

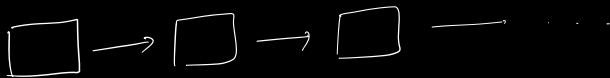
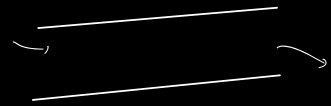
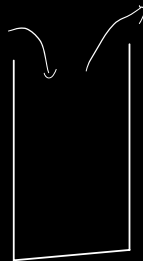
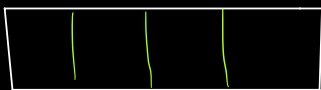
Today's Agenda:-

- Tree Basics & Terminologies
- Level, Height, Depth
- Binary Trees
- Tree Traversals
- Basic Problems

Slack ✓

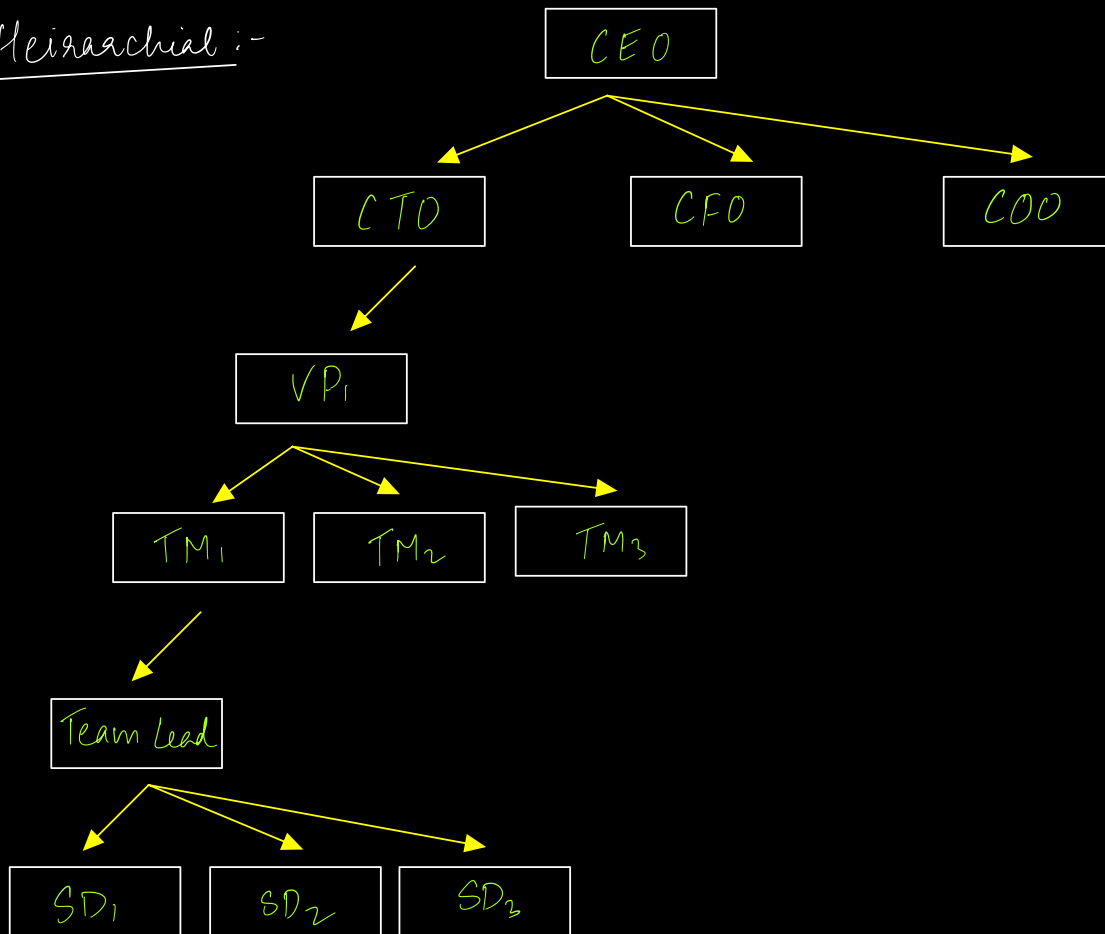
Mob: 9521279429

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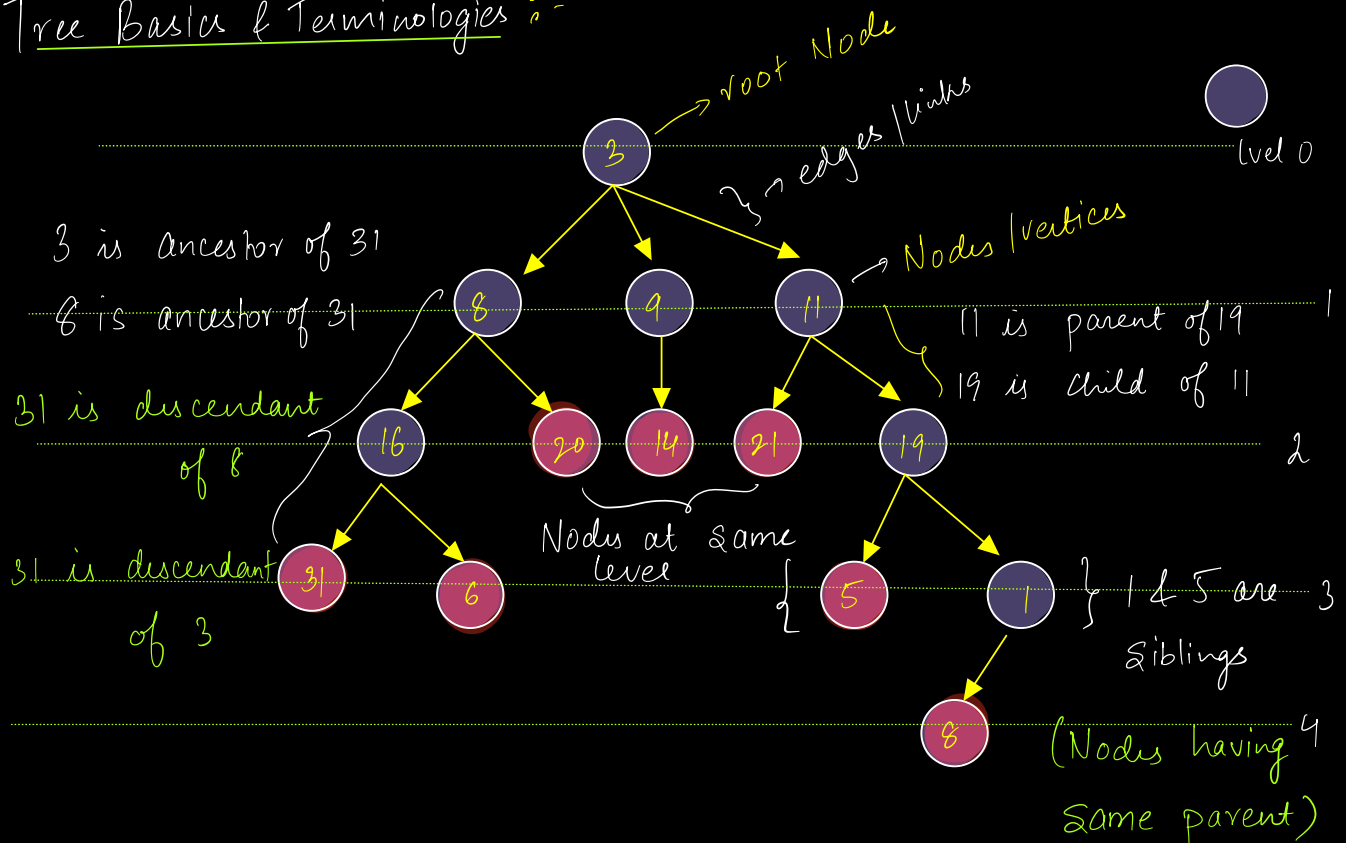
Linear DS

Hierarchical :-



- 1) Answers in Private chat
 - 2) Questions/in Public chat
- Doubts.

Tree Basics & Terminologies :-



Root : Is node with no parent

Leaf Nodes : Node with no child Nodes

Height of Node :-

Distance from the Node to its farthest leaf Node

(Distance: No. of edges)

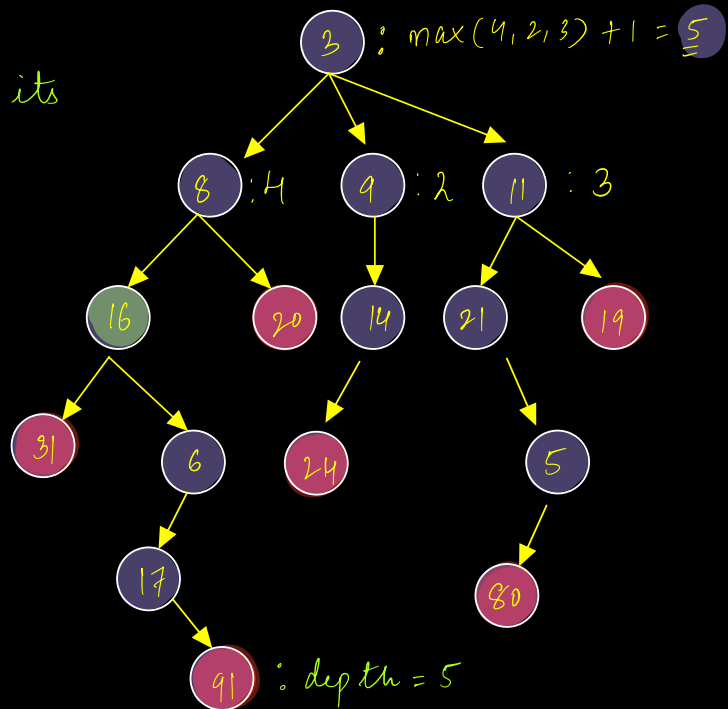
$$\text{Height}(8) = 4$$

$$\text{Height}(16) = 3$$

$$\text{Height}(21) = 2$$

$$\text{Height}(5) = 1$$

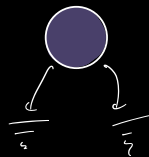
$$\text{Height}(24) = 0$$



Obsl:

$$\text{Height}(\text{Node}) = 1 + \max(\text{child Node heights})$$

Edge case :-



$$= 1 + \max(\text{child Node heights})$$

↗ No child Nodes

$$\text{Height of Tree} = \text{Height}(\text{root Node}) = \max(\text{depth of any leaf Nodes})$$

Depth of a Node :-

Distance of a Node from
root Node.

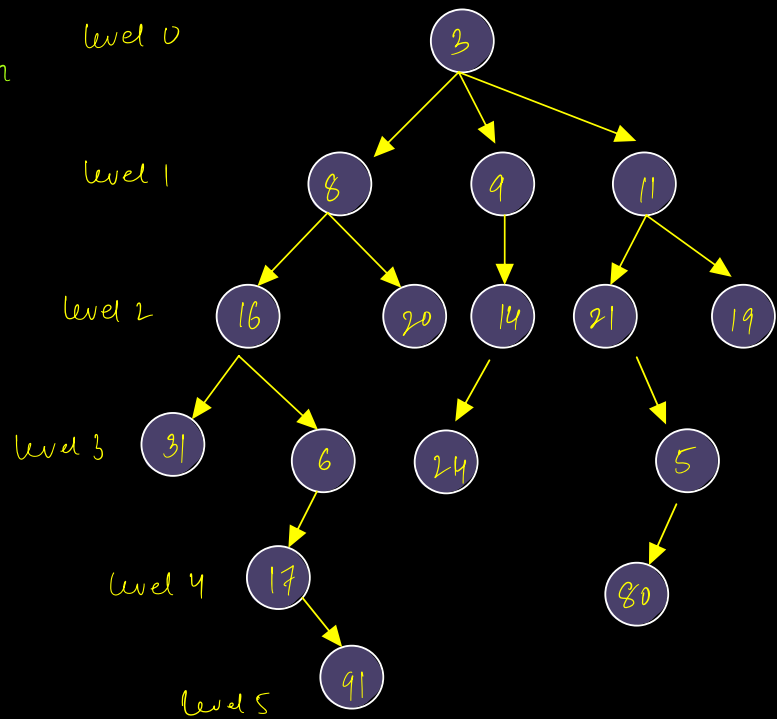
$$\text{Depth}(9) = 1$$

$$\text{Depth}(16) = 2$$

$$\text{Depth}(24) = 3$$

$$\text{Depth}(17) = 4$$

$$\text{Depth}(3) = 0$$



depth = level.

$$\text{depth}(\text{Node}) = d$$

↳ depth of all its child Nodes = $d+1$

$$\text{depth}(\text{root Node}) = 0$$

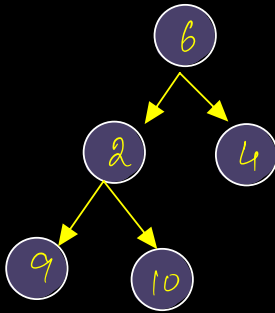
{ 8 Min break }

{ 4 = 2:30 }

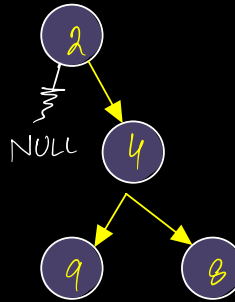
by 9:30 AM

Binary Tree :- For every node, No of child Nodes ≤ 2
 0, 1, 2 child

Ex1



Ex2



(Node Structure)

Class Node {

int data; ✓

Node left; ✓

Node right; ✓

Node(n) {

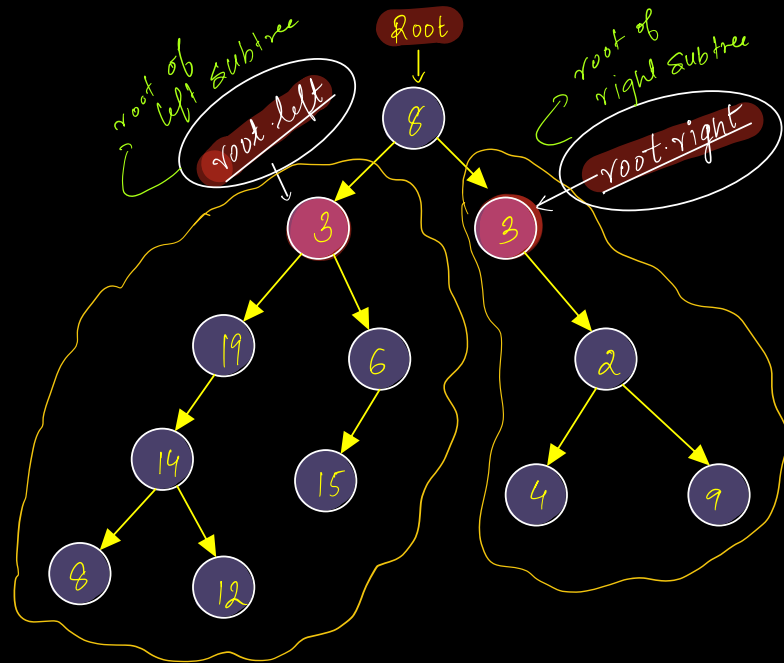
data = n

left = NULL

right = NULL

Constructor

}



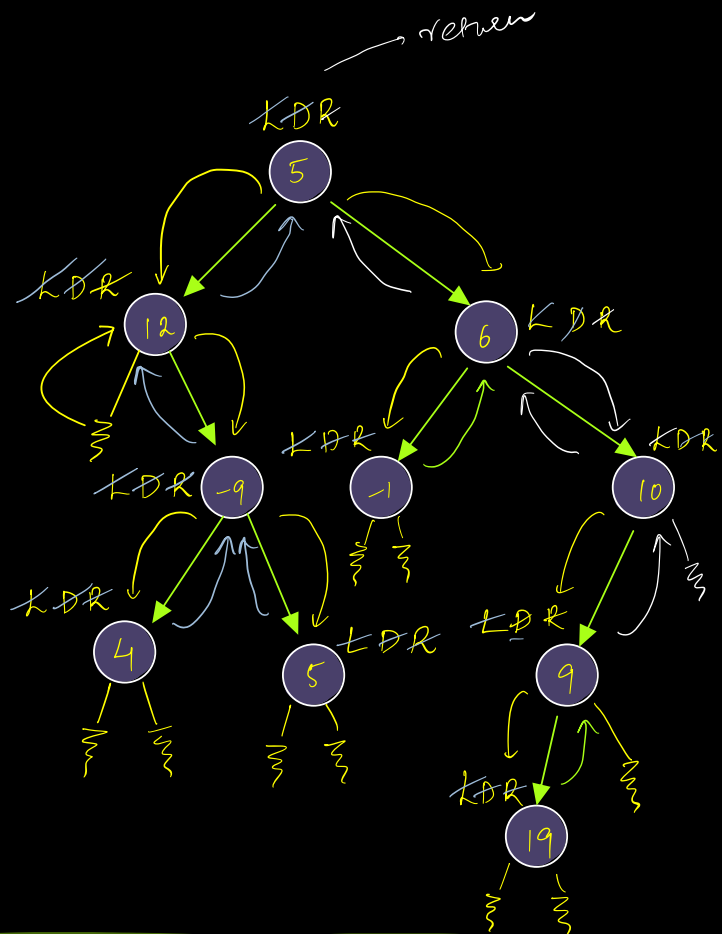
Recursion Basics :-

- Assumption: Decide what your function does & assume that it works.
- Main Logic: Solving problem using subproblem
- Base Condition when to stop.

Tree Traversals :-

- 1) Preorder **D L R**
- 2) Inorder **L D R**
- 3) Postorder **L R D**

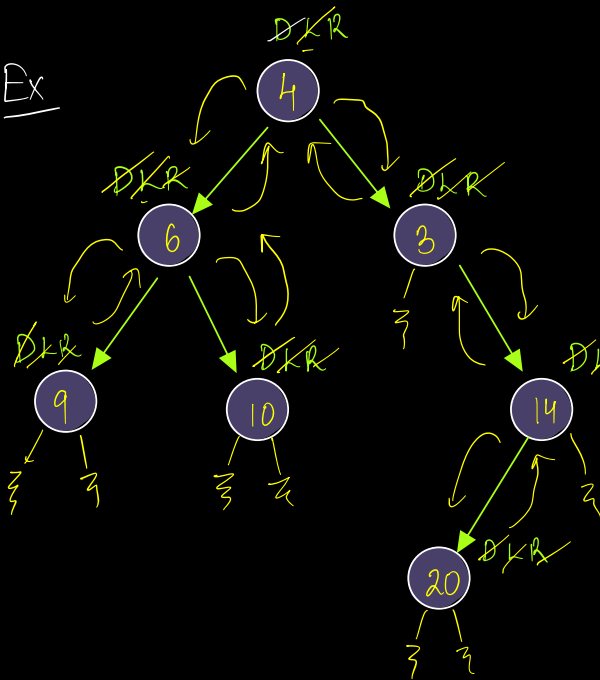
L D R
/ | \
visit current visit
left data right
subtree subtree



Inorder:

12 4 -9 5 5 -1 6 19 9 10

Ex



Inorder: 9 6 10 4 3 20 14

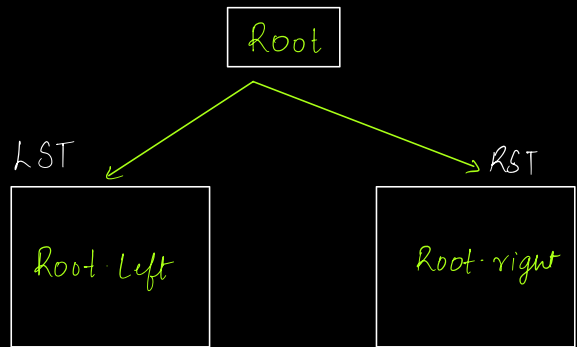
Preorder: 4 6 9 10 3 14 20

Postorder: TODO

LDR

Ass: (Print entire tree inorder)

```
void inorder(Node root) {
    1 if (root == NULL) { return }
    2 inorder(root->left)
    3 print(root->data)
    4 inorder(root->right)
}
```



//idea (✓✓✓) LDR

- ✓ → print entire LST inorder
- ✓ → print (root->data)
- ✓ → print entire RST inorder

DLR

Preorder : 1 3 2 4 }
Postorder : 1 2 4 3 }

Inorder	2 + 5	3 + 4
<u>Prefix</u>	↑	
Preord		
<u>Prefix</u>	+ 2 5	+ 3 4
Postor-		
<u>Postfix</u>	2 5 +	3 4 +

Q) Calculate the size of the tree: Total No of Nodes

Ass: Given root node, return no of Nodes

```
int size (Node root) {
```

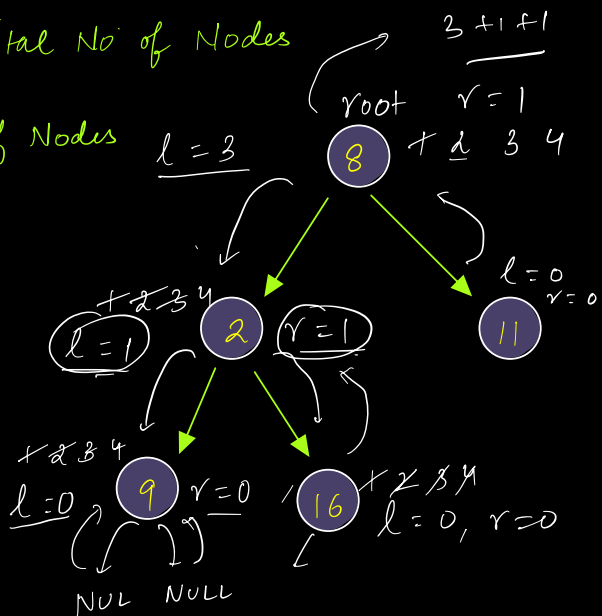
```
1 if (root == NULL) { return 0 }
```

```
2 int l = size (root.left);
```

```
3 int r = size (root.right);
```

```
4 return l + r + 1 ;
```

```
}
```



Height (Node) = 1 + max (child Node heights)

Q2) Calculate height of a tree

Ass: Given root Node, get height of the tree

```
int height(Node root) {
```

```
    if (root == NULL) { return -1; }
```

```
    int lh = height(root->left);
```

```
    int rh = height(root->right);
```

```
    return max(lh, rh) + 1;
```

```
}
```

