Class Name Your Name Here

Homework Sample Template

19.8

- \bullet Let A and B be sets.
- For the sake of contradiction assume that $(A B) \cap (B A)$ is not empty.
- Therefore there must be an element x where $x \in (A B)$ and $x \in (B A)$.
- As a result, $x \in A \land \notin B$ and $x \in A \land \notin B$ by the definition of set subtraction.
- We have a contradiction, and must therefore conclude that (A-B) \cap (B-A) = \emptyset .