Team Indentation Error Final Project

Christian Marin Troy Tharpe Dean Fortier



# **System Outline**

- Pre-processing
- Feature Extraction
- Classification
- Post-processing
- Summary

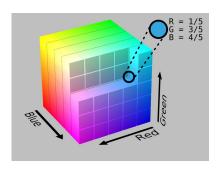
# **Pre-processing: Color Spaces**

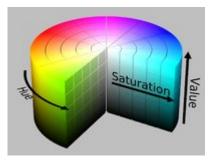
- RGB given, intuitive
- HSV performed well in preliminary analysis
- GRY intuitive, emphasis on intensity (technically redundant\*)
  - O GRY = .2989\*R + .5870\*G + .1140\*B











## Pre-processing: Bilateral Filter

$$I^{ ext{filtered}}(x) = rac{1}{W_p} \sum_{x_i \in \Omega} I(x_i) f_r(\|I(x_i) - I(x)\|) g_s(\|x_i - x\|)$$

$$W_p = \sum_{x_i \in \Omega} f_r(\|I(x_i) - I(x)\|) g_s(\|x_i - x\|).$$

 $I^{
m filtered}$  is the filtered image;

I is the original input image to be filtered;

x are the coordinates of the current pixel to be filtered;

 $\Omega$  is the window centered in x;

Effectively smooths texture while preserving edge boundaries better than a standard Gaussian.





# Pre-processing: Non-Local µ Denoising

- "Semi-local" filter designed to remove Gaussian noise from images
- Performs a more distant search for "similar" pixels to average in
- Performs particularly well smoothing ponds and fields



# **Pre-processing: Canny Edges**

**Intensity Gradient:** convolve with X and its transpose:

$$egin{bmatrix} +1 & 0 & -1 \ +2 & 0 & -2 \ +1 & 0 & -1 \end{bmatrix} \qquad egin{array}{cccc} \mathbf{G} = \sqrt{\mathbf{G}_x{}^2 + \mathbf{G}_y{}^2} \ \mathbf{\Theta} = \mathrm{atan2}(\mathbf{G}_y, \mathbf{G}_x) \ ^* ext{rounded to power axis/main disc} \end{split}$$

$$\mathbf{G}=\sqrt{{\mathbf{G}_{x}}^{2}+{\mathbf{G}_{y}}^{2}}$$

$$oldsymbol{\Theta} = ext{atan2}(\mathbf{G}_y, \mathbf{G}_x)$$

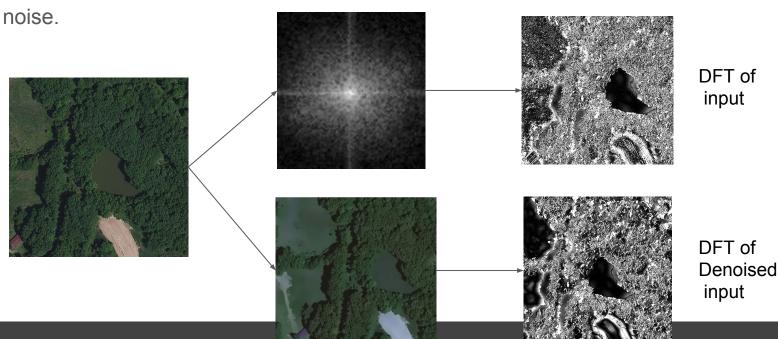
\*rounded to nearest axis/main-diagonal



- Non-Max Suppression: compare neighboring intensity gradient magnitudes and force outlying values further toward extremes
- 3. **Threshold:** cut off high and low values for the most probable and improbable edges

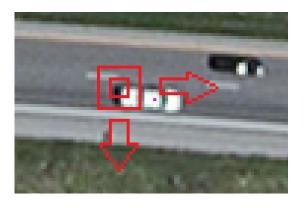
## **Pre-processing: Fourier Transform**

• Transform a grayscale image to 2D frequency domain with a DFT, masking the low frequency components, revert back to image with IDFT with reduced low frequency



## **Feature Extraction: Histograms**

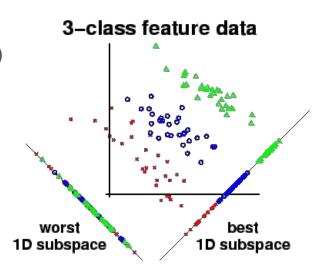
- Sliding window histogram aggregation
- Why not make each pixel a feature?
  - Higher dimensionality
  - Higher variability (aggregation is invariant)
- Append center values to preserve focus
- Loss of precision due to memory
  - data type linear range mapping
  - binning for histograms
- Major computational bottleneck



### **Classification: LDA**

#### **Motivation:**

- The problem at hand involves the classification of multiple classes (LDA is generally considered the goto)
- Believed it was safe to assume unimodal Gaussian likelihood within label classes (consistent and characteristic targets)
- Limited training set which would make training models like neural networks more difficult
- Considers within class and between class variance



## LDA: Cont.

#### Implementation:

- Assigned a class to each pixel in image (Red Car, White Car, Pool, Pond, and Background).
- Background accounts for more than 99.3% of pixels. In order to avoid over training on background, only 0.7% was included in model fitting
- Accomplished via minimizing within class variance (Sw) and maximizing between class separability (Sb) according to the objective function:

$$(12\mathcal{J}(\mathbf{w}) = \frac{(\mathbf{m}_2 - \mathbf{m}_1)(\mathbf{m}_2 - \mathbf{m}_1)^T}{s_1^2 + s_2^2} = \frac{\mathbf{w}^T \mathbf{S}_B \mathbf{w}}{\mathbf{w}^T \mathbf{S}_W \mathbf{w}}$$

-

## LDA: Cont.

 The objective function is then minimized by differentiating with respect to weights:

$$\frac{\partial J(\mathbf{w})}{\partial \mathbf{w}} = 0$$

- This results in the weight update equation:  $\mathbf{w}^* = \mathbf{S}_W^{-1}(\mathbf{m}_2 \mathbf{m}_1)$ 
  - O Where:

$$\mathbf{m}_1 = \frac{1}{N_1} \sum_{n \in C_1} \mathbf{x}_n, \quad \mathbf{m}_2 = \frac{1}{N_2} \sum_{n \in C_2} \mathbf{x}_n$$

And: Sw^(-1)= inverted within class variance matrix

# **Post-processing: Center of Contour**

Problem: Needed a mapping of pixel label probabilities to discrete centers

Accomplished with the help of OpenCV

- 1. Convert image to grayscale
- 2. Gaussian smooth using a 5x5 kernel
- 3. Apply a binary threshold (255 = 1, 60 or lower = 0)
- 4. Calculate closed area contours via border following\*
- 5. Calculate each shape's image moment according to:  $M_{ij} = \sum_{x} \sum_{y} x^{i} y^{j} I(x, y)$ a. (i, j) = moment order
- 6. Calculate x and y centroids according to:  $C_x = \frac{M_{10}}{M_{00}}$  and  $C_y = \frac{M_{01}}{M_{00}}$

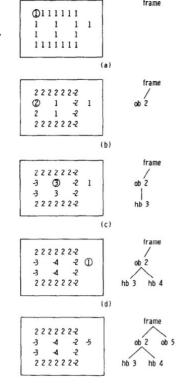


Figure depicting border following algorithm

<sup>\*</sup>Topological Structural Analysis of Digitized Binary Images by Border Following SATOSHI SUZUKI

### **Center of Contour: Cont.**

Results on prelabeled data:

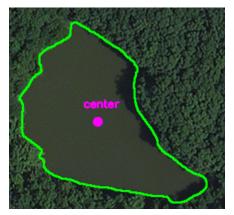
- Green outline depicts recognized contour
- Purple dot depicts centroid of pixel level contour
- Black and white images depict binary label input











## **Summary**

#### Future considerations include:

- Labeling additional classes to reduce variability of the background class
- Supplementing the edge/gradient features in preprocessing
- Application of other classifiers and ensembling
- Implement area/perimeter features



## The End