HW2

February 17, 2021

1 Q1 Simple Linear Regression y=mx+b

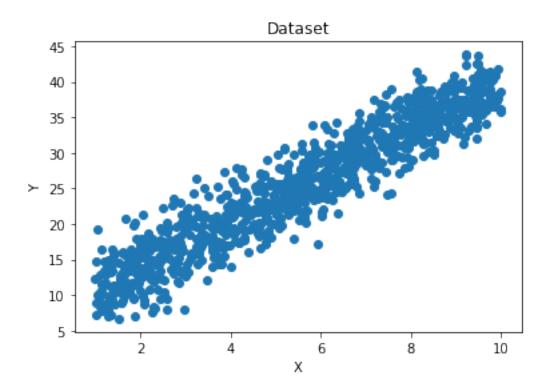
The goal of task is to build a linear regression model from the ground up using numpy.

```
[1]: %matplotlib inline

#imports
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

[2]: df = pd.read_csv('../../data/hw2/q1.csv')
    X = list(df.X)
    Y = list(df.Y)

[125]: #Plot the dataset
plt.scatter(X,Y)
plt.xlabel('X')
plt.ylabel('Y')
plt.title('Dataset')
plt.show()
```



Defining the hyperparamters

```
[126]: #hyperparamters
      learning_rate = 0.001
      initial_b = 0
      initial_m = 0
      num_iterations = 100
```

Define cost function

```
[127]: def compute_cost(X, Y, b, m):
          total_cost = 0
          N = float(len(X))
          #Compute sum of squared errors
          for x, y in zip(X, Y):
              total_cost += pow(y - (m*x + b) , 2)
          #Return average of squared error
          return total_cost / N
[128]: compute_cost(X, Y, 1,1)
```

[128]: 398.72051924266106

Define Gradient Descent functions

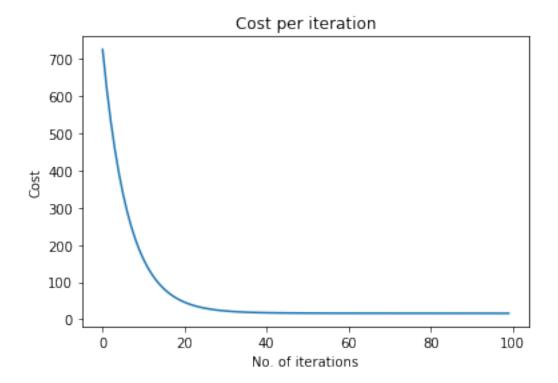
```
[133]: def gradient_descent_runner(X, Y, starting_b, starting_m, learning_rate,__
       →num_iterations):
          b = starting_b
          m = starting_m
          cost_graph = []
          #For every iteration, optimize b, m and compute its cost
          for i in range(num_iterations):
              cost_graph.append(compute_cost(X, Y, b, m))
              b, m = step_gradient(X, Y, b, m, learning_rate)
          return [b, m, cost_graph]
      def step_gradient(X, Y, b_current, m_current, learning_rate):
         m gradient = 0
          b_gradient = 0
          N = float(len(X))
          #Calculate Gradient
          for x,y in zip(X, Y):
              m_{gradient} += (2/N)*x*(y - ((m_{current}*x) + b_{current}))
              b_{gradient} += (2/N)*(y - ((m_{current}*x) + b_{current}))
          #Update current m and b
          m_updated = m_current + learning_rate * m_gradient
          b_updated = b_current + learning_rate * b_gradient
          #Return updated parameters
          return b_updated, m_updated
```

Run gradient_descent_runner() to get optimized parameters b and m

Optimized b: 0.8714051605717171 Optimized m: 4.217447849416838 Minimized cost: 16.321474191555108

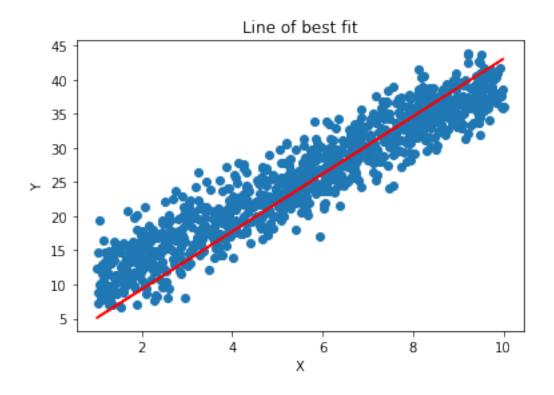
Plotting the cost per iterations

```
[135]: plt.plot(cost_graph)
   plt.xlabel('No. of iterations')
   plt.ylabel('Cost')
   plt.title('Cost per iteration')
   plt.show()
```



Plot line of best fit

```
[199]: #Plot dataset
plt.scatter(X, Y)
    #Predict y values
pred = [xi * m + b for xi in X]
    #Plot predictions as line of best fit
plt.plot(X, pred, c='r')
plt.xlabel('X')
plt.ylabel('Y')
plt.title('Line of best fit')
plt.show()
```



1.1 Try playing with LR and number of iterations to reach faster convergence/better results

1.1.1 Hint: try setting big LR and seeing

2 Q2

[40]: 7.473837028012515

Fit sklearn linear regression on the q1 dataset. output the parameters and calculate R²

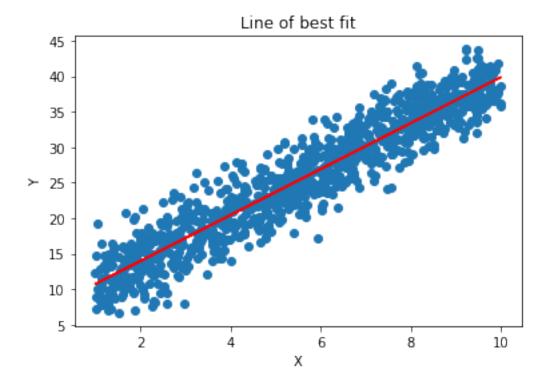
```
[29]: X = np.array(X).reshape(len(X),1)
Y = np.array(Y)

[30]: from sklearn.linear_model import LinearRegression

[31]: lrm = LinearRegression().fit(X, Y)
# Your Code Here
pred = lrm.predict(X)

m coef
[39]: lrm.coef_
[39]: array([3.23934294])
b coef
[40]: lrm.intercept_
```

```
[41]: #Plot dataset
plt.scatter(X, Y)
    #Plot predictions as line of best fit
plt.plot(X, pred, c='r')
plt.xlabel('X')
plt.ylabel('Y')
plt.title('Line of best fit')
plt.show()
```



```
R^2 on X,Y
[43]: # Your Code Here
1 - (sum(np.square(Y - pred)) / sum(np.square(Y - Y.mean())) )
[43]: 0.8958096318219146
```

2.1 Q3

An indoor positioning system (IPS) is a system to locate objects or people inside a building using radio waves, magnetic fields, acoustic signals, or other sensory information collected by mobile devices. There are several commercial systems on the market, but there is no standard for an IPS system.

IPSes use different technologies, including distance measurement to nearby anchor nodes (nodes with known positions, e.g., WiFi access points), magnetic positioning, dead reckoning.

They either actively locate mobile devices and tags or provide ambient location or environmental context for devices to get sensed.

According to the report, the global indoor location market size is expected to grow from USD 7.11 Billion in 2017 to USD 40.99 Billion by 2022, at a Compound Annual Growth Rate (CAGR) of 42.0% during the forecast period. Hassle-free navigation, improved decision-making, and increased adoption of connected devices are boosting the growth of the indoor location market across the globe.

In this problem, you are going to use signals from seven different wi-fi access points to define in which room the user is located.

```
[1]: import pandas
    import numpy as np
    from sklearn.ensemble import RandomForestClassifier
    from sklearn.metrics import accuracy_score
    from sklearn.model selection import GridSearchCV
[2]: train_set = pandas.read_csv('../../data/hw2/train_set.csv')
    cv_set = pandas.read_csv('../../data/hw2/cv_set.csv')
    train_data = train_set[['wifi'+str(i) for i in range(1, len(train_set.columns)_
    - 1)]]
    train_labels = train_set['room']
    cv_data = cv_set[['wifi'+str(i) for i in range(1, len(cv_set.columns) - 1)]]
    cv_labels = cv_set['room']
[3]: print(train data[:2])
    print(train_labels[:2])
      wifi1 wifi2 wifi3 wifi4 wifi5 wifi6 wifi7
        -68
                             -65
                                     -71
                                            -85
   0
               -57
                      -61
                                                   -85
        -63
   1
               -60
                      -60
                             -67
                                     -76
                                            -85
                                                   -84
   0
        1
   1
        1
   Name: room, dtype: int64
[4]: print(len(train_labels))
    print(len(cv_labels))
   1603
   397
[5]: # fit RandomForestClassifier without parameters to training data
    model = RandomForestClassifier().fit(train_data, train_labels)
    model
[5]: RandomForestClassifier()
[6]: def predict(model):
        # make predictions for CV data
        pred_labels = model.predict(cv_data)
```

```
# evaluate predictions
accuracy = accuracy_score(cv_labels, pred_labels)
print("Accuracy: %.2f%%" % (accuracy * 100.0))
[7]: predict(model)
```

Accuracy: 98.24%

2.2 Tuning Hyperparams

https://scikit-learn.org/stable/modules/generated/sklearn.model_selection.GridSearchCV.html

```
[24]: param_test1 = {
       'n_estimators':np.arange(100,500,100),
       'min_samples_split': [2,5,10]
     }
     param_test2 = {
      'max_depth':range(3,10,2)
     param_test3 = {
         'n_estimators': [1, 10, 50, 100, 400, 1000],
         'max_depth': [1, 2, 5, 10, None],
         'min_samples_leaf': [1, 2, 5],
         'min_samples_split': [2, 5, 10],
         "criterion": ["gini", "entropy"],
         "bootstrap": [True, False],
         "random_state": [42],
     }
[25]: | gsearch = GridSearchCV(estimator=RandomForestClassifier(),
                           param_grid=param_test3,
                           n_jobs=-1,
                           scoring='accuracy',
                           verbose=1)
     gsearch.fit(cv_data, cv_labels)
     gsearch.best_params_, gsearch.best_score_
```

Fitting 5 folds for each of 1080 candidates, totalling 5400 fits

```
'random_state': 42},
     0.9848417721518988)
[26]: model = RandomForestClassifier(**gsearch.best_params_).fit(train_data,__
      →train_labels)
     predict(model)
    Accuracy: 98.49%
        Q4
 [1]: import numpy as np
     import sklearn as sk
     import pandas as pd
     import matplotlib.pyplot as plt
     from sklearn.preprocessing import scale
     import random
 [2]: df = pd.read_csv('../../data/hw2/creditcard.csv', low_memory=False)
     df = df.sample(frac=1).reset_index(drop=True)
     df.head()
 [2]:
            Time
                        V1
                                   V2
                                                       ۷4
                                                                 V5
                                                                           ۷6
                                             VЗ
      119365.0 -0.648816
                             1.085729
                                      0.644292 -0.484424
                                                          0.035148
                                                                     0.685317
        46241.0 -7.841175 -10.951944 2.713263 2.615309
                                                           9.103611 -6.069196
                             0.668436 -0.348581 0.030305 0.634939 -1.736213
      150410.0 -0.109611
       78763.0 1.268174 -0.667519 0.455831 -0.624309 -0.947193 -0.287198
                            1.798271 -1.710085 -1.218292 0.732341 -1.435121
     4 156695.0 -1.027329
                                                V21
                                                          V22
                                                                    V23
              ۷7
                        87
                                  ۷9
                                                                              V24
     0 -0.511474 -3.572304 1.432904
                                           3.274767 0.175637
                                                               0.182150 -0.671470
     1 -7.482114 1.346419
                           1.767848
                                           1.008598 0.068748
                                                               2.031901 0.030105
     2 0.814125 -0.208214 0.128891
                                           0.321396 1.019215 -0.022182 0.306645
                                      . . .
     3 -0.647256 0.076475 -0.839515
                                           0.109237 0.278014 0.002229 0.234976
                                     . . .
     4 1.050546 0.310398 -0.055893
                                           0.193389
                                                     0.722371 -0.129830 0.677651
            V25
                      V26
                                 V27
                                           V28
                                                Amount
                                                        Class
     0 -0.582489 -0.212519 -0.117028 -0.309974
                                                 19.95
                                                            0
                                                            0
     1 -0.237909 0.297684 -0.193230
                                      0.397233
                                                 52.00
     2 -0.403441 -0.159221 0.368169
                                      0.200434
                                                 25.89
                                                            0
     3 0.389169 -0.254429 0.013218
                                      0.003945
                                                 28.95
                                                            0
     4 -0.186372 0.048191 0.179429
                                      0.045144
                                                  0.77
                                                            0
     [5 rows x 31 columns]
```

[3]: frauds = df.loc[df['Class'] == 1]

non_frauds = df.loc[df['Class'] == 0]

We have 492 fraud data points and 284315 nonfraudulent data points.

```
[4]: from sklearn.linear model import LogisticRegression
    from sklearn.model_selection import train_test_split
    from sklearn.metrics import classification_report
[5]: X = df.iloc[:,:-1]
    y = df['Class']
    print("X and y sizes, respectively:", len(X), len(y))
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.35)
    print("Train and test sizes, respectively:", len(X_train), len(y_train), "|", u
     →len(X_test), len(y_test))
    print("Total number of frauds:", len(y.loc[df['Class'] == 1]), len(y.
     \rightarrowloc[df['Class'] == 1])/len(y))
    print("Number of frauds on y_test:", len(y_test.loc[df['Class'] == 1]),__
     →len(y_test.loc[df['Class'] == 1]) / len(y_test))
    print("Number of frauds on y_train:", len(y_train.loc[df['Class'] == 1]),__
     →len(y_train.loc[df['Class'] == 1])/len(y_train))
   X and y sizes, respectively: 284807 284807
   Train and test sizes, respectively: 185124 185124 | 99683 99683
   Total number of frauds: 492 0.001727485630620034
   Number of frauds on y_test: 166 0.0016652789342214821
   Number of frauds on y_train: 326 0.0017609818283961022
[6]: logistic = LogisticRegression(C=1e5)
    logistic.fit(X_train, y_train)
   print("Score: ", logistic.score(X_test, y_test))
   Score: 0.998876438309441
   /home/eugene/anaconda3/lib/python3.7/site-
   packages/sklearn/linear_model/_logistic.py:765: ConvergenceWarning: lbfgs failed
   to converge (status=1):
   STOP: TOTAL NO. of ITERATIONS REACHED LIMIT.
   Increase the number of iterations (max_iter) or scale the data as shown in:
       https://scikit-learn.org/stable/modules/preprocessing.html
   Please also refer to the documentation for alternative solver options:
       https://scikit-learn.org/stable/modules/linear_model.html#logistic-
   regression
     extra_warning_msg=_LOGISTIC_SOLVER_CONVERGENCE_MSG)
```

[7]: print(classification_report(y_test, logistic.predict(X_test)))

	precision	recall	f1-score	support
0	1 00	1 00	1 00	00517
0	1.00	1.00	1.00	99517
1	0.68	0.60	0.64	166
accuracy			1.00	99683
macro avg	0.84	0.80	0.82	99683
weighted avg	1.00	1.00	1.00	99683

```
[65]: logistic = LogisticRegression(C=1e5, n_jobs=-1, class_weight={0: 0.35, 1: 0.8}, □ → random_state=0) logistic.fit(X_train, y_train) print("Score: ", logistic.score(X_test, y_test))
```

Score: 0.9992275513377407

[66]: print(classification_report(y_test, logistic.predict(X_test)))

	precision	recall	f1-score	support
0 1	1.00 0.75	1.00	1.00 0.78	99517 166
accuracy macro avg	0.88	0.90	1.00	99683 99683
weighted avg	1.00	1.00	1.00	99683