

**Date : 13th May**

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**Topic : Backtracking**

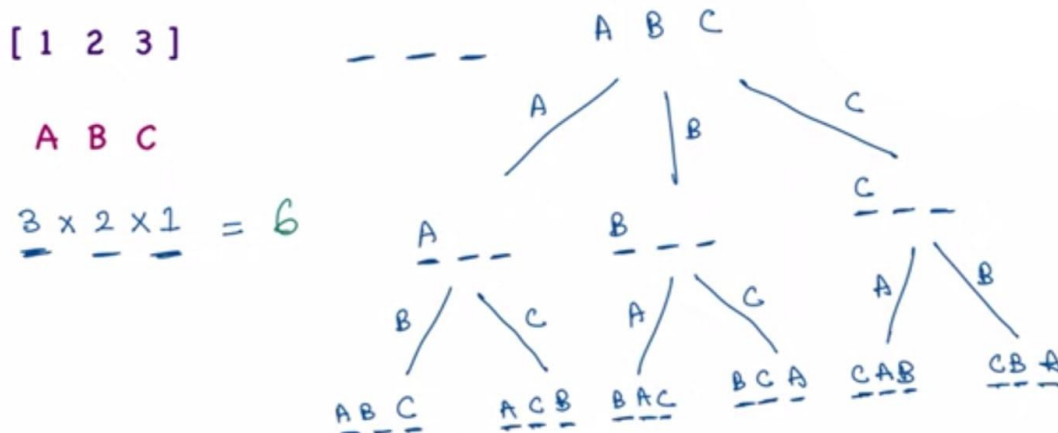
Q1. Given an array nums of distinct integers, return all the possible permutations. You can return the answer in any order.

**Problem Link :** <https://leetcode.com/problems/permutations/>

**Approach :**

- We use backtracking to generate all permutations  
backtrack function generates all permutations starting from index first
- In each recursive call, we place the i-th integer first in the permutation and use the next integers to complete the permutation
- Finally, we backtrack to get the next permutation
- We keep track of all permutations in the output list and return it in the end

### UNDERSTANDING THE LOGIC



## Solution :

```
class Solution {
    public void backtrack(List<List<Integer>> result ,
List<Integer> temp ,int[] nums){
        if(temp.size()==nums.length){
            result.add(new ArrayList<>(temp));
            return;
        }
        for(int i=0 ; i<nums.length ; i++){
            if(temp.contains(nums[i]))
                continue;
            temp.add(nums[i]);
            backtrack(result,temp,nums);
            temp.remove(temp.size()-1);
        }
    }
    public List<List<Integer>> permute(int[] nums) {
        List<List<Integer>> result = new ArrayList<>();
        backtrack(result,new ArrayList<Integer>(),nums);
        return result;
    }
}
```

Q2. Given an array of distinct integers candidates and a target integer target, return a list of all unique combinations of candidates where the chosen numbers sum to target. You may return the combinations in any order.

**Problem Link :** <https://leetcode.com/problems/combination-sum/>

**Approach :**

- Initially, the index will be 0, target as given and the list will be empty.
- Now there are 2 options viz to pick or not pick the current index element.
- If you pick the element, again come back at the same index as multiple occurrences of the same element is possible so the target reduces to  $\text{target} - \text{arr}[\text{index}]$  (where  $\text{target} - \text{arr}[\text{index}] \geq 0$ ).
- If you decide not to pick the current element, move on to the next index and the target value stays as it is.
- While backtracking makes sure to remove the last element.
- Keep on repeating this process while  $\text{index} < \text{size of the array}$  for a particular recursion call.
- When the target value becomes 0, you have found a valid combination. Add it to your result list.
- If the target  $< 0$ , that means your combination sum has exceeded the target, and the combination is invalid, so you return.

**Example :**

**Input:** candidates = [2,3,6,7], target = 7

**Output:** [[2,2,3],[7]]

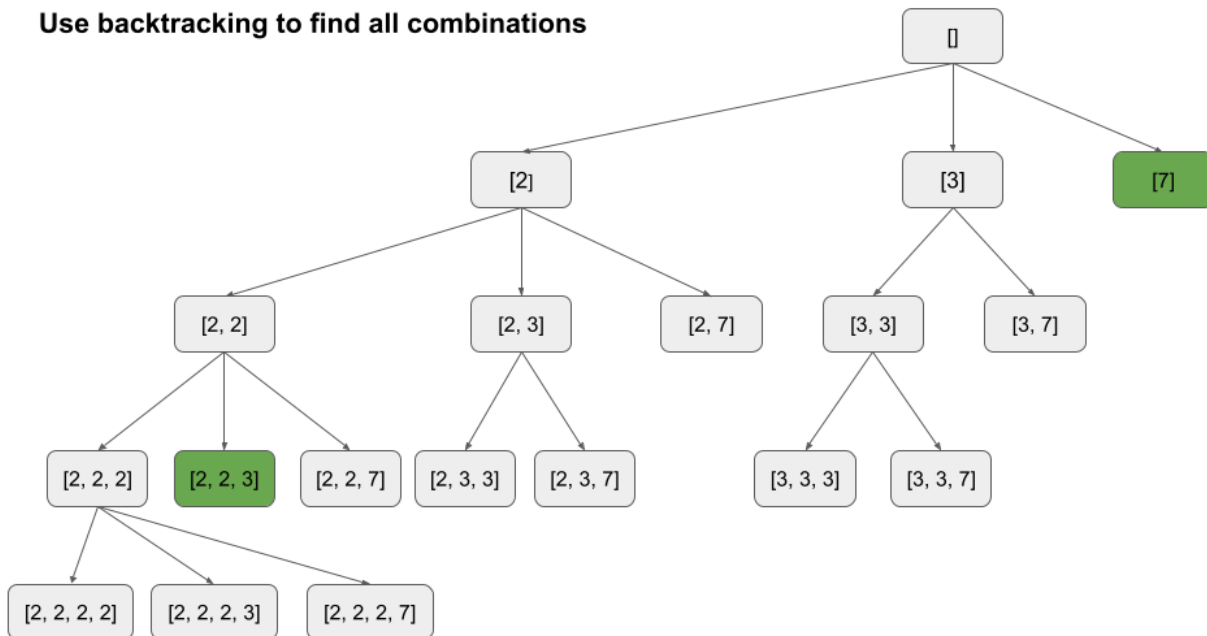
**Explanation:**

2 and 3 are candidates, and  $2 + 2 + 3 = 7$ . Note that 2 can be used multiple times.

7 is a candidate, and  $7 = 7$ .

These are the only two combinations.

Use backtracking to find all combinations



**Solution :**

```

class Solution {
    public void backtrack(List<List<Integer>> result, List<Integer> temp, int[]
candidates, int target, int start) {
        if (target < 0)
            return;
        else if (target == 0) {
            result.add(new ArrayList<>(temp));
        }
        for (int i = start; i < candidates.length; i++) {
            temp.add(candidates[i]);
            backtrack(result, temp, candidates, target - candidates[i], i);
            temp.remove(temp.size() - 1);
        }
    }

    public List<List<Integer>> combinationSum(int[] candidates, int target) {
        List<List<Integer>> result = new ArrayList<>();
        backtrack(result, new ArrayList<Integer>(), candidates, target, 0);
        return result;
    }
}
  
```

