STATS 790 Final Project

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Introduction

In this project, we will compare the R randomForest and Python sci-kit learn implementations of the random forest algorithm. We will fit a regression and classification model using both libraries and compare their performance and various metrics of speed and prediction accuracy.

Random Forest Algorithm

The random forest algorithm was introduced by Leo Breiman in a 2001 paper titled "Random Forests" (Breiman 2001). Similar to bagging, the random forest algorithm is a tree ensemble method that can applied to regression and classification problems. A key difference between random forests and bagging is how each tree is grown. In bagging, the full set of features are used whereas in random forests, a random subset of features are used at each terminal node to grow the tree. The main purpose of this change is to decrease the correlation present among the forest of trees. Below we show the random forest algorithm found in the Elements of Statistical Learning (Second Edition) on page 588 (Hastie, Tibshirani, and Friedman 2009).

Algorithm 15.1 Random Forest for Regression or Classification.

- 1. For b = 1 to B:
 - (a) Draw a bootstrap sample \mathbf{Z}^* of size N from the training data.
 - (b) Grow a random-forest tree T_b to the bootstrapped data, by recursively repeating the following steps for each terminal node of the tree, until the minimum node size n_{min} is reached.
 - i. Select m variables at random from the p variables.
 - ii. Pick the best variable/split-point among the m.
 - iii. Split the node into two daughter nodes.
- 2. Output the ensemble of trees $\{T_b\}_1^B$.

To make a prediction at a new point x:

Regression:
$$\hat{f}_{rf}^B(x) = \frac{1}{B} \sum_{b=1}^B T_b(x)$$
.

Classification: Let $\hat{C}_b(x)$ be the class prediction of the bth random-forest tree. Then $\hat{C}_{\rm rf}^B(x) = majority\ vote\ \{\hat{C}_b(x)\}_1^B$.

Figure 1: Random Forest algorithm

Califonia Housing Dataset

The California housing dataset, found in section 10.14.1 of ESL, comes from the paper on "Sparse spatial autoregressions" (Pace and Barry 1997). There are 20,640 observations, 8 predictor variables and one response variable, median house value. We downloaded the California housing dataset from the Statlib website found here. A detailed description of each variable can be found below.

Variable	Description		
median_income	median income of California block		
housing_median_age	median age of the house		
total_rooms	aggregate total number of rooms		
total_bedrooms	aggregate total number of bedrooms		
population	population of geographic block		
households	number of houses		
latitude	latitude of geographic block		
longitude	longitude of geographic block		
median_house_value (response*)	median house value		

From the following pairs plot, we see high correlations among certain features like total rooms/total bedrooms and population/households. One reason could be that areas with more households naturally have higher populations and houses with more bedrooms naturally have more rooms.

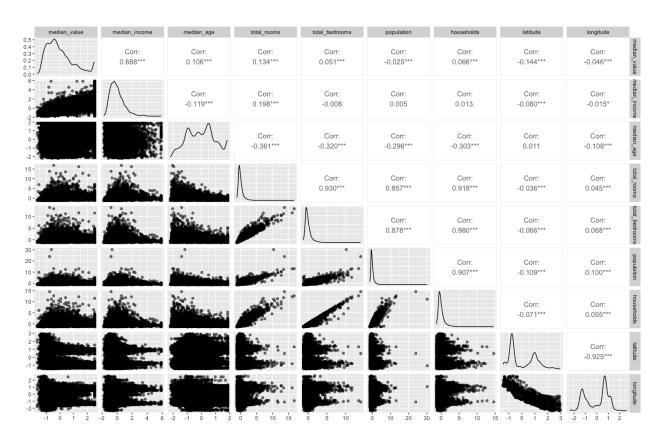


Figure 2: Pairs plot of continous features

Adults Dataset

The Adults dataset comes from the UCI Machine Learning Repository (Kohavi and Becker 1996). There are 45,170 observations and 15 features in the dataset with information such as age, sex, hours of work per week which are used to classify whether an individual earns more than 50,000 USD per year. The data was sourced by Barry Becker from the 1994 US Census database. Further, a detailed description of each variable can be found below (description sourced from (Eren 2018)).

Variable	Description		
age	Peron's age		
workclass	Occupation sector (ex. private, federal government)		
finalweight	Estimate of population total where the individual is sourced		
	from (i.e. similar observations should have similar weights		
	based on Census data)		
education	Highest level of education attained (ex. bachelors)		
educationnum	Years of education		
maritalstatus	Marital status (ex. divorced, widowed)		
occupation	Occupation title (ex. tech-support, farming-fishing)		
relationship	Relationship status (ex. wife, unmarried)		
race	Person's race (ex. white, asian-pac-islander)		
sex	Male or Female		
capitalgain	Capital gains from the previous year		
capitalloss	Capital losses from the previous year		
hoursperweek	Number of hours worked per week		
nativecountry	Country person was born (ex. Ireland, Cuba)		
isGT50K (response*)	1 if they earn more than $50,000$ USD per year and 0		
	otherwise		

From the following pairs plot, we see the continuous features are mostly uncorrelated. Surprisingly, age and hours of work per week are only weakly correlated. It would make sense that senior employees work longer hours than junior employees but the data suggest this may not hold. Further, years of education and capital gains are only weakly correlated as well, indicating that more educated people do not necessarily make better financial decisions (ex. in stock trading).

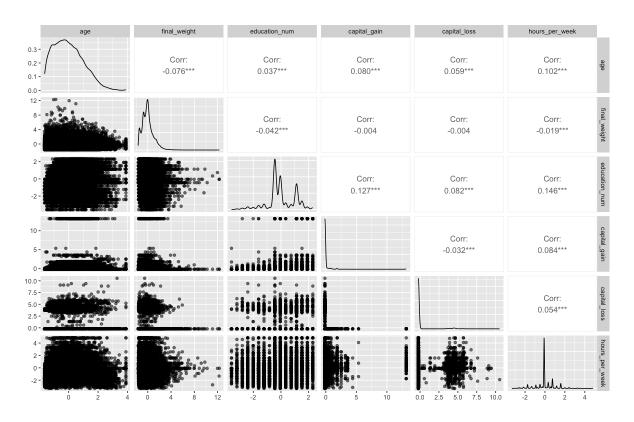


Figure 3: Pairs plot of continous features

Using Python and Scikit Learn

There are slight variations between the R and Python implementations, so we have them as similar as possible so a valid comparison can be made. We use the Scikit Learn library implementation of random forest to fit the regression and classification model (Pedregosa et al. 2011).

The randomforest classifier did not accept the original dataset with strings, so it was converted using pandas to a set of dummy variables first using help from here.

```
import pandas as pd
from sklearn.ensemble import RandomForestRegressor
from sklearn.metrics import mean_squared_error
import time
import pickle
from sklearn.model_selection import GridSearchCV, RandomizedSearchCV
housing_train = housing_training.drop('median_house_value', axis=1) # input features
y_train = housing_training['median_house_value'] # target variable
housing_test = housing_testing.drop('median_house_value', axis=1) # input features
y_test = housing_testing['median_house_value'] # target variable
# defaults for python
rf_regression = RandomForestRegressor(random_state=1)
rf_regression.fit(housing_train, y_train)
y_pred = rf_regression.predict(housing_test)
mse = mean_squared_error(y_test, y_pred)
rmse = np.sart(mse)
print("RMSE:", rmse) # RMSE: 48703.06229688119
# using default parameters of randomForest
rf_regression_default = RandomForestRegressor(max_features=3, random_state=1)
rf_regression_default.fit(housing_train, y_train)
y_pred_default = rf_regression_default.predict(housing_test)
mse_default = mean_squared_error(y_test, y_pred_default)
rmse_default = np.sqrt(mse_default)
print("RMSE:", rmse_default) # RMSE: 49397.928321747604
# using hypertuned parameters from below
rf_regression_opt = RandomForestRegressor(max_features=5, min_samples_leaf=10, n_estimators=500, random_state=1)
rf_regression_opt.fit(housing_train, y_train)
y_pred_opt = rf_regression_opt.predict(housing_test)
pickle.dump(rf_regression_opt, open("python_regression.pkl", "wb"), protocol = 2)
mse_opt = mean_squared_error(y_test, y_pred_opt)
rmse_opt = np.sqrt(mse_opt)
print("RMSE:", rmse_opt) # RMSE: 50925.63753101504
# evaluate the speed of code
times_regression = []
for i in range(25):
 start_regression = time.time()
 rf_regression.fit(housing_train, y_train)
  end regression = time.time()
  times_regression.append(end_regression - start_regression)
python_regression_times = pd.DataFrame(times_regression)
python_regression_times.to_csv("./metrics/python_regression_times.csv")
```

```
# tune the model
param_grid = {
    'n_estimators': [200,300,400,500],
    'max_features' : [2,3,4,5]
}

# tuning the min_samples gave a worse answer, adjusting only certain param now
cv_rf_regression = GridSearchCV(estimator=rf_regression, param_grid=param_grid, cv=10)
cv_rf_regression.fit(housing_train, y_train)
cv_rf_regression.best_params_ #{'max_features': 5, 'min_samples_leaf': 10, 'n_estimators': 300}
```

Similarly we apply the above approach to classification.

```
import pandas as pd
{\tt from \ sklearn.ensemble \ import \ RandomForestClassifier}
from sklearn.metrics import accuracy_score, confusion_matrix
import time
import pickle
adults_train = adults_training.drop('isGT50K', axis=1) # input features
adults_train = pd.get_dummies(adults_train)
y_train = adults_training['isGT50K'] # target variable
adults_test = adults_testing.drop('isGT50K', axis=1) # input features
adults_test = pd.get_dummies(adults_test)
y_test = adults_testing['isGT50K'] # target variable
# defaults for python
rf_classification = RandomForestClassifier(random_state=1)
rf_classification.fit(adults_train, y_train)
y_pred = rf_classification.predict(adults_test)
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy:", accuracy) # Accuracy: 0.8578765607013193
print(confusion_matrix(y_pred, y_test))
# defaults for randomForest
rf_classification_default = RandomForestClassifier(max_features=3, random_state=1)
rf_classification_default.fit(adults_train, y_train)
y_pred_default = rf_classification_default.predict(adults_test)
pickle.dump(rf_classification_default, open("python_classification.pkl", "wb"), protocol = 2)
accuracy_default = accuracy_score(y_test, y_pred_default)
print("Accuracy:", accuracy_default) # Accuracy: 0.8522978836447357
print(confusion_matrix(y_pred_default, y_test))
{\it \# using hypertuned parameters from below}
{\tt rf\_classification\_opt.fit(adults\_train, y\_train)}
y_pred_opt = rf_classification_opt.predict(adults_test)
accuracy_opt = accuracy_score(y_test, y_pred_opt)
print("Accuracy:", accuracy_opt) # Accuracy: 0.8546887452404144
print(confusion_matrix(y_pred_opt, y_test))
# evaluate the speed of code
times_classification = []
for i in range(25):
 start_classification = time.time()
  rf_classification.fit(adults_train, v_train)
  end_classification = time.time()
```

```
times_classification.append(end_classification - start_classification)

python_classification_times = pd.DataFrame(times_classification)

python_classification_times.to_csv("./metrics/python_classification_times.csv")

# tune the model

param_grid = {
    'n_estimators': [200,300,400,500],
    'max_features' : [2,3,4,5]
}

# tuning the min_samples gave a worse answer, adjusting only certain param now

cv_rf_classification = GridSearchCV(estimator=rf_classification, param_grid=param_grid, cv=10)

cv_rf_classification.fit(adults_train, y_train)

cv_rf_classification.best_params_ #{'max_features': 5, 'min_samples_leaf': 10, 'n_estimators': 300}
```

Using R and randomForest

```
# using R defaults
rf_regression <- randomForest(median_house_value ~ ., data=housing_training)</pre>
rf_pred <- predict(rf_regression, newdata=housing_testing)</pre>
rmse <- sqrt(sum((rf_pred - housing_testing$median_house_value)^2)/length(rf_pred))</pre>
paste("RMSE:", rmse) # RMSE: 50719.3875768653
plot(rf_regression)
# using default parameters of scikit learn
rf_regression_default <- randomForest(median_house_value ~ ., data=housing_training, ntrees=10
rf_pred_default <- predict(rf_regression_default, newdata=housing_testing)</pre>
rmse_default <- sqrt(sum((rf_pred_default - housing_testing$median_house_value)^2)/length(rf_pred_default - housing_testing)^2)/length(rf_pred_default - ho
paste("RMSE:", rmse_default) # RMSE: 50974.7547537137
plot(rf_regression_default)
# using hypertuned parameters from Python
rf_regression_opt <- randomForest(median_house_value ~ ., data=housing_training, ntrees=500, m
rf_pred_opt <- predict(rf_regression_opt, newdata=housing_testing)</pre>
rmse_default <- sqrt(sum((rf_pred_opt - housing_testing$median_house_value)^2)/length(rf_pred_opt - housing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testing_testi
paste("RMSE:", rmse_default) # RMSE: 48336.0260963631
plot(rf_regression_opt)
```

Model Fitting Comparisons

We fitted six models in total - three for regression and three for classification.

Language	Package	Problem	Tuned Model?	Metric	Score
\mathbf{R}	${\rm random} Forest$	Regression	Yes	RSME	48336.03
Python	scikit learn	Regression	No	RSME	48703.06
\mathbf{R}	${\bf random} {\bf Forest}$	Classification	No	Accuracy	86.57%
Python	scikit learn	Classification	No	Accuracy	85.80%

The Python implementation of random forest was significantly faster than R. To compare the two, we fit the same random forest model in Python and R twenty-five times, saving the fitted model size and time to fit.

From the first chart below, we see Python was about 8 times faster for regression and 3.5 times faster for classification compared to R. From the second chart, we see the fitted model object size in Python was on average 71.43% smaller for regression and 84.94% smaller for classification compared to R.

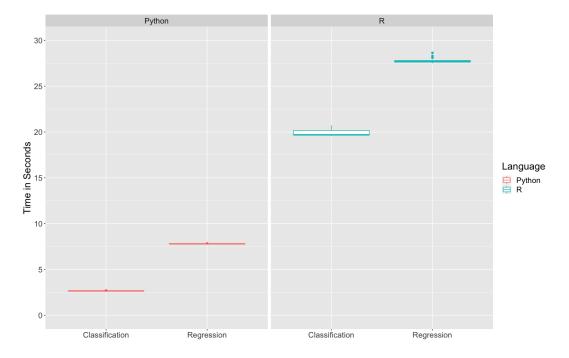


Figure 4: Time to fit random forest models in Python and R

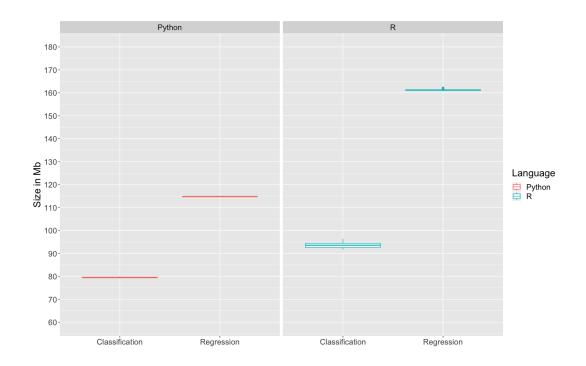


Figure 5: Object size in Mb of random forest models in Python and R

Conclusions

From the comparisons, we see that the Python implementation is generally faster compared to the R approach. There are some potential pitfalls in this analysis that cause the outputted times to vary, this could be due to lack of parallelization, variation in internals of each algorithm and hyperparameter variation. We have tried to reduce the last piece by tuning both in R and Python first, then creating a final model that uses the same hyperparameter values.

The out-of-bag error plots demonstrate the two approaches to be quite similar. Further, the predictions on the validation sets for both classification and regression appear to be similar up to a high order of floating point approximation.

In conclusion, the choice between Python or R comes down to user preference.

References

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