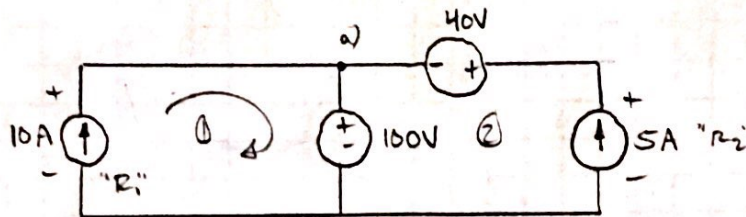


CH 2: #'s 3, 7, 26, 35, 40, 41

③

Given:

find: if valid \rightarrow power developed by current sources
 else \rightarrow explain why it's not valid

Solution:

KVL: ① $10A \cdot R_1 - 100V = 0 \rightarrow R_1 = 10\Omega$

② $100V + 40V - 5A \cdot R_2 = 0$
 $5A \cdot R_2 = 140 \rightarrow R_2 = 28\Omega$

using R_1 's:

$$P_{10} = I^2 R_1$$

$$P_{10} = 1000W$$

$$P_5 = I^2 R_2$$

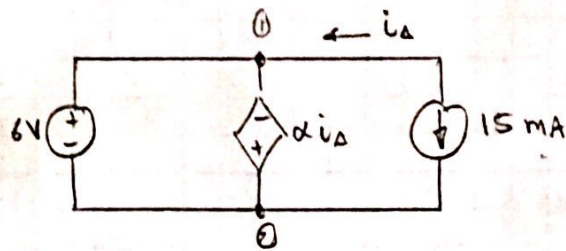
$$P_5 = 700W$$

power developed because voltage rise in direction of current

$$\rightarrow \begin{matrix} P_{10} = -1000W \\ P_5 = -700W \end{matrix} \text{ supplied power}$$

7

Given:



- Find:
- value of α to make this valid
 - for α , power associated by current source
 - is current source supplying or absorbing power

Solution:

a) from node ① to ②, 6V voltage drop:

$$\rightarrow \alpha i_A = -6V \quad \text{and} \quad i_A = -15mA \quad \text{from figure}$$

$$\rightarrow \alpha = \frac{-6V}{-15mA}$$

$$\boxed{\alpha = 0.4 \text{ V/mA} = 400 \frac{V}{A}}$$

b) $P = iV$

$$P = (+0.015A)(6V)$$

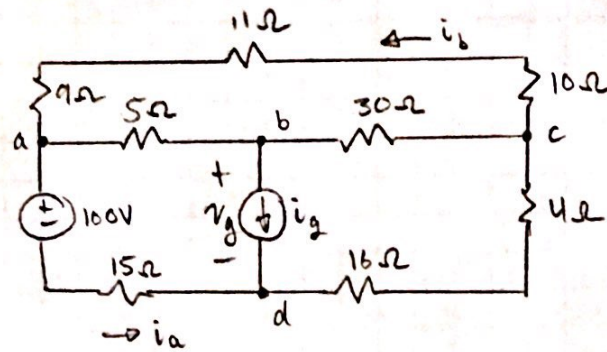
$$P = 0.09W$$

$$\text{or} \quad \boxed{90mW}$$

c) power is absorbed since sign of P is +.

26

Given :



$$i_a = 4A$$

$$i_b = -2A$$

- Find:
- i_g
 - P dissipated in each R
 - v_g
 - show $P_{i_g} = \sum P_R + P_{100V}$

Solution:

$$a) \quad v_{ad} = 100V + (15\Omega)(4A)$$

$$= 160V$$

$$v_{ac} = +i_b(-9-11-10)$$

$$= +(-2A)(-30\Omega)$$

$$= 60V$$

$$v_{cd} = v_{ad} - v_{ac} = 100V$$

$$i_{cd} = \frac{100V}{(4+16)\Omega}$$

$$i_{cd} = 5A$$

$$i_{bc} = i_b + i_{cd}$$

$$= -2A + 5A$$

$$= 3A$$

$$i_a = i_b + i_{ba}$$

$$i_{ba} = i_a - i_b$$

$$i_{ba} = 4A - (-2A)$$

$$i_{ba} = +6A$$

$$i_{db} = i_{ba} + i_{bc}$$

$$= 6A + 3A$$

$$i_{db} = 9A$$

$$i_a = 4A$$

$$i_b = -2A$$

$$i_{cd} = 5A$$

$$i_{bc} = 3A$$

$$i_{ba} = 6A$$

$$i_{db} = 9A$$

$$\rightarrow i_g = -9A \text{ by PSC.}$$

→ continued on next page

26) continued

$P_q = i_b^2 \cdot 9\Omega = 2^2 \text{A} \cdot 9\Omega \rightarrow$	$P_q = 36\text{W}$
$P_{11} = i_b^2 \cdot 11\Omega = 2^2 \text{A} \cdot 11\Omega \rightarrow$	$P_{11} = 44\text{W}$
$P_{10} = i_b^2 \cdot 10\Omega = 2^2 \text{A} \cdot 10\Omega \rightarrow$	$P_{10} = 40\text{W}$
$P_5 = i_{ba}^2 \cdot 5\Omega = 6^2 \text{A} \cdot 5\Omega \rightarrow$	$P_5 = 180\text{W}$
$P_{30} = i_{bc}^2 \cdot 30\Omega = 3^2 \text{A} \cdot 30\Omega \rightarrow$	$P_{30} = 270\text{W}$
$P_4 = i_{cd}^2 \cdot 4\Omega = 5^2 \text{A} \cdot 4\Omega \rightarrow$	$P_4 = 100\text{W}$
$P_{15} = i_a^2 \cdot 15\Omega = 4^2 \text{A} \cdot 15\Omega \rightarrow$	$P_{15} = 240\text{W}$
$P_{16} = i_{cd}^2 \cdot 16\Omega = 5^2 \text{A} \cdot 16\Omega \rightarrow$	$P_{16} = 400\text{W}$

c) $v_g = 160\text{V} + i_{ba}(5\Omega)$
 $= 160\text{V} + 6\text{A}(5\Omega)$
 $v_g = 190\text{V}$

d) $P_{ig} = 190\text{V} \cdot -9\text{A}$
 $= -1710\text{W}$

$$\sum P_R + P_{100V} = [36 + 44 + 40 + 180 + 270 + 100 + 240 + 400] \text{W} + [100\text{V} \cdot 4\text{A}]$$

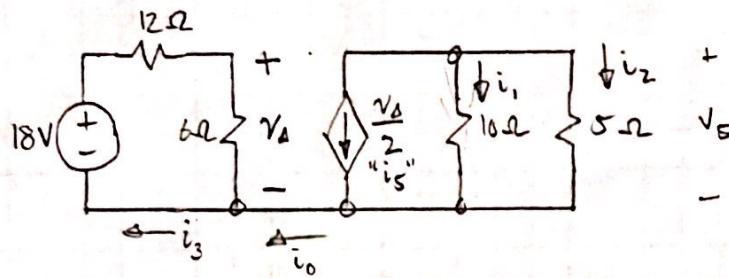
resistors voltage source

$$= +1710\text{W}$$

$$v_g + \sum P_R + P_{100V} = 0$$

65

Given:



Find: a) i_0
b) v_1
c) i_2

Solution:

$$18V - i_3 \cdot 12\Omega - v_A = 0$$

and $v_A = i_3 \cdot 6\Omega \rightarrow i_3 = \frac{v_A}{6\Omega}$

$$\rightarrow 18V - \frac{v_A}{6\Omega} \cdot 12\Omega - v_A = 0$$

$$18V - 3v_A = 0$$

$$\rightarrow v_A = 6V$$

$$\rightarrow i_3 = \frac{v_A}{6\Omega} = 1A$$

$$-i_3 = i_1 + i_2$$

a) $i_0 = 0$, no other current path

$$i_1 = \frac{v_5}{10\Omega} \quad i_2 = \frac{v_5}{5\Omega}$$

$$\rightarrow -i_3 = \frac{v_5}{10\Omega} + 2 \cdot \frac{v_5}{10\Omega}$$

$$-10\Omega \cdot 1A = 3 \cdot v_5$$

$$\rightarrow v_5 = -10V$$

$$i_2 = \frac{v_5}{5\Omega}$$

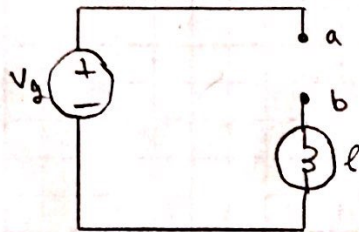
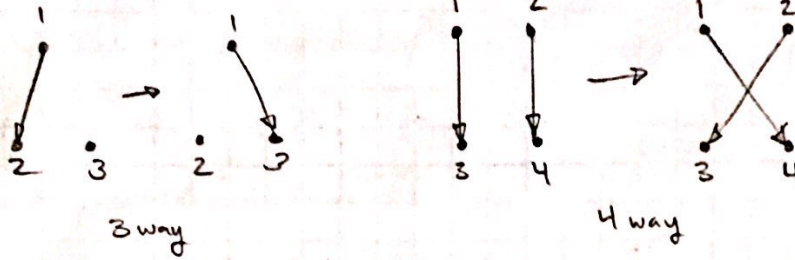
$$i_2 = -2A$$

$$i_1 = \frac{v_5}{10\Omega}$$

$$i_1 = -1A$$

40)

Given:



- Find:
- show that two 3-way switches can attach a and b to allow l to be switched on in two locations
 - show that one 4-way and two 3-way switches can be used to allow switching from three locations.

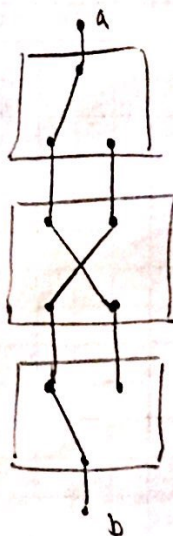
Solution:

a)



currently closed from $a \rightarrow b$

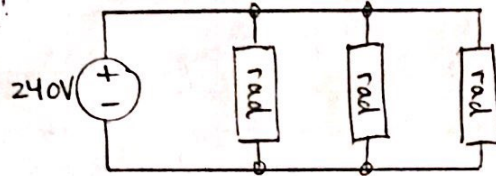
b)



currently open from $a \rightarrow b$

41

Given:



$$R_{\text{rad}} = 48 \Omega$$

Find: Total power for three radiators

Solution:

$$R_{\text{eq}} = \left(\frac{3}{R_{\text{rad}}} \right)^{-1}$$

$$R_{\text{eq}} = 16 \Omega$$

$$P = \frac{V^2}{R}$$

$$P = 3600 \text{ W}$$