

Developing Spatial Simulator Engine For Air Pollutant Using Machine Learning

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Outline

- ❑ Introduction Of Modis Dataset
- ❑ Objective Of Our Study
- ❑ Data Source
- ❑ Data Description
- ❑ Data Extraction
- ❑ Data Prepossessing
- ❑ Exploratory Data Analysis
- ❑ Time Series Model building
- ❑ Conclusion



Introduction Of Modis Dataset

- ❑ MODIS(Moderate Resolution Imaging Spectroradiometer) Aqua and Terra satellite data, which provide a wealth of high-resolution and multi-spectral information, this project seeks to create a sophisticated spatial engine capable of accurately detecting and mapping air pollutants on a global scale.
- ❑ Terra and Aqua are two Earth observing satellites launched as part of Earth Observing System(EOS) program. They are design to collect data about various aspects of Earth's Atmosphere ,Oceans and Climate.





Brief Discussion About Terra and Aqua

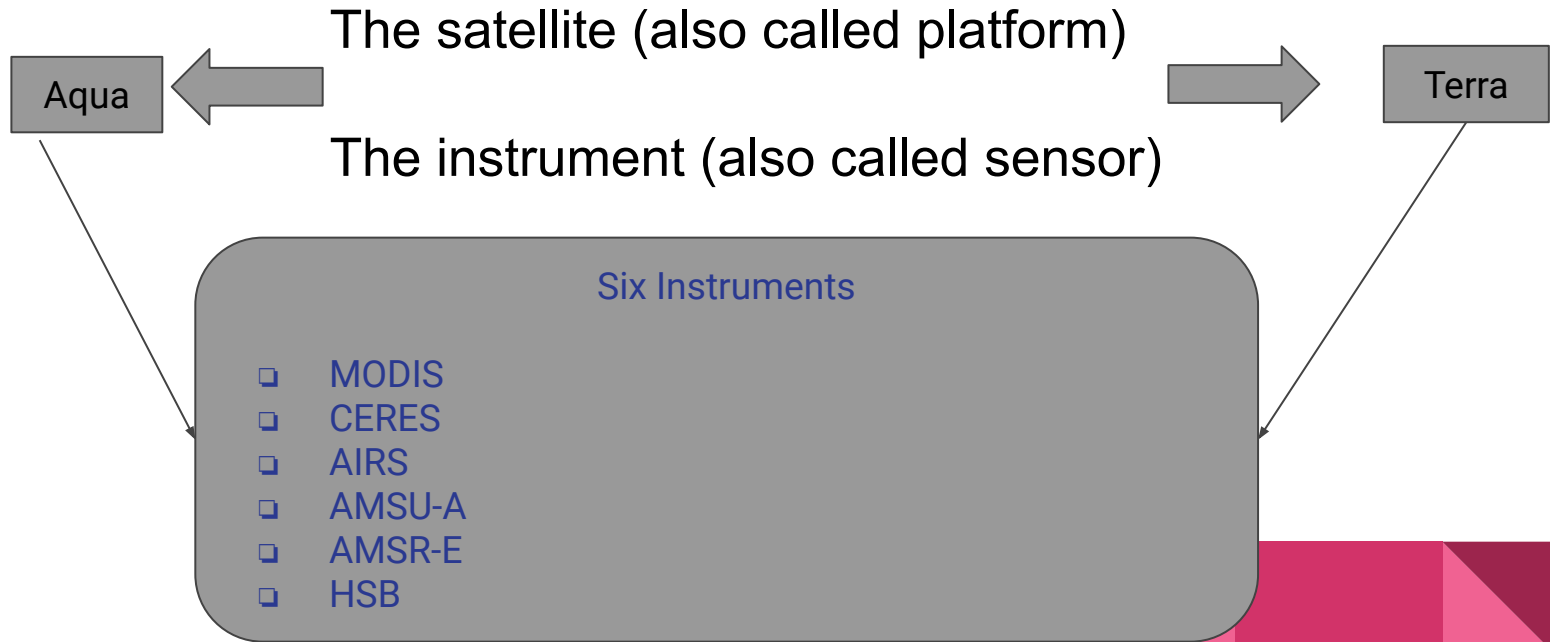
❑ Terra (EOS AM-1):

- ❑ **Launch Date:** December 18, 1999
- ❑ **Mission:** Terra is equipped with a suite of instruments that observe Earth's atmosphere, land, oceans, and ecosystems. It's primarily focused on studying climate change, air quality, and environmental processes. Terra's observations help scientists monitor and understand the interactions between various components of the Earth system.
- ❑ **Key Instruments:** Terra carries several instruments, including the Moderate Resolution Imaging Spectroradiometer (MODIS), the Advanced Spaceborne Thermal Emission and Reflection Radiometer (ASTER), and the Clouds and the Earth's Radiant Energy System (CERES).

❑ Aqua (EOS PM-1):

- ❑ **Launch Date:** May 4, 2002
- ❑ **Mission:** Aqua is another component of the EOS program and is designed to study the Earth's water cycle, including water vapor, clouds, precipitation, and ice. Aqua's observations contribute to improving our understanding of the global energy and water.
- ❑ **Key Instrument:** Aqua carries instruments like MODIS (which you mentioned), the Atmospheric Infrared Sounder (AIRS), and the Advanced Microwave Scanning Radiometer for EOS (AMSR-E), among others

Graphical Representation





Objective

- ❑ From the Satellite Image We have to Extract the Delhi Aod Dataset Then we training the Machine learning Model to predict $PM_{2.5}$ Of the Delhi.

Why Chosen Delhi?



- Delhi was chosen as the project's focal point due to its notoriety for severe air pollution, which poses a significant health risk to its residents and demands innovative solutions. By predicting and addressing air quality issues in Delhi, we aim to improve public health and contribute to a cleaner and safe environment for the city's inhabitants.

1) Improve public health
2) safe environment



Description of AOD

- ❑ Aerosol Optical Depth (AOD) is a measure of the amount of aerosol particles present in the Earth's atmosphere and how much they affect the transmission of sunlight through the atmosphere. Aerosols are tiny solid or liquid particles suspended in the air, and they can include things like dust, smoke, pollen, pollutants, and sea salt.
- ❑ AOD is an important parameter for understanding atmospheric composition, air quality, climate, and visibility. It quantifies the degree to which aerosols scatter and absorb sunlight, affecting the amount of direct and diffuse solar radiation that reaches the Earth's surface. A high AOD indicates a higher concentration of aerosol particles and can lead to reduced visibility, altered energy balance, and potential cooling effects on the climate



Data source



Click the link



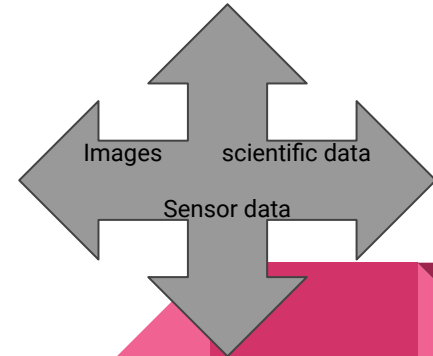
[Earth data login](#)

Downloads



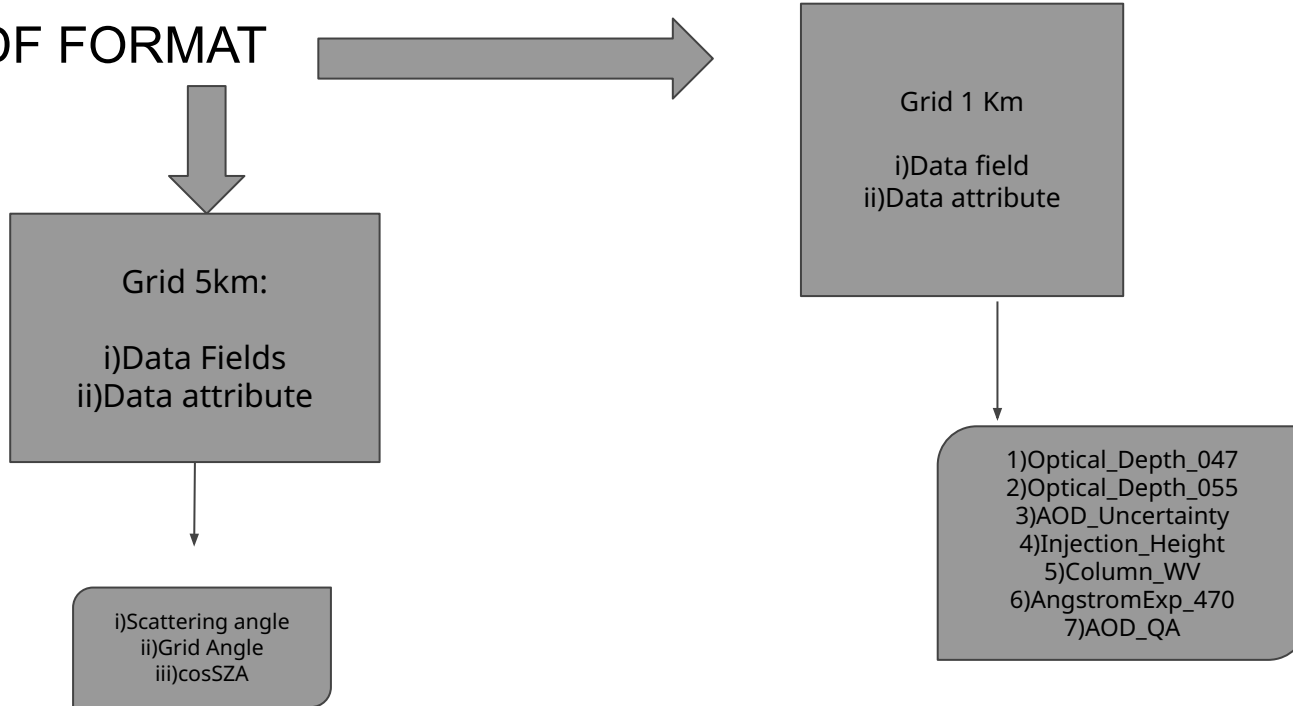
Hierarchical Data Format.

HDF

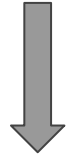




HDF FORMAT



Shapefile in Delhi

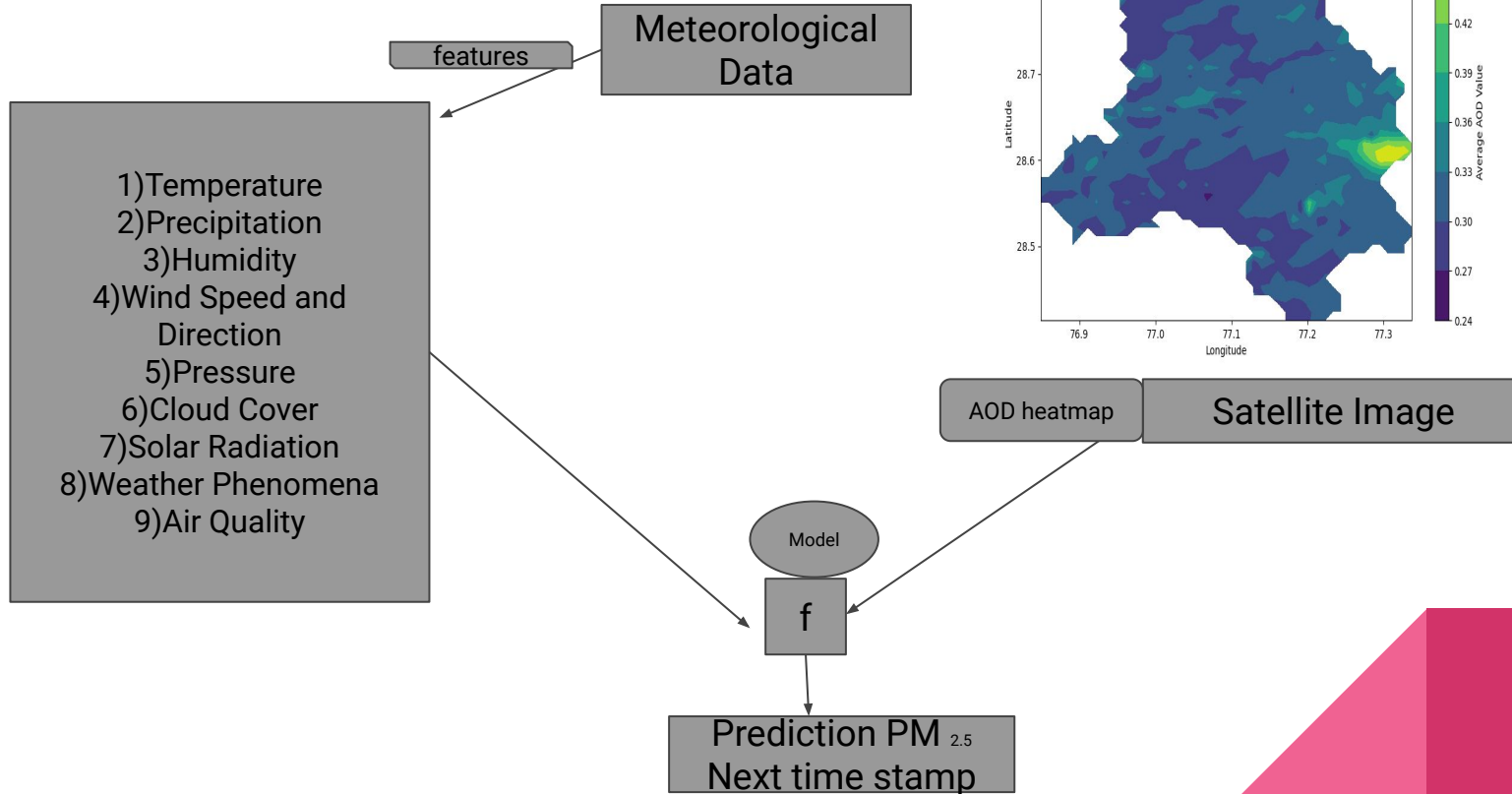


Click the link

Shape file link

From this website i downloads the delhi shapefile

Spatial Simulator Engine



Data Extraction

- ❑ Construct Coordinate From hdf format
- ❑ Construct the boundary point of the Delhi Shapefile
- ❑ Extract the intermediate 1350 point from this shapefile
- ❑ Then extract the AOD value of this 1350 points by using Haversine formula
- ❑ Then this whole process is done in the year of 2018



Delhi Shapefile Description

- ❖ Delhi Maximum Latitude : 28.883495792 °N
- ❖ Delhi Minimum Latitude : 28.40425221 ° N
- ❖ Delhi Maximum Longitude :77.3474 70 °E
- ❖ Delhi Minimum Longitude : 76.838772 °E



Haversine Formula

The Haversine formula is a fundamental mathematical tool used to calculate the distance between two points on the Earth's surface given their latitude and longitude coordinates. It's particularly useful for determining the closest geographic point in a dataset to a user-specified location. Here's how the formula works:

- ❑ **Define Earth's Radius:** First, we define the radius of the Earth in meters as R (approximately 6,371,000 meters), as Earth is not a perfect sphere, and this value is an average radius.
- ❑ **Convert Latitude to Radians:** Latitude values need to be converted from degrees to radians because trigonometric functions work with radians. For both the user's location and the dataset points.
- ❑ **Convert the latitude from degrees to radians using `np.radians(lat)`.** (1) let consider latitude, longitude are the extract from hdf dataset (2) user_lat comes from delhi shapefile dataset (latitude) (3) user_lon is the longitude comes from delhi shapefile dataset
- ❑ **Calculate Differences in Latitude and Longitude:** Compute the differences between the user's latitude and the dataset's latitude, as well as the longitude differences between the user's location and the dataset points:

➤ 1) $\text{delta_lat} = \text{np.radians}(\text{latitude} - \text{user_lat})$ → This gives the radian of difference of the latitude and user's latitude

2) $\text{delta_lon} = \text{np.radians}(\text{longitude} - \text{user_lon})$ → This gives the radian of difference of the longitude and user's longitude

3) $\text{lat1} = \text{np.radians}(\text{user's latitude})$ 4) $\text{lat2} = \text{np.radians}(\text{latitude})$

- ❑ **Intermediate Calculations (a):** Calculate intermediate values using trigonometric functions and the differences in latitude and longitude:

$$a = (\text{np.sin}(\text{delta_lat}/2))^{**2} + (\text{np.cos}(\text{lat1})) * (\text{np.cos}(\text{lat2})) * (\text{np.sin}(\text{delta_lon}/2))^{**2}$$

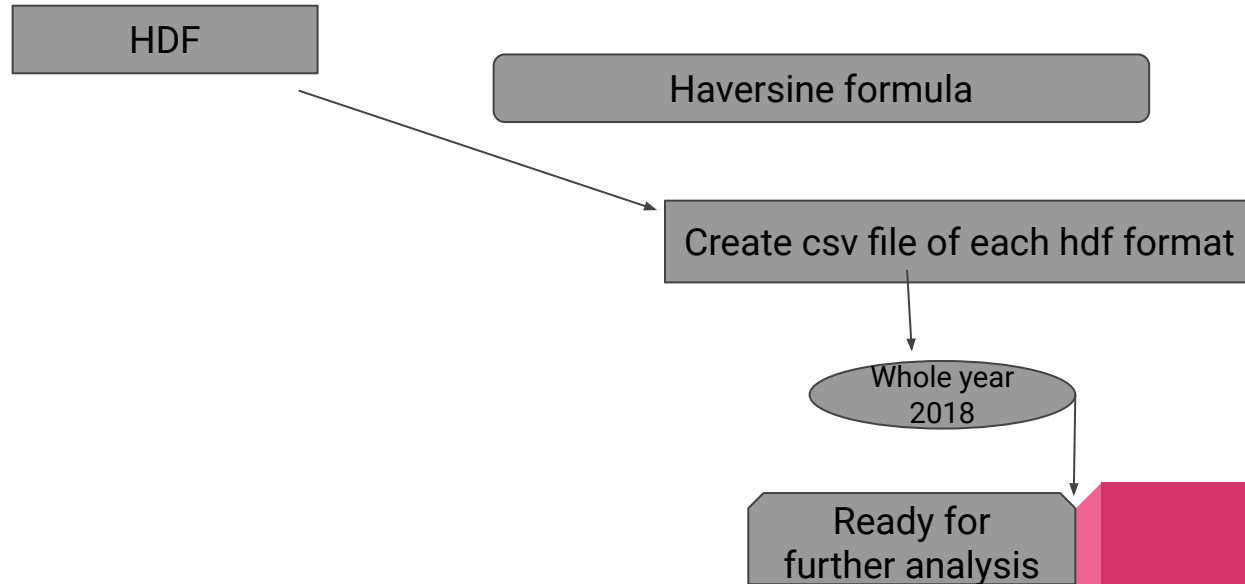
Calculate Central Angle (c): Compute the central angle c between the user's location and each dataset point:

$$C = 2 * \text{np.arctan2}(\text{np.sqrt}(a), \text{np.sqrt}(1-a))$$

$d = R * c$ then find the nearest point and the aod value of this point is assigned to the user's latitude and user's longitude

Collect Dataset

- From haversine formula we extract the Aod from hdf format



Data Prepossessing

- ❏ Check Null values:
 - During the monsoon seasons (june to september) many days aod values is missing
- ❖ Step1 : so we interpolate this value by linear method

- ❏ Check this data is stationary?
 - Plot the time series plot of a particular place



Linear interpolation Method

linear Interpolation

September 2023

1 Introduction

We've approached the interpolation problem by choosing high-degree polynomials for our basis functions ϕ_i :

$$f(x) = \sum_{i=0}^n c_i \phi_i(x)$$

Recall the barycentric form of the Lagrange interpolant. However, using high-degree polynomials can lead to large errors due to erratic oscillations, especially near the interval endpoints. To mediate this, we'll try a different approach. We'll break up the interval over which the data is defined into small pieces, and we'll use a low-degree polynomial interpolant over each piece!

1.1 Piecewise Polynomial Interpolation

To begin, we'll consider the simplest case: piecewise linear interpolants (used by MATLAB when plotting).

To find this interpolant, we need only find the line between each pair of adjacent points on each interval:

$$s_i(x) = f(x_i) + m_i(x - x_i), \quad x_i \leq x \leq x_{i+1}$$

Here, m_i represents the slopes in each interval. [Remark 0.0.1] On each subinterval $[x_i, x_{i+1}]$ for $i = 0, 1, \dots, n-1$, the piecewise polynomial interpolant s coincides with a linear polynomial, given by:

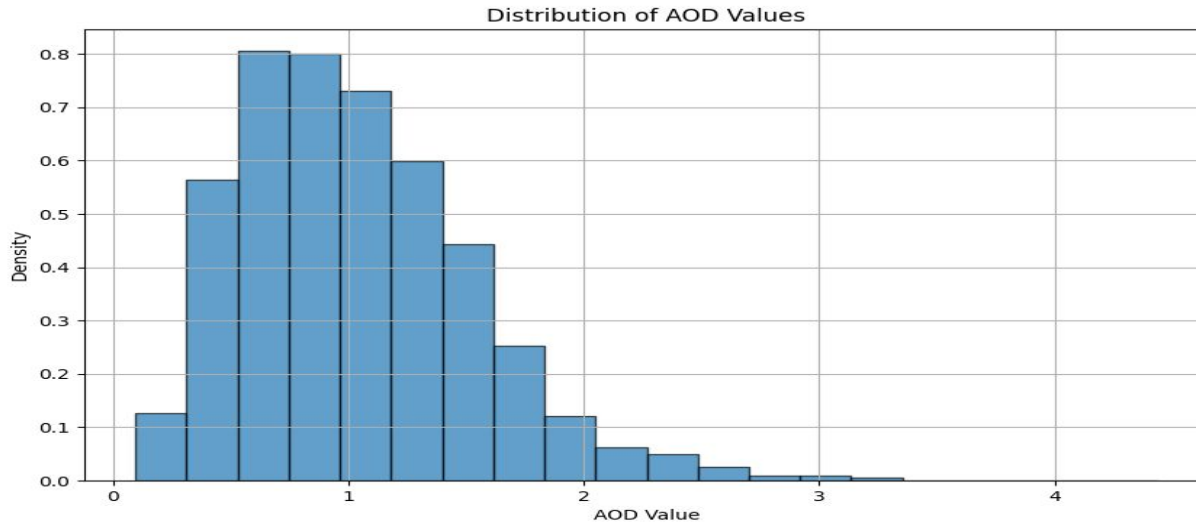
$$s(x) = s_i(x) = a_i + b_i(x - x_i),$$

where:

$$\begin{aligned} a_i &= f(x_i), \\ b_i &= \frac{f(x_{i+1}) - f(x_i)}{x_{i+1} - x_i}. \end{aligned}$$

The values of a_i are determined by the interpolation requirement $s(x_i) = s_i(x_i) = f(x_i)$, and the values of b_i are determined by the requirement that s be continuous, expressed as $s_i(x_{i+1}) = s_{i+1}(x_{i+1})$ for $i = 0, 1, \dots, n-2$.

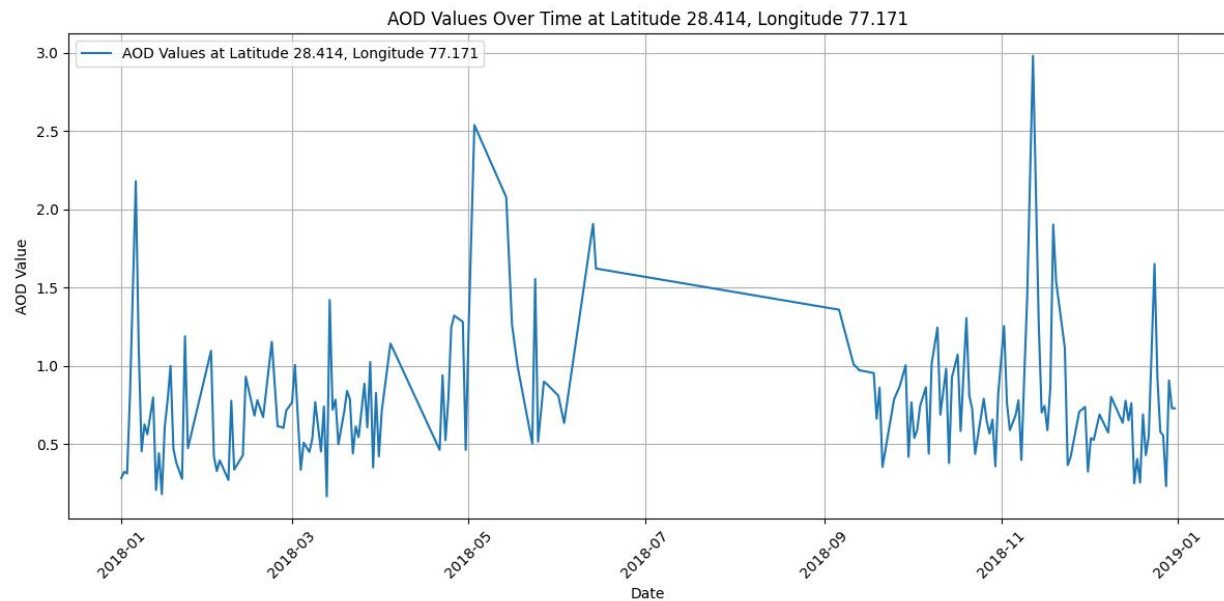
AOD Distribution



From this plot we conclude that in the whole delhi region the maximum AOD value is above 3 and many place's AOD value is 0.25. Maximum number of places AOD value lies in the interval 0.50 to 1.75

In This Plot AOD distribution is right skew.

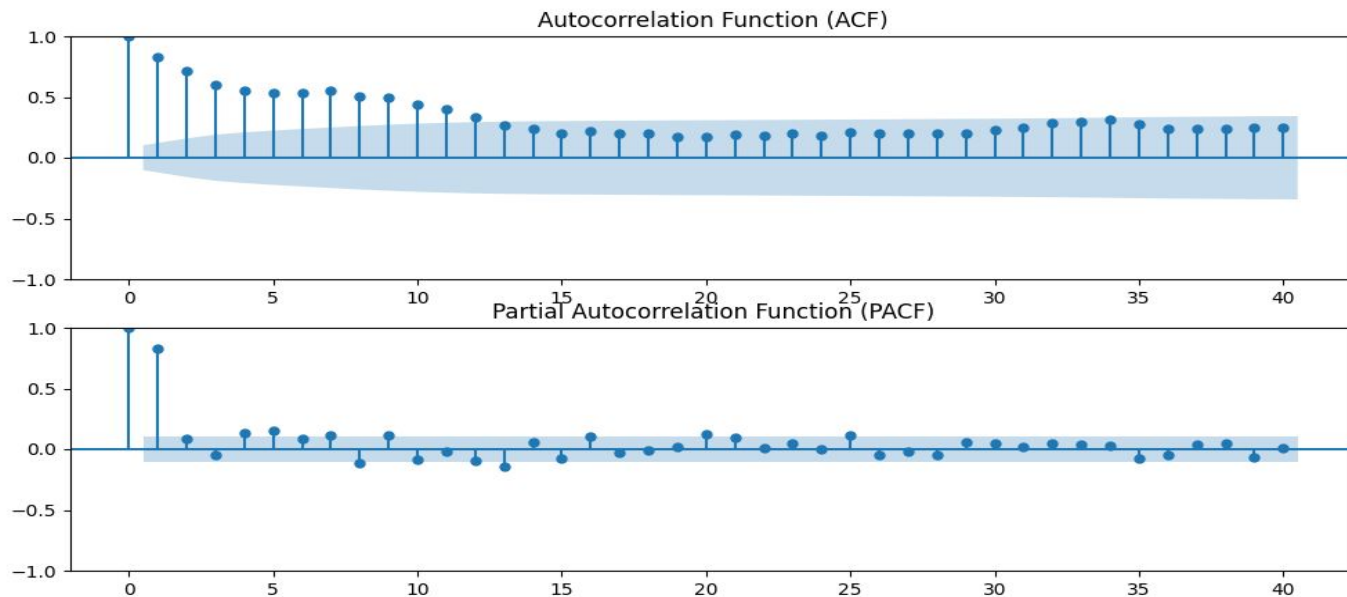
Time series plot of the particular area



From this plot we conclude that the data is nonstationary. Because of the mean value is not constant in the whole timestamp

So I consider this data follows ARIMA model

ACF and PACF plot of AOD value in a particular latitude and longitude



We conclude that the data follows $ARIMA(p,d,q)$
Where p is 0 to 5, q is 0 to 5 and d is 0 to 5

BEST ARIMA Model

Ljung-Box Test Statistic: lb_stat

P-value: lb_pvalue

SARIMAX Results

```
=====
Dep. Variable:          aod value      No. Observations:      365
Model:                 ARIMA(4, 1, 4)  Log Likelihood         -23.703
Date:                 Wed, 13 Sep 2023  AIC                   65.407
Time:                 15:24:41         BIC                   100.481
Sample:              01-01-2018       HQIC                   79.347
                  - 12-31-2018
```

Covariance Type: opg

```
=====
              coef      std err          z      P>|z|      [0.025      0.975]
-----
ar.L1         -0.3413      0.067      -5.056      0.000      -0.474      -0.209
ar.L2          0.9629      0.089      10.839      0.000       0.789       1.137
ar.L3         -0.0003      0.049      -0.006      0.995      -0.095       0.095
ar.L4         -0.8002      0.050     -15.870      0.000      -0.899      -0.701
ma.L1          0.1702      0.078       2.189      0.029       0.018       0.323
ma.L2         -1.1656      0.082     -14.268      0.000      -1.326     -1.005
ma.L3         -0.0488      0.070      -0.695      0.487      -0.186       0.089
ma.L4          0.7837      0.079       9.922      0.000       0.629       0.938
sigma2         0.0663      0.003     19.293      0.000       0.060       0.073
=====
```

```
=====
Ljung-Box (L1) (Q):          0.04  Jarque-Bera (JB):          169.71
Prob(Q):                   0.84  Prob(JB):              0.00
Heteroskedasticity (H):     0.89  Skew:                  0.64
Prob(H) (two-sided):       0.52  Kurtosis:              6.09
=====
```

Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

Ljung Box Test

The Ljung–Box test may be defined as:

H₀: The data are independently distributed (i.e. the correlations in the population from which the sample is taken are 0, so that any observed correlations in the data result from randomness of the sampling process).

H_a: The data are not independently distributed; they exhibit serial correlation.

The test statistic is:^[2]

$$Q = n(n+2) \sum_{k=1}^h \frac{\hat{\rho}_k^2}{n-k}$$

where n is the sample size, $\hat{\rho}_k$ is the sample autocorrelation at lag k , and h is the number of lags being tested. Under H_0 the statistic Q asymptotically follows a $\chi^2_{(h)}$. For [significance level](#) α , the [critical region](#) for rejection of the hypothesis of randomness is:

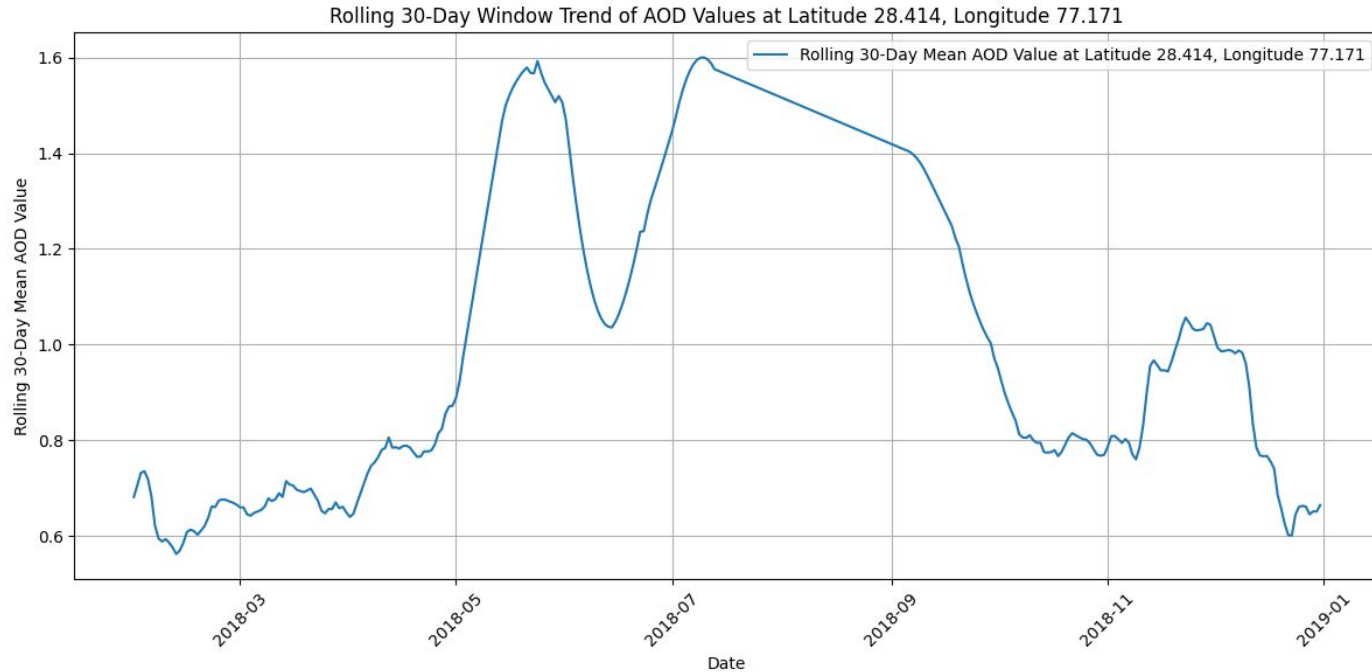
$$Q > \chi^2_{1-\alpha, h}$$

where $\chi^2_{1-\alpha, h}$ is the $(1 - \alpha)$ -[quantile](#)^[4] of the [chi-squared distribution](#) with h degrees of freedom.

The Ljung–Box test is commonly used in [autoregressive integrated moving average](#) (ARIMA) modeling. Note that it is applied to the [residuals](#) of a fitted ARIMA model, not the original series, and in such applications the hypothesis actually being tested is that the residuals from the ARIMA model have no autocorrelation. When testing the residuals of an estimated ARIMA model, the degrees of freedom need to be adjusted to reflect the parameter estimation. For example, for an ARIMA($p,0,q$) model, the degrees of freedom should be set to $h - p - q$.^[5]

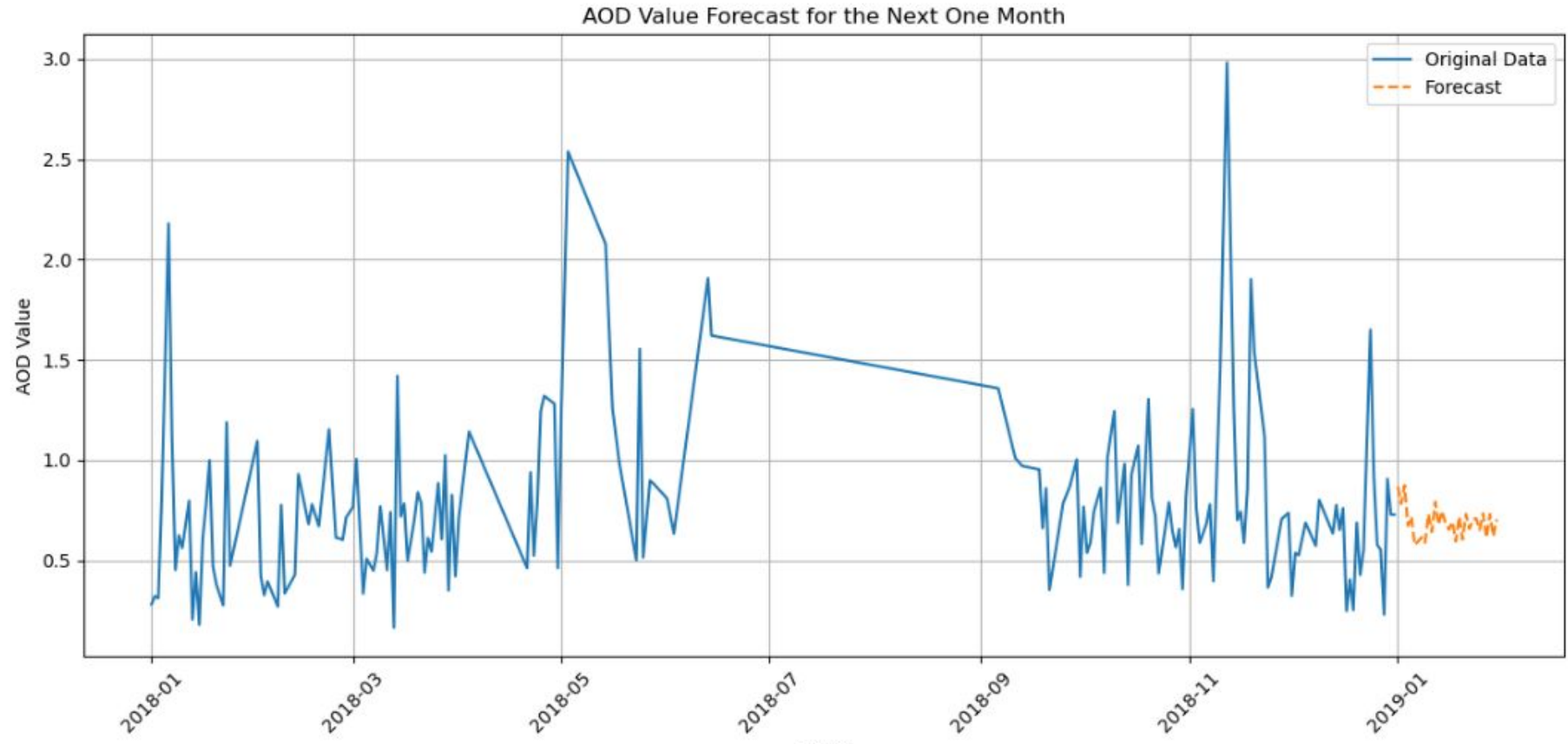
Box–Pierce test

30 days windows trend AOD value plot

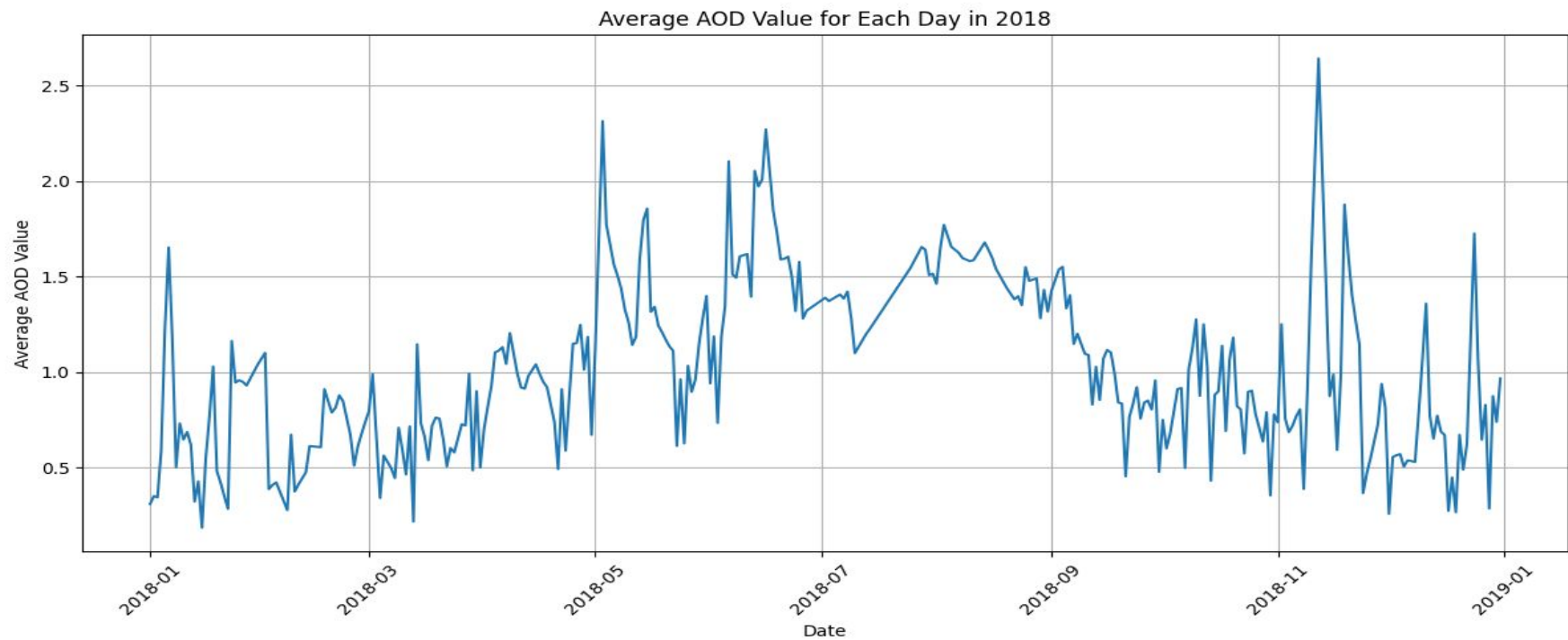


We conclude that 30 days windows average the AOD plot shows that in the month of june - july the AOD value decrease suddenly due to the monsoon reasons.

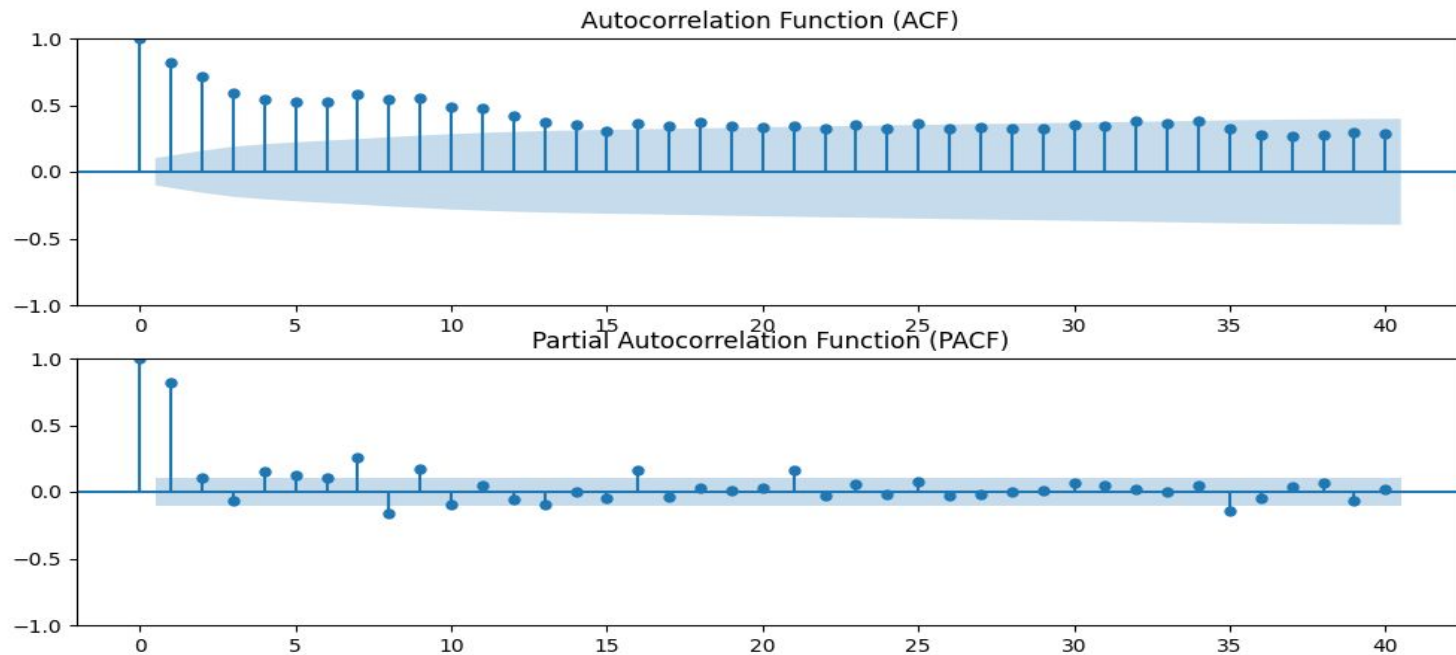
Forecast one Month on the particular area



Average AOD plot over year 2018



MODEL : ARIMA ACF & PACF PLOT OF THE AOD



BEST ARIMA MODEL

Best RMSE: 0.4965663572182941

Best Parameters (p, d, q): (2, 2, 4)

SARIMAX Results

```
=====
Dep. Variable:          aod_value      No. Observations:      365
Model:                ARIMA(2, 2, 4)    Log Likelihood          2.352
Date:                 Wed, 13 Sep 2023  AIC                      9.296
Time:                 15:49:10          BIC                     36.556
Sample:               01-01-2018        HQIC                    20.132
                  - 12-31-2018
=====
```

Covariance Type: opg

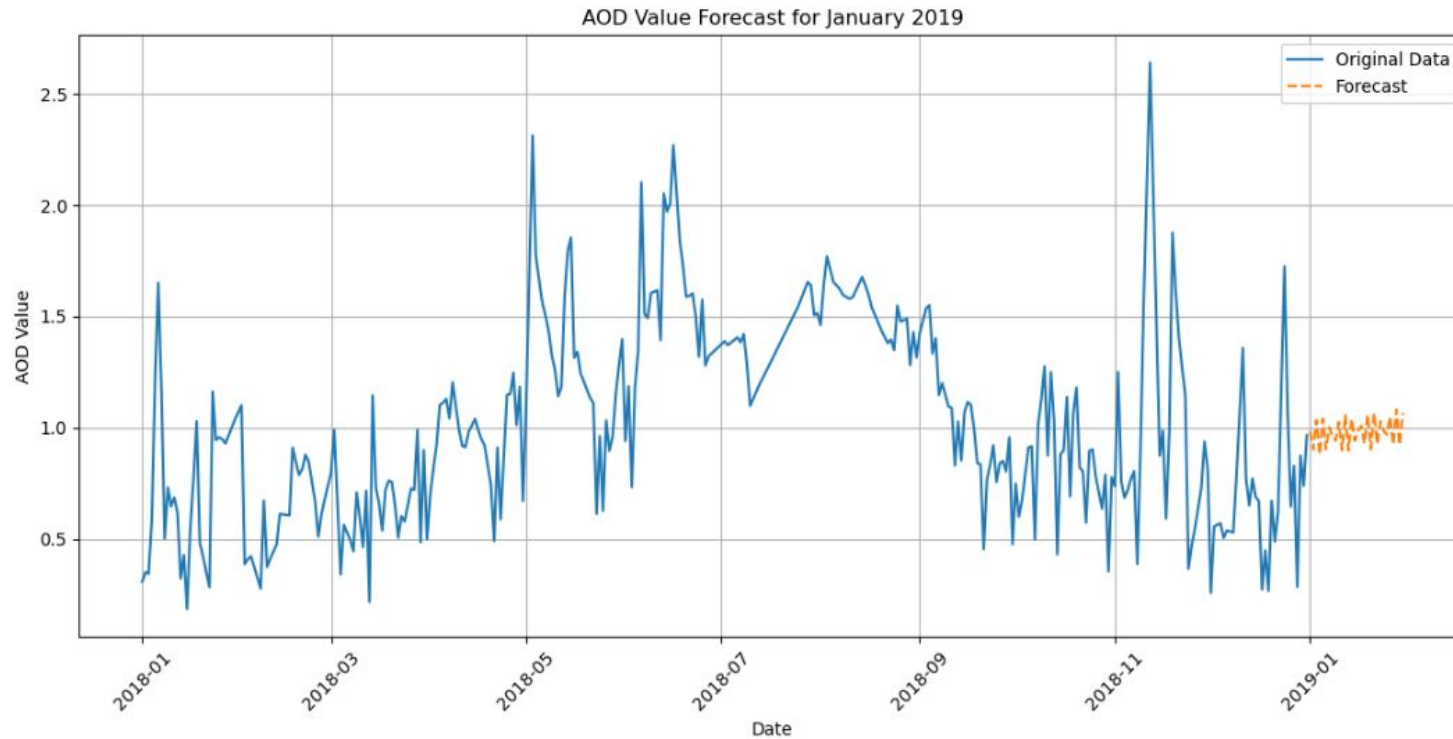
```
=====
              coef      std err          z      P>|z|      [0.025      0.975]
-----
ar.L1         -1.8484         0.002    -1072.455      0.000      -1.852      -1.845
ar.L2         -0.9998         0.001    -1022.924      0.000      -1.002      -0.998
ma.L1          0.8023      2172.437         0.000      1.000     -4257.097      4258.701
ma.L2         -0.8788      3915.459        -0.000      1.000     -7675.038      7673.281
ma.L3         -0.9623      2006.361        -0.000      1.000     -3933.357      3931.432
ma.L4          0.0388       84.283         0.000      1.000      -165.152      165.230
sigma2         0.0557      120.910         0.000      1.000     -236.924      237.035
=====
```

```
=====
Ljung-Box (L1) (Q):              0.02    Jarque-Bera (JB):              112.60
Prob(Q):                        0.88    Prob(JB):                      0.00
Heteroskedasticity (H):          1.49    Skew:                          0.32
Prob(H) (two-sided):            0.03    Kurtosis:                     5.65
=====
```

Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

Forecast average AOD value of the january of 2019



ARIMA(2,2,4)

Future Model

- ❏ Conv LSTM
- ❏ Vision Transformer



Conclusion

- ❏ From this data analysis we conclude that the aod value increase in the time period of the diwali (november) and pre seasons of the Monsoon

