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CIE - II

1. Ans :- Algorithm delete (start)

Begin

1. If (start = NULL) Then

2. Write ("Underflow!")

~~Return~~ ~~NEXT(start)~~

~~Else If (start == start)~~

3. Else If (NEXT(start) = start)

4. start = NULL

5. Else

6. temp ← start

7. Repeat step 8 ~~through~~ while NEXT(temp) <> start

8. temp ← NEXT(temp)

9. NEXT(temp) ← NEXT(start)

10. PREV(NEXT(start)) ← temp

11. start ← NEXT(temp)

12. End If

13. Return

For the above algorithm "delete", the worst-case scenario is when there are 'n' number of elements in the list and $n > 1$. When n is very large, $O(n) = 1 + 1 + 1 + (n-1) + 1 + 1 + 1$
∴ $O(n)$ is of the order of n i.e. $O(n) = n$

This is because there is only one loop present in the algorithm.

2) Ans: Algorithm move (start, element)

Begin

1. If (start = NULL) Then

2. Write ("Underflow!")
Return

3. Else

4. temp ← start

5. If INFO(start) = element

6. Return
7. Repeat step 8 while INFO(temp) <> element
8. If NEXT(temp) = start && INFO(temp) <> element
9. Write ("Element not present")
temp → NEXT(temp)

10. temp2 ← start

11. Repeat step 11 while NEXT(temp2) <> temp
12. temp2 = NEXT(temp2)

13. If (NEXT(temp) = start) Then

2) Ans: Algorithm move (start, element).

Begin

1. If (start = NULL) Then

2. Write ("Underflow!")

3. Return

4. Else

5. temp ← start

6. If INFO(start) = element

7. Return

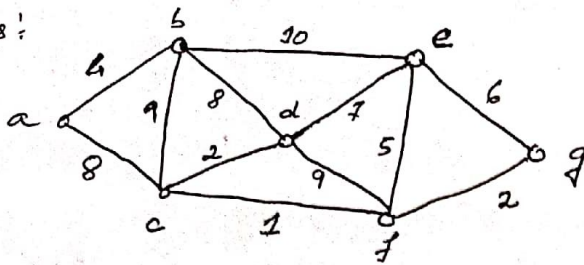
8. End If

9. Repeat 10 to 14 while $INFO(temp) \neq \text{element}$
 10. If ($NEXT(temp) = \text{start}$ || $INFO(temp) \neq \text{element}$)
 11. Write ("Element not present")
 12. Return
 13. End If
 14. $temp \rightarrow NEXT(temp)$
 15. $temp2 \leftarrow \text{start}$
 16. Repeat step 17 while $NEXT(temp2) \neq temp$
 17. $temp2 \leftarrow NEXT(temp2)$
 18. ~~$temp2 \rightarrow \text{next}$~~
 19. $NEXT(temp2) \leftarrow NEXT(temp)$
 20. $NEXT(temp) \leftarrow \text{start}$
 21. $temp \leftarrow \text{start}$
 22. End If
 23. Return

Worst-case time, $O(n) = 1 + 1 + 1 + \dots + 1 + 2(n-1) + (n-2) + 1 + 1 + 1$

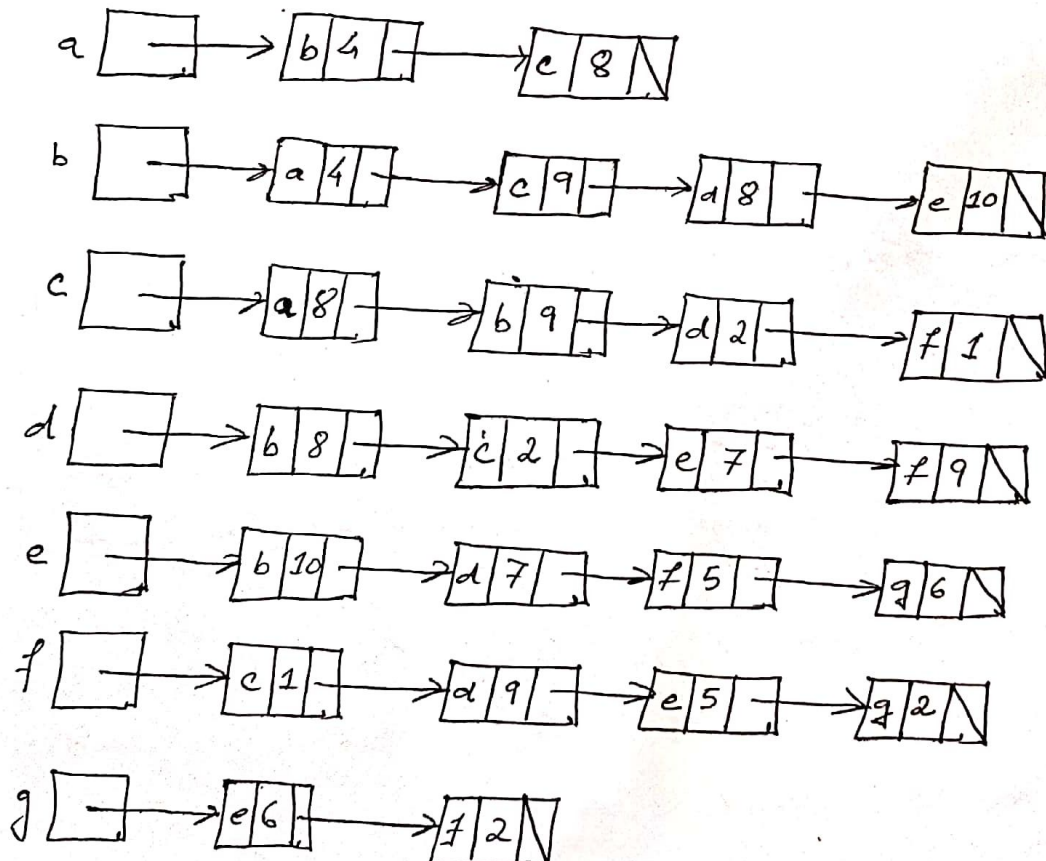
$\therefore O(n) = n$ [of the order of n , because there are no internal loops]

The worst-case occurs when the element is present at the last end of the list, and the entire list has to be traversed \approx twice for getting $temp$ & $temp2$.

3. Ans:

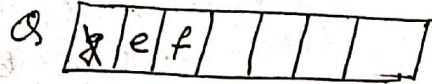
(i)

	a	b	c	d	e	f	g
a	0	4	8	0	0	0	0
b	4	0	9	8	10	0	0
c	8	9	0	2	0	1	0
d	0	8	2	0	7	9	0
e	0	10	0	7	0	5	6
f	0	0	1	9	5	0	2
g	0	0	0	0	6	2	0

Adjacency MatrixLinked adjacency list

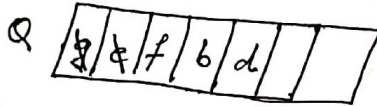
3. (ii) Ans: For breadth first search :-

Step-1



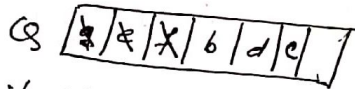
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Step-2



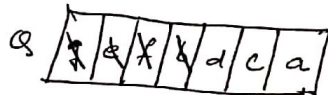
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Step-3 :



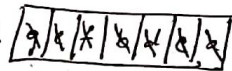
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Step-4 :



Visited : gefb

Step-5 :



Visited : gefbdca

∴ The reqd. order in which the nodes were visited is :

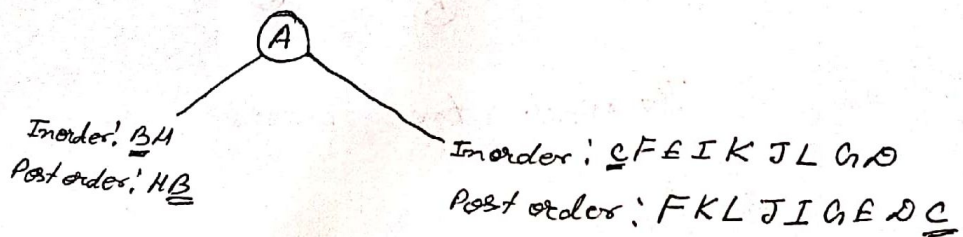
gefbdca

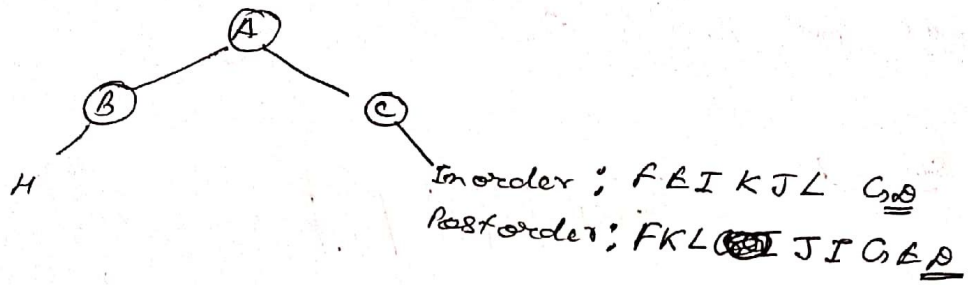
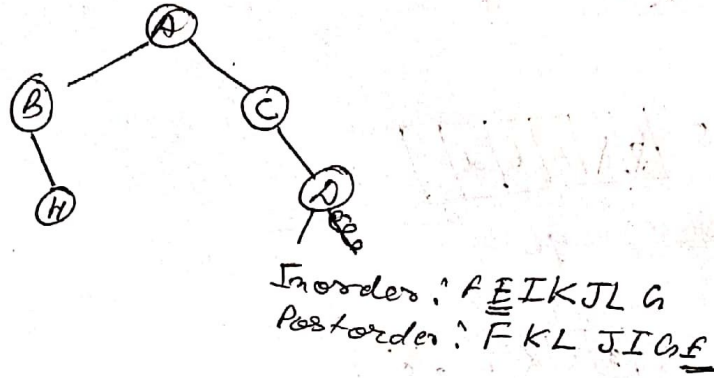
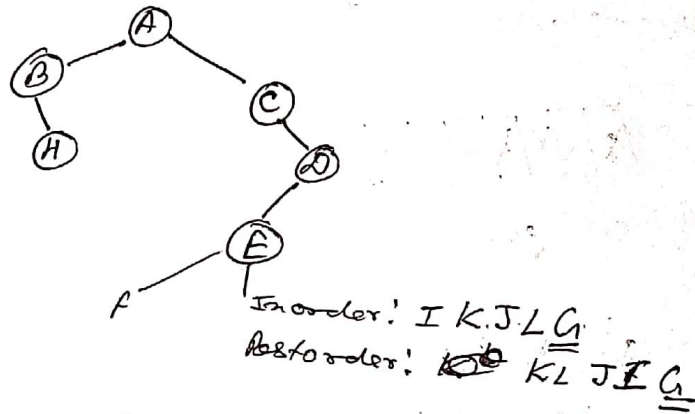
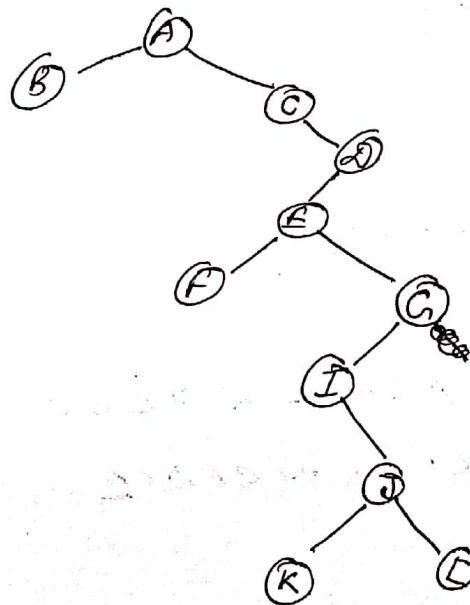
4. Ans :- Given,

Inorder: B H A C F E I K J L G D

Post order: H B F K L J I G E D C A

Step-1



Step 2Step - (3)S-4Step (5)

The reqd. tree is as above