

7:05 am

{ answers → Me }
{ Qns → Everyone }

Q1: Given a [N]. Print the max subarray sum of length = K

a [10] =

0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

K=5

s	e	sum
0	4	7
1	5	8
2	6	12
3	7	16
4	8	10
5	9	11

ans = 16

idea 1:

For every subarr of len = K, iterate & get its sum & calc overall max.

```
int subSum(int a[], int N, int K) {
    s = 0
    e = K-1, ans = INT_MIN
    while (e < n) {
        sum = 0
        for (i = s; i <= e; i++) {
            sum += a[i]
        }
        if (sum > ans) {
            ans = sum
        }
        s++, e++;
    }
    return ans
}
```

* [s e] = e - s + 1
[0 e] = e - 0 + 1 = K
e = K-1

* [s n-1] = K
n-1 - s + 1 = K
s = n - K

TC: $O\left(\begin{matrix} \text{Total no. of subarr} \\ \text{of len} = K \\ * \text{iter per subarr} \end{matrix}\right)$
 $\Rightarrow O((n-K+1) * K) = O(n^2)$

$$\begin{matrix} ① [0 & k-1] \\ ② [1 & k] \\ ③ [2 & k+1] \\ \vdots & \vdots \\ ?? [n-k & n-1] \end{matrix}$$

no of terms
= no of subarrs

SC: $O(1)$

$$0 \rightarrow 1 \rightarrow 2 \dots \rightarrow n-k$$

$$[0 \quad n-k]$$

$$= n-k+1$$

$$\begin{matrix} O((n-k+1) * k) \\ \swarrow \quad \searrow \\ \underline{k=1} \quad \quad \underline{k=n} \\ O((n-1+1) * 1) \quad \quad O((n-n+1) * n) \\ = O(n) \quad \quad = \underline{O(n)} \end{matrix}$$

$$\hookrightarrow O((n - \frac{n}{2} + 1) * \frac{n}{2})$$

$$\Rightarrow O((\frac{n}{2} + 1) * (\frac{n}{2}))$$

$$= \frac{n^2}{4} + \frac{n}{2}$$

$$= \underline{\underline{O(n^2)}}$$

idea 2: Use prefix sum

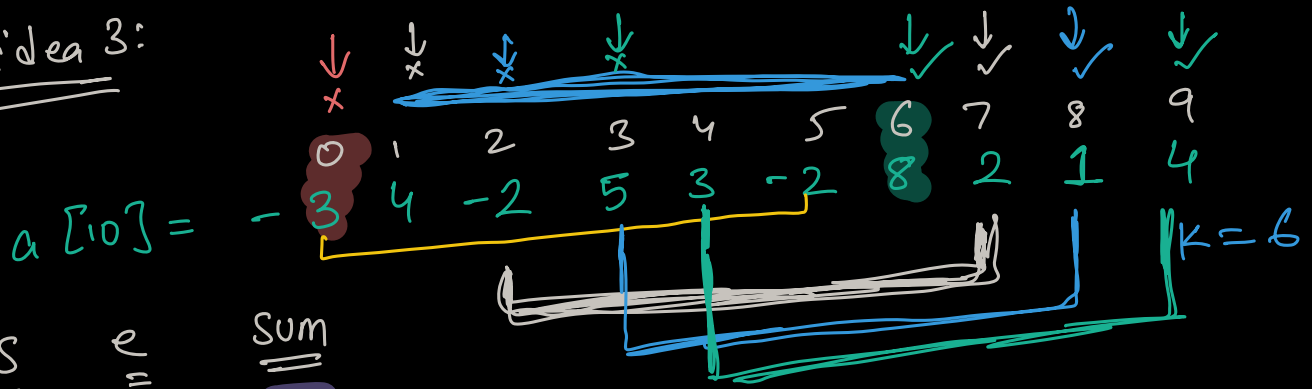
\hookrightarrow for every subarr of len=k, get its sum using pf[]
& calc sum & find max

To-do:

$$TC: O(N + (N-k+1) * 1) = O(N)$$

$$SC: O(N) \hookrightarrow pf[]$$

idea 3:



<u>s</u>	<u>e</u>	<u>Sum</u>
0	5	5
1	6	$Sum = Sum - a[0] + a[6] = 5 - (-3) + 8 = 16$
2	7	$Sum = Sum - a[1] + a[7] = 16 - 4 + 2 = 14$
3	8	$Sum = Sum - a[2] + a[8] = 14 - (-2) + 1 = 17$ ✓ ✓ ← <u>ans.</u>
4	9	$Sum = Sum - a[3] + a[9] = 17 - 5 + 4 = 16$

↔
window

() Carry forward & subarr size = same
↳ sliding window

Pseudo code:

```
int subsumK (int a[], int N, int k) {
```

sum = 0

```
for (i = 0; i < k; i++) {
```

sum += a[i]

// first window sum

// [0 k-1]

[i k]

k

ans = sum

s = 1, e = k

```
while (e < n) {
```

sum = sum - a[s-1] + a[e]

ans = max(ans, sum)

s++, e++

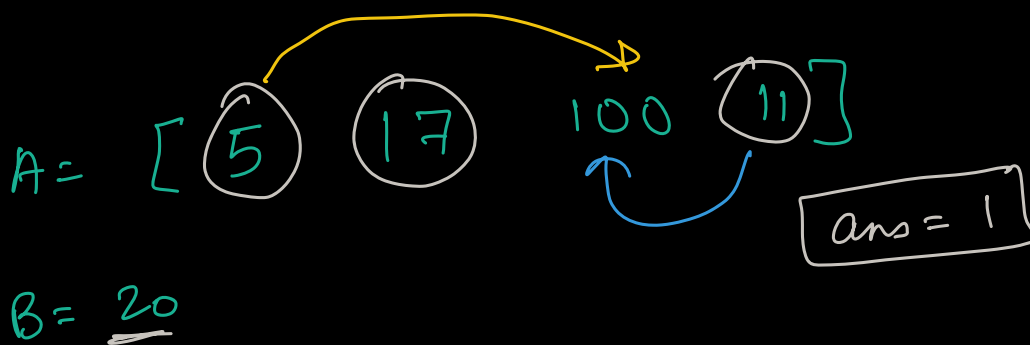
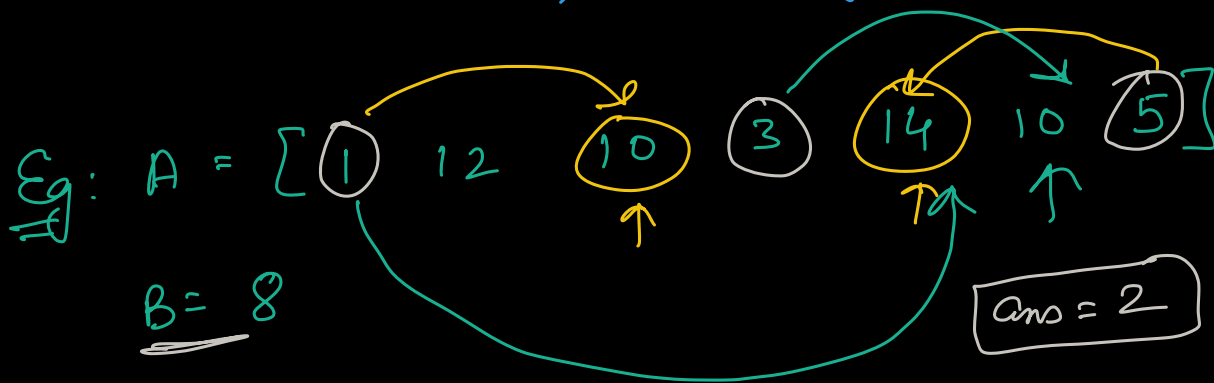
n-k

```
}  
return ans
```

TC: $O(k + n - k) = O(n)$

SC: $O(1)$

Q2: Given $a[n]$ & a no. B. Find & return min. no. of swaps to bring all numbers $\leq B$ together.
 \rightarrow swap any 2 numbers



#obs1: all no. $\leq B \Rightarrow$ together.
 \hookrightarrow window size = count of elements $\leq B$

$A = [8, 3, 10, 20, 22, 13, 1, 2, 55, 5, 15, 50]$

B = 5 window size = 4.

<u>S</u>	<u>e</u>	<u># of swaps</u>	<u>S</u>	<u>e</u>	<u># of swaps</u>
0	3	3	5	8	2
1	4	3	6	9	1
2	5	4	7	10	2
3	6	3	8	11	3
4	7	2			

* Count no. of elements $\leq B = \text{count}$

* Sliding window of size = count

↳ for every window, count of bad
= no. of swaps
↓
find min

```
int solve(int a[], int N, int B) {
```

```
    cnt = 0
```

```
    for(i=0; i<N; i++) {  
        if(a[i] <= B) {  
            cnt++  
        }  
    }
```

// Count of good elements

```
    if(cnt <= 1) {  
        return 0  
    }
```

[2, 3, 4, 5, 6]
B = 2
↳

```
    bad = 0
```

```
    for(i=0; i<cnt; i++) {  
        if(a[i] > B) {  
            bad++  
        }  
    }
```

// get no. of bad in first window

```
    ans = bad
```

```
    s = 1, e = cnt
```

out
s-1 [s e]
in

```
    while(e < N) {
```

```
        if(a[s-1] > B) { bad--; } // outgoing
```

```
        if(a[e] > B) { bad++; } // incoming
```

```
        ans = min(ans, bad)
```

```
        s++, e++
```

return ans

Break \rightarrow 9:00am

Q3: Given a mat $[N][N]$. Print the boundary in 2 dir.

Eg: mat $[5][5]$

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

output

1 2 3 4 5 10 15
20 25 24 23 22 21
16 11 6
in one single line

Eg: mat $[3][3]$

1	2	3
4	5	6
7	8	9

Output:

1 2 3 6 9 8 7 4

Eg: mat [5][5]

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

5x5

4 iter →

4 iter ↓

4 iter ←

4 iter ↑

idea:

NxN mat

N-1 →

N-1 ↓

N-1 ←

N-1 ↑

if N=6

↳ 5 iter →

5 iter ↓

5 iter ←

5 iter ↑

		cols					
		0	1	2	3	4	5
0	1	2	3	4	5	6	
1	7	8	9	10	11	12	
2	13	14	15	16	17	18	
3	19	20	21	22	23	24	
4	25	26	27	28	29	30	
5	31	32	33	34	35	36	


```
void printBoundary (int mat[][N]) {
```

```
    n = mat.length
```

```
    row = 0, col = 0 // idx
```

```
    // top row: Left to Right
    for (K = 1; K ≤ N; K++) { // [ 0 N-1] ⇒ N-1 - 0 + 1 = N-1 iter
        print (mat[row][col])
        col++
    }
```

```
    // Last col: top to bottom
```

```
    for (K = 1; K ≤ N; K++) {
        print (mat[row][col])
        row++
    }
```

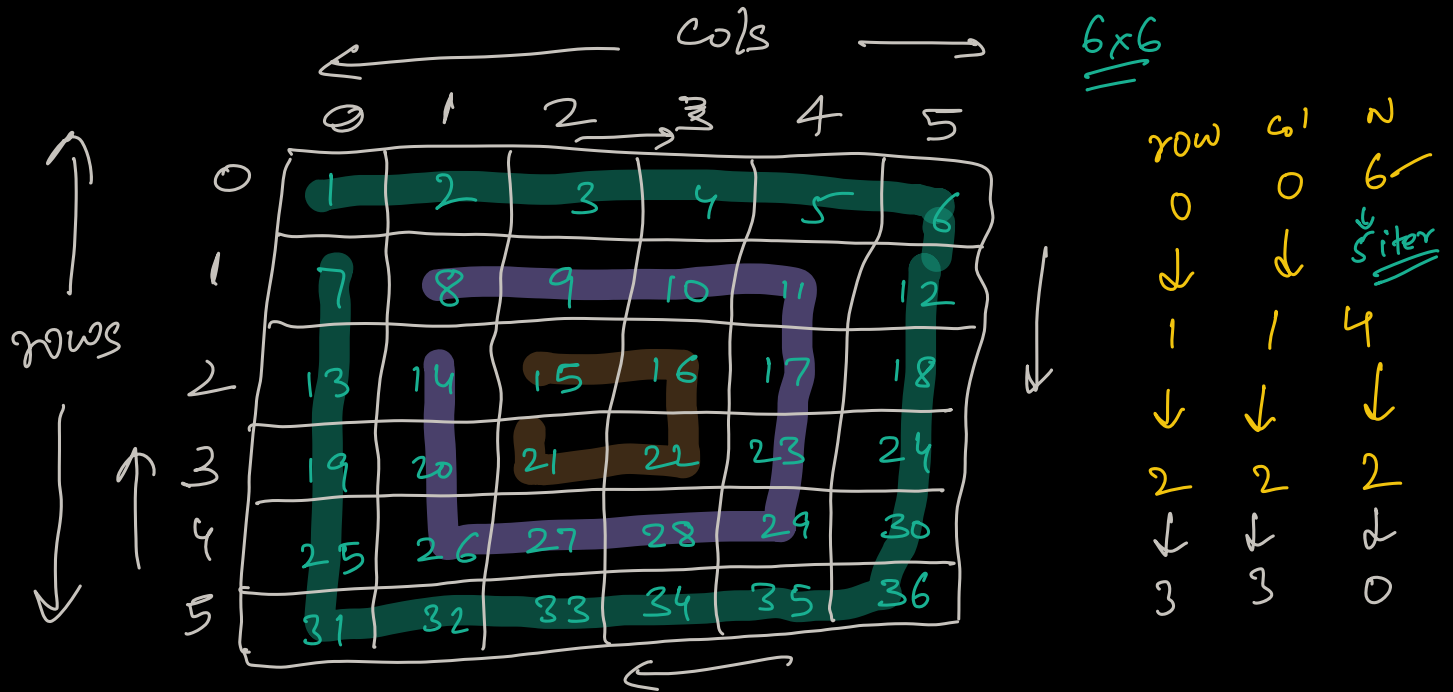
```
    // Last row: Right to Left
```

```
    for (K = 1; K ≤ N; K++) {
        print (mat[row][col])
        col--
    }
```

```
    // First col: Bottom to Top
```

```
    for (K = 1; K ≤ N; K++) {
        print (mat[row][col])
        row--
    }
```

```
}
```



```

void spiral (int mat[][N]) {
    n = mat.length
    row = 0, col = 0
    while (n > 1) {
        for (k = 1; k < N; k++) {
            print (mat[row][col])
            col++
        }
        for (k = 1; k < N; k++) {
            print (mat[row][col])
            row++
        }
        for (k = 1; k < N; k++) {
            print (mat[row][col])
            col--
        }
        for (k = 1; k < N; k++) {
            print (mat[row][col])
            row--
        }
        row++, col++
        n = n - 2
    }
    if (n == 1) {
        print (mat[row][col])
    }
}
  
```

5x5

TC: $O(N^2)$
 SC: $O(1)$