



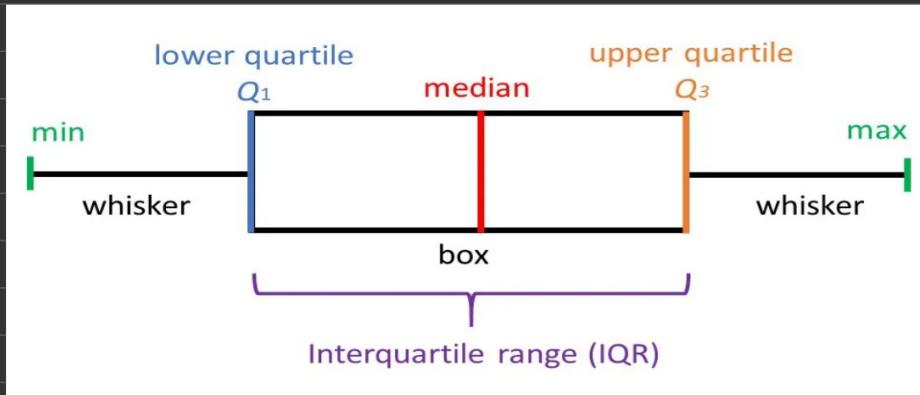
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5.07.4

Box Plot in Depth



- A box plot also called whisker plot, is a powerful data visualization tool that provides summary of a numerical data distribution.
- It uses boxes and lines to depict the data distribution.
- Box limits indicates the central 50% data ,with a central line indicating Median value.



Example : [2, 4, 6, 8, 10, 12, 14, 16]

25%

50%

25%

→ Let's understand key components of Box-Plot step by step.

- ① Minimum (min)
- ② first Quartile (Q1) → Lower Quartile
- ③ Median (Q2)
- ④ Third Quartile (Q3) → Upper Quartile
- ⑤ Maximum (Max)
- ⑥ Inter-Quartile range (IQR)
- ⑦ Outliers.

Median (Q2)

Q. Example : [30, 40, 50, 10, 20, 60, 70]

Find median (Q2)

↳ Sort values \Rightarrow [10, 20, 30, 40, 50, 60, 70]

Find the middle Element = $\frac{40 + 50}{2}$ median (Q2)

Hence $Q_2 = 40$

First Quartile (Q1) ← 25th Percentile

Q. Example: [30, 40, 50, 10, 20, 60, 70]

↑
~25% of the values are
below it

Find First Quartile (Q1)

↳ Sort values ⇒ [10, 20, 30, 40, 50, 60, 70]

Find the rank using formula

$$\text{Rank} = (n-1) \cdot p = (7-1) \cdot 0.25 = 1.5$$

→ So 25th Percentile lies between position 1 and 2.↳ Interpolate between values ← **Interpolation**

$$Q_1 = x_{\text{lower}} + (\text{fraction} \times (x_{\text{upper}} - x_{\text{lower}}))$$

$$Q_1 = 20 + 0.5(30-20) = 25$$

Hence **$Q_1 = 25$**

Third Quartile (Q₃) ← 75th Percentile

Q. Example : [30, 40, 50, 10, 20, 60, 70]

~75% of the values are below it

Find Third Quartile (Q₃)

↳ Sort values ⇒ [10, 20, 30, 40, 50, 60, 70]

Find the rank using formula

$$\text{Rank} = (n-1) \cdot p = (7-1) \times 0.75 = 4.5$$

→ So 75th Percentile lies between position 4 and 5.

↳ Interpolate between values ← **Interpolation**

$$Q_3 = x_{\text{lower}} + (\text{fraction} \times (x_{\text{upper}} - x_{\text{lower}}))$$

$$Q_3 = 50 + (0.5 \times (60 - 50)) = 55$$

Hence Q₃ = 55

Inter-Quartile Range (IQR)

→ IQR describes the middle 50% of the distribution.

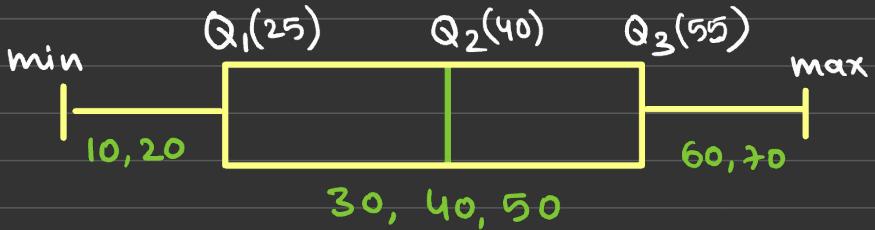
$$\boxed{IQR = Q_3 - Q_1}$$

→ In above Example

Example : [30, 40, 50, 10, 20, 60, 70]

|
On Sorting
values → [10, 20, 30, 40, 50, 60, 70]

$Q_1 \rightarrow 25$
 $Q_2 \rightarrow 40$
 $Q_3 \rightarrow 55$



NOTE ÷ Number of values in IQR = $\frac{3}{7} \neq 50\%$
 ↑ 43%

→ In large datasets, the interpolation effect is small, so IQR usually contains close to 50% of actual points.



Minimum (Min) ← Lower boundary.

→ Minimum does not represent the actual minimum value of data.

$$\text{min} = Q_1 - 1.5 \times \text{IQR}$$

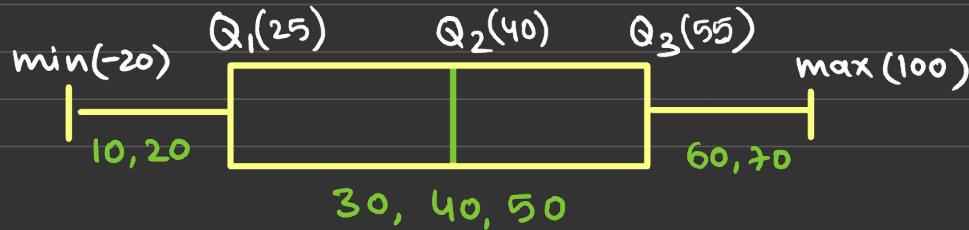
$$\text{min} = 25 - 1.5 \times 45 = -20$$

Maximum (Max) ← Upper boundary.

→ Maximum does not represent the actual maximum value of data.

$$\text{max} = Q_3 + 1.5 \times \text{IQR}$$

$$\text{max} = 55 + 1.5 \times 30 = 100$$

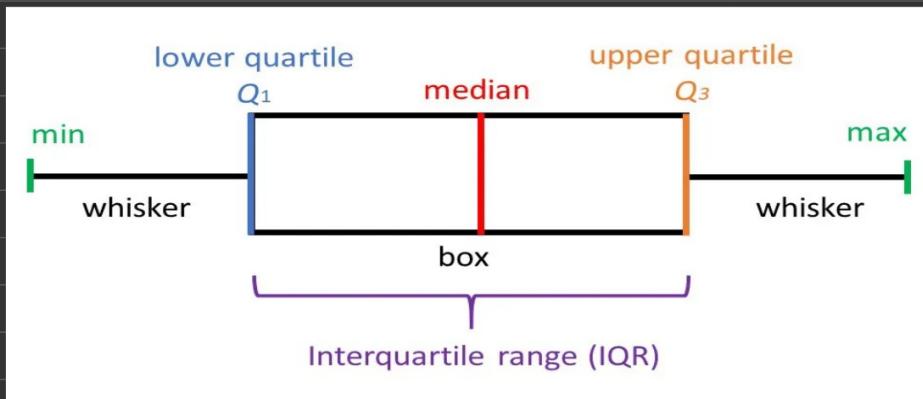


Outliers

- Any value below the lower boundary (min) and above upper boundary (max) is called Outliers.
- For above example, no value below (-20) and above max(100).
 - ↳ So no outliers.

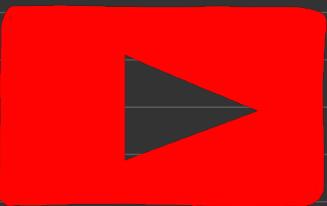
SUMMARY

Lecture - 5.7.2





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