



**Your Ultimate Guide To Landing  
Top AI roles**



**DECODE  
AiML**

2.15.1

## Count no of Nodes in a Binary Tree

DECODE  
AiML

→ Input: root node of binary Tree  
Output: integer  $n \leftarrow$  no of nodes in a BT

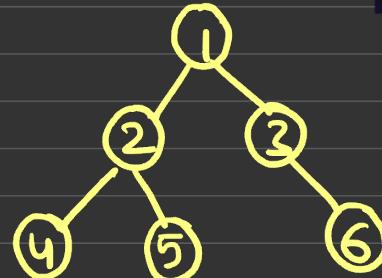
→ Let's look for Recursive Solution

① Base Case

→ root is None  $\rightarrow$  return 0

② Recursive Case

→ recurrence relation.



$$\begin{aligned} NN(T) &= 1 + NN(LST) + NN(RST) \\ &= 0, \text{ if } T \text{ is None} \end{aligned}$$

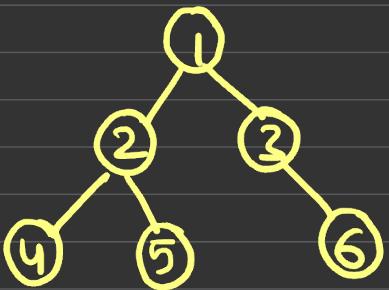
### Time & Space Complexity

Time Complexity =  $O(n)$  ← whenever we visit a node, we spend constant time ( $n \times 3 \times c$ )

Space Complexity =  $O(n)$  ↗ depth of recursion tree = depth of binary Tree.

## Code and Dry Run

```
def count_nodes(root):
    if root is None:
        return 0
    return 1 + Count_nodes(root.left)
            + Count_nodes(root.right)
```



2.15.2

## Count no of leaves in a Binary Tree



→ Input: root node of binary Tree  
 Output: integer Cnt → no of leaf nodes in a Binary Tree

→ Let's look for Recursive Solution

### ① Base Case

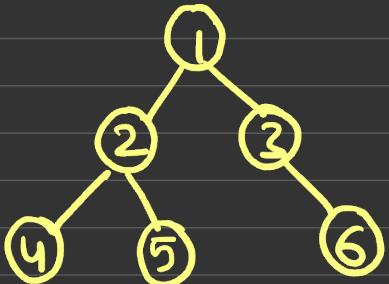
→ T is a leaf node → return 1

→ T is empty → return 0

### ② Recursive Case

→ recurrence relation.

$$NL(T) = \begin{cases} NL(LST) + NL(RST) \\ 1, \text{ if } T \text{ is a leaf} \\ 0, \text{ if } T \text{ is Empty} \end{cases}$$



### Time & Space Complexity

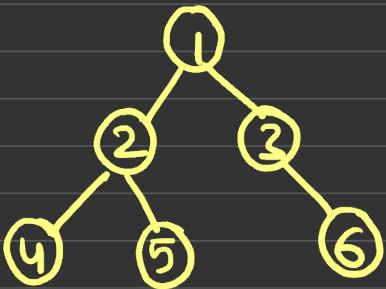
Time Complexity =  $O(n)$  ← whenever we visit a node, we spend constant time ( $n \times 3 \times c$ )

Space Complexity =  $O(n)$

depth of recursion tree = depth of binary Tree.

## Code and Dry Run

```
def count_leaves(root):
    if root is None:
        return 0
    if root.left == None and root.right == None:
        return 1
    return count_leaves(root.left) + count_leaves(root.right)
```



2.15.3

## Find the height of a Binary Tree



→ Input: root node of binary Tree

Output: integer  $h \leftarrow \max \text{ depth/height of Binary Tree}$

→ Let's look for Recursive Solution

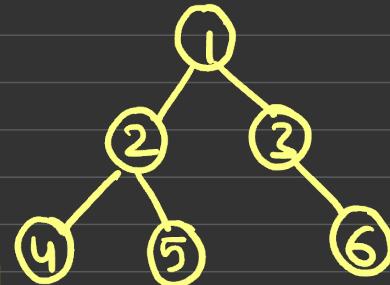
① Base Case

→ root is None → return 0

② Recursive Case

→ recurrence relation.

$$\text{height}(T) = \begin{cases} 1 + \max(\text{height(LST)}, \text{height(RST)}) \\ 0 \text{ if } T \text{ is empty.} \end{cases}$$



### Time & Space Complexity

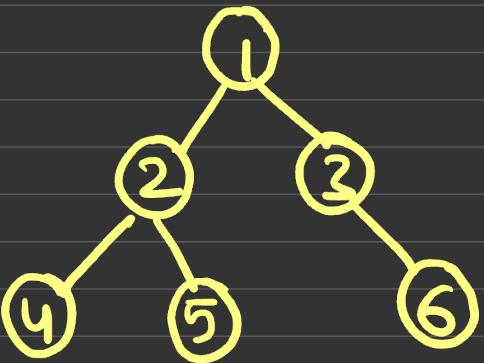
Time Complexity =  $O(n)$  ← whenever we visit a node, we spend constant time ( $n \times 3 \times c$ )

Space Complexity =  $O(n)$

depth of recursion tree = depth of binary Tree.

## Code and Dry Run

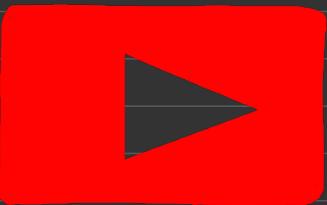
```
def height (root):  
    if root is None:  
        return 0  
    return 1+ max( height(root.left),  
                  height (root.right))
```







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