

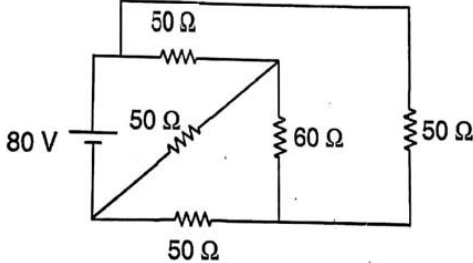
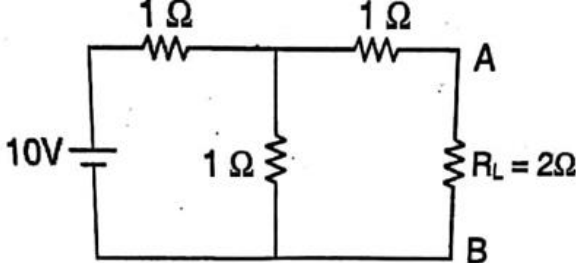
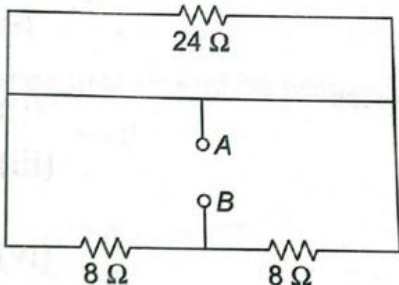
Curriculum Scheme: Rev2019

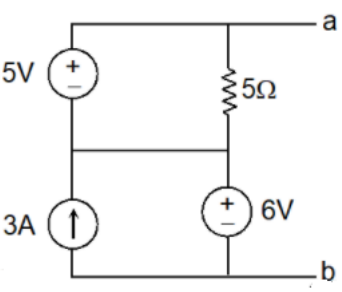
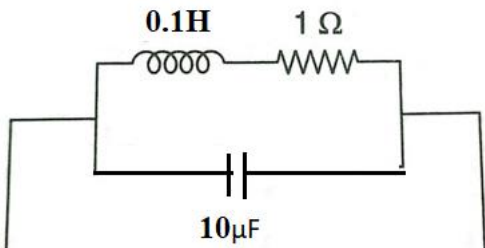
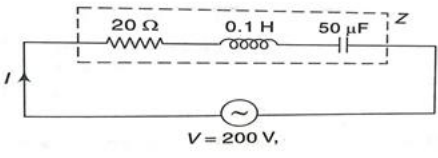
Examination: FE Semester I

Course Code: FEC105 and Course Name: Basic Electrical Engineering

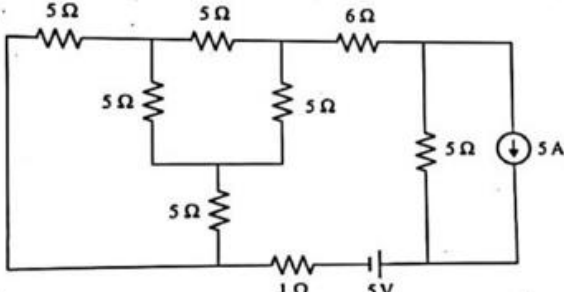
Time: 03 hours

Max. Marks: 80

<b>Q1.</b>	<b>Choose the correct option for following questions. All the Questions are compulsory and carry equal marks</b>
1.	<p>For the following circuit, what will be the Thevenin's equivalent resistance as seen from <math>60\ \Omega</math> resistor</p>  <p>a. <math>30\ \Omega</math> b. <math>40\ \Omega</math> c. <b><math>50\ \Omega</math></b> d. <math>60\ \Omega</math></p>
2.	<p>For the following circuit what will be Thevenin's equivalent voltage as seen from load resistor.</p>  <p>a. <math>3V</math> b. <math>4V</math> c. <b><math>5V</math></b> d. <math>6V</math></p>
3.	<p>For the given circuit find <math>R_{ab}</math></p>  <p>a. <b><math>4\ \Omega</math></b></p>

	b. $5\ \Omega$
	c. $6\ \Omega$
	d. $7\ \Omega$
4.	Find $V_{ab}$ 
	a. <b>11V</b>
	b. 12V
	c. 13V
	d. 14V
5.	For the given circuit, what is the frequency at which Impedance of the circuit will be maximum. 
	a. 149.14Hz
	b. 159.14Hz
	c. 169.14Hz
	d. <b>179.14Hz</b>
6.	For the given circuit, Find the frequency at which current is maximum 
	a. 61.61Hz
	b. <b>71.17Hz</b>
	c. 81.81Hz
	d. 91.91hz
7.	The voltage applied to a circuit is given by $v = 180 \sin(\omega t)$ and the resulting current is given by $i = 2 \sin(\omega t - 90^\circ)$ what is the average power taken by the circuit. a. 360W

	b. 180W
	c. 90W
	d. <b>0W</b>
8.	A series R-L-C circuit consists of $R = 5\Omega$ , $L = 10\text{mH}$ and $C = 50\mu\text{F}$ connected to single phase ac 230V, 50Hz supply. What is the nature of circuit?
	a. Resistive
	b. Resonating
	c. <b>Capacitive</b>
	d. Inductive
9.	For series RLC circuit $\phi = 0^\circ$ , the supply voltage is 100V. what is the value of quality factor if voltage across inductor is 500V?
	a. 2
	b. 1
	c. <b>5</b>
	d. 3
10.	If series RLC circuit is capacitive in nature ( $X_L < X_C$ ). What is the angle between voltage across inductor and supply voltage?
	a. $90^\circ$
	b. $90^\circ - \phi$
	c. <b><math>90^\circ + \phi</math></b>
	d. $30^\circ - \phi$

Q2. A	Solve any 2 for 5marks each
i.	Find current through $6\Omega$ using source transformation 

	<p>Step 1</p> <p>Step 2</p> <p>Step 3</p> <p>Step 4</p> <p>Step 5</p> $I_{6\Omega} = \frac{20}{1 + 6 + 5 + \frac{10}{3} + \frac{5}{3}} = 1.1764 \text{ A}$
ii.	<p>Find <math>V_1</math> and <math>V_2</math></p> <p>KCL at <math>V_A</math></p> $2 + \frac{V_A - 80}{50} + \frac{V_A - V_B}{10} = 0$ $V_A \left[ \frac{1}{50} + \frac{1}{10} \right] - \frac{V_B}{10} = -2 + \frac{80}{50} \quad \text{--- (1)}$ <p>KCL at <math>V_B</math></p> $\frac{V_B - V_C}{20} + \frac{V_B}{50} + \frac{V_B - V_A}{10} = 0$ $-\frac{V_A}{10} + V_B \left[ \frac{1}{20} + \frac{1}{50} + \frac{1}{10} \right] = 1 \quad \text{--- (2)}$ <p><math>V_C = 20 \text{ V}</math></p> <p><math>V_A = 3.0769 \text{ V}</math></p> <p><math>V_B = 7.6923 \text{ V}</math></p> <p><math>V_1 = V_A - V_B = -4.6154 \text{ V}</math></p> <p><math>V_2 = V_B - V_C = -12.3077 \text{ V}</math></p>
iii.	<p>For the circuit shown, find <math>I</math>, <math>V_1</math>, <math>V_2</math> and power factor.</p> <p><math>\bar{Z}_1 = (10 + j15) \Omega</math></p> <p><math>\bar{Z}_2 = (20 - j30) \Omega</math></p> <p><math>V_1</math></p> <p><math>V_2</math></p> <p>220 V, 50 Hz</p>

$$\bar{Z} = \bar{Z}_1 + \bar{Z}_2$$

$$= 10 + 15j + 20 - 30j$$

$$= (30 - 15j) \Omega$$

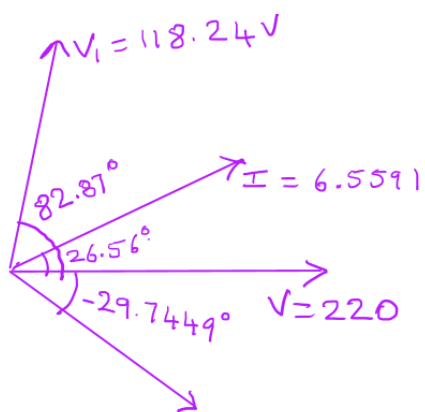
$$= (33.5410 \angle -26.565^\circ) \Omega$$

$$\bar{V} = V \angle \phi = 220 \angle 0^\circ$$

$$\bar{I} = \frac{\bar{V}}{\bar{Z}} = (6.5591 \angle 26.565^\circ) A$$

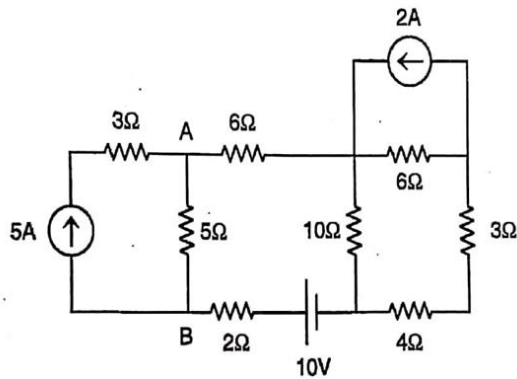
$$\bar{V}_1 = \bar{I} \bar{Z}_1 = (118.2464 \angle 82.8749^\circ) V$$

$$\bar{V}_2 = \bar{I} \bar{Z}_2 = (236.4917 \angle -29.7449^\circ) V$$

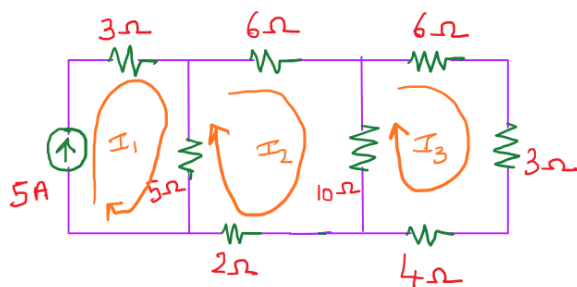


Phasor diagram

Q2. B	Solve any 1 for 10 marks each
i	Find current in $5\Omega$ using Superposition Theorem



Considering 5A



$$I_1 = 5A$$

$$-6I_2 - 10(I_2 - I_3) - 2I_2 - 5(I_2 - I_1) = 0$$

$$5I_1 - 23I_2 + 10I_3 = 0$$

$$-23I_2 + 10I_3 = -25 \quad \text{--- (1)}$$

$$-6I_3 - 3I_3 - 4I_3 - 10(I_3 - I_2) = 0$$

$$10I_2 - 23I_3 = 0 \quad \text{--- (2)}$$

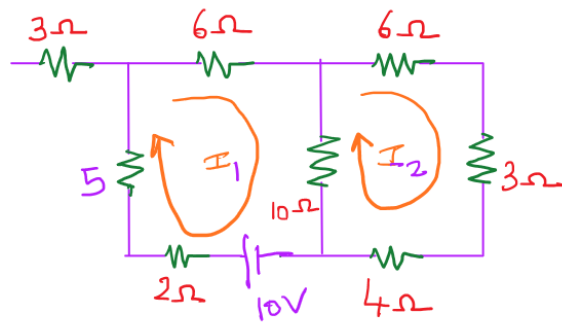
$$I_2 = 1.8403 A$$

$$I_3 = 0.5827 A$$

$$I_{5\Omega} = (I_1 - I_2) \downarrow$$

$$I_{5\Omega} = 3.6597 A \downarrow$$

Considering 10V



$$-6I_1 - 10(I_1 - I_2) + 10 - 2I_1 - 5I_1 = 0$$

$$-23I_1 + 10I_2 = -10 \quad \text{--- (1)}$$

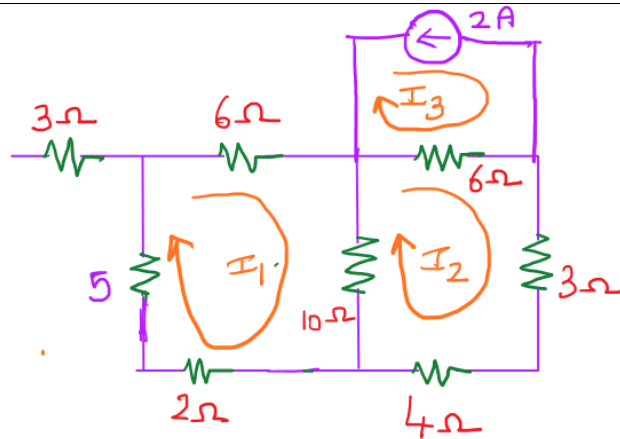
$$-6I_2 - 3I_2 - 4I_2 - 10(I_2 - I_1) = 0$$

$$10I_1 - 23I_2 = 0 \quad \text{--- (2)}$$

$$I_1 = 0.5361 \text{ A}$$

$$I_2 = 0.2331 \text{ A}$$

$$I_{5\Omega} = I_1 = 0.5361 \text{ A} (\uparrow)$$



$$-5I_1 - 6I_1 - 10(I_1 - I_2) - 2I_1 = 0$$

$$-23I_1 + 10I_2 = 0 \quad \text{--- (1)}$$

$$I_3 = -2A$$

$$-3I_2 - 4I_2 - 10(I_2 - I_1) - 6(I_2 - I_3) = 0$$

$$10I_1 - 23I_2 = 12 \quad \text{--- (2)}$$

$$I_1 = -0.2797A$$

$$I_2 = -0.6433A$$

$$I_{5\Omega}^{II} = I_1 = 0.2797A (\downarrow)$$

$$I_{5\Omega} = I_{5\Omega}^I + I_{5\Omega}^{II} + I_{5\Omega}^{III}$$

$$= 3.6597A (\downarrow) + 0.5361A (\uparrow) + 0.2797A (\downarrow)$$

$$= 3.4033A (\downarrow)$$

- ii. For a circuit shown, find  
 (i) Total impedance of circuit and total current  
 (ii) Branch current.  $I_1$  and  $I_2$   
 (iii) Power consumed by each branch



230 V, 50 Hz

$$\begin{aligned} \bar{Z}_1 &= 10 + j(2\pi fL) \\ &= 10 + j(2\pi \times 50 \times 10 \times 10^{-3}) \\ &= (10 + j\pi) \Omega \\ &= (10.4818 \angle 17.4405^\circ) \Omega \end{aligned}$$

$$\begin{aligned} \bar{Z}_2 &= 10 - j\left(\frac{1}{2\pi fC}\right) \\ &= 10 - \left(\frac{1}{2\pi \times 50 \times 500 \times 10^{-6}}\right)j \\ &= (10 - 6.36619j) \Omega \\ &= (11.8544 \angle -32.4816^\circ) \Omega \end{aligned}$$

$$\begin{aligned} \bar{Z} &= [\bar{Z}_1^{-1} + \bar{Z}_2^{-1}]^{-1} \\ &= (6.1013 - 0.6285j) \Omega \\ &= (6.1336 \angle -5.8820^\circ) \Omega \\ \bar{V} &= 230 \angle 0^\circ \\ \bar{I}_1 &= \frac{\bar{V}}{\bar{Z}_1} = (21.9426 \angle -17.4405^\circ) A \\ \bar{I}_2 &= \frac{\bar{V}}{\bar{Z}_2} = (19.4019 \angle 32.4816^\circ) A \end{aligned}$$

$$\begin{aligned} P_1 &= V I_1 \cos \phi_1 \\ &= 4814.7901 W \\ P_2 &= V I_2 \cos \phi_2 \\ &= 3764.3509 W \end{aligned}$$

Q3. A	Solve any 2 for 5marks each
i.	<p>A coil of power factor 0.6 is in series with a 100μf capacitor and is connected to a 50Hz supply. The potential difference Across the coil is equal to the potential difference across the capacitor. Find inductance and resistance of The coil.</p> <div style="display: flex; justify-content: space-between;"> <div style="width: 45%;"> <p>Given:- <math>V_{coil} = V_c</math></p> <p>Find:- <math>R, L</math></p> <p>Sol<sup>n</sup>:-</p> <p><math>V_{coil} = V_c</math></p> <p><math>\therefore I Z_{coil} = I X_c</math></p> <p><math>\therefore Z_{coil} = X_c = \frac{1}{2\pi fC} = 31.8309 \Omega</math></p> </div> <div style="width: 50%;"> <p><math>Pf = \cos \phi_{coil} = 0.6</math></p> <p><math>\therefore \phi_{coil} = \cos^{-1}(0.6)</math></p> <p><math>\therefore \phi_{coil} = 53.1301^\circ</math></p> <p><math>\therefore \bar{Z}_{coil} = Z_{coil} \angle \phi_{coil}</math></p> <p><math>= 31.8309 \angle 53.1301^\circ</math></p> <p><math>= 19.0985 + 25.4647j</math></p> <p><math>= R + jX_L</math></p> <p><math>\therefore R = 19.0985</math></p> <p><math>X_L = 2\pi fL = 25.4647</math></p> <p><math>\therefore L = 0.08105 H</math></p> </div> </div>
ii.	A balanced three – phase load connected in delta, draws a power of 10 KW at 440V at a power factor of 0.6 (lead) . find the impedance per phase and reactive volt – amperes drawn.

	<p> <math>P = 10 \text{ kW} = 10,000 \text{ W}</math>  <math>V_L = 440 \text{ V} = V_{ph}</math>  <math>Pf = 0.6 (\text{lead})</math>              Connection <math>\rightarrow</math> Delta              Find <math>Z_{ph}, Q</math>              Sol<sup>n</sup>:-  <math>P = \sqrt{3} V_L I_L \cos \phi</math>  <math>\therefore 10,000 = \sqrt{3} \times 440 \times I_L \times 0.6</math>  <math>I_L = 21.8693 \text{ A}</math> </p>	<p> <math>I_{ph} = \frac{I_L}{\sqrt{3}} = 12.6262 \text{ A}</math>  <math>Z_{ph} = \frac{V_{ph}}{I_{ph}} = 34.8481</math>  <math>\cos \phi = 0.6</math>  <math>\phi = -\cos^{-1} 0.6</math>  <math>\therefore \phi = -53.1301^\circ</math>  <math>Q = \sqrt{3} V_L I_L \sin \phi</math>  <math>= -13333.81562 \text{ VAR}</math> </p>
iii.	<p>Three identical coils each having a reactance of 20 Ohms and resistance 10 Ohms are connected in star across a 440V three phase line. Calculate:</p> <ol style="list-style-type: none"> <li>Line Current and Phase Current</li> <li>Active, reactive and apparent power</li> <li>Reading of each wattmeter connected to measure power</li> </ol> <p>             Given: <math>X_L = 20 \Omega</math>  <math>R = 10 \Omega</math>              Type of <math>3\phi \Rightarrow</math> star  <math>V_L = 440 \text{ V}</math> </p> <p>To Find: (i) <math>I_L, I_{ph}</math>              (ii) <math>P_{3\phi}, Q_{3\phi}, S_{3\phi}</math>              (iii) <math>\omega_1</math> &amp; <math>\omega_2</math></p> <p>Sol<sup>n</sup>:-</p> <p>We have <math>V_L = 440 \text{ V}</math></p> <p>Phase Impedance <math>\overline{Z}_{ph} = R + jX_L \Rightarrow 3\text{-Coils}</math></p> <p> <math>\overline{Z}_{ph} = 10 + j20 \Omega</math>  <math>\overline{Z}_{ph} = 22.3606 \angle 63.4349^\circ \Omega</math>  <math>\overline{Z}_{ph} =  \overline{Z}_{ph}  \angle \phi_{ph}</math> </p>	

$$\therefore |\bar{Z}_{ph}| = 22.3606 \Omega \quad \& \quad \phi_{ph} = 63.4349^\circ$$

By Ohm's law,  $I_{ph} = \frac{V_{ph}}{Z_{ph}}$

For star,  $V_L = \sqrt{3} V_{ph} \quad \& \quad \boxed{I_L = I_{ph}}$

$$\therefore V_{ph} = \frac{V_L}{\sqrt{3}} = \frac{440}{\sqrt{3}} = 254.0341 \text{ V}$$

$$\therefore I_{ph} = \frac{V_{ph}}{Z_{ph}} = \frac{\frac{440}{\sqrt{3}}}{22.3606} = 11.3607 \text{ A}$$

$$\therefore \boxed{I_{ph} = 11.3607 \text{ A}} = \underline{\underline{I_L}}$$

Powers :-  $P_{3\phi} = 3 V_{ph} I_{ph} \cos \phi_{ph}$   
 $= 3 (254.0341) (11.3607) \cos(63.4349^\circ)$

$$\boxed{P_{3\phi} = 3871.983 \text{ W} = 3.8719 \text{ KW}}$$

$$\therefore Q_{3\phi} = 3 V_{ph} I_{ph} \sin \phi_{ph}$$

$$\boxed{Q_{3\phi} = 7.7439 \text{ KVAR}}$$

$$S = 3 V_{ph} I_{ph}$$

$$\boxed{S = 8.66 \text{ KVA}}$$

Wattmeter Readings : Coil  $\Rightarrow Z_{ph}$  is inductive

$$\therefore W_1 = V_L I_L \cos(30 - \phi_{ph}) \quad \& \quad W_2 = V_L I_L \cos(30 + \phi_{ph})$$

$$= (440) (11.3607) \cos(30 - 63.4349^\circ) \quad \& \quad = (440) (11.3607) \cos(30 + 63.4349^\circ)$$

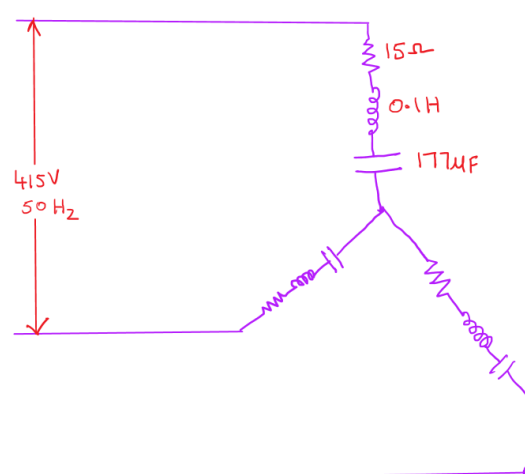
$$W_1 = 4171.4838 \text{ W}$$

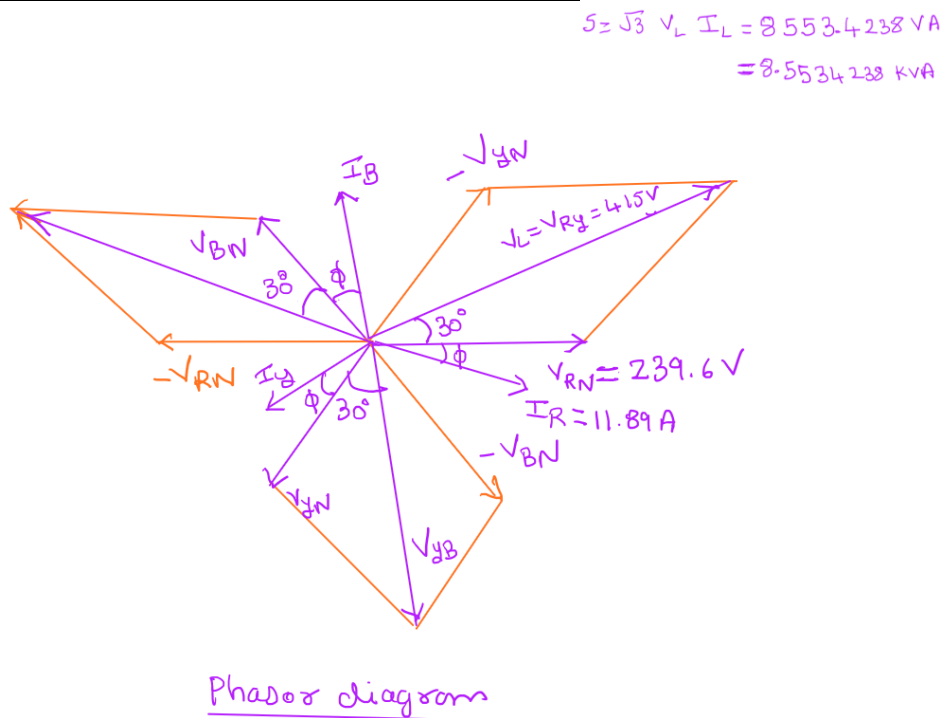
$$= 4.1714 \text{ KW}$$

$$\boxed{W_2 = -299.4946 \text{ W}}$$

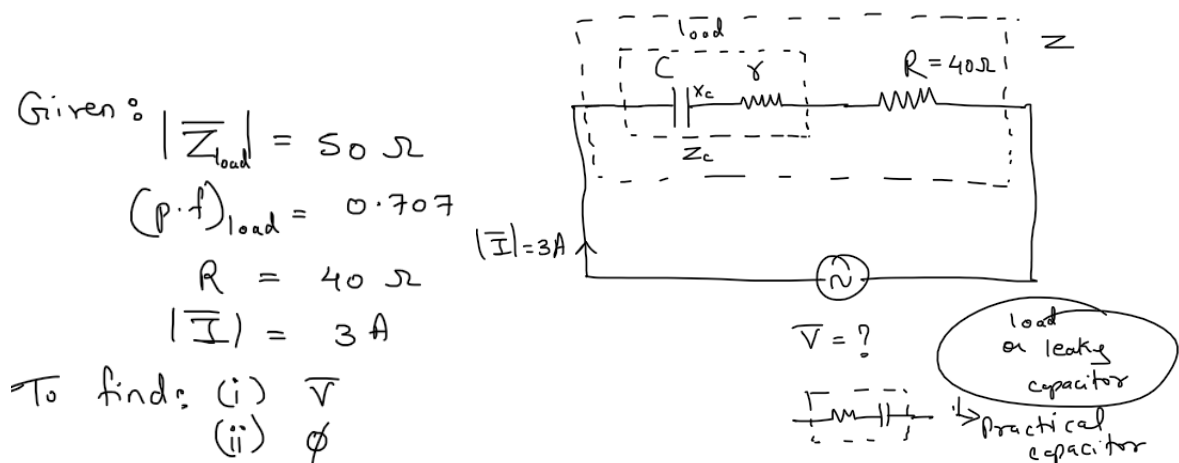
$\Downarrow$

Meter is connected in  
reverse fashion !!!

i	<p>A 415V, 50Hz, three – phase voltage is applied to a three star connected identical impedances. Each impedance consists of a resistance of <math>15\Omega</math>, capacitance of <math>177\mu\text{F}</math> and inductance of <math>0.1\text{ H}</math> in series.</p> <p>Find</p> <ul style="list-style-type: none"> <li>( i ) Phase current,</li> <li>( ii ) line current,</li> <li>( iii ) power drawn,</li> <li>( iv ) power factor,</li> <li>( v ) reactive power</li> <li>( vi ) total KVA.</li> <li>( vii ) Draw a neat phasor diagram showing all phasors.</li> </ul> <div style="display: flex; align-items: flex-start;"> <div style="flex: 1;">  </div> <div style="flex: 2; padding-left: 20px;"> <p>Sol<sup>n</sup>:-</p> <math display="block">\overline{Z}_{ph} = R + j(X_L - X_C) = 15 + \left(2\pi fL - \frac{1}{2\pi fC}\right)j</math> <math display="block">= 15 + \left(2\pi \times 50 \times 0.1 - \frac{1}{2\pi \times 50 \times 177 \times 10^{-6}}\right)j</math> <math display="block">= (15 + 13.4323j)\Omega</math> <math display="block">= (20.1352 \angle 41.8440^\circ)\Omega</math> <math display="block">V_{ph} = \frac{V_L}{\sqrt{3}} = 239.6003\text{ V}</math> <math display="block">I_{ph} = \frac{V_{ph}}{Z_{ph}} = 11.89957\text{ A} = I_L</math> <p>power factor = <math>\cos\phi = 0.7449</math> (lagging)</p> <math display="block">P = \sqrt{3} V_L I_L \cos\phi = 6371.9921\text{ W}</math> <math display="block">Q = \sqrt{3} V_L I_L \sin\phi = 5706.0297\text{ VAR}</math> </div> </div>
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- ii. A load consisting of a capacitor in series with a resistor having impedance 50 ohms, and p.f of 0.707 leading. The load is connected in series with 40 ohm resistor across AC supply and the resulting current is 3 A. Determine the supply voltage and overall phase angle.



Sol<sup>n</sup>:

For load,  $|\bar{Z}_{load}| = 50 \Omega$  &  $(p.f.)_{load} = 0.707$  (leading)

$$\cos \phi_{load} = 0.707$$

$$\therefore \phi_{load} = \cos^{-1}(0.707) = 45^\circ$$

$$\boxed{\phi_{load} = -45^\circ} \quad \text{I leads V}$$

$$\therefore \bar{Z}_{load} = |\bar{Z}_{load}| \angle \phi_{load}$$

$$\bar{Z}_{load} = 50 \angle -45^\circ \Omega$$

$$\bar{Z}_{load} = 35.3553 - j 35.3553$$

From figure,  $\bar{Z}_{load} = r - j X_c$

$$\therefore \boxed{r = 35.3553 \Omega} \quad \& \quad \boxed{X_c = 35.3553 \Omega}$$

From figure,

$$\begin{aligned} \text{Total Impedance} \Rightarrow \bar{Z} &= (R+r) - j X_c \\ &= (40 + 35.3553) - j 35.3553 \end{aligned}$$

$$\boxed{\bar{Z} = 83.2190 \angle -25.1409^\circ \Omega}$$

$$\bar{Z} = |\bar{Z}| \angle \phi$$

$$\therefore |\bar{Z}| = 83.2190 \quad \& \quad \boxed{\phi = -25.1409^\circ}$$

By Ohm's law,  $\bar{V} = \bar{I} \cdot \bar{Z} = (3 \angle 0^\circ) (83.2190 \angle -25.1409^\circ)$

$$\therefore \boxed{\bar{V} = 249.657 \angle -25.1409^\circ \text{ V}}$$

Power factor of circuit =  $\cos \phi = \cos(-25.1409^\circ)$

$$\therefore \boxed{p.f. \text{ of circuit} = 0.9052 \text{ (leading)}}$$