Proletin

$$\frac{\chi_{1}}{\chi_{2}} = \frac{\chi_{1}}{\chi_{2}} \qquad \frac{\chi_{2}}{\chi_{3}} \qquad \frac{\chi_{3}}{\chi_{4}} \qquad \frac{\chi_{4}}{\chi_{5}} \qquad \frac{\chi_{5}}{\chi_{5}} \qquad \frac{\chi_{5}}{$$

J= lo + \(\frac{1}{2} \) \(\frac{1}{2} \) \\ \(\frac{1}{2} \) \(\frac{1}{2

37.40	3						
Class	261	na	ω	WTx	Cornect	Corrected W	(10) >1 (10) >0
- I	1.	- j	[]0.5]	-2 0.5 0.35	×	W=N/-72 =[1,0°5]	w Tx=2,f(n)>1 (lax)0  W Tn=-2,f(n)<0, (lax)0  fn>0, (lax <0  f(n)>0, (lax)0  f(n)>0, (lax)0
1	0.9	0.5	[09,0]	0.81	.~		J(1) 2) CC 13/ C
Ł,		-					

W= & CUI spransonos ( 1= nib = = 1x1 + 1x1 + 0 =

- 2

						corrected
Class	21	na	W	WITH	Corret	1 . 0
1	١	1	(0.9,0)	0.9	V	to0 70, (Bon)
	-1	-	(0.9,0)	-0.9		(mg >0, Chiso
	0	0.5	(O.900)	0	_	[0.9,-0.5]
-1	0.1	0.5	(0.9,-0.5)	-0.25	$\vee$	fm)<, liak (0
1	0.2	0.2	(0-9-0-5)	0.08	~	f(m) & Clax 20
1	10.9	0.5	(0.9,0.5)	0.46	V	f(m) Stlex 30
,	1			1	* 养,	1 x1=0
C	- W =	(0.9)		05	-	<b>V</b>
50	_					
[0.9,0]	FMI 1:	=0				0.5
=> 0.90	4=0.					
2) N/=						

Step3	_		r 1	WFa	Correct	Correct W.	
Class   -  -	1 -1 0	0.5	(0.9,-05) (0.9,-05)	0.4 -0.4 -0.35	V		f(n) >0, (lan <0) f(n) <0, (lan <0) f(n) <0, (lan <0) f(n) <0, (lan <0)
-1	0-1	0.2	16.80.T	0.08			5(n)70, class X

For W= (0.9, -0.5)

W=[0.9,-0.5] WTn= 0.99,-0.592 =0 The final Decision Coundary & (0.9, -0.5).

3/ 3

.

O Prom that Penceptoon Learning Algorithm.
Som Convenges in a finite number of steps.

Definition: - Print Set Pand N of proints in an n-dimensional space over called absolutely linearly separable if n+1 real numbers who will swap soint (x,)xy, - xn) + 2xst Such that lung point (x,)xy, - xn) + 2 Satisfies & w; \*xi > No and lung point (x,)xy, xn) 

E NSatisfies & w; \*xi < Wo.

Por opasition: If the Sets Parad Nave finite 2 linearly Separable, the sucception leaving algorithm updates the cought vector of afinite number of times. In other coools of the vectors in Pand Nave tested cyclically one after the other, a cought Ut exfound after a finite number of steps toolich can separate the two sets.

Setup:

\*If sien thun - x EP. (" W Tx(0 => WT(x))70)

\* We can thus considere a single set PI=PUN and

for elevery element PEPI enserve that wTp70.

\* Let we can't normalize all the pls So that IIPI=I.

\* Let we can't be the normalized solution eachon.

The state of the s

Forefr-\* Now Suppose at time step twee inspected the point pi, and found that WT. Pi &O. \* we make a consection Why, = W++Pi of Let B lee the angle luturer wit and COSB - WHOW WHI 11 W++,11 Numeralos = wt. w+1 = wt (w++ P; )" = W\*w++w\*P( > w\* wf+8 (8=min fw\*-Piti) > w+ (w+,+Pj)+8 >> wx Cot-1+wxpj+8... 2 w + wt-1+28 Every time cere make a correction a quantity & is added . Lay of K correction. ou made. a quantity of KS is added. CORP=(W\*W++1) (definition) Numeralos > W\* Wo + is (proceed by indica) Denominados 2-11 W++1/12 = (W++ Pi) = W+12+ 2w+pi+ pij2 < W/2 1P/(:wpxo) Senonirular SII Wt 11/2+1+1

Denonirular SII Wt 11/2+1K)

COS R=>; W\* Wo+kd

\[
\text{VINO||2+K}
\]

COS R + hus proportional to \( \text{K} \)

i. K chas to be finite so that cos R \( \text{I} \).

Yhou show only lee a denote number

e. X char to lee dinite so that car possible.

Thus there can only be a finite number of coroller on (k) to wo and the perception Algorial Converge.

.

30 Compute Decivative of following activation femalisms 1 Sigmoid Sigmoid (n) = 0 (n) = 1+ex.  $\frac{d}{dx}\sigma(x) = \frac{d}{dx}\frac{1}{1+e^{-x}}\frac{01}{0}$ Applying quatient ouls:  $\frac{d}{dx} \frac{f(x)}{g(x)} = \frac{\left(g(x) \frac{d}{dx} f(x)\right) - \left(f(x) \frac{d}{dx} g(x)\right)}{\left(g(x)\right)^2}$  $\frac{d}{dx}\sigma(x) = (1+e^{-x})\frac{dx}{dx} - 1\times\frac{dx}{dx}e^{-x}$  $(1+e^{-x})^2$  $\frac{e^{-k}}{(1+e^{-\lambda})^2}$  $= \frac{1+e^{-\chi}}{(1+e^{-\chi})^2} - \frac{1}{(1+e^{-\chi})^2}$  $= \frac{1}{(1+e^{-x})} - \frac{1}{(1+e^{-x})^2}$  $=\frac{1}{1+e^{-x}}\left\{1-\frac{1}{(1+e^{-x})^2}\right\}$ o(x)(1- o(x)) · id o(a) = o(a) (1-o(a))

$$fanh(x) = \frac{e^{x} - e^{-x}}{e^{x} + e^{-x}}$$

$$= \int_{0}^{1}(x) = \frac{d}{dx} \frac{e^{x} - e^{-x}}{e^{x} + e^{-x}}$$

$$\frac{d}{dx} \int_{0}^{1}(x) = \frac{d}{dx} \frac{e^{x} - e^{-x}}{e^{x} + e^{-x}}$$

$$\frac{d}{dx} \int_{0}^{1}(x) = \frac{d}{dx} \int_{0}^{1}(x) - \int_{0}^{1}(x) dx \int_{0}^{1}(x) dx$$

$$\frac{d}{dx} \int_{0}^{1}(x) = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) - e^{x} - e^{x} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} = \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

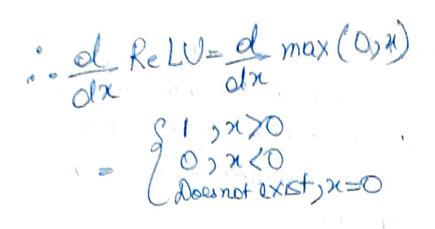
$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x}) dx$$

$$= \frac{e^{x} + e^{-x}}{e^{x} + e^{-x}} \int_{0}^{1}(e^{x} - e^{-x})$$

Re LU = max (O, X) (AH) ReLU= 20,950 (n)= Re LU m  $\max(0, x+\Delta x) - \max(0, x)$ x+bx-x=1 lim 04-0\_0. Atn=0 110 = lin 0+Dx-0 =1

1(0) = lim 0-0 =0

Left hand limit + Right hand limit.



2 what are the Strategies you will follow to awaid over fitting in a neural network.

newed network leaves the training data very well lest does not pressorm well on a testing dataset.

Descripting the model by reducing the number of Internal layers and making the reterest smaller Accordingly charge the input we reduction of internal layers.

2 Early Stopping: - Stopping the leavening or training process of the moraled before it have crosses our - ditting. Tunder till overfilting

Tunday High Overfilting

training lass

Early Cropping.

to stop to ovaid undurgitting or overfitting.

- 3 Date Augmentation: By making Small change in the existing date Set; bee make the model consider each augmented model as a district data Set. This will make the newsal meterox
- Regularization: It Can see ...

  The cluck the Complexity of a model. The most com but cray is to acld renally to the loss dunch on in proportion to the weight of the model. Regularization: It can be used to

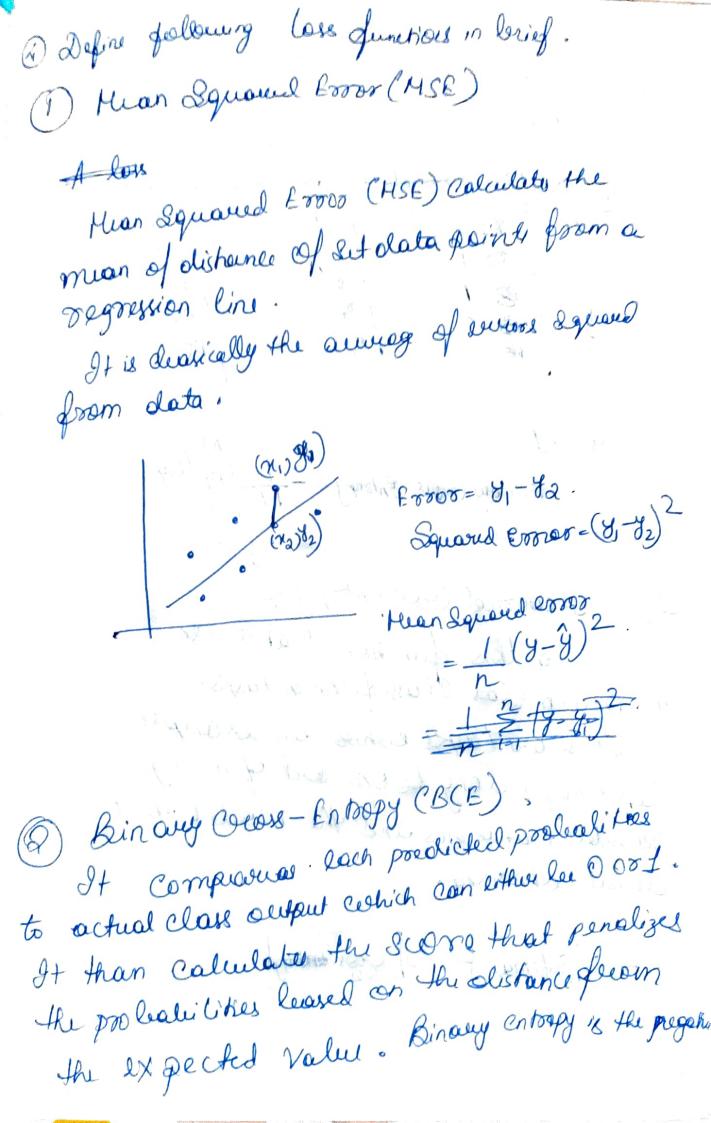
The state that it is the state of the state

The transfer of the second second

or the first of the same

3 
$$f(z) = Z_1 x_1 + Z_2 y$$
,  $x = [1,1]^T$ ,  $y = [1,1]^T$ .  
 $f: R^2 \Rightarrow R^2$   $f(z) = Z_1 x_1 + Z_2 y$   
 $z = g(z) = [z^2, z^3]$   
 $\frac{\partial f}{\partial z} = \frac{\partial f}{\partial z} \times \frac{\partial f}{\partial z} = [x][2z^2 - 3z^2]$   
 $= [2z^2 x_1 \cdot 3z^3 y_1]$   $= [8][2z^2 - 3z^2]$   
 $= [2z^2 x_1 \cdot 3z^3 y_1]$   $= [8][2z^2 - 3z^2]$   
 $= [2z^2 x_1 \cdot 3z^3 y_1]$   $= [91][2z^2 - 3z^2]$ 

y=[v]



of the log of corrected producted Probleativities.

Eg D Actual Pour Red prob Cornected

I 1 P1
P2
P3'
P3'
P4
P5

Biriany Geoss Entropy = - I log (light)

Of Categorical Cross Entropy:

It is a loss function that is used:

In much class classification tasks.

These are tasks where an example

Can only belong to one out of many

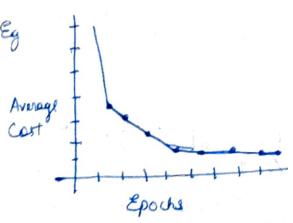
Rossible categories and the model must

decide which or.

-> Softmax -> Cross andry

## (5) 1) Batch Gradient Descut:

Gracier descend its an sphimization teathque for minimising a function. We In Both fraction Discerd, all the training example and then use that mean gradient to update and then use that mean gradient to update our parameters. It gives the less routh to core of conver to ordatively smooth result in case of conver to ordatively smooth function.



The graph of Cost ve Cpoke is also quite Smooth lacame an are amaging our all the gradient of training data for a dingle step.

Stochaste gradient absents to find he global minimum by adjusting the configuration of the network after each training proint Instead of decreasing the lovers jor find the gradient. As the entire alasto set, his method merely decreases the everes by approximating as gradient for a randomly selected

It can adjust the returnet favanetire in Such a way as to move the model seit of a local nainimum and to usual a glodeal minimum.

## @ Hin Batch Gradient Descent:

Mini Batch gradient Descent is a variation of the into small leather that are used to collect Calculate model everor and update model cofficients.

Implementation may choose to dum the gradient O rea the mini beatch which further seduces the variances of the gradient.

Hiri Batch gradient Slescent Sieke to find a belance leverent the volenstruss of Stochastic gradient descent and efficiency of leater gradient descent. It is the most conmon implementation of gradient descent. the

## (4V) Momentum based Gradient Descent:-

An adaphile Ophimization Algorithm was exponentially chighted annuages of gradients Over perceivious and iterations to state tize the convergence, and in all-a dualing with noisy data. To avoid the effect of noise and reduce its informance the data an fel in leather during oftimization. This problem can be takked using Exponentially

alleighted Averaged. No Brothbot This method is used as strakey in momentum beased gradient abscent to make it solust against noise in clate

(V) Adam Soluce:

delan Solver appringation algorithm 12 an extension Sien Roseador a Dophon for deep leaving application.

sach network coeight and Separeally adapted as bearing unfolds.

It used booth Les Adaptive gradient Algorithm and that mean Equebe propagation

It is also make.

The Algorithm Caliculates an experiential moving overage of the graceland and the Iquoud gradient, and the parameteres control the decay rate of those there main acceages.