

1) Given atoms:  $a, b$  and  $c$ ; formula  $f_1 = a \rightarrow b$  and  $f_2 = a \rightarrow b$ ; and a world  $W$  that  $W \models f_1$  and  $W \models f_2$ , show whether the world would satisfy formula  $f_3 = a \rightarrow (b \wedge c)$

2) What is the shortcoming of min-support? And how it can be resolved?

3) Given atoms  $a, b$  and  $c$  and words,  $W_1, W_2$  and  $W_3$  such that

$$W_1 \models a \wedge b \wedge c, W_2 \models a \vee b \vee c, W_3 \models a \rightarrow (b \wedge c), W_4 \models a \rightarrow c$$

Which of worlds would satisfy the following formula?

- i.  $f = b$ .
- ii.  $f = a \rightarrow c$
- iii.  $f = a \wedge c$
- iv.  $f = \neg a \vee c$
- v.  $f = a \vee b \vee c$

4) In probabilistic logic, if there are a set of sentences and a set of possible worlds. Assume we want to check for an entailment for a new logical sentence, so explain how linear programming can be utilized.