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For n queen nxn board
For 8 queen
8x8 board.

- The eight queen puzzle is the problem of placing eight chess queens on an 8x8 chess board so that no two queens threaten each other; thus, a solution required that no two queens share the same row, column or diagonal.

→ There are 92 solutions.

a	b	c	d	e	f	g	h
			q				8
				q			7
					q		6
						q	5
			q				4
				q			3
					q		2
						q	1

Step-1:

If the remainder from dividing n by 6 is not 2 or 3 then the list is simply all even numbers followed by all odd numbers not greater than n .

Step-2:

Otherwise, write separate lists of even and odd numbers

$$(2, 4, 6, 8 - 1, 3, 5, 7)$$

Step-3:

If the remainder is 2, swap 1 and 3 in odd list and move 5 to the end
(3, 1, 7, 5)

Step-4:

If the remainder is 3, move 2 to the end of even list and 1, 3 to the end of odd list (4, 6, 8, 2 - 5, 7, 1, 3).

Step-5:

Append odd list to the even list and place Queens in the rows given by these numbers from left to right

(a₂, b₄, c₆, d₈, e₃, f₁, g₇, h₅).

Farmer, Fox, Goat, Grass Problem

Condition:

(i) Goat and Grass cannot be together, otherwise it will eat the grass.

(ii) Fox catch goat alone then fox will eat the goat.

(iii) Farmer is the only driver of boat

(iv) Boat has capacity of two.

Notations:

Farmer $\rightarrow F_a$

Fox $\rightarrow F_o$

Goat $\rightarrow G_1$

Grass $\rightarrow G_{12}$

Start

River

O

F_a, F_o, G_1, G_{12}

F_o, G_{12}

F_o

$F_a F_o G_1$

G_1

$F_a G_1$

O

$\xrightarrow{F_a, G_1}$
 $\xleftarrow{F_a}$

$\xrightarrow{F_a G_{12}}$

$\xleftarrow{F_a G_1}$

$\xrightarrow{F_a F_o}$

$\xleftarrow{F_a}$

$\xrightarrow{F_a G_1}$

$F_a G_1, G_{12}$

G_{12}

$F_a F_o G_{12}$

$F_o G_{12}$

$F_a F_o G_1, G_{12}$
Goal State

3 Missionaries and 3 Cannibals Problem

Condition:

(i) On any side of river. No. of cannibals (C) should not be more than no. of missionaries (M). Otherwise C will hunt M.

(ii) Boat has capacity of two person. Notation:

Notation:

For missionaries $\rightarrow M$

For cannibals $\rightarrow C$

Start	River	Goal
Page	3M 3C	0
Step 1	3M 1C	$\xrightarrow{2C}$ 2C
Step 2	\xleftarrow{C} 3M 2C	1C
Step 3	$\xrightarrow{2C}$ 3M	3C
Step 4	\xleftarrow{C} 3M 1C	2C
Step 5	$\xrightarrow{2M}$ 1M 1C	2M 2C
Step 6	$\xleftarrow{1M 1C}$ 2M 2C	1M 1C
Step 7	$\xrightarrow{2M}$ 3M 1C	3M 1C
Step 8	\xleftarrow{C} 3C 2M	3M
Step 9	$\xrightarrow{2C}$ 3M 2C	3M 2C
Step 10	\xleftarrow{C} 3M 1C	3M 1C
Step 11	$\xrightarrow{2C}$ 0	3M 3C Goal State

Unit - 3

Generators and Tester

Generator \rightarrow generates possible solⁿ

↓
two ways

(1) random \rightarrow easy way to search
doesn't guarantee goal state
it picks any solution

(2) systematic \rightarrow completeness

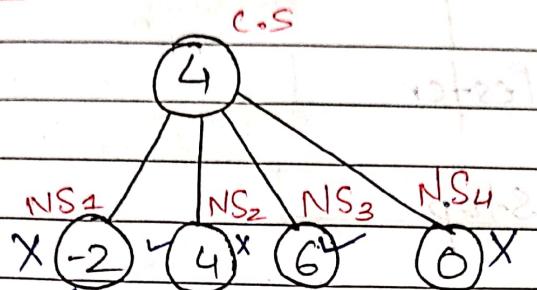
also known as DRS

Tester \rightarrow test the funⁿ or solution
whether it is acceptable or not

if not, then again go to the generators
Tester will show we are on right path or
not by saying yes or no.

→ from current state (c.s.) generator will generate the next state (n.s.) then the tester will check whether the c.s. is better or n.s. is better to each other.

→ T.S \rightarrow C.S \rightarrow N.S

example :

this 4 is 6 is best
is not better than -2 and 4 and 2
good state than -2 for tester

None, 6 will become C.S.

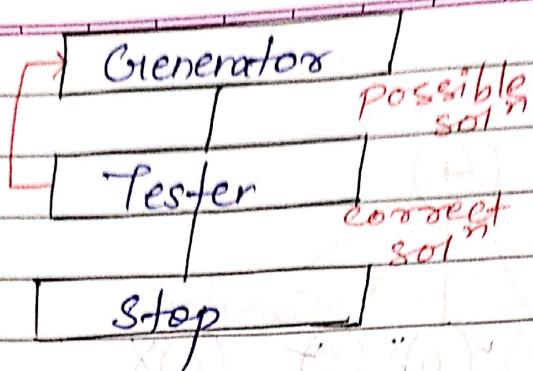
Generate and Test

Generate and Test search algorithm is a very simple algorithm that guarantees to find a solution if done systematically. There exists a solution.

Generator-Test is applying method of searching goal state even an initial state. It consists of two function

- 1) Generator
- 2) Tester

"Generator fun" generates a possible next move node while the "tester fun" compares the next state with acceptable goal state and report with yes/no to indicate whether the goal state is reached.



- The generate and Test algorithm is DRS with back tracking since complete solution must be generated before they can be tested.
- In its most systematic form it is simply an exhausting search of the problem space.
- Generate and Test, operates by generating solution randomly, but then there is no guarantee that a solution will ever be found. It is also known as British museum algorithm, a reference to a method for finding a object in a british museum by wandering randomly, but some path are not considered because these seem unlikely to have to a solution. This evolution is performed by heuristic function.

Characteristics:

- It takes less time as next state are generated randomly.
- It takes lot of time if a systematic generates tester is used with DFS.
- DFS guarantees that a solution would be found quickly.
- Random search didn't consider those paths which seem unlikely to have a solution.
- The evolution by tester function is performed using heuristic function.

Hill Climbing

- In Hill Climbing if the test fun" is augmented with a heuristic function that provides an estimate of how close a given state is a goal state.
- Hill climbing is often used when a good heuristic function is available for evaluating states but when no other useful knowledge is available.

e.g.

suppose you are unfamiliar city without a map and you want to get downtown. You simply aim for tall buildings.

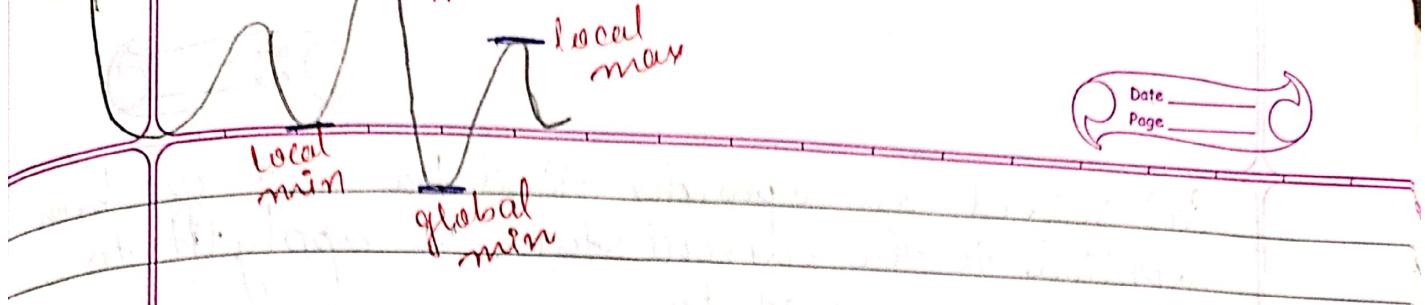
Hill Climbing Technique:

- 1) Simple hill climbing.
- 2) Steepest Ascent hill climbing.

Introduction of Hill-Climbing:

- Hill Climbing algorithm is a local search algorithm which continuously moves in the direction of increasing value to find the peak of the mountain or best solution of the problem.
- It terminates when it reaches a peak value where no neighbour has a higher value.

(The neighbour (next move) value should be best when we move ahead)



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- It is also called greedy local search as it only looks to its good immediate neighbour state and not beyond that.
- Hill climbing is mostly used when a good heuristic is available and when no other useful knowledge is available.

$$Eva = T + G.H$$

↑ ↑ ↑
 evaluation fitter good heuristic
 function

Features:

- Less time consuming
- no back tracking
- Less optimal sol¹ & sol² is not guaranteed.

Algorithm: Simple Hill Climbing:

- 1) Evaluate the initial state. If it is also a goal state, then return it and quit. Otherwise, continue with the initial state as the current state.
- 2) Loop until a solution is found or until there are no new operations left to be applied in the current state:

(a) Select an operator that has not yet been applied to the current state & apply it to produce a new state.

(b) Evaluate the new state

(i) If it is a goal state, then return it & quit.

(ii) If it is not a goal state but it is better than the current state, then make it the current state.

(iii) If it is not better than the current state, then continue in the loop.

Start

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Consider I.S.
apply Test
function

$$T_e \\ I.e. = G.e.(9)$$

Yes

No

quit
with
Success

apply
evaluation
function

C.S. \leftarrow I.S.

Select any
operator &
apply to
generate a N.S.

Apply Test
function

$$\begin{cases} \text{Yes} & \text{N.S.} = \text{G.S.} \\ \text{No} & \end{cases}$$

quit
with
Success

Apply
evaluation
function

$$\begin{cases} \text{Yes} & \text{I.S.} \leftarrow \text{I.S.} \\ \text{No} & \begin{cases} \text{F(N.S.)} \geq \\ \text{F(G.S.)} \end{cases} \end{cases}$$



Steepest-Ascent Hill Climbing :

→ A useful variation on simple hill climbing considers all the moves from the current state and selects the best one as the next state. This method is called steepest-ascent hill climbing or gradient search.

Algorithm: Steepest-Ascent Hill Climbing

1. Evaluate the initial state. If it is also a goal state, then return it and quit. Otherwise, continue with the initial state as the current state.
2. Loop until a solⁿ is found or until a complete iteration produces no change to current state:
 - (a) Let SUCC be a state such that any possible successor of the current state will be better than SUCC.
 - (b) For each operator that applies to the current state do:
 - (i) Apply the operator and generate a new state.
 - (ii) Evaluate the new state. If it is a goal state, then return it and quit. If not, compare it to SUCC. If it is better, then set SUCC to this state. If it is not better, leave SUCC alone.
 - (c) If the SUCC is better than current state, then set current state to SUCC.

→ It is exhaustive and follows BFS.

1) In C.S we apply operators and the worst value (best move) is called successor.

2) Then the successor compare ~~itself from~~ ^{DM Page} next state.

3) Then we will check whether the N.S. have best value than successor.

→ If any N.S. is better than successor then that N.S will become new successor and that will compare with C.S.

→ And at last the new successor will become the C.S.

→ Iteration and current state change honai khatam tho search khatam.



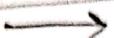
example. of Simple Hill Climbing :

Init.

2	8	3
1	6	4
7	5	

Goal.

1	2	3
8		4
7	6	5



Here. I.S. = C.S.

$$h(C.S.) = 6$$

1	2	3	4	5	6	7	8
1	1	0	0	1	1	0	2

Check. $F(C.S.) \leq F(N.S.)$

2	8	3
1	6	4
7	5	

8
2
8
3
1
6
4
7
5
4
6

2	8	3
1	4	
7	6	5

5
2
8
3
1
6
4
7
5
4
6
2
8
3
1
6
4
7
5
4
6

$C.S. \circ_1$ heuristic is less than $C.S.$ above

2	3
1	8
7	6

3
2
8
3
1
4
7
6
5
4
5
2
8
3
1
4
7
6
5
4
5
2
8
3
1
6
4
7
5
4
5
2
8
3
1
6
4
7
5
4

2 1 0 0 0 0 0 2

1 1 0 0 0 0 1

1 1 0 1 0 0 2

1 1 0 0 0 1 0 2

(4)

2	3	
1	8	4
7	6	5

(2)

2	3	
1	8	4
7	6	5

1 0 0 0 0 0 1

1 1 1 0 0 0 0 1

(1)

1	2	3
8	4	
7	6	5

(3)

2	3	
1	8	4
7	6	5

1 1

(6)

1	2	3
8	4	
7	6	5

(2)

1	2	3
7	8	4
6	5	

(2)

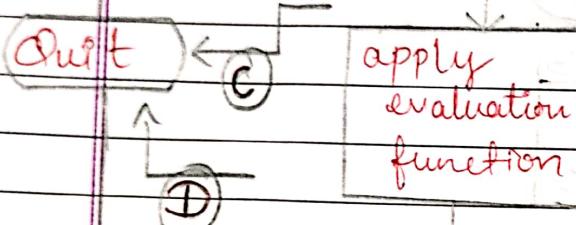
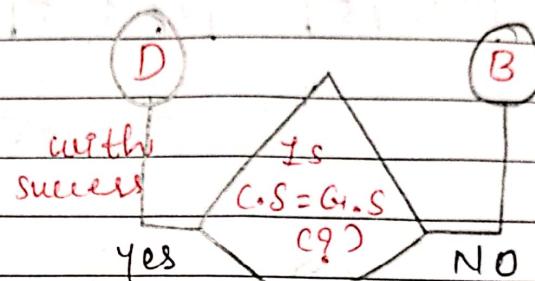
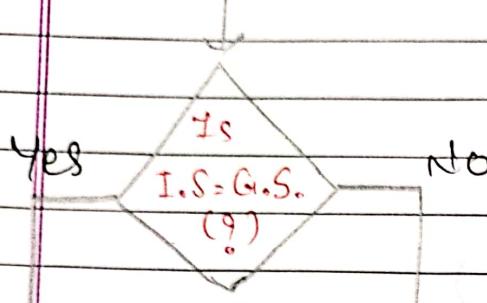
2	3	
1	8	4
7	6	5

Goal State

Start

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Take I.S.
and apply
test function



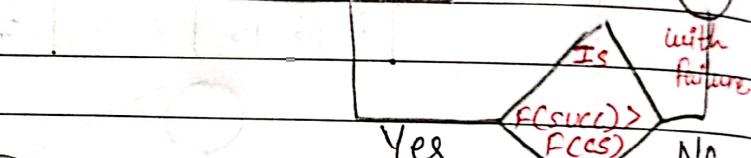
$C.S \leftarrow S U C C$

$C.S \leftarrow I.S$

generate possible successor of current state

Select SUCC which is worst of all successors

consider current state and then select an operator & apply generate N.S.



operator over (?)

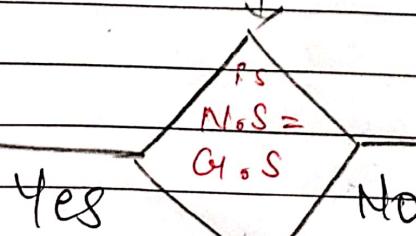
$S U C C \leftarrow N.S.$

$N.S$

$F(N.S) > F(S U C C)$ (?)

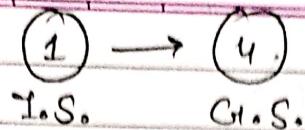
Yes

apply evaluation function



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example:



steepest ascent →
ascent

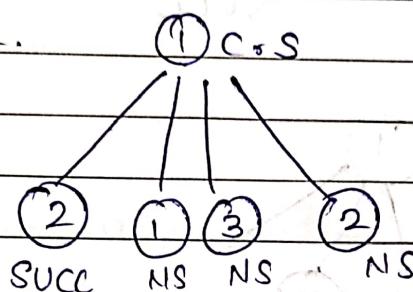
Step-1.

(1) I.S.

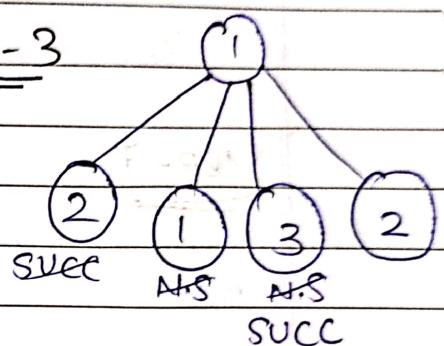
↓ No

(1) C.S.

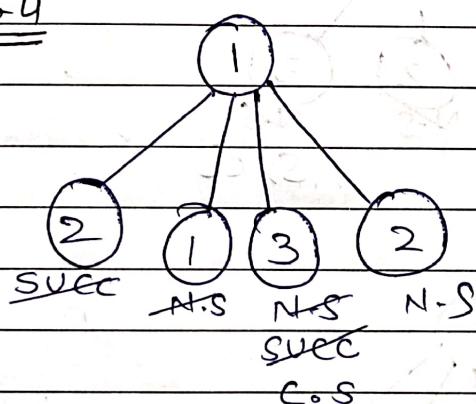
Step-2.



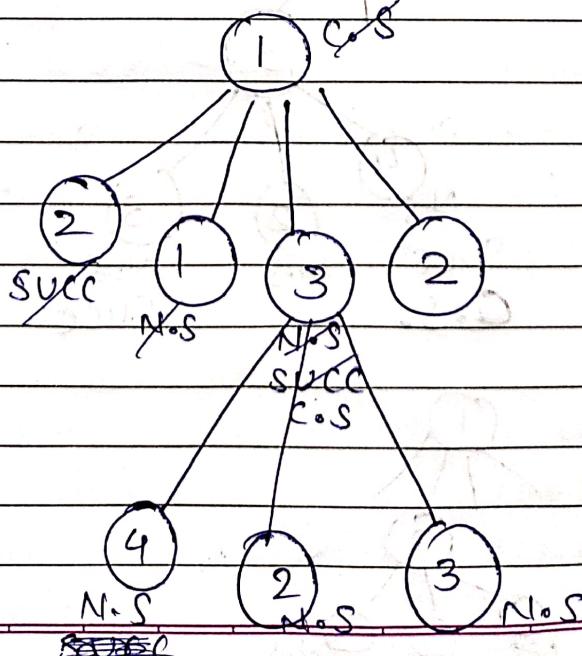
Step-3



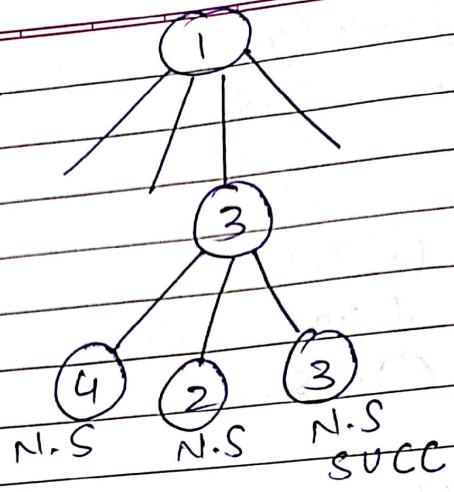
Step-4



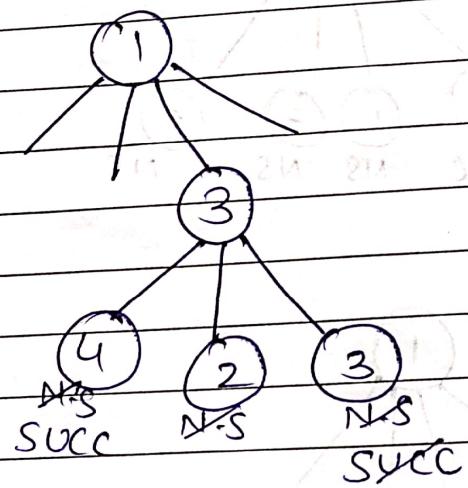
Step-5



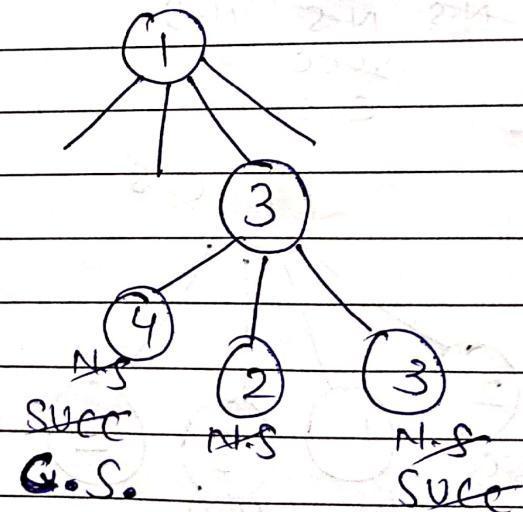
Step-6



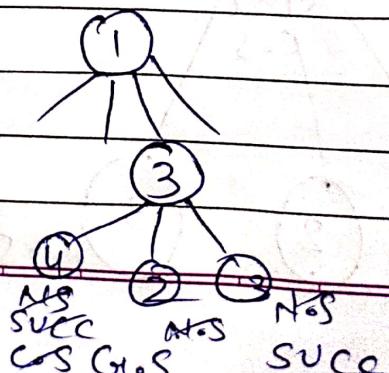
Step-7



Step-8



Step-9



- It is a variation of simple Hill Climbing technique.
- It considers all the moves from the current state instead of moving to the first state i.e. better, move to the best possible state i.e. one move away.
- It does not just climb to a better state but climbing up the steepest slope.
- It has elements of the breadth first algorithm.

Note:

Steepest ascent differs from the basic Hill Climbing algorithm by choosing the best successor or rather than the first successor i.e. better.

Common Issue:

- It cannot backtrack to its parent node.
- If it gets stuck in the local maxima/minima, then nothing can help it to get out of that situation.
- A plateau is a flat area of the search space in which a whole set of neighboring states have the same value. On a plateau, it is not possible to determine the best direction in which to move by making local comparisons. (straight area)



- A ridge is a special kind of local maximum. It is an area of the search space that is higher than surrounding areas and that itself has a slope (which one would like to climb). But the orientation of the high region, compared to the set of available moves and the directions in which they move, makes it impossible to traverse a ridge by single moves.

(1) A state that is better than all of its neighbours but not than some other states far away.

Solⁿ: backtracking technique can be solution of local maxima or minima.

(2) plateau: A flat area of the search space in which all neighbouring states have the same value for that algorithm does not find any best direction to move.

Solⁿ: The solution is to take big steps or very little step while searching to solve problems.

(3) ridge: A small small peaks:
The orientation of high region compare to the sets of available move make it impossible to climb up.

Solⁿ: at the same time move in all directions and check which is better next state or which state is better.

Block word problem:

Points to remember:

→ Add one point for every block i.e. resting on the thing. It is supposed to be resting on it.

→ Subtract one point for every block i.e. sitting on the wrong thing.

→ not more than three blocks on ground.

Rules → at a time one block can move.

G.O.S.:

H
G
F
E
D
C
B
A

T.O.S.:

A
H
G
F
E
D
C
B

$$h(G.O.S.) = 8$$

$$h(T.O.S.) = 4$$

So, we will quit the game with failure.

There are

total

3 possibility

for next

state

but all

+1	H
+1	G
+1	F
+1	E
+1	D
+1	C
-1	B

A

three are
not better
more

$$h(N.S.) = 6$$

* → optimal solution

use in

A Algorithms:

- A* is a cornerstone stone name of many AI system.
- It is based on Best first Search algorithm.
- A* search finds the shortest path through a search space to a goal state using heuristic function.
- This technique finds minimal cost solutions to reach to a goal state.
- In A* the symbol * represent optimality
- A* requires heuristic function to evaluate the cost of path that passes through the particular state.

$$f'(n) = g(n) + h'(n)$$

where,

$g(n)$ = actual cost to reach n .

$h'(n)$ = estimate of cost to reach goal from n .

$f'(n)$ = estimate of total cost along path through n .

Best First Search: DFS & BFS

[most promising
a node successor]

Algorithm:

① Start with OPEN containing just the initial state

OR graph → multiple path to solve problem
but we want optimal.
→ maintain list
→ easily track by parent node

② Until a goal is found or there are no nodes left on OPEN do:

(a) Pick the best node on OPEN.

(b) Generate its successors.

(c) For each successor do:

(i) If it has not been generated before, evaluate it, add it to OPEN, and record its parent.

(ii) If it has been generated before, change the parent if this new path is better than the previous one. In that case, update the cost of getting to this node and to any successors that this node may already have.

$$f' = g + h'$$

where

g = cost of getting from the initial state to the current node.

h' = an estimate of the additional cost of getting from the current node to a goal state.

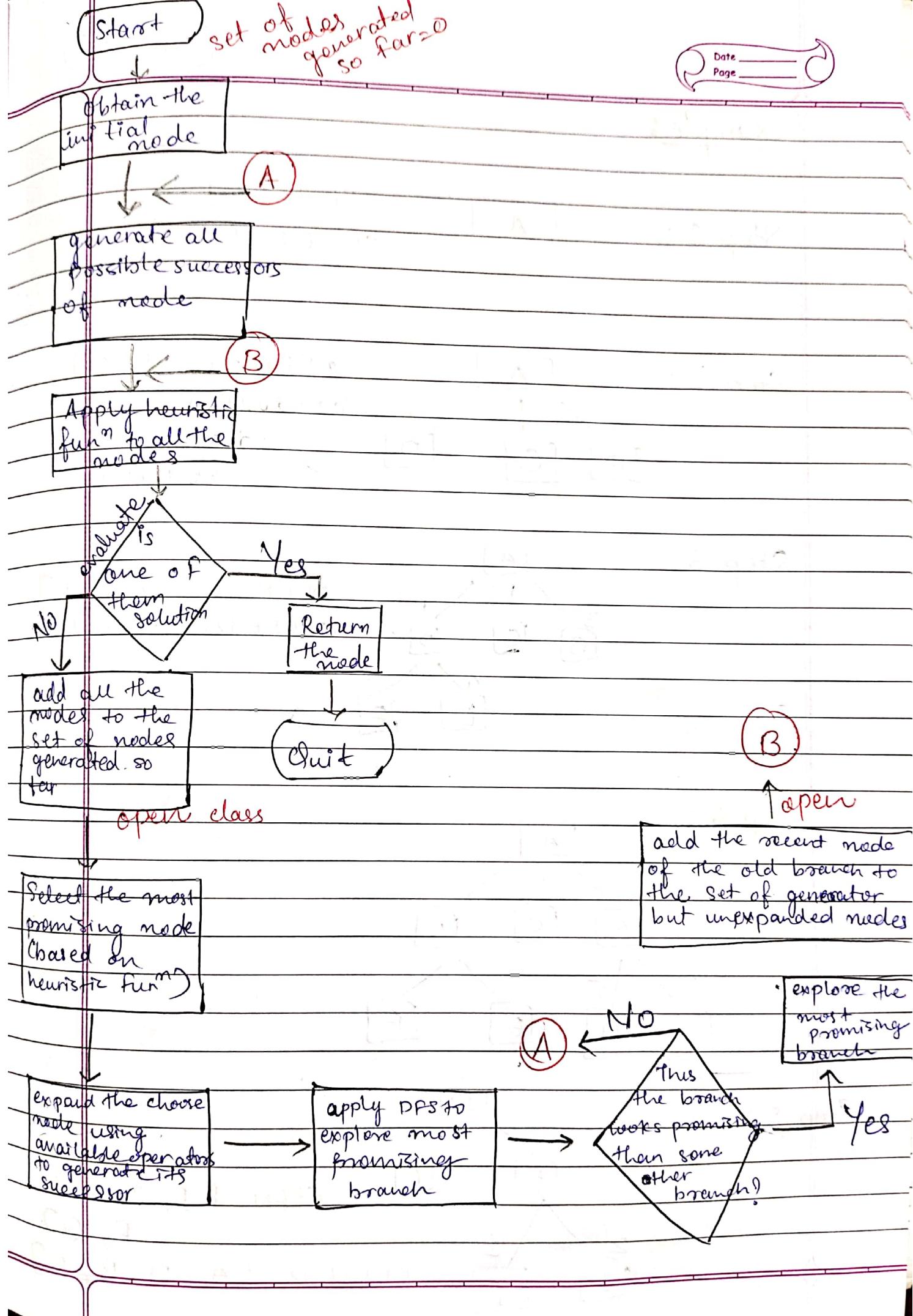
We need two lists of nodes: ~~list that we have to use~~ through our problem

OPEN:

nodes that have been generated and have the heuristic function applied to them but which have not yet been examined.

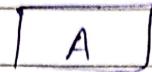
CLOSED:

nodes that have already been examined.



example:

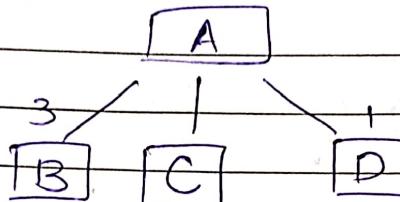
Step 1 :



OPEN₂[A]

CLOSED₂[]

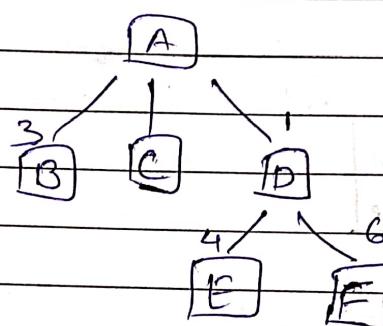
Step 2 :



OPEN₂[D B C]

CLOSED₂[A]

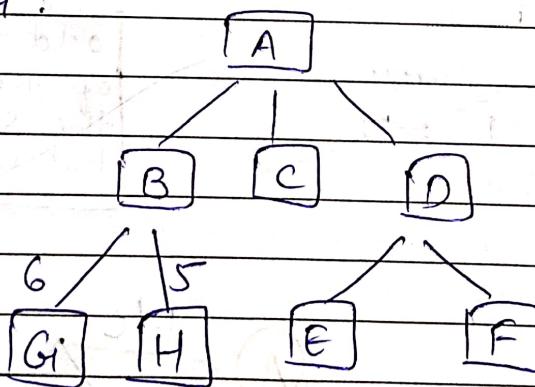
Step 3 :



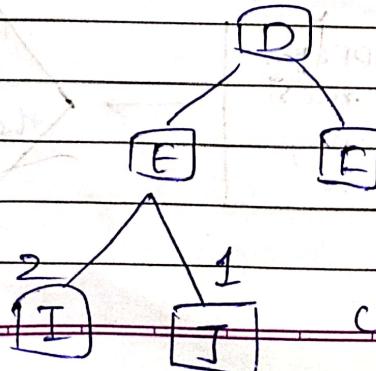
OPEN₂[B F C P]

CLOSED₂[A D]

Step 4 :



Step 5 :



OPEN₂[J, T, C, H,

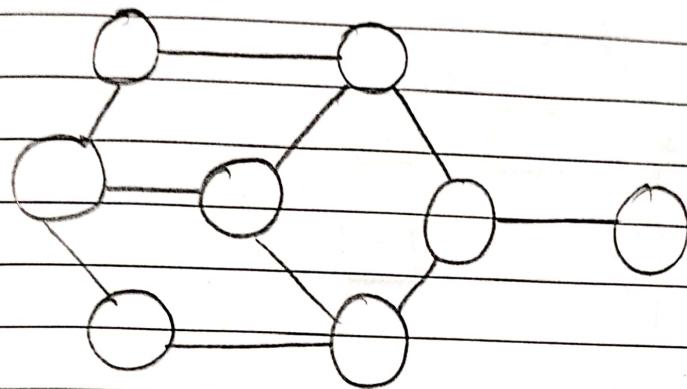
F, G]

CLOSED₂[A, D, B, E]

A* Algorithm:

$h(n)$ is the heuristic value (estimate value)
 $g(n)$ is the distance between two node lie (actual value)

example:



1.

S

Queue

S

2.

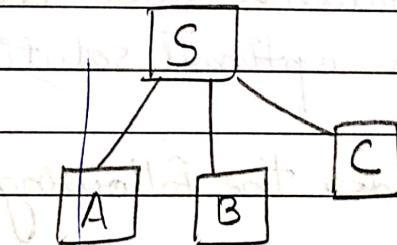
S

Queue

SC

SA

SB



3.

S

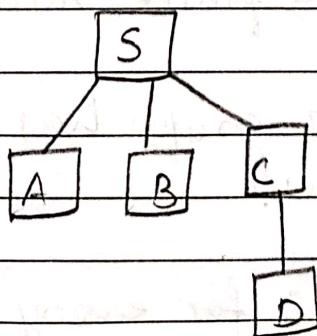
Queue

SA

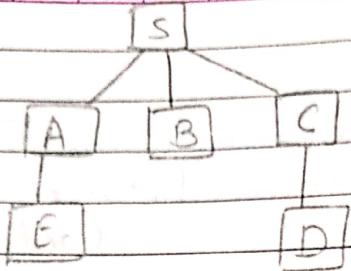
SC

SD

SB



4.



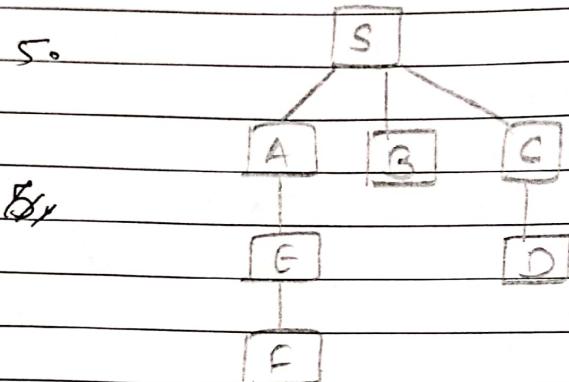
Queue

SAE

SCD

SB

5.



A^* search properties

admissible \rightarrow The algorithm is A^* is admissible, this means that provided a solution exist the 1st solution found by A^* is an optimal solution

A^* is admissible under the following conditions:

- In the state space graph
 - every node has a finite number of successors
 - every arc in the graph has a cost greater than some $\epsilon > 0$
 - heuristic function: for every node small $h^*(n) \leq h(n)$.

Complete A* is also complete under the above condition.

Let us consider the following example:

Given a binary tree with root node R.

Let us assume that the left child of R is L and the right child of R is R'.

Let us further assume that L is a complete binary tree and R' is a full binary tree.

Let us further assume that L has height h and R' has height h'.

Let us further assume that L has m nodes and R' has n nodes.

Let us further assume that L has m' children and R' has n' children.

Let us further assume that L has m'' children and R' has n'' children.

Let us further assume that L has m''' children and R' has n''' children.

Let us further assume that L has m'''' children and R' has n'''' children.

Let us further assume that L has m''''' children and R' has n''''' children.

Let us further assume that L has m'''''' children and R' has n'''''' children.

Knowledge Representation

Date _____
Page _____

Data

↓
Info

↓
know.

↓
Wisdom

1) Propositional / propositional logic

Characteristic

→ simple to deal

→ It is able to represent "some" real world facts (dynamic)

→ always written in Capital letter.

e.g. This is a man = MAN

The sun is rising = SUNRISING

Man is mortal = MORTALMAN

Advantages

- It is easy to represent & understand as well
- It require less memory.

Disadvantages

- It is very hard to distinguish between name and characteristic.

e.g.

Virat Kohli is a cricketer = CRICKTER

VIRAT KOHLI

- Fails to capture the relationship of the real world facts.

Solution: To predicate logic of 1st order predicate logic - it can represent real world facts is the relationship between the entity and other thing.

e.g. The sun is rising

(Rising)(Sun)

↑ predicate ↑ argument

e.g. Man is mortal \Rightarrow Mortal (man)

e.g. Virat Kohli is a cricketer.

\rightarrow cricketer (virat kohli).

e.g. Sun is rising in the east.

\rightarrow rising (sun, east)

e.g. Virat Kohli is left handed cricketer.

\rightarrow cricketer (virat kohli, left handed)

① Today is a sunny day \Rightarrow Today (sunny day)

② I like robotics \Rightarrow likes (x, robotics)

③ John is brother of Alex \Rightarrow brother (John, alex)

④ John loves to play guitar \Rightarrow love-to-play
(John, guitar)

⑤ I scored 71 marks in AT \Rightarrow scored-at (x, 71)

By using symbol \rightarrow (Quantifiers). to quantify or calculate

universal
(apply to everyone / everybody)
symbol for all (\forall)

existential
symbol = \exists (there exist)

other symbol:

- " \rightarrow " \rightarrow if then condition (implication)
- " \wedge " \rightarrow and
- " \vee " \rightarrow or
- " \neg " \rightarrow not (negative (not like))

1) All man are mortal =

$$\forall x : \text{man}(x) \rightarrow \text{mortal}(x)$$

2) All students Likes AI =

$$\forall x : \text{student}(x) \wedge \text{Likes}(x, \text{AI})$$

\downarrow
represent facts not a condition

3) Ram Likes to eat all kind of food.

$$\forall x : \text{food}(x) \wedge \text{LikesToEat}(\text{ram}, x)$$

If all kind of food

$$\text{then } \forall x : \text{food}(x) \wedge \text{Likes}(\text{ram}, x)$$

4) All yellow mushrooms are poisonous.

$\forall x : \text{mushroom}(x) \wedge \text{colour}(x, \text{yellow}) \rightarrow \text{poisonous}(x)$

5) When it started raining all student carry umbrella.

$\forall x : \text{student}(x) \wedge \text{start}(\text{raining}) \rightarrow \text{carry}(x, \text{umbrella})$

6) Some purple mushrooms are poisonous.

$\exists x : \text{mushroom}(x) \wedge \text{colour}(x, \text{purple}) \rightarrow \text{poisonous}(x)$

7) Not all students have AI book.

$\exists x : \text{student}(x) \wedge \text{not}(\text{has}(x, \text{ai-book}))$

8) Some students do not have AI book.

$\exists x : \text{student}(x) \wedge \neg \text{has}(x, \text{ai-book})$

9) Mohan eats peanuts and goes to school.

$\text{eats}(\text{mohan}, \text{peanuts}) \wedge \text{go-to}(\text{mohan}, \text{school})$

$\text{eats}(\text{mohan}, \text{peanuts}) \wedge \text{go-to-school}(\text{mohan})$

10) Venus is near sun but does not have tail

$\text{near}(\text{venus}, \text{sun}) \wedge \neg \text{has}(\text{venus}, \text{tail})$

11) Anything anyone watches in multiplex is a movie.

$\forall x : \forall y : \text{person}(x) \wedge \text{thing}(y) \wedge \text{watch-in-multiplex}(x, y) \rightarrow \text{movie}(y)$

12) Alex watches terminators in multiplex

watches - in-multiplex (x,y)

alex ↑ terminators

① Hardik Pandya is an all rounder cricketer who stays at Baroda.

→ cricketer (Hardik Pandya) \wedge all rounder (Hardik Pandya) \wedge stay (Hardik Pandya, Baroda)

② Everyone is loyal to someone.

→

③ Laxman eats everything that ram eats.

→ $\forall x : \forall y : \text{Food}(x) \wedge \text{eat}(\text{ram}, x) \rightarrow \text{eat}(\text{lax}, x)$

④ Anything anyone eats and is not killed by a food.

→ $\forall x : \forall y : \text{person}(x) \wedge \text{thing}(y) \wedge \text{eat}(x, y) \wedge [\text{not_killed_by}(x, y) \rightarrow \text{food}(y)]$

is _not_killed_by (x,y) \rightarrow food(y)

One who knows riding does not know skating.

$\forall x : \text{person}(x) \wedge \text{knows}(x, \text{riding}) \rightarrow \neg \text{knows}(x, \text{skating})$

(1) Jack went to school and brought maggie in lunch box.

$\rightarrow \text{go to}(\text{Jack}, \text{school}) \wedge \text{brought}(\text{maggie}(\text{Jack}), \text{lunch box})$

(2) While laughing sue fell in swimming pool and does not know swimming.

$\rightarrow \text{laughing}(\text{sue}) \wedge \text{fell in swimming pool}(\text{sue}) \wedge \neg \text{knows}(\text{sue}, \text{swimming})$

(3) All those who did not prepare for the test are absent in the class.

$\rightarrow \text{All } x (\text{person}) \wedge \neg \text{prepare}(x, \text{test}) \rightarrow \text{absent}(x, \text{class})$

(4)

Story.

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- (1) Ram was mighty a king.
→ King (Ram, mighty).
- (2) Ram has a crown on his head.
→ has crown (Ram, head)
- (3) The crown has beautiful multicolour gems on it.
(multicolour, gem) \wedge (beautiful, gem) \cdot (gem, on a- crown)
- (4) All courtiers are attracted towards ram's crown.
→ All (courtiers) \wedge x: courtiers (x) \wedge attracted towards (x , crown)
- (5) Ram slept in night and next morning found his crown missing.
→ x: (slept, night) \wedge time (next morning) \wedge find (
- (6) Ram's instruct the chief minister to investigate.
→ instruct (Ram, chief minister) \wedge chief minister (investigate)
- (7) The chief minister suspect three courtiers Rohan, Shyam and Mohan.
→ courtiers (Ram) \wedge courtiers (Shyam) \wedge courtiers (Mahan)
 \wedge suspect (chief minister, Ram) \wedge suspect (chief minister, Shyam) \wedge suspect (chief minister, Mohan)

Story Time

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if it croaks and eats flies it is a frog.

Hx: frog \wedge croaks \wedge eats (flies) \rightarrow (frog)

IF it chirps and sings then it is canary

Hx: canary \wedge chirps \wedge sings \rightarrow (canary)

A frog is green in colour.

Hx: frog \rightarrow (green, colour)

Canary is yellow in colour.

Hx: canary \rightarrow (yellow, colour)

Fritz croaks and eats flies.

\rightarrow croaks (Fritz) \wedge eats (flies).

Ques. Find out what is colour of Fritz.

Green.

colour (Fritz, green)

↑ 3 substitute.

frog (Fritz)

↑ 1 substitute

croak (Fritz, eats (Fritz, flies))

↑ 5

NIL

(1) Steve only like easy courses.

→ $\forall x : \text{course}(x) \wedge \text{easy}(x) \rightarrow \text{likes}(\text{steve}, x)$

(2) Science courses are hard.

→ $\forall x : \text{course}(x) \wedge \text{department}(x, \text{science}) \rightarrow \text{hard}(x)$

(3) All courses in basket weaving department are easy.

→ $\forall x : \text{course}(x) \wedge \text{department}(x, \text{bw}) \rightarrow \text{easy}(x)$.

(4) BK301 is a basket weaving course.

→ $\text{course}(\text{BK301}) \wedge \text{department}(\text{BK301}, \text{bw})$

Clue: Which course Steve likes?

likes(Steve, BK301)

↑ (1, sub)

course(BK301) ∧ easy(BK301)

↑ 4 a

easy(BK301)

↑ (3, sub)

course(BK301) ∧ dep(BK301, bw)

↑ 4 sentence

NIL

(i) Marcus was a man.
man(marcus)

(ii) Marcus was a pompeian.
pompeian(marcus)

(iii) All pompeian were roman.
 $\forall x: \text{pompeian} \rightarrow \text{roman}(x)$

(iv) Caesar was a ruler.
ruler(caesar)

(v) All romans were either loyal to caesar or hated him.

$\forall x: \text{romans}(x) \rightarrow (\text{loyal_to } 'N(x) \text{ hate: caesar})$

(vi) Everyone is loyal to someone.
 $\forall x: \exists y: p(x) \wedge p(y) \wedge \text{loyal_to}(x,y)$

(vii) People only try to assassinate rulers they are not loyal to.

$\forall x: \forall y: \text{assassinate}(x,y) \rightarrow \neg \text{loyal_to}(x,y)$

(viii) marcus tried to assassinate caesar.
assassinate: (marcus, caesar).

(ix) Nero added fact

All man are person

$\forall x: \text{man}(x) \rightarrow \text{person}(x)$.

Ques: Was marcus loyal to ceasar.

person(marcus) \wedge ruler(ceasar) \wedge assassinate(marcus, ceasar) 7
loyal-to(marcus, ceasar)

↑ (7, sub)

person(marcus) \wedge ruler(ceasar) \wedge assassinate(marcus,
ceasar) 8
↑ (8, sub)

man(marcus) \wedge ruler(ceasar) \wedge assassinate(marcus,
ceasar) 9
↑ 8

man(marcus) \wedge ruler(ceasar)

↑ 4

man(marcus)

↑ 1

NIL

① John likes all kind of food.
 $\rightarrow \forall x: \text{Food}(x) \rightarrow \text{Likes}(\text{John}, x)$

② Apples are food.
 $\rightarrow \text{Food}(\text{apple})$

③ Anything anyone eats and is not killed by a food.

$\rightarrow \forall x: \forall y: \text{thing}(x) \wedge \text{person}(y) \wedge \text{eats}(y, x) \wedge \neg \text{killed-by}(y, x) \rightarrow \text{Food}(x)$

④ Bill eats peanuts and is still alive
 $\rightarrow \text{eats}(\text{bill}, \text{peanuts}) \wedge \text{alive}(\text{bill})$.
 q.a) eat(bill, p), q.b) alive(bill)

⑤ Sue eats everything that Bill eats.
 $\rightarrow \forall x: \text{Food}(x) \wedge \text{eats}(\text{bill}, x) \rightarrow \text{eats}(\text{sue}, x)$

Q. Prove that John likes peanuts.

Newly added facts

⑥ Bill is a person

$\rightarrow \text{person}(\text{bill})$

⑦ Peanuts is a thing

$\rightarrow \text{thing}(\text{peanuts})$

⑧ All who are alive are not killed by anything

$\rightarrow \forall x: \forall y: \text{person}(x) \wedge \text{thing}(y) \wedge \text{alive}(x) \rightarrow \neg \text{killed-by}(x, y)$

likes (john, peanut)

↑ (1, substitute)

food (p)
 ↑ peanut

↑ (3, substitute)

person (bill) ∧ thing (p) ∧ eats (b, p) ∧ ∃ killed-by (b, p)

↑ 4(a)

person (bill) ∧ thing (peanut) ∧ ∃ killed-by (bill, peanut)

↑ (7)

person (bill) ∧ ∃ killed-by (bill, p):

↑ (8) ∃ killed-by (bill, p)

↑ (8, substitute)

person (bill) ∧ thing (peanut) ∧ eat (bill, peanut) ∧ active (bill)

↑ (4)

person (bill) ∧ thing (peanut)

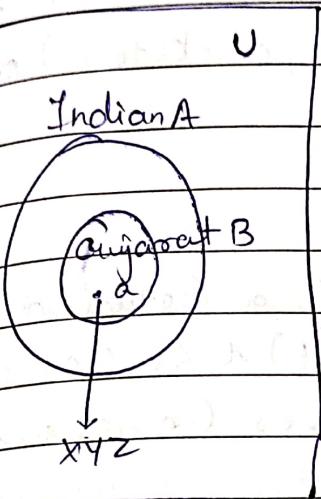
↑ (7)

person (bill)

↑ (6)

NIL

Concept Instance and is-a relationship



$\rightarrow BCA$

$\rightarrow BBA$

* If subset of class means = is a relationship

{ a instance B

{ a element of class

* If element of class means = instance

e.g.

① $\forall x: \text{cat}(x) \rightarrow \text{animal}(x)$.
Ba (cat, animal)

② animal (lucky)
instance (lucky, animal)

③ cat (lucky)
instance (lucky, cat)

④ Prasant is a singer
instance (Prasant, singer)

⑤ prasant is a classical singer.
instance (prasant, classical singer) 1 is a classical singer,
singer)

⑥ Rohit Sharma is a cricketer

instance (Rohit Sharma, all sounder (cricket)) 1 is a
call sounder, (cricketers) 1 is a
cricketer

⑦ I love AI.

instance (eric, student) 1 is a (student, person)

instance (ai, c.s subject) 1 is a (c.s subject,
subject) 1 loves (eric, ai).

⑧ Marcus was a man

instance (marcus, man) 1 is a (man, person)

⑨

Declarative
consist of
objects and
e.g. sun, e
→ It is also
descriptive
, in declarat
knowing ab
something
→ It is express
declarative
e.g.
↑ like to

Declarative

Procedural

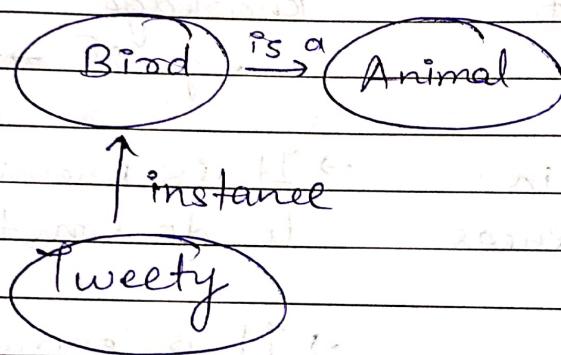
- consists of concepts, objects and facts.
e.g sun, earth.
- consists of rules and strategies applied to available facts, objects and concepts.
e.g if → then
sun → star
- It is also known as descriptive knowledge
- In declarative, it is knowing about something → also known as imperative knowledge
e.g if → then
- It is expressed in declarative sentences → It is knowing about how to do something
- e.g I like to cooking → It is expressed in the form of procedural steps
e.g How to cook a dish?
all steps are required

Semantic Network:

Def'n:

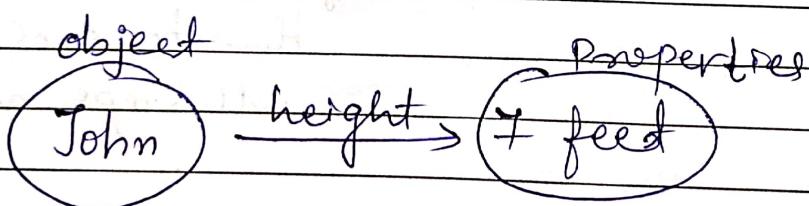
- Information is represented as set of nodes. Connected to each other by a set of labeled arcs which represents relationship among these nodes. This is known as Semantic Network.

e.g.

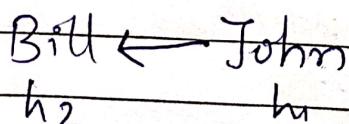
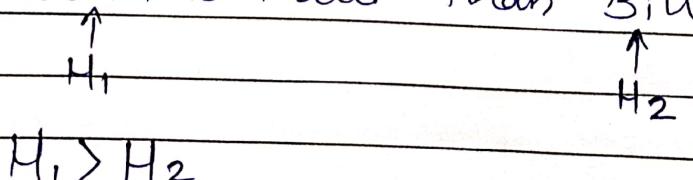


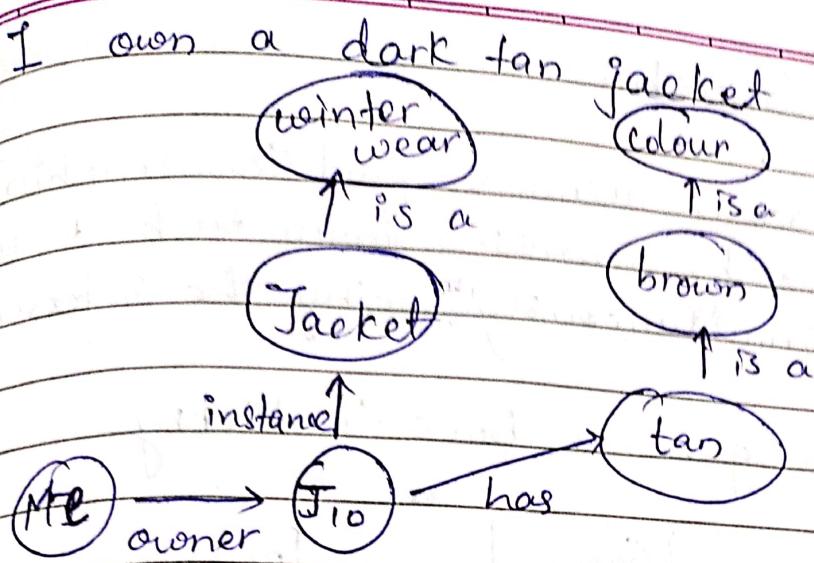
(Hierarchy) is
nested here

e.g. John is 7 feet tall

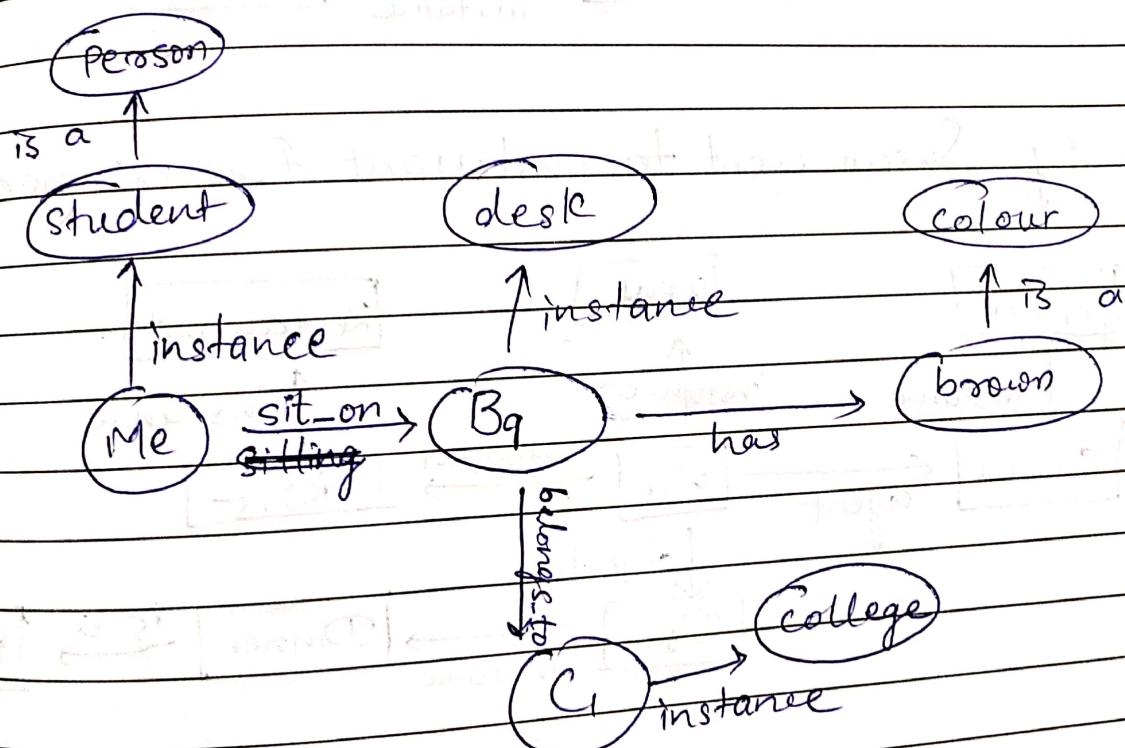


e.g. John is taller than Bill





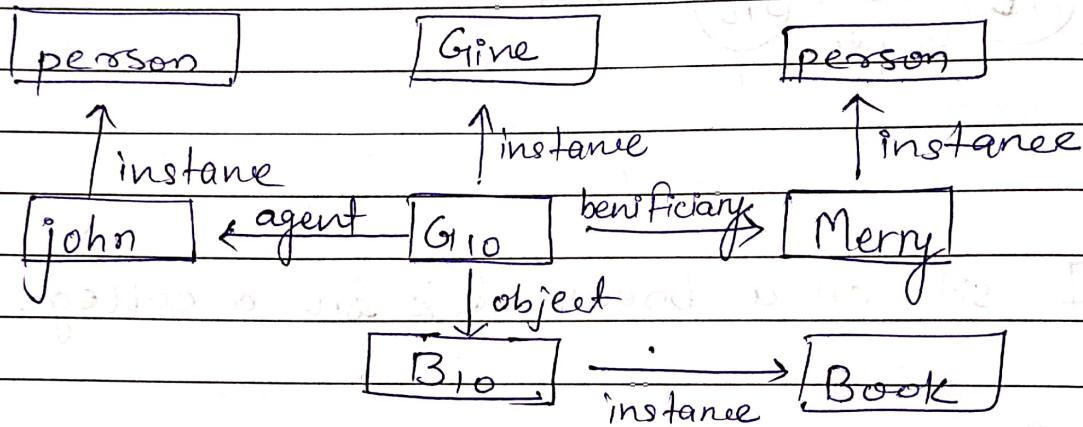
I sit on a brown desk in a college.



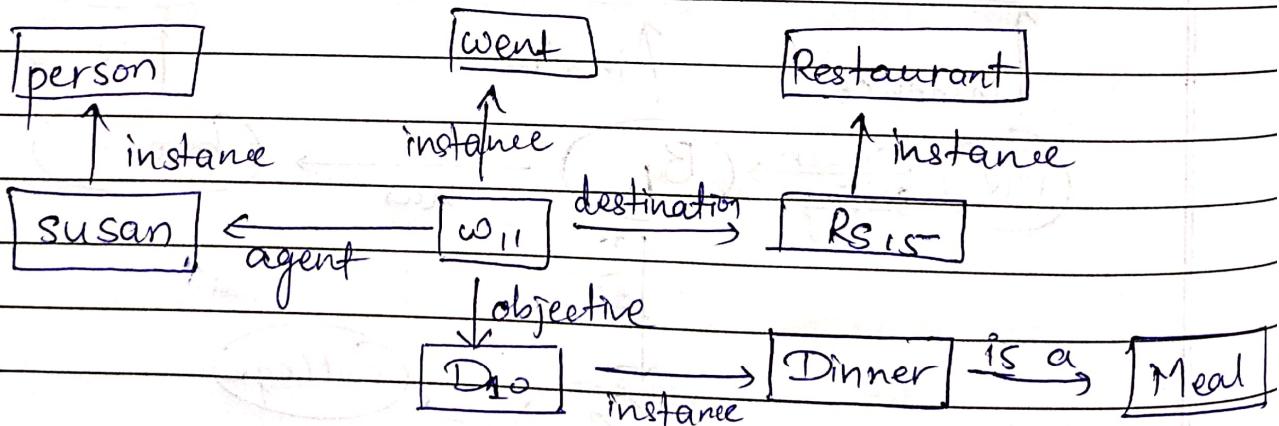
Intersection Search:

→ Intersection search allows to find Relationship among object by searching from each of the two nodes simultaneously seeing the intersection nodes.

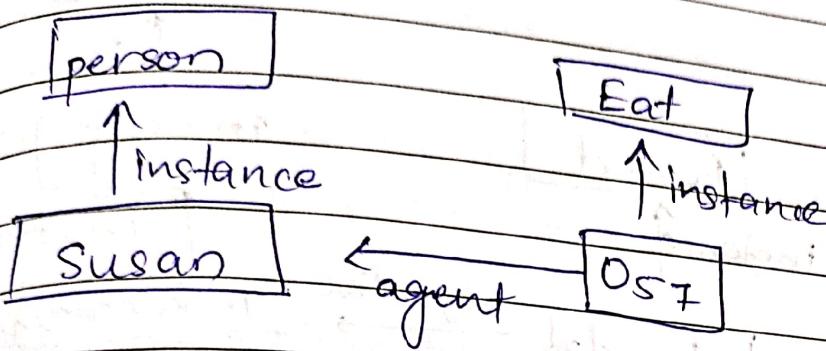
e.g. John gave a book to Merry.



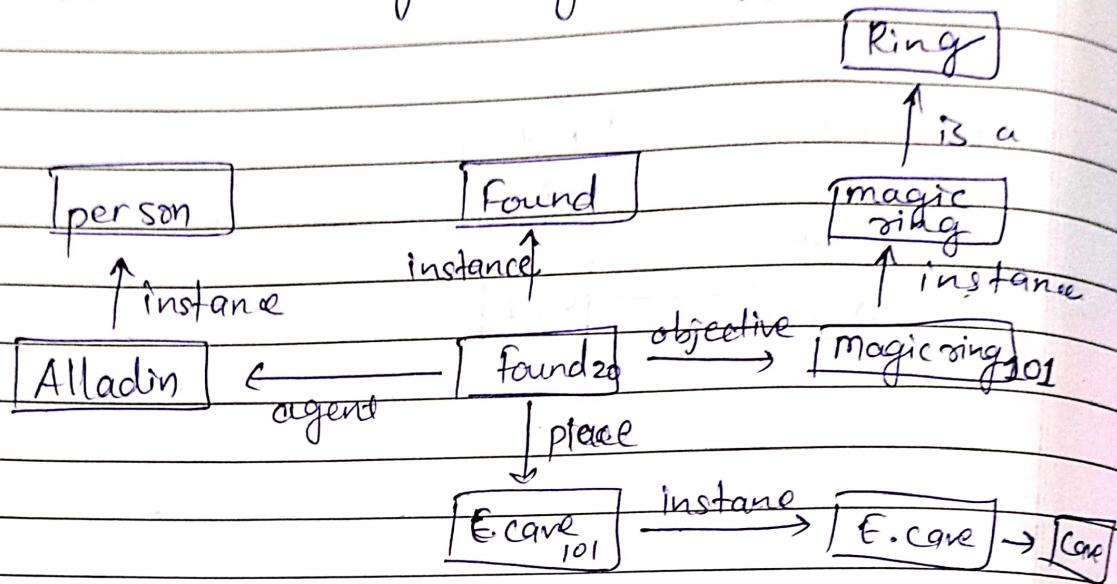
e.g. Susan went to restaurant for dinner.



Susan ordered manchurian noodles.



Alladin found magic ring in egyptian cave



The student give the exam. in main class

\Rightarrow A.S \rightarrow nahi ayege

\Rightarrow subset nahi bane ga

Everyone love to eat noodles.

The \rightarrow main set

every [quantifier] \rightarrow subset

a \rightarrow subset

Partitioned Semantic Net

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Drawbacks:

- ① It is easy to visualize.
- ② Related knowledge can easily be ~~calculated~~ clustered using connected nodes.
- ③ Representation of ^{this} junction is difficult in Semantic Net.
- ④ Quantified expression are difficult to represent like all or some.

Advantages

- Partition Network allows for expression to be quantified.

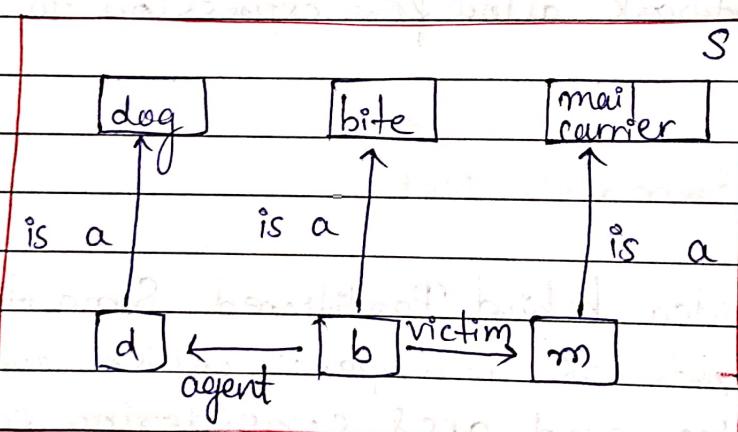
Partition Semantic Net

- The basic idea behind Partitioned Semantic Net is to break the network into spaces which consists of loop of nodes and arcs considering each space as a mode.

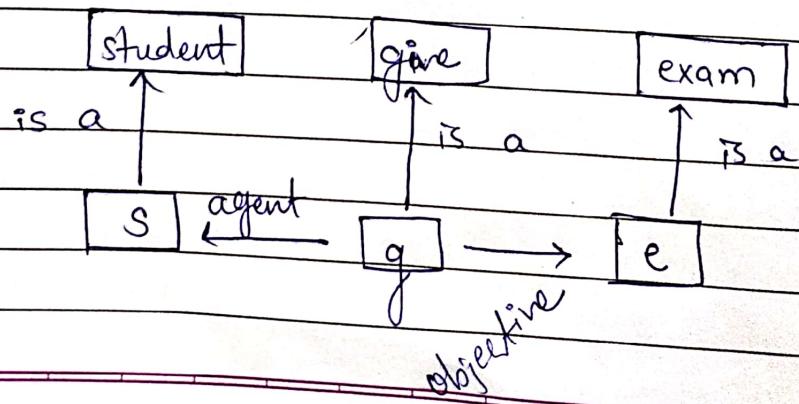
It is done as follows:

- ① Create a general statement GS.
- ② Make node g an instance of GS.
- ③ Every element will have two attributes
 - ① Form: which states what relationship exists between g and GS.
 - ② One or more v and F which represents quantification.

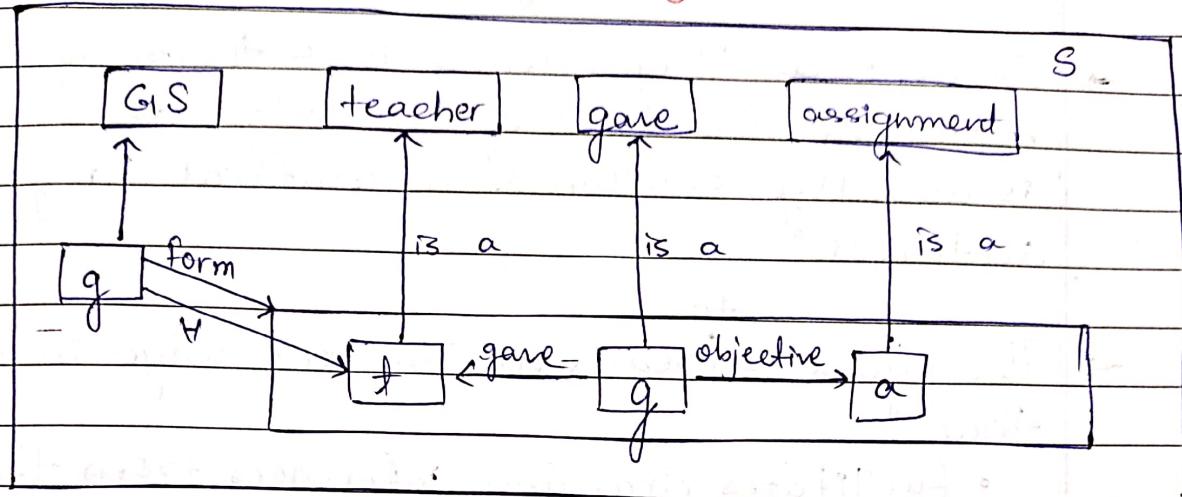
e.g. The dog bite the mail carriers.



e.g. The student give the exam.



e.g Every teacher gave an assignment.



Conceptual Dependency [CD]

- Conceptual Dependency is a theory of how to represent the kind of knowledge about events that is usually contained in natural language sentences.
- The goal is to represent the knowledge in a way that
 - facilitates drawing inferences from the sentences.
 - is independent of the language in which the sentences were originally stated

ATRANS → Transfer of an abstract relationship
(e.g. give)

PTRANS → Transfer of the physical location of an abs object (e.g. go)

PROPEL → Application of physical force to an object
(e.g. push)

MOVE → Movement of a body part by its owner
(e.g. kick)

GRASP → Grasping of an object by an actor
(e.g. clutch)

INGEST → Ingestion of an object by an animal (e.g. eat)

EXPEL → Expulsion of something from the body of an animal (e.g. cry)

MTRANS → Transfer of mental information (e.g. tell)

MBUILD → Building new information out of old (e.g. decide)

SPEAK → Production of sounds (e.g. say)

ATTEND → Focusing of a sense organ toward a stimulus (e.g. listen)

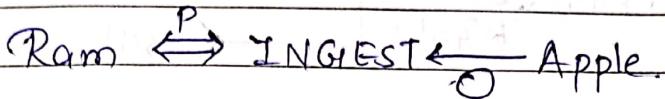
when purpose
desire something
then MTRANS

O → Object
P → past tense.
I → Instrument

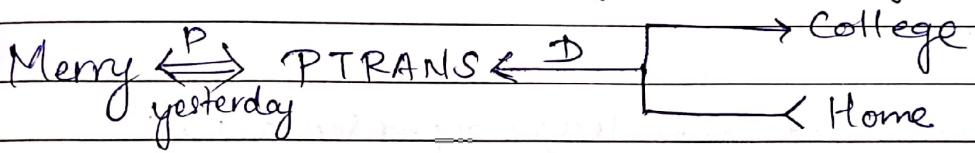
D → distance
Objective ^{Goal} means
purpose ^{Poss}

Example:

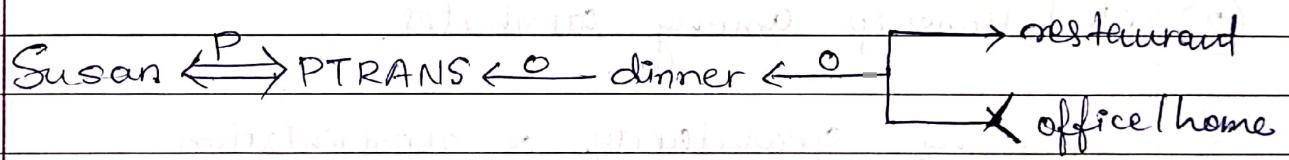
① Ram ate apple.



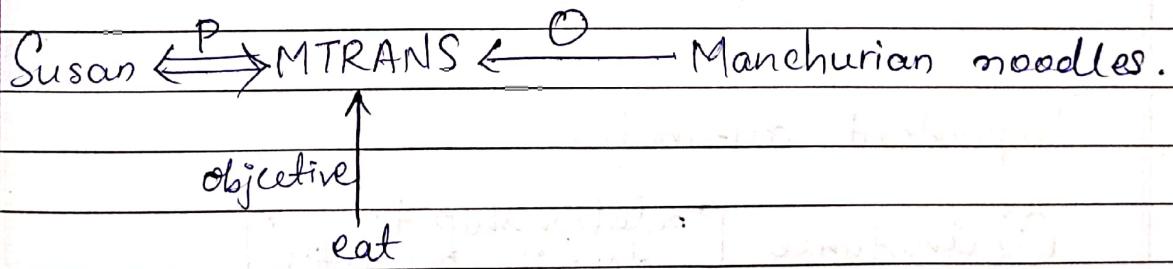
② Merry went to college yesterday.



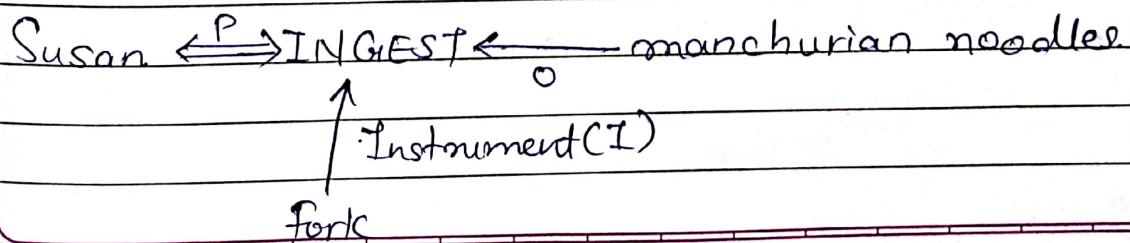
③ Susan went to restaurant for dinner.



④ Susan ordered manchurian noodles.

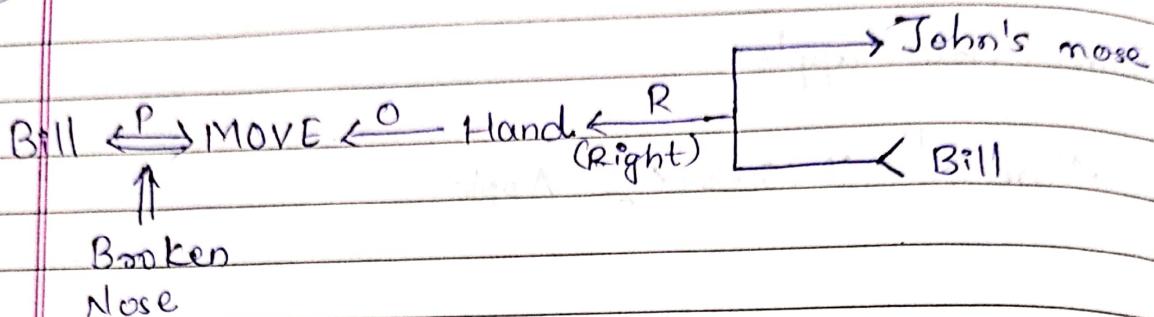


⑤ Susan ate manchurian noodles with a Fork.



(6)

Bill punched John with a broken nose



3 Issue of knowledge representation:

(1) Important attributes.

(2) Relationship among attributes.

(3) Choosing granularity of representation

↑ ↑
not fix level of
 knowledge/info

(1) Important attributes

(1) instance [relationship to
describe properties]

(2) is a relationship.

e.g. cricketer is a : cricket league
batting avg : 0.362

sachin

instance: cricketer

bats: right

batting avg: 0.456

team: India

uniform colour: Blue

① Level of abstraction of inheritance.

② All sentences cannot be represented using instances and is a relationship.

③ It depends on level of abstraction you want to achieve in knowledge representation