

➤ Gates

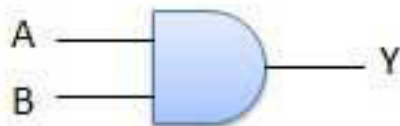
- Logic gates are the basic building blocks of any digital system.
- It is an electronic circuit having one or more than one input and only one output. The relationship between the input and the output is based on certain logic.

1. AND Gate

- A circuit which performs an AND operation is shown in figure. It has n input ($n \geq 2$) and one output.
- The AND gate produces the AND logic function, that is, the output is 1 if input A and input B are both equal to 1; otherwise the output is 0. The algebraic symbol of the AND function is the same as the multiplication symbol

$$\begin{array}{lcl} Y & = & A \text{ AND } B \text{ AND } C \dots\dots N \\ Y & = & A.B.C \dots\dots N \\ Y & = & ABC \dots\dots N \end{array}$$

Logic diagram



Truth Table

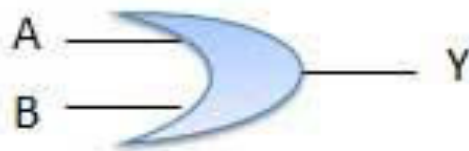
Inputs		Output
A	B	AB
0	0	0
0	1	0
1	0	0
1	1	1

2. OR Gate

- A circuit which performs an OR operation is shown in figure. It has n input ($n \geq 2$) and one output.
- The OR gate produces the inclusive-OR function; that is, the output is 1 if input A or input B or both inputs are 1; otherwise, the output is 0. The algebraic symbol of the OR function is +

$$\begin{array}{lcl} Y & = & A \text{ OR } B \text{ OR } C \dots\dots N \\ Y & = & A + B + C \dots\dots N \end{array}$$

Logic diagram



Truth Table

Inputs		Output
A	B	A + B
0	0	0
0	1	1
1	0	1
1	1	1

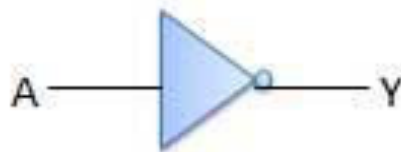
3. NOT Gate

- NOT gate is also known as Inverter. It has one input A and one output Y.
- The inverter circuit inverts the logic sense of a binary signal. It produces the NOT, or complement, function.
- The algebraic symbol used for the logic complement is a bar over the variable symbol.

$$Y = \text{NOT } A$$

$$Y = \overline{A}$$

Logic diagram



Truth Table

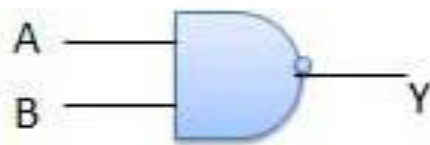
Inputs	Output
A	B
0	1
1	0

4. NAND Gate

- A NOT-AND operation is known as NAND operation. It has n input ($n \geq 2$) and one output.
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- The NAND function is the complement of the AND function, as indicated by the graphic symbol, which consists of an AND graphic symbol followed by a small circle.
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- The designation NAND is derived from the abbreviation of NOT-AND.

$$\begin{array}{lcl} Y & = & A \text{ NOT AND } B \text{ NOT AND } C \dots\dots N \\ Y & = & A \text{ NAND } B \text{ NAND } C \dots\dots N \end{array}$$

Logic diagram



Truth Table

Inputs		Output
A	B	\overline{AB}
0	0	1
0	1	1
1	0	1
1	1	0

5. NOR Gate

- A NOT-OR operation is known as NOR operation. It has n input ($n \geq 2$) and one output.
- The NOR gate is the complement of the OR gate and uses an OR graphic symbol followed by a small circle.

$$\begin{aligned} Y &= A \text{ NOT OR } B \text{ NOT OR } C \dots\dots N \\ Y &= A \text{ NOR } B \text{ NOR } C \dots\dots N \end{aligned}$$

Logic diagram



Truth Table

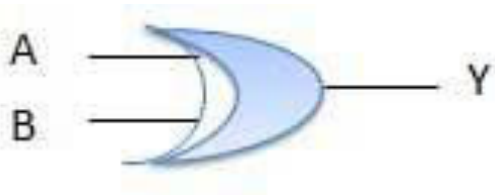
Inputs		Output
A	B	$\overline{A+B}$
0	0	1
0	1	0
1	0	0
1	1	0

6. XOR Gate

- XOR or Ex-OR gate is a special type of gate. It can be used in the half adder, full adder and subtractor. The exclusive-OR gate is abbreviated as EX-OR gate or sometime as X-OR gate. It has n input ($n \geq 2$) and one output.
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- The exclusive-OR gate has a graphic symbol similar to the OR gate except for the additional curved line on the input side.
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- The output of the gate is 1 if any input is 1 but excludes the combination when both inputs are 1.

$$\begin{aligned}
 Y &= A \text{ XOR } B \text{ XOR } C \dots\dots N \\
 Y &= A \oplus B \oplus C \dots\dots N \\
 Y &= \overline{AB} + \overline{AB}
 \end{aligned}$$

Logic diagram



Truth Table

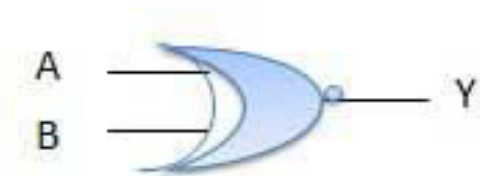
Inputs		Output
A	B	$A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

7. XNOR Gate

- XNOR gate is a special type of gate. It can be used in the half adder, full adder and subtractor. The exclusive-NOR gate is abbreviated as EX-NOR gate or sometime as X-NOR gate. It has n input ($n \geq 2$) and one output.
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- The exclusive-NOR is the complement of the exclusive-OR, as indicated by the small circle in the graphic symbol.
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- The output of this gate is 1 only if both the inputs are equal to 1 or both inputs are equal to 0.
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$$\begin{aligned}
 Y &= A \text{ XOR } B \text{ XOR } C \dots\dots N \\
 Y &= A \oplus B \oplus C \dots\dots N \\
 Y &= \overline{A B} + A B
 \end{aligned}$$

Logic diagram



Truth Table

Inputs		Output
A	B	$A \oplus B$
0	0	1
0	1	0
1	0	0
1	1	1