

DWM CODES

Decision Tree (Classification)

Day	Outlook	Temp	Humidity	Wind	Play Tennis
D1	Sunny	Hot	High	Weak	No
D2	Sunny	Hot	High	Strong	No
D3	Overcast	Hot	High	Weak	Yes
D4	Rain	Mild	High	Weak	Yes
D5	Rain	Cool	Normal	Weak	Yes
D6	Rain	Cool	Normal	Strong	No
D7	Overcast	Cool	Normal	Strong	Yes
D8	Sunny	Mild	High	Weak	No
D9	Sunny	Cool	Normal	Weak	Yes
D10	Rain	Mild	Normal	Weak	Yes
D11	Sunny	Mild	Normal	Strong	Yes
D12	Overcast	Mild	High	Strong	Yes
D13	Overcast	Hot	Normal	Weak	Yes
D14	Rain	Mild	High	Strong	No

```
import math
```

```
# Tennis data (Outlook, Temp, Humidity, Wind, PlayTennis)
```

```
data = [  
    ['Sunny', 'Hot', 'High', 'Weak', 'No'],  
    ['Sunny', 'Hot', 'High', 'Strong', 'No'],  
    ['Overcast', 'Hot', 'High', 'Weak', 'Yes'],  
    ['Rain', 'Mild', 'High', 'Weak', 'Yes'],  
    ['Rain', 'Cool', 'Normal', 'Weak', 'Yes'],  
    ['Rain', 'Cool', 'Normal', 'Strong', 'No'],  
    ['Overcast', 'Cool', 'Normal', 'Strong', 'Yes'],  
    ['Sunny', 'Mild', 'High', 'Weak', 'No'],  
    ['Sunny', 'Cool', 'Normal', 'Weak', 'Yes'],  
    ['Rain', 'Mild', 'Normal', 'Weak', 'Yes'],  
    ['Sunny', 'Mild', 'Normal', 'Strong', 'Yes'],  
    ['Overcast', 'Mild', 'High', 'Strong', 'Yes'],  
    ['Overcast', 'Hot', 'Normal', 'Weak', 'Yes'],  
    ['Rain', 'Mild', 'High', 'Strong', 'No']  
]
```

```
features = ['Outlook', 'Temp', 'Humidity', 'Wind']
```

```
def entropy(values):  
    counts = {}  
    for v in values:  
        counts[v] = counts.get(v, 0) + 1
```

```
    return -sum((count/len(values)) * math.log2(count/len(values))
                for count in counts.values())
```

```
def best_feature(data, features):
    base_entropy = entropy([row[-1] for row in data])
    best_gain = 0
    best_feat = None

    for i in range(len(features)):
        feat_values = {row[i] for row in data}
        feat_entropy = 0
        for value in feat_values:
            subset = [row[-1] for row in data if row[i] == value]
            feat_entropy += (len(subset)/len(data)) * entropy(subset)
        gain = base_entropy - feat_entropy
        if gain > best_gain:
            best_gain = gain
            best_feat = i
    return best_feat
```

```
def build_tree(data, features):
    outcomes = [row[-1] for row in data]
    if len(set(outcomes)) == 1:
        return outcomes[0]

    best_idx = best_feature(data, features)
    if best_idx is None:
        return max(set(outcomes), key=outcomes.count)

    tree = {features[best_idx]: {}}
    for value in {row[best_idx] for row in data}:
        subset = [row for row in data if row[best_idx] == value]
        tree[features[best_idx]][value] = build_tree(subset, features)
    return tree
```

```
tree = build_tree(data, features)
print(tree)
```

output

```
{'Outlook': {'Sunny': {'Humidity': {'High': 'No', 'Normal': 'Yes'}}, 'Rain': {'Wind':
{'Weak': 'Yes', 'Strong': 'No'}}, 'Overcast': 'Yes'}}
```

Naive Bayesian (Classification)

```
data = [  
    ['Yes', 'No', 'Yes'],  
    ['No', 'Yes', 'Yes'],  
    ['Yes', 'Yes', 'Yes'],  
    ['No', 'No', 'No'],  
    ['Yes', 'No', 'Yes'],  
    ['No', 'No', 'Yes'],  
    ['Yes', 'No', 'Yes'],  
    ['Yes', 'No', 'No'],  
    ['No', 'Yes', 'Yes'],  
    ['No', 'Yes', 'No'],  
]  
  
from collections import defaultdict  
  
# Count classes  
yes = sum(1 for row in data if row[2] == 'Yes')  
no = len(data) - yes  
total = yes + no  
  
# Feature counts  
counts = {  
    'Covid': {'Yes': defaultdict(int), 'No': defaultdict(int)},  
    'Flu': {'Yes': defaultdict(int), 'No': defaultdict(int)}  
}  
  
for row in data:  
    covid, flu, fever = row  
    counts['Covid'][fever][covid] += 1  
    counts['Flu'][fever][flu] += 1  
  
def predict(covid, flu):  
    # Prior probabilities  
    p_yes = yes / total  
    p_no = no / total  
  
    # Likelihoods without smoothing  
    try:  
        covid_yes = counts['Covid']['Yes'][covid] / yes
```

```

    flu_yes = counts['Flu']['Yes'][flu] / yes
    p_yes *= covid_yes * flu_yes
except ZeroDivisionError:
    p_yes = 0

try:
    covid_no = counts['Covid']['No'][covid] / no
    flu_no = counts['Flu']['No'][flu] / no
    p_no *= covid_no * flu_no
except ZeroDivisionError:
    p_no = 0

print(f"\nInput: Covid={covid}, Flu={flu}")
print(f"P(Fever=Yes): {p_yes:.5f}")
print(f"P(Fever=No): {p_no:.5f}")

return 'Yes' if p_yes > p_no else 'No'

```

Tests

```
print("Predicted Fever:", predict('Yes', 'Yes')) # Expected: Yes
```

K-means - 1D

```
data = [2, 4, 10, 12, 3, 20, 30, 11, 25]
```

Initial centroids

```
m1 = 2
```

```
m2 = 4
```

```
for _ in range(10): # max 10 iterations
```

```
    g1 = []
```

```
    g2 = []
```

Assign to nearest cluster

```
for x in data:
```

```
    if abs(x - m1) < abs(x - m2):
```

```
        g1.append(x)
```

```
    else:
```

```
        g2.append(x)
```

Recalculate means

```
new_m1 = sum(g1) / len(g1)
```

```

new_m2 = sum(g2) / len(g2)

# Stop if centroids don't change
if new_m1 == m1 and new_m2 == m2:
    break

m1 = new_m1
m2 = new_m2

# Final output
print("Cluster 1:", g1)
print("Cluster 2:", g2)
print("Final Centroids:", round(m1, 2), "and", round(m2, 2))

```

2D K-means (Clustering)

```

# Sample data: (Age, Amount)
data = [
    (20, 500), # c1
    (40, 1000), # c2
    (30, 800), # c3
    (18, 300), # c4
    (28, 1200), # c5
    (35, 1400), # c6
    (45, 1800) # c7
]

# Initial centroids (first two points)
centroids = [data[0], data[1]] # (20, 500) and (40, 1000)

def euclidean_distance(p1, p2):
    return ((p1[0] - p2[0]) ** 2 + (p1[1] - p2[1]) ** 2) ** 0.5

def k_means_single_iteration(data, centroids):
    # Step 1: Create empty clusters
    clusters = [[] for _ in range(len(centroids))]

    # Step 2: Assign each point to the nearest centroid
    for point in data:
        distances = [euclidean_distance(point, centroid) for centroid in
centroids]
        closest = distances.index(min(distances)) # Find the closest centroid
        clusters[closest].append(point) # Assign point to that cluster

```

```

    return centroids, clusters

# Run K-Means for just one iteration
centroids, clusters = k_means_single_iteration(data, centroids)

# Output the results
print("Centroids:", centroids)
for i, cluster in enumerate(clusters):
    print(f"Cluster {i + 1}: {cluster}")

```

Agglomerative – Single

```

import math

# Data: (X, Y)
data = [
    (4, 3), # s1
    (1, 4), # s2
    (2, 1), # s3
    (3, 8), # s4
    (6, 9), # s5
    (5, 1), # s6
]

# Names for the points
names = ['s1', 's2', 's3', 's4', 's5', 's6']

# Function to calculate Euclidean distance
def euclidean_distance(p1, p2):
    return math.sqrt((p1[0] - p2[0])**2 + (p1[1] - p2[1])**2)

# Agglomerative clustering (single linkage)
def agglomerative_clustering(data, names):
    clusters = [[i] for i in range(len(data))] # Each point starts as its own
    cluster

    # Print initial clusters
    print("Initial Clusters:")
    for i, cluster in enumerate(clusters):
        cluster_names = [names[idx] for idx in cluster]
        print(f"Cluster {i + 1}: {cluster_names}")
    print()

    while len(clusters) > 1:

```

```

min_dist = float('inf')
closest_pair = None

# Find the closest pair of clusters
for i in range(len(clusters)):
    for j in range(i + 1, len(clusters)):
        # Find minimum distance between any two points in the
clusters (single linkage)
        dist = min([euclidean_distance(data[p1], data[p2]) for p1 in
clusters[i] for p2 in clusters[j]])

        if dist < min_dist:
            min_dist = dist
            closest_pair = (i, j)

# Merge the closest clusters
c1, c2 = closest_pair
clusters[c1] += clusters[c2]
clusters.pop(c2)

# Print the current clusters after merging
print(f"After merging clusters {c1 + 1} and {c2 + 1}:")
for i, cluster in enumerate(clusters):
    cluster_names = [names[idx] for idx in cluster]
    print(f"Cluster {i + 1}: {cluster_names}")
print()

# Return the final clusters with names
final_cluster = clusters[0]
return [names[i] for i in final_cluster]

# Run the agglomerative clustering
final_clusters = agglomerative_clustering(data, names)

```

Agglomerative – OVERALL (Hierarchical Clustering)

```
import math
```

```

# Data: (X, Y)
data = [
    (4, 3), # s1
    (1, 4), # s2
    (2, 1), # s3

```



```

(3, 8), # s4
(6, 9), # s5
(5, 1), # s6
]

# Names for points
names = ['s1', 's2', 's3', 's4', 's5', 's6']

# Euclidean distance function
def euclidean(p1, p2):
    return math.sqrt((p1[0] - p2[0])**2 + (p1[1] - p2[1])**2)

# Linkage distance calculation
def cluster_distance(c1, c2, method):
    distances = [euclidean(data[i], data[j]) for i in c1 for j in c2]
    if method == 'single':
        return min(distances)
    elif method == 'complete':
        return max(distances)
    elif method == 'average':
        return sum(distances) / len(distances)

# Agglomerative clustering
def agglomerative_clustering(data, names, linkage='single'):
    clusters = [[i] for i in range(len(data))]

    print(f"Initial Clusters ({linkage} linkage):")
    for i, cluster in enumerate(clusters):
        print(f"Cluster {i+1}: {[names[idx] for idx in cluster]}")
    print()

    while len(clusters) > 1:
        min_dist = float('inf')
        pair = (0, 1)

        # Find closest pair
        for i in range(len(clusters)):
            for j in range(i+1, len(clusters)):
                dist = cluster_distance(clusters[i], clusters[j], linkage)
                if dist < min_dist:
                    min_dist = dist
                    pair = (i, j)

```

```

# Merge clusters
i, j = pair
clusters[i] += clusters[j]
clusters.pop(j)

# Print current clusters
print(f"After merging clusters {i+1} and {j+1}:")
for k, cluster in enumerate(clusters):
    print(f"Cluster {k+1}: {[names[idx] for idx in cluster]}")
print()

return [names[i] for i in clusters[0]]

# Run for all linkage methods
print("\n=== SINGLE LINKAGE ===\n")
agglomerative_clustering(data, names, linkage='single')

print("\n=== COMPLETE LINKAGE ===\n")
agglomerative_clustering(data, names, linkage='complete')

print("\n=== AVERAGE LINKAGE ===\n")
agglomerative_clustering(data, names, linkage='average')

```

Apriori (Association Rule Mining)

```

# Transactions
data = [
    ['Bread', 'Butter', 'Jam', 'Milk'],
    ['Bread', 'Butter', 'Milk'],
    ['Bread', 'Juice', 'Cereal'],
    ['Bread', 'Milk', 'Juice'],
    ['Butter', 'Milk', 'Juice']
]

```

```

support_percent = 50
confidence_percent = 75
total = len(data)

```

```

# Get unique items
items = []
for t in data:
    for item in t:
        if item not in items:
            items.append(item)

```

```

# Count support
def count(items_list):
    c = 0
    for t in data:
        if all(i in t for i in items_list):
            c += 1
    return c

# Check 2-item combinations
for i in range(len(items)):
    for j in range(i + 1, len(items)):
        A = items[i]
        B = items[j]
        ab = count([A, B])
        support = (ab / total) * 100

        if support >= support_percent:
            a = count([A])
            b = count([B])
            conf_ab = (ab / a) * 100
            conf_ba = (ab / b) * 100

            if conf_ab >= confidence_percent:
                print(f"conf({A} -> {B}) = {ab}/{a} = {round(conf_ab)}%")

            if conf_ba >= confidence_percent:
                print(f"conf({B} -> {A}) = {ab}/{b} = {round(conf_ba)}%")

```

Linear Regression (Prediction Algorithm)

```

# Data
experience = [3, 8, 9, 13, 3, 6, 11, 21, 1, 16]
salary = [30, 57, 64, 72, 36, 43, 59, 90, 20, 83]

# Step 1: Calculate means
n = len(experience)
mean_x = sum(experience) / n
mean_y = sum(salary) / n

# Step 2: Calculate slope (m) and intercept (c)

```

```
numerator = sum((experience[i] - mean_x) * (salary[i] - mean_y) for i in range(n))  
denominator = sum((experience[i] - mean_x) ** 2 for i in range(n))
```

```
m = numerator / denominator  
c = mean_y - m * mean_x
```

```
# Step 3: Predict salary for 10 years of experience  
x_new = 10  
y_pred = m * x_new + c
```

```
# Output  
print("Slope (m):", m)  
print("Intercept (c):", c)  
print("Predicted Salary for 10 years experience:", y_pred)
```