations & Conclusion

Mitigations

Two choices:

- Patch this particular issue by adding the proper flag
 - Most projects use the bignum API, not the whole SRP
 - Difficult to propagate
 - Root cause remains

- Switch to a secure by default implementation (flag for insecure/optimized)
 - No flag = secure implementation (potential performance loss)
 - All projects are patched at once

Mitigations

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- Practical attack against SRP implementations
 - Vulnerability inherited by lots of projects
 - Easy to exploit because we can use each recover bits independently

Long term lesson: be careful with SCA, especially in PAKE implementation

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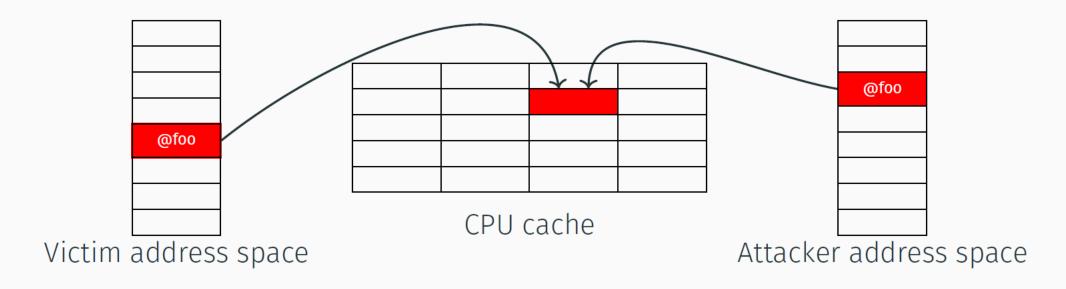
- Leakage in a weak generic function
 - Other protocols with small base may also use it
 - Contact use if you think of one!

Thank you for your attention!



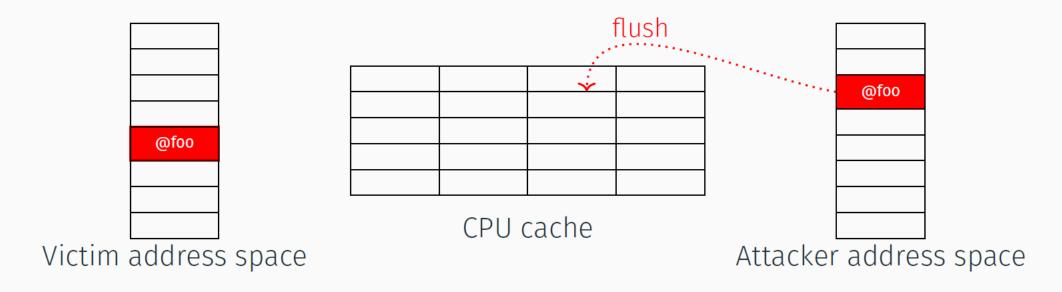
https://gitlab.inria.fr/ddealmei/poc-openssl-srp

daniel.de-almeida-braga@irisa.fr



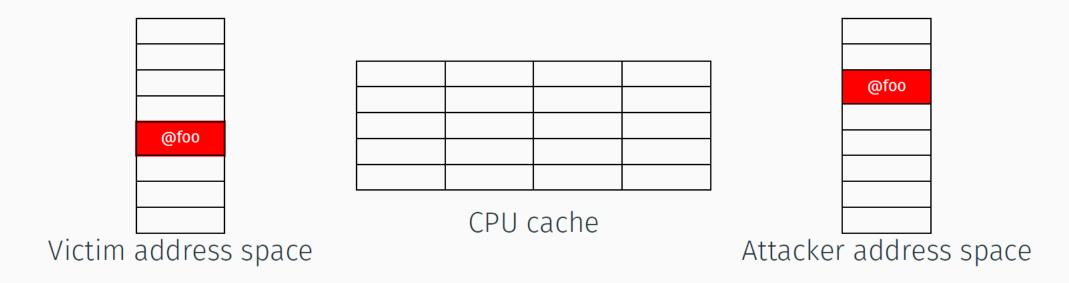
1. Maps the victim's address space

¹ Y. Yarom et al. Flush+Reload: a High Resolution, Low Noise, L3 Cache Side-Channel Attack. In USENIX Security Symposium. 2014



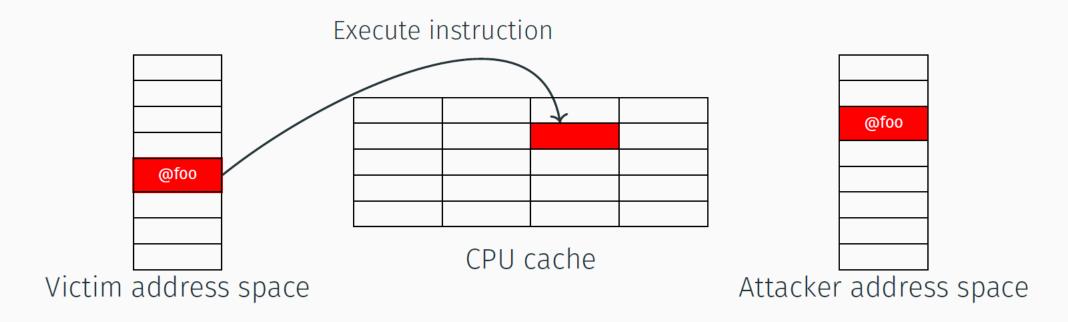
- 1. Maps the victim's address space
- 2. Flush the instruction we monitor

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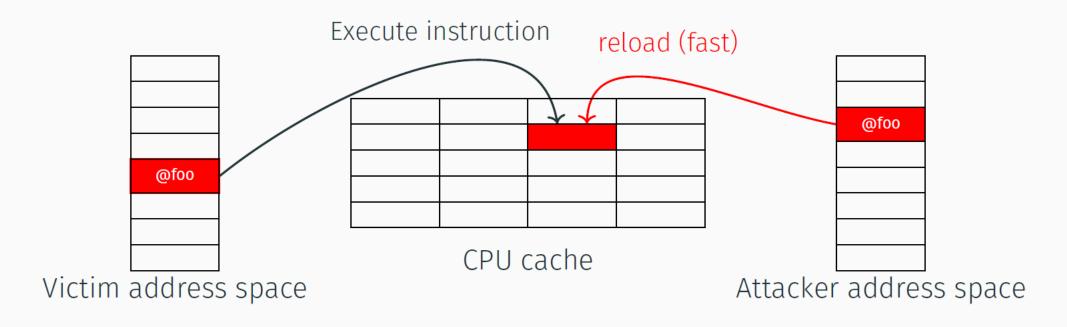
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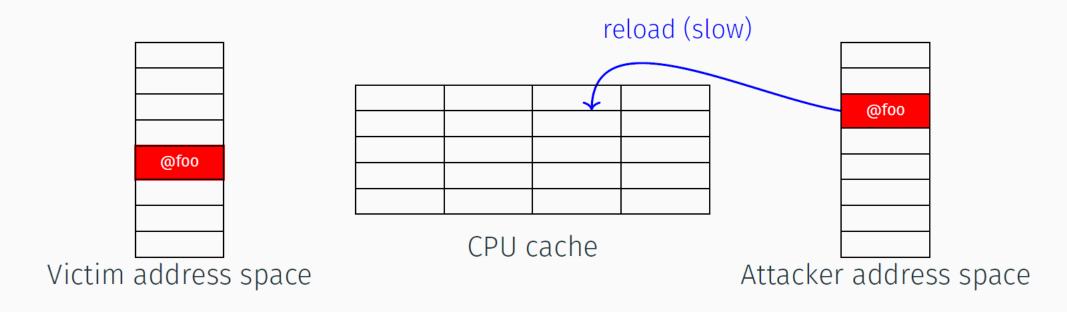
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- 3. See how much time it takes to reload
 - Fast ⇒ the victim already executed
 - Slow ⇒ the victim did not

¹ Y. Yarom et al. Flush+Reload: a High Resolution, Low Noise, L3 Cache Side-Channel Attack. In USENIX Security Symposium. 2014