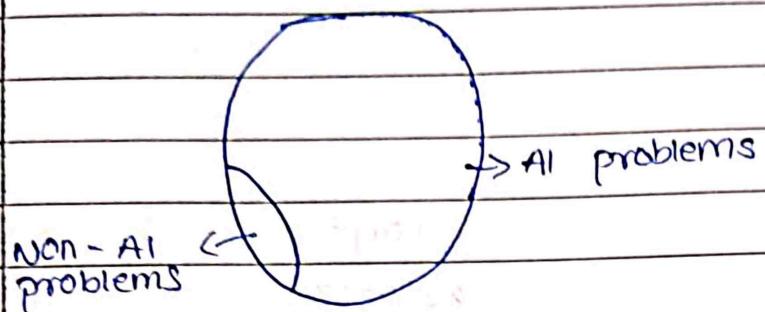


AI-based mini proj. → 14th week of sem (last week)
title approve ⇒ poster AB → theory & present. (mini proj)
practical ISA → presentation Date: / / L3 theory
ISA discussion



Two types of problems

i) Structured: Also known as algorithmic problem. They have algorithmic approach. Machines are better than humans to solve structured problems.

e) Non-AI algorithmic also known as non structured problems. Humans are better than machines to solve them.

AI problems:

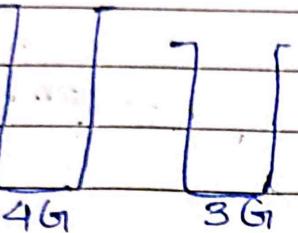
- 1) Mundane tasks: computer vision, NLP, hand written processing.
- 2) Formal tasks: game playing, proving mathematical theorems.
- 3) Expert tasks: medical diagnosis, business pred. stock market analysis, financial analysis.

AI:

Study of making machines do what humans are better at the moment (making machines do e.g. NLP)

Date: / /

→ Water Jug problem



possible

(0, 0) (0, 0)

12/02/2024 → SPCC & CSS

(4, 0) (0, 3)

26/02/2024 → MC & AI

(1, 3) (3, 0)

04/03/2024 → QA

(1, 0) (3, 3)

(0, 1) (4, 2)

(4, 1) (0, 2)

⇒ (2, 3) (2, 0)

01

08

A 35-a 1st approach . 2nd approach

• 1st approach : 35-a 1st approach

• 2nd approach : 35-a 2nd approach

• 3rd approach : 35-a 3rd approach

• 4th approach : 35-a 4th approach

• 5th approach : 35-a 5th approach

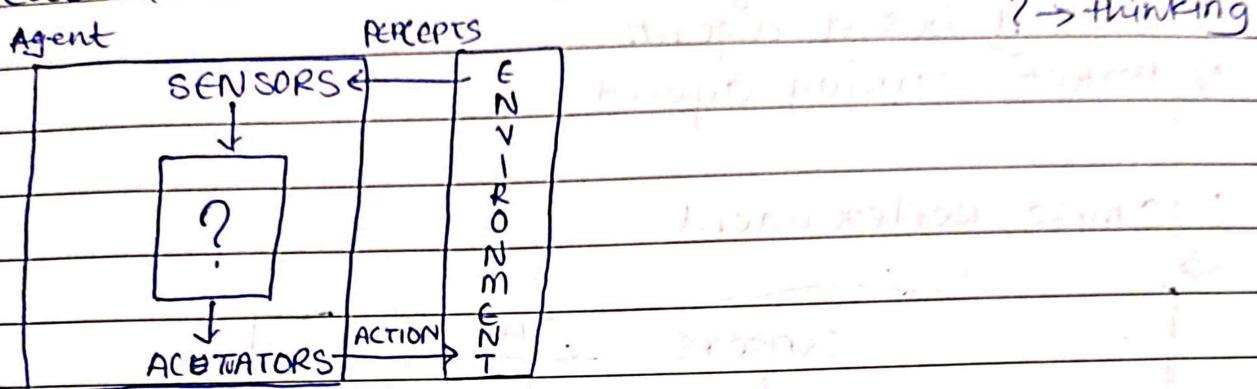
• 6th approach : 35-a 6th approach

• 7th approach : 35-a 7th approach

Date: 2023-08-28

Module 2: Agent & Environment

Agent is system which has AI imparted into it, also called as Intelligent system.



Agent has two important body parts \rightarrow Sensors: Agent pursues environment through sensors.

ii) Actuators/Effectors: Agent uses actuators to perform action on environment. Agent is used to interact with environment which has predefined goals.

Agent pursues environment through sensors, decides action to be performed and takes the action using actuators until the environment reaches the goal state.

Eg: Agent: self driving car

Environment: Roads, Roads, signal, other traffic, sign boards

proximity

Sensors: Camera, proximity sensors, GPS

Actuators: steering, brake, accelerator, horn, etc.

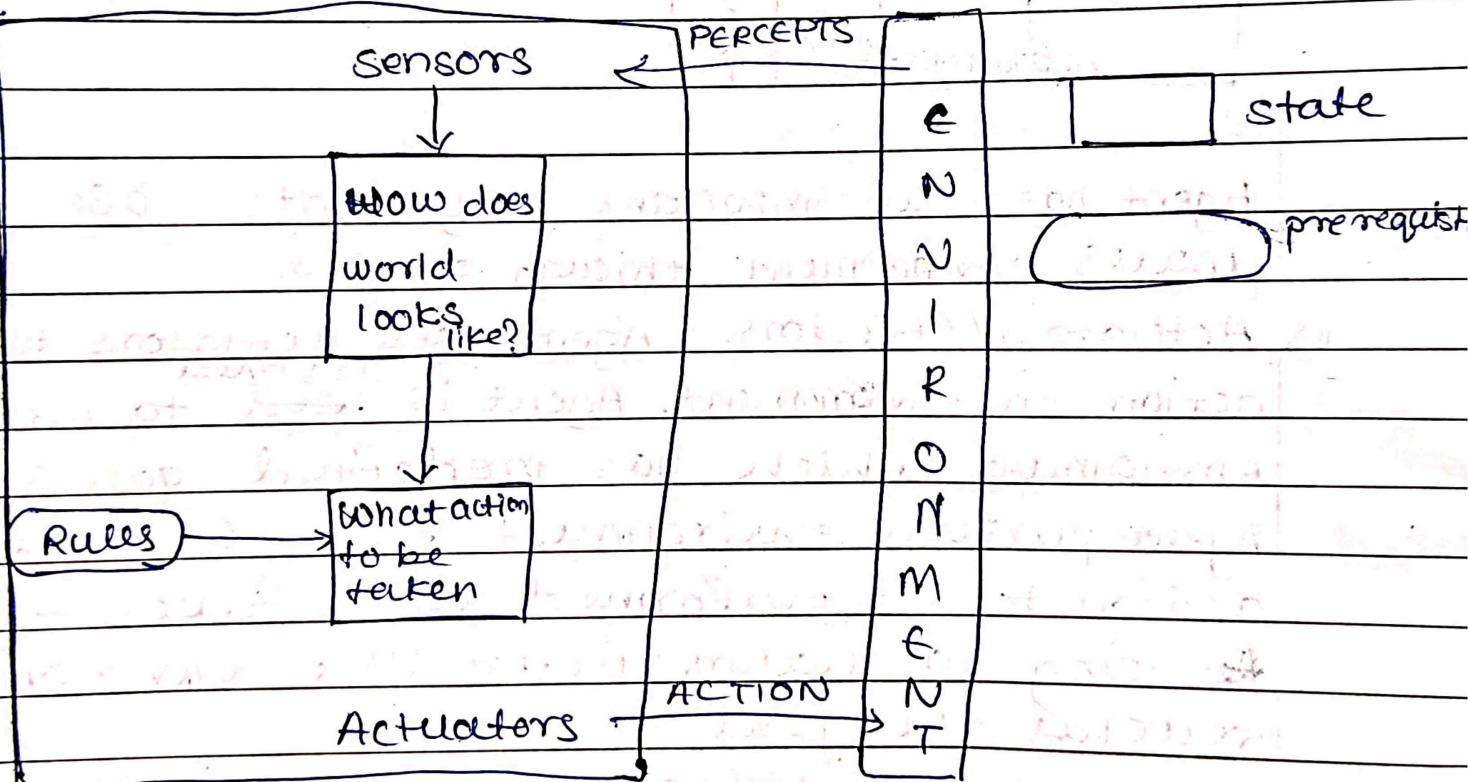
Goal: reaching destination safely, comfortably, with minimum time.

⇒ Types of Agents

- 1) Simple Reflex agent.
- 2) Model based agent.
- 3) Goal based agent
- 4) Utility based agent.
- 5) Perfect learning agent

⇒ Simple Reflex agent

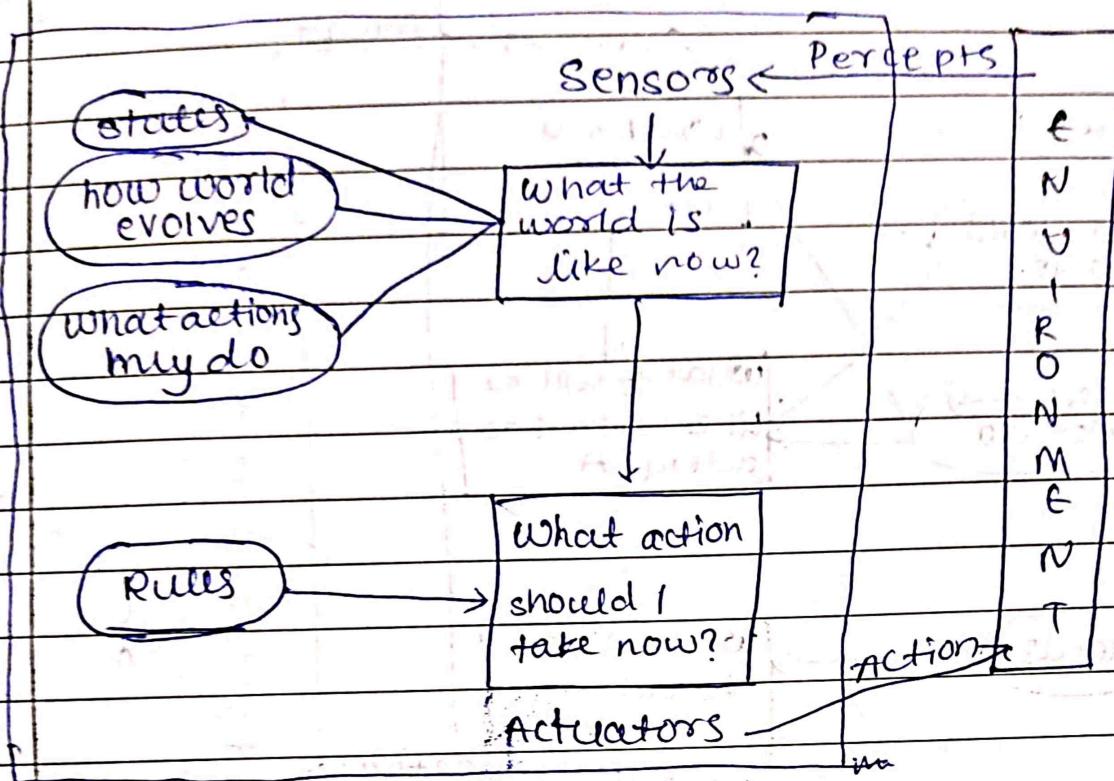
⇒



This agent is designed to interact with fully observable environment (water jug problem)

⇒ Simple reflex agent maps the current percept directly to the action without involving thinking in between.

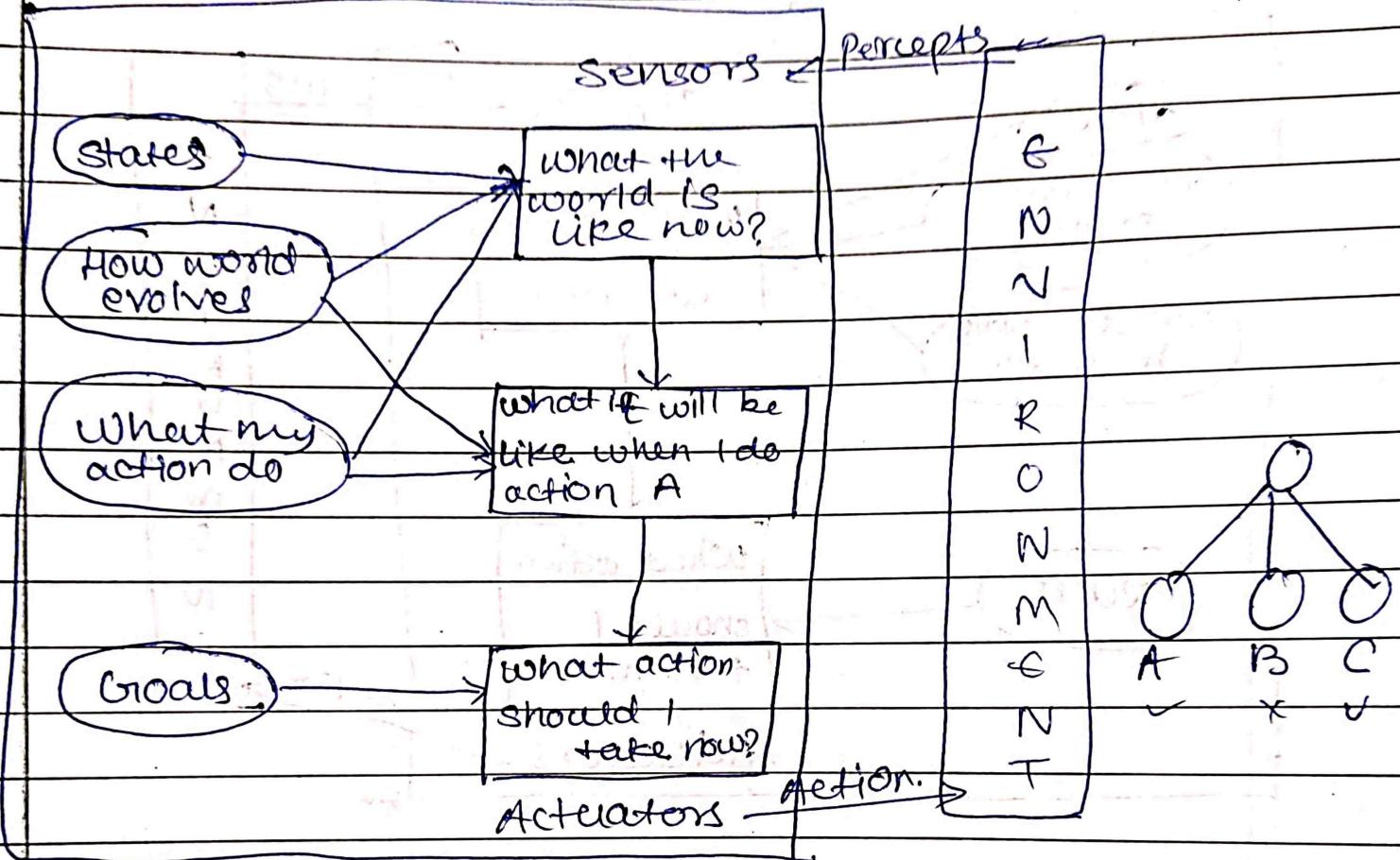
2) Model Based Agent



- Partially observed environment.
- Difficult to figure the current state with incomplete percepts, for this agent has to refer model of environment which includes
 - i) states, some situation related to environment with past experience.
 - ii) How the world evolves: How this procedure tells how and why things are changing in the environment.
 - iii) What my actions do: This procedure tells use of action.

Date: / /

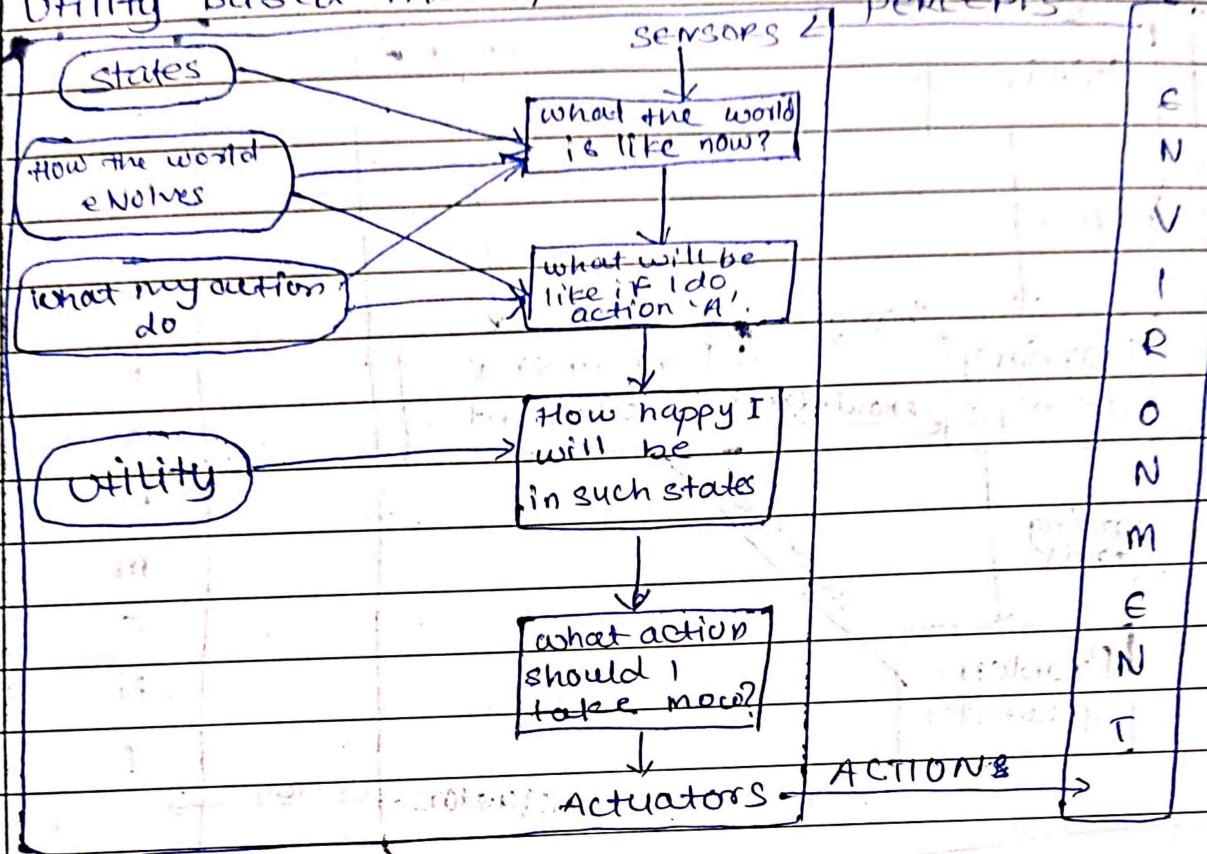
Goal Based Model



- The goal based agent will have information (description) about goal.
- capable of pre-determine the next state from current state. It will always choose the action which leads towards action goal.

Date: 1/1/1

Utility Based model.



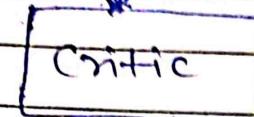
- Utility Based agent is capable of identifying utility of the action to be taken for achieving goal. If
- If action satisfy maximum constraints then act that action has more utility than other actions. quotient
- Utility function will provide the happiness question for an agent for that state.

6/6
6/6
performance standard

Date: / /

describing Argonat.

6/6
6/6



Sensorse

Percepts

E.

N.

N.

1.

R.

O.

N.

M.

C.

N.

T.

feedback

changes

learning element

Performance Element

knowledge

learning goals

suggestion

Problem generator

Action

learn ←
while you
perform

To define Learning Based Model of I (self)



Model of I (self) based on performance

Performance of the individual can be measured by the number of correct answers given by the individual.

Date: / /

Types of environment (Task environment)

OR

Properties of environment

- 1) Fully observable or partially observable.
- 2) static or Dynamic
- 3) Deterministic or Non-Deterministic
- 4) Discrete or continuous
- 5) Episodic or non-episodic (sequential)

Date: 01 / 02 / 24

* PEAS: Performance measure, environment, actuator, sensors
characteristics of Agents.
Standard stands for performance, major procedure, environment, actuators & sensors.

- Write PEAS description for self driving car.
1. Performance measure, safety, minimum time, legal comfortable, etc.
 2. Environment → sign board, traffic signal, roads, etc.
 3. Actuators → steering, accelerators, brake, horn, etc.
 4. Sensors → GPS, proximity sensors, camera etc

RSA

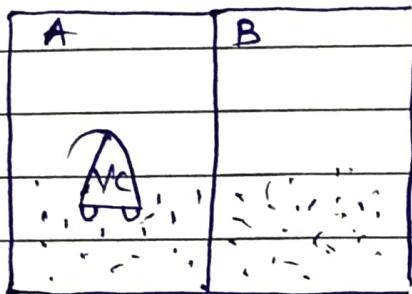
MSE

- | | | |
|----|-------------------------|----------------------|
| Q1 | MCQ - 5 mcq | agent & environment. |
| Q2 | 2 / 3 - 5 mks. | |
| Q3 | 2 / 3 or 1 / 3 - 10 mks | |

Problem Solving

PAGE NO.:

Vacuum cleaner world Problem



To adjacent rooms, vacuum cleaner is in room A dirt is available in both room. The goal is to clean

(Environment state): in both in the room.

- 1) State description: It is hard to do for me.
The state can be described as the cond' of room A and room B and also position of vacuum cleaner. It can't be described as ordered pair of three integers (x, y, z) where $x \Rightarrow$ room A cond' ($x=0$, A is clean
 $x=1$ A is dirty)
 $y \Rightarrow$ (room B cond' ($y=0$, B is clean) $y=1$ B is dirty)
 $z \Rightarrow$ presence of vacuum cleaner ($z=A$, $z=B$)

- 2) Describe initial states & goal states

Initial state = $\{(1, 1, A)\} / (A \neq B)$
Goal state = $\{(0, 0, A)\} / (A = B)$

- 3) List all the actions and its pre-conditions

Right: Room A to Room B Left: Room B to Room A
Clean: Clean all the dirt in the room.

$(1, 1, A) \xleftarrow{IS} (0, 1, B)$

$(1, 1, A) \xrightarrow{cleanA} (0, 1, B)$

$(0, 1, B) \xrightarrow{right} (0, 0, B)$

$(0, 1, B) \xrightarrow{cleanB} (0, 0, B)$

$(0, 0, B) \xrightarrow{GS} (0, 0, A)$



Assignment (Take Home Test)

Q. Solve Missionary and Cannibals

In the missionaries and cannibals problem three missionaries and three cannibals must cross a river using a boat which can carry at most two people, under the constraint that, for both banks, if there are missionaries present on the bank they cannot be outnumbered by cannibals (if they were the cannibals would eat the missionaries). The boat cannot cross the river by itself with no people on board.

→ 1] State description :

$(x_a, y_a) \quad (x_b, y_b), z$

x_a = no. of M on bank A

y_a = no. of C on bank A

x_b = no. of M on bank B

y_b = no. of C on bank B

z = boat is at which bank.

2] Step 2 :

Initial state : $[(3,3), (0,0), A]$

Final state : $[(0,0), (3,3), B]$

Step 3 : Actions

1M - send one missionary to other side of boat

1C - send one cannibal to other side of boat bank

2M - Send one 2 missionary to other side of boat bank

2C - send 2 cannibals to other side of boat bank

1M 1C - send 1 missionary and 1 cannibal to other side of boat bank.

Step 4: Find solⁿ in solution set

$2C \left[(3, 3), (0, 0), A \right] \leftarrow$ is it

$\left[(3, 1), (0, 2), B \right]$ solution set

and $\left[(3, 2), (0, 1), C \right]$ solution set

$\left[(3, 1), (0, 2), A \right]$ solution set

$\left[(3, 0), (0, 3), B \right]$ no solution

$\left[(3, 1), (0, 2), C \right]$ solution set

$\left[(1, 1), (2, 2), B \right]$ solution set

\downarrow not in solution set

$\left[(2, 2), (1, 1), A \right]$ solution set

\downarrow not in solution set

$\left[(0, 2), (3, 1), B \right]$ no solution

\downarrow not in solution set

$\left[(0, 3), (3, 0), A \right]$ no solution

\downarrow not in solution set

$\left[(0, 1), (3, 2), B \right]$

\downarrow not in solution set

$\left[(0, 2), (3, 1), A \right]$ solution set

\downarrow not in solution set

$\left[(0, 0), (3, 3), B \right] \leftarrow G_S$

8 Puzzle Problem :

2	8	3	0	1	2	3	0	0
1	6	4	0	8	0	4	0	0
7	0	5	0	7	6	5	0	0

IS

GS

Step 1: A state can be described as tile posⁿ on the board and position of a blank. It can be represented as ⁹ integer vector.

The ^{1st} integer in the vector represent the tile at ^{1st} location & so on. blank can be represented as integer 0.

Step 2: Initial state: [2, 8, 3, 1, 6, 4, 7, 0, 5]

Goal state: [1, 2, 3, 8, 0, 4, 7, 6, 5]

Step 3: Actions

Assume Actions for movements of blank and not for tiles

Swap the blank and tile on the right
 Swap the posⁿ of blank and tile on the left
 Swap the posⁿ of blank and tile on the up
 Swap the posⁿ of blank and tile on the down

Step 4: Sol:

$$[2, 8, 3, 1, 6, 4, 7, 0, 5] \rightarrow IS$$

$$[2, 8, 3, 1, 0, 4, 7, 6, 5] \downarrow \text{up}$$

$$[2, 0, 3, 1, 8, 4, 7, 6, 5]$$

left

[0, 2, 3, 1, 8, 4, 7, 6, 5]

↓ Right

[1, 2, 3, 0, 8, 4, 7, 6, 5]

↓ Right

[1, 2, 3, 8, 0, 4, 7, 6, 5]

↓

gmp

① Describe Problem solving agent.

goal is an individual or set of objects
start state: initial or the board with no
legal moves: empty or all slots filled with
and only allowed to use 8 actions for
② methods of representation

[2, 0, 4, 3, 1, 8, 5] rotated 180° (empty)

[2, 3, 5, 0, 1, 8, 4, 7] state board

actions: left, right

should be able to move each row
left or right by one

to 180°

steps off the board with goal
find out which row needs to be up down
go to the row that needs to be up and move
row up until the board is 180° and done.

Goal: 180°

[2, 0, 4, 3, 1, 8, 5]

↓

[1, 2, 3, 0, 4, 8, 5]

↓

* Searching Techniques :

- Uninformed Searching (Blind)
- Informed Searching (Heuristic)

1) Uninformed Searching techniques:

- These techniques are strategy oriented. While following the strategy, they do not have any additional information about the goal. Hence they are not goal oriented.
- These techniques, ~~for~~ follow the goal blindly. Therefore they are called as **blind search techniques**.

2) Informed Searching Techniques:

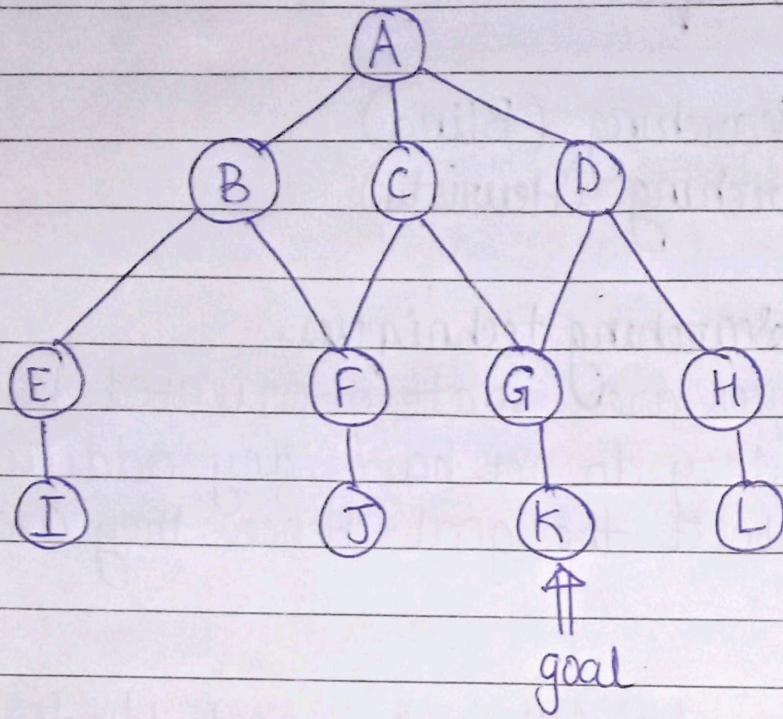
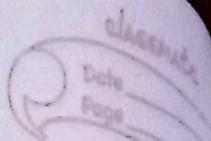
- These techniques are goal oriented. They use the description of the goal while following the strategy.
- Before moving ahead, they estimate the distance of goal state from each state and set the preference to visit the next state.
- Estimating the distance of goal state from any state is called as heuristic function (evaluation)

1) Blind

→ Types of uninformed Search techniques:

- 1) Breadth first search
- 2) Depth first search
- 3) Depth limited search
- 4) Iterative deepening search
- 5) Uniform cost search (UCS)

state space problems → can be expressed
in the form of graph



i) BFS:

also called as fringe leaves

- 1) CLOSE = [] ; OPEN = [A]
- 2) CLOSE = [] ; X = A ; CLOSE = [A] ; OPEN = [B, C, D]
- 3) X = B ; CLOSE = [A, B] ; OPEN = [C, D, E, F]
- 4) X = C ; CLOSE = [A, B, C] ; OPEN = [D, E, F, G]
- 5) X = D ; CLOSE = [A, B, C, D] ; OPEN = [E, F, G, H]
- 6) X = E , CLOSE = [A, B, C, D, E] ; OPEN = [F, G, H, I]
- 7) X = F ; CLOSE = [A, B, C, D, E, F] ; OPEN = [E, G, H, I, J]
- 8) X = G ; CLOSE = [A, B, C, D, E, F, G] ; OPEN = [F, H, I, J, K]
- 9) X = ~~H~~ ; CLOSE = [A, B, C, D, E, F, G, H] ; OPEN = [I, J, K, L]
- 10) X = I ; CLOSE = [A, B, C, D, E, F, G, H, I] ; OPEN = [J, K, L]
- 11) X = J ; CLOSE = [A, B, C, D, E, F, G, H, I, J] ; OPEN = [K, L]
- 12) X = K ; CLOSE = [A, B, C, D, E, F, G, H, I, J, K] ; OPEN = [L]

下

goal

2) DFS :

- ~~1) CLOSE = [] ; OPEN = [A]

2) X = A ; CLOSE = [A] ; OPEN = [B]

3) X = B ; CLOSE = [A, B] ; OPEN = [E]

4) X = E ; CLOSE = [A, B, E] ; OPEN = [I]

5) X = I ; CLOSE = [A, B, E, I] ; OPEN = [C]~~

- 1) CLOSE = [] ; OPEN = [A]
- 2) X = A ; CLOSE = [A] ; OPEN = [B, C, D]
- 3) X = B ; CLOSE = [A, B] ; OPEN = [E, F, , C, D]
- 4) X = E ; CLOSE = [A, B, E] ; OPEN = [I, F, , C, D]
- 5) X = I ; CLOSE = [A, B, E, I] ; OPEN = [F, , C, D]
- 6) X = F ; CLOSE = [A, B, E, I, F] ; OPEN = [J, , C, D]
- 7) X = J ; CLOSE = [A, B, E, I, F, J] ; OPEN = [, D]
- 8) X = C ; CLOSE = [A, B, E, I, F, J, C] ; OPEN = [G, D]
- 9) X = G ; CLOSE = [A, B, E, I, F, J, C] ; OPEN = [K, D]
- 10) X = K ; CLOSE = [A, B, E, I, F, J, C, K] ; OPEN = [D]

→ Algorithm for BFS :

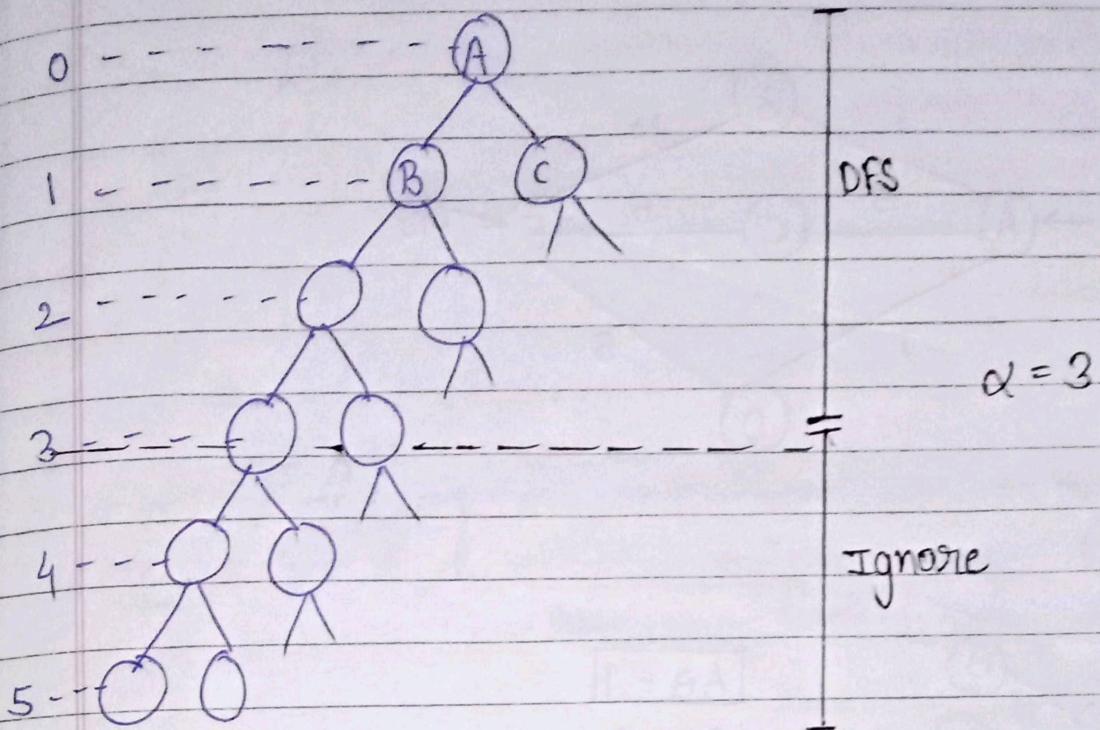
- 1) Create a single member queue comprising of root node.
- 2) If the first member of the queue is a goal node then go to step 5.
- 3) If the first member of the queue is not a goal node then remove it from the queue and add it to the list of visited nodes.
Consider its child children nodes if any and add them to the rear end of the queue.

- 4) If the queue is empty, then go to step 6 else,
go to step 2
- 5) Print "Success" and stop.
- 6) Print "Failed" and stop.

→ Algorithm for DFS:

- 1) Create a single member queue comprising of root node.
- 2) If the first member of the queue is the goal node,
then go to step 5.
- 3) If the first member of the queue is not the goal node,
then remove it from the queue and add it to
the list of visited nodes.
Consider its children nodes if any and add them
to the front end of the queue.
- 4) If the queue is empty, then go to step 6 else,
go to step 2.
- 5) Print "Success" and stop.
- 6) Print "Failed" and stop.

3) Depth Limited Search:

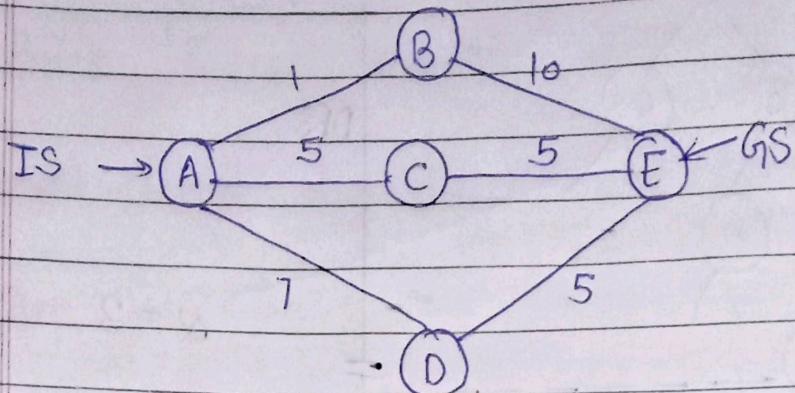


- It is a variation of depth first search. In this, we can set some limit to the depth (α)
- All the nodes at level α are assumed as terminal leaf nodes and DFS is implemented only upto the nodes at level α , rest of the nodes are ignored

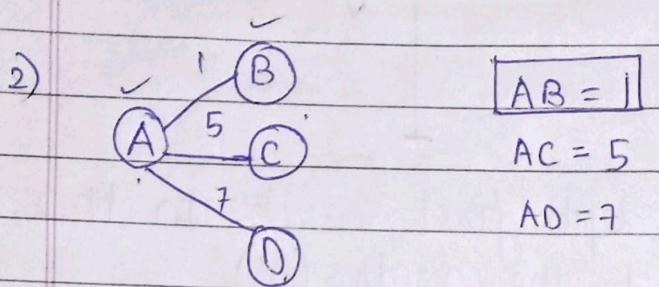
4) Iterative deepening DFS:

- It is the implementation of Depth limited search in iterations. For every iteration, we can set some limit to the depth i.e α .
- If the goal is not achieved, then we can increase α by some constant.
- The iterations will continue till either the goal is achieved or complete tree is searched.

5) Uniform cost search (UCS)



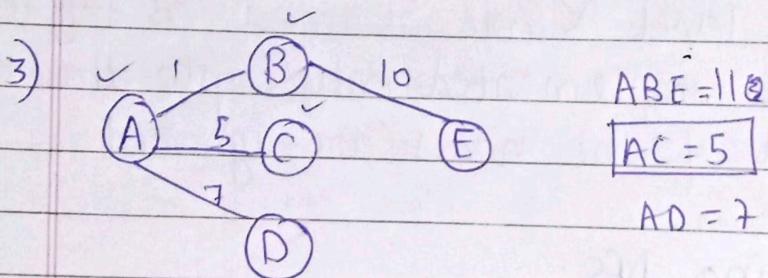
1) A ✓



$$AB = 1$$

$$AC = 5$$

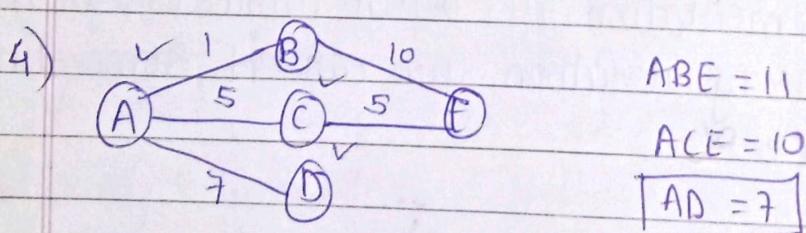
$$AD = 7$$



$$ABE = 11$$

$$AC = 5$$

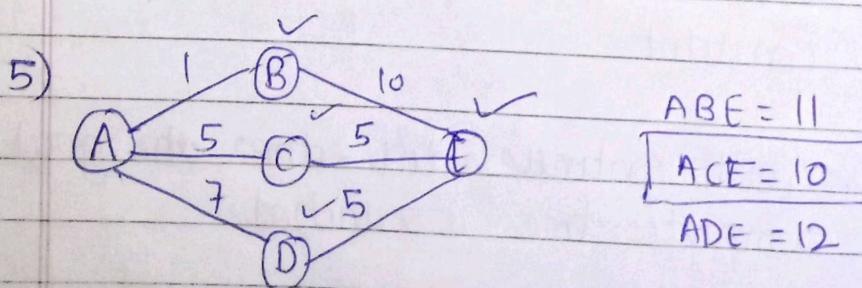
$$AD = 7$$



$$ABE = 11$$

$$ACE = 10$$

$$\boxed{AD = 7}$$

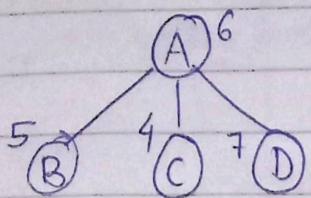


$$ABE = 11$$

$$\boxed{ACE = 10}$$

$$ADE = 12$$

2) Heuristic function :



$$h(n) = k$$

↑ ↑
state heuristic value

e.g) $h(A) = 6$
 $h(C) = 4$

It is used to make the searching more efficient

→ 8 puzzle problem:

2	8	3
1	6	4
7	/	5

IS

1	2	3
8	/	4
7	6	5

GS

- First heuristic function for 8 puzzle:

i) Count the number of tiles in their correct place in a state as per the goal state.

$$h(\text{IS}) = 4$$

$$h(\text{GS}) = 8$$

$$(4) \xrightarrow{\max} 8$$

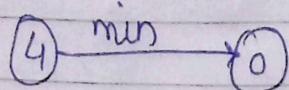
- Second heuristic function:

Count the number of tiles which are incorrectly placed

in a state as per the goal state:

$$b(\text{IS}) = 4$$

$$h(\text{GS}) = 0$$

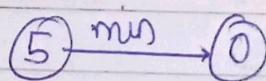


- Third heuristic distance:

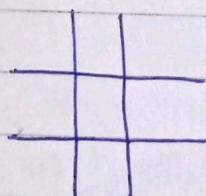
Calculate the manhattan distance for a state in which, count how far each tile is from its correct place as per goal and add.

$$h(\text{IS}) = 5$$

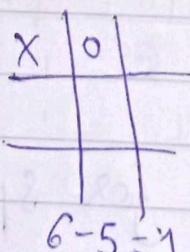
$$h(\text{GS}) = 0$$



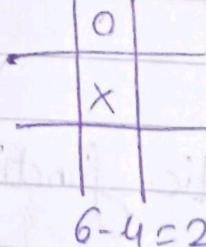
→ Tic Tac Toe



$$8-8=0$$



$$6-5=1$$



$$6-4=2$$

Heuristic function for tic tac toe is

$$h(n) = x-y$$

where n is no of lines in which you can win and y is no. of lines where opponent can win.

x	0	
x		

0	0	
		x

$$h(n) = (3 * X_2 + X_1) - (3 * O_2 + O_1)$$

$$\begin{array}{l} h(n) = (3 * 1 + 2) - (3 * 0 + 1) \\ \quad \quad \quad = 5 - 1 \\ \quad \quad \quad = 4 \\ \hline \end{array} \quad \begin{array}{l} h(n) = (3 * 0 + 2) - [3 * 1 + 1] \\ \quad \quad \quad = 2 - 4 \\ \quad \quad \quad = \underline{\underline{-2}} \end{array}$$

→ Blocks world problem:

-7	-1	A
-6	1	H
-5	1	G
-4	1	F
-3	1	E
-2	1	D
-1	1	C
0	-1	B

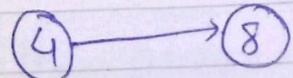
H	1	7
G	1	6
F	1	5
E	1	4
D	1	3
C	1	2
B	1	1
A	1	0

- first Heuristic function:

- 1) Add 1 point for every block that is resting on the correct thing as per the goal.
- 2) Subtract 1 point for every block that is resting on wrong thing as per the goal.

$$h(s) = 4$$

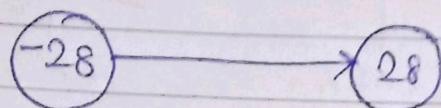
$$h(GS) = 8$$



- 2nd heuristic function:
 - for each block that has a correct block structure, add 1 point in the existing support structure
 - for each block that has incorrect support structure, subtract -1 point for every support structure.

$$h(I_S) = -28$$

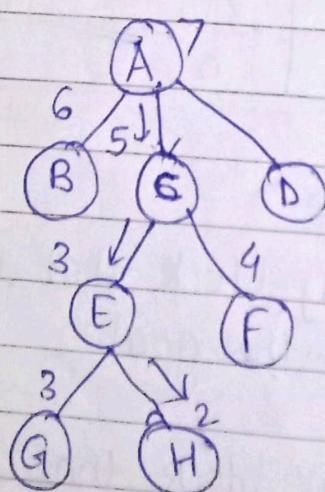
$$h(G_S) = 28$$

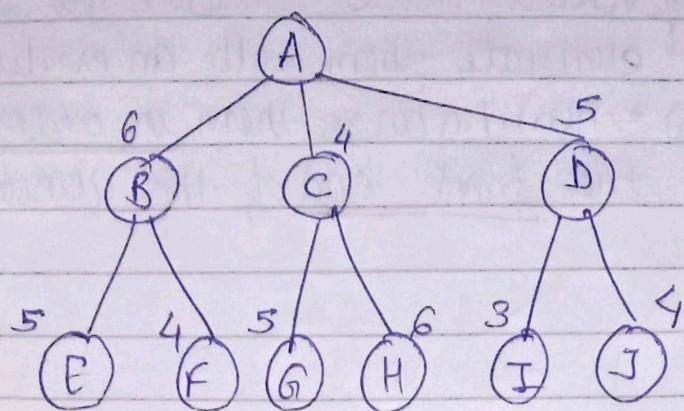


* Informed Search techniques:

- 1) Hill climbing search
- 2) Best first search
- 3) A* search:

1) Hill climbing search:





A C G H D I J B F E

- 1) CLOSE = [] , OPEN = [A 7]
- 2) CLOSE = X = A , CLOSE = [A] , OPEN = [C 4 , D 5 , B 6]
- 3) X = C ; CLOSE = [A , C] ; OPEN = [G 5 , H 6 , D 5 , B 6]
- 4) X = G ; CLOSE = [A , C , G] ; OPEN = [H 6 , D 5 , B 6]
- 5) X = H ; CLOSE = [A , C , G , H] ; OPEN = [H 6 , D 5 , B 6]
- 6) X = D ; CLOSE = [A , C , G , H , D] ; OPEN = [I 3 , J 4 , B 6]
- 7) X = I ; CLOSE = [A , C , G , H , D , I] ; OPEN = [J 4 , B 6]
- 8) X = J ; CLOSE = [A , C , G , H , D , I , J] ; OPEN = [B 6]
- 9) X = B ; CLOSE = [A , C , G , H , D , I , J , B] ; OPEN = [F 4 , E 5]
- 10) X = F ; CLOSE = [A , C , G , H , D , I , J , B , F] ; OPEN = [E 5]
- 11) X = E ; CLOSE = [A , C , G , H , D , I , J , B , F] ; OPEN = []

⇒ Algorithm for Hill Climbing:

some
as
DFS
[1]
[2]

- 3) If the first member of the queue is not a goal node then remove it from queue and add it

to the list of visited nodes. Consider its children nodes if any, evaluate them with an evaluation function $f(n) = h(n)$. Arrange them in order and add them to the front end of the queue.

same
as
DFS

9]

5)

6)

⇒ Types of Hill climbing:

1) Steepest Ascent Hill climbing

1) Generate all the successors of current state

2) Select the best successor as a next state to visit

3) Go to step 1 until either the goal is achieved or the dead end is reached

A) If the goal is achieved then exit the search.

In case of dead end, back track to an earlier state and select the next best successor as a next state to visit and go to step 1.

⇒ Simple Hill climbing:

- 1) Generate the first successor of the current state.
- 2) If it is better than the current state then make that successor as the current state. Otherwise, generate the next successor of the current state.
- 3) This will continue until the goal is achieved or the dead end is reached. In both the cases, the search terminates.

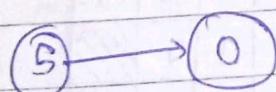
⇒ Solve 8 puzzle using hill climbing:

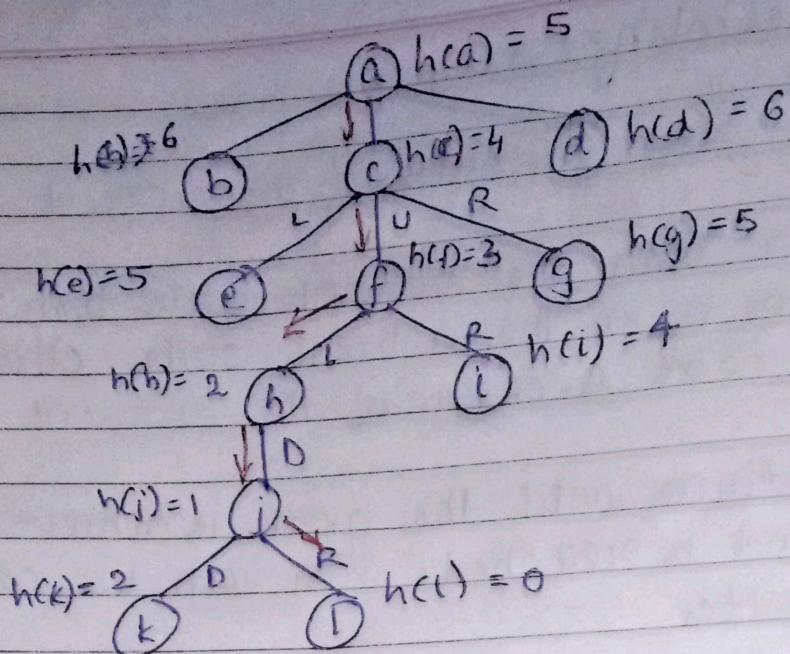
2	8	3	1	2	3
1	6	4	8	/	4
7	/	5	7	6	5

IS GS

$h(n)$ = Manhattan distance of a state

$$h(\text{IS}) = 5 \quad h(\text{GS}) = 0$$





			a
2	8	3	
1	6	4	$h(a) = 5$
7	1	5	

b	L	c	U	d	R
2 8 3		2 8 3		2 8 3	
1 6 4	$h(b) = 6$	1 4	$h(c) = 4$	1 6 4	$h(d) = 6$
7 1 5		7 6 5		7 5	

e	L	f	U	g	R
2 8 4		2 3		2 8 3	
1 1 4	$h(e) = 5$	1 8 4	$h(f) = 3$	1 4	$h(g) = 5$
7 6 5		7 6 5		7 6 5	

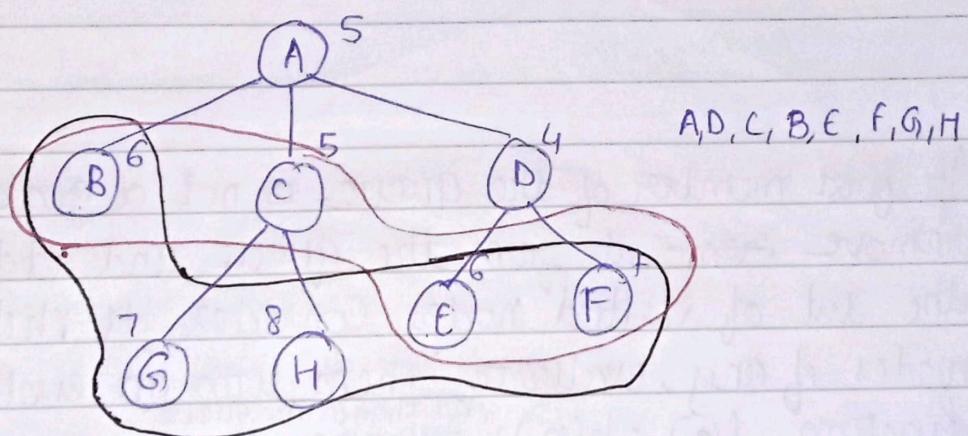
h	L	i	R
2 3		2 3	
1 8 4		1 8 4	
7 6 5		7 6 5	

	j	D
1	2	3
8	9	$h(j) = 1$
7	6	5

$w(k) = 2$

K	P	L	R	$h(L) = 0$
1	2	3		
7	8	4		
6	5	8	7	4

2) Best First Search :



It is an improvement over hill climbing. It will always select the next node to visit from list of all the nodes which are not yet visited i.e., the best of all the remaining nodes.

1. CLOSE = [] OPEN = [A5]
2. $X = A$; CLOSE = [A] ; OPEN = [D4, C5, B6]
3. $X = D$; CLOSE = [A, D] ; OPEN = [C5, B6, E6, F7]
4. $X = C$; CLOSE = [A, D, C] ; OPEN = [B6, E6, G7, F7, G7, H8]
5. $X = B$; CLOSE = [A, D, C, B] ; OPEN = [E6, F7, G7, H8]
6. $X = E$; CLOSE = [A, D, C, B, E] ; OPEN = [F7, G7, H8]
7. $X = F$; CLOSE = [A, D, C, B, E] ; OPEN = [G7, H8]
8. $X = G$; CLOSE = [A, D, C, B, E, F, G] ; OPEN = [H8]

$X = H$; $CLOSE = [A, D, (B, E, F, G, H)]$; $OPEN = []$

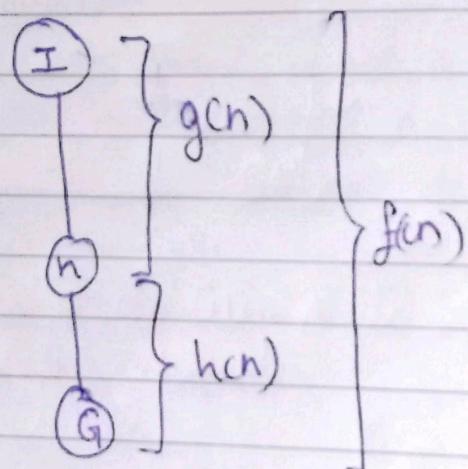
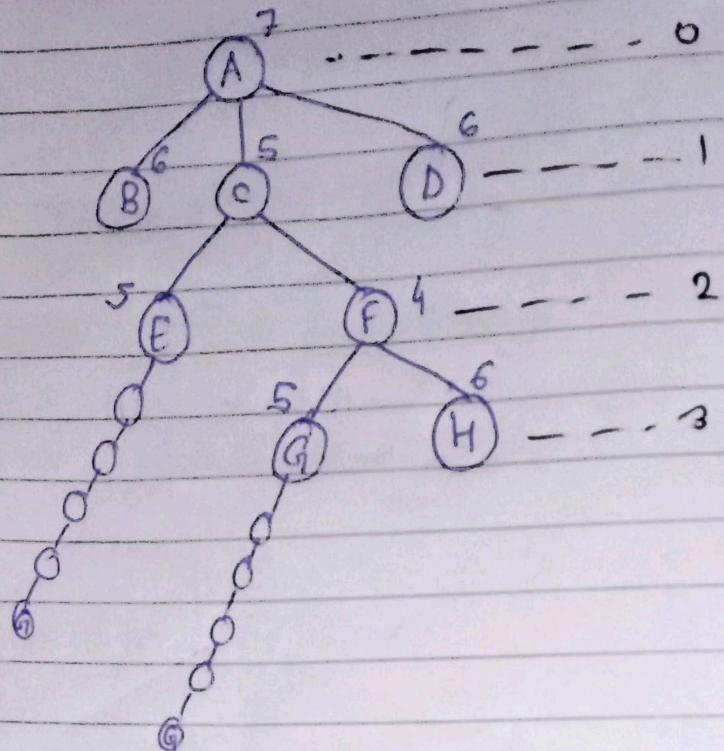
⇒ Algorithm for Best first search:

Same
as
DFS
2)

③ If first member of the queue is not a goal node, remove it from the queue and add it to the list of visited nodes. Consider its children nodes if any, evaluate them with an evaluation function $f(n) = h(n)$. Add them in the queue. Arrange them in order as the best will be the leftmost.

Same
as
DFS
4)
5)
6)

* A* search:



Best first search : $f(t) = h(t)$

A^* : $f(n) = g(n) + h(n)$

- In Best First Search, if two states with same heuristic value appears at two different level are not comparable.

- We can make them comparable by considering the distance of these states from the initial state along with the heuristic value.

Hence we get a new evaluation functⁿ ie

$$f(n) = g(n) + h(n)$$

where, $g(n)$ is the distance of state n from initial state, $h(n)$ is the estimated distance of goal state from state n and $f(n)$ is the complete distance from initial state to goal state through state n .

By changing the evaluation function, we get new search ie A^* search. A^* means Admissible Best first Search.

Admissibility is the property of an algorithm which guarantees optimal solution

→ Algorithm for A^* .

1)

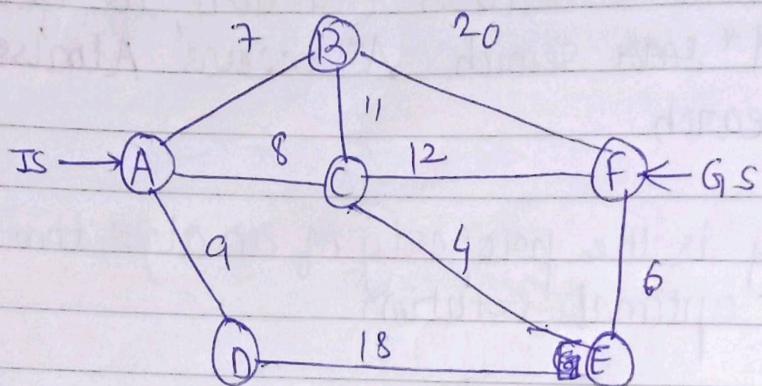
2)

- 3) If the first member of the queue is not a goal node then remove it from the queue and add it to the list of visited nodes. Consider its children nodes if any, evaluate them with an evaluation function $f(n) = g(n) + h(n)$. Add them in the queue. Rearrange them in order as the test will be the leftmost with heuristic merit (best leftmost).

4)

5)

→ Route Finding Problem:



Q find the route from city A to city F using A* and Best first search.

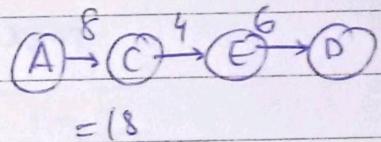
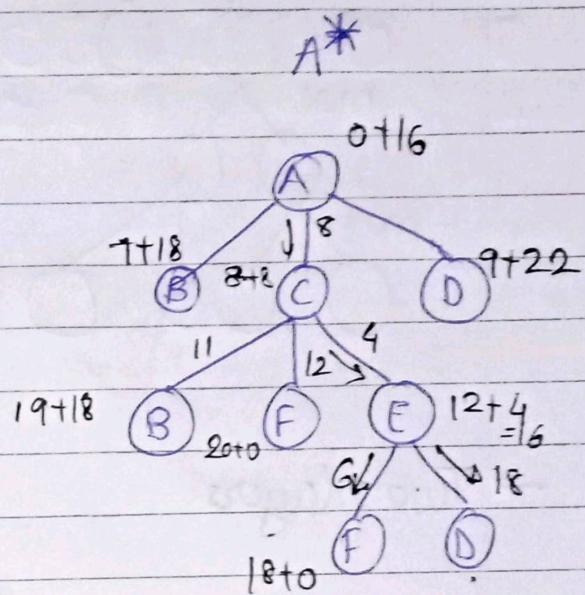
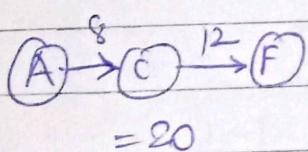
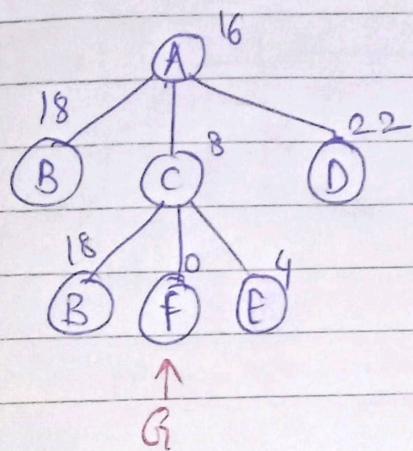
- For route finding problem, we consider the heuristic function as the straight line distance SLD from every city to city F. We assume that the straight line distance is less than actual distance by 2.

following are the straight line distances from every city to city F.

$$\begin{aligned}
 A &= 16 \\
 B &= 18 \\
 C &= 8 \\
 D &= 22 \\
 E &= 4 \\
 F &= 0
 \end{aligned}$$

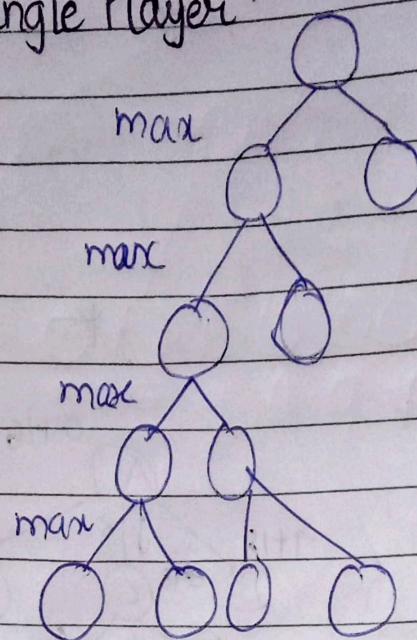
$$\begin{aligned}
 A &= 18/16 \\
 B &= 19 \\
 C &= 10
 \end{aligned}$$

Best First Search

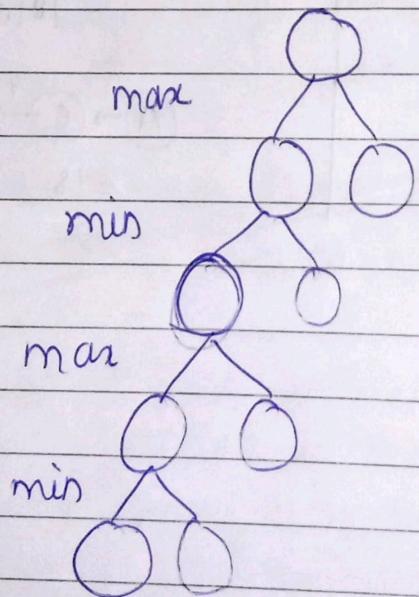


* Game Playing:

→ Single Player:

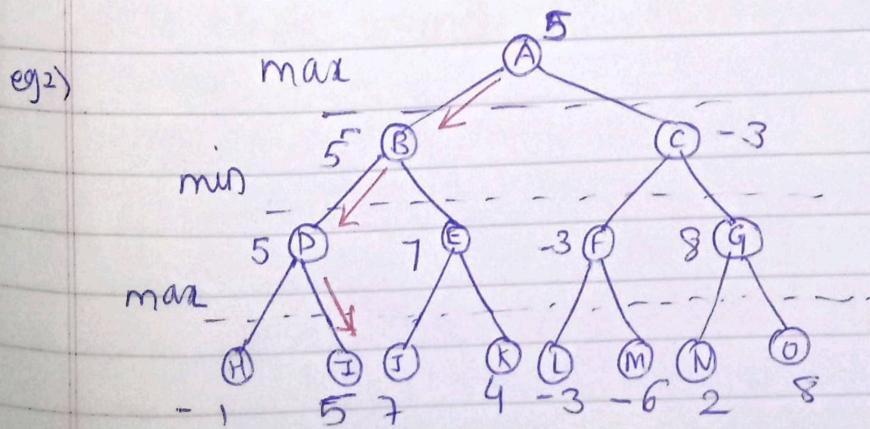
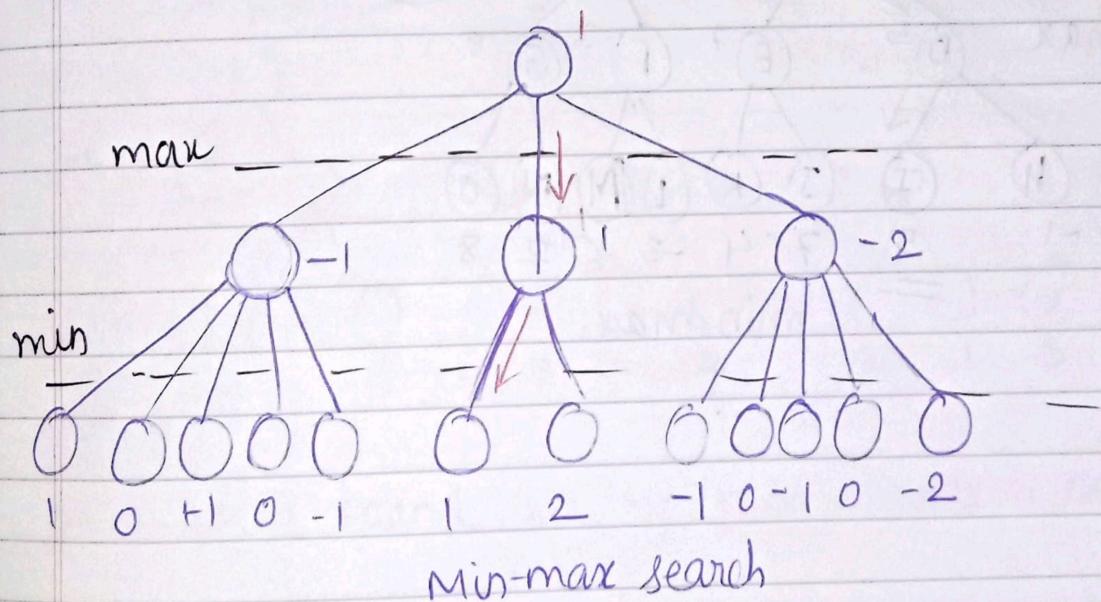
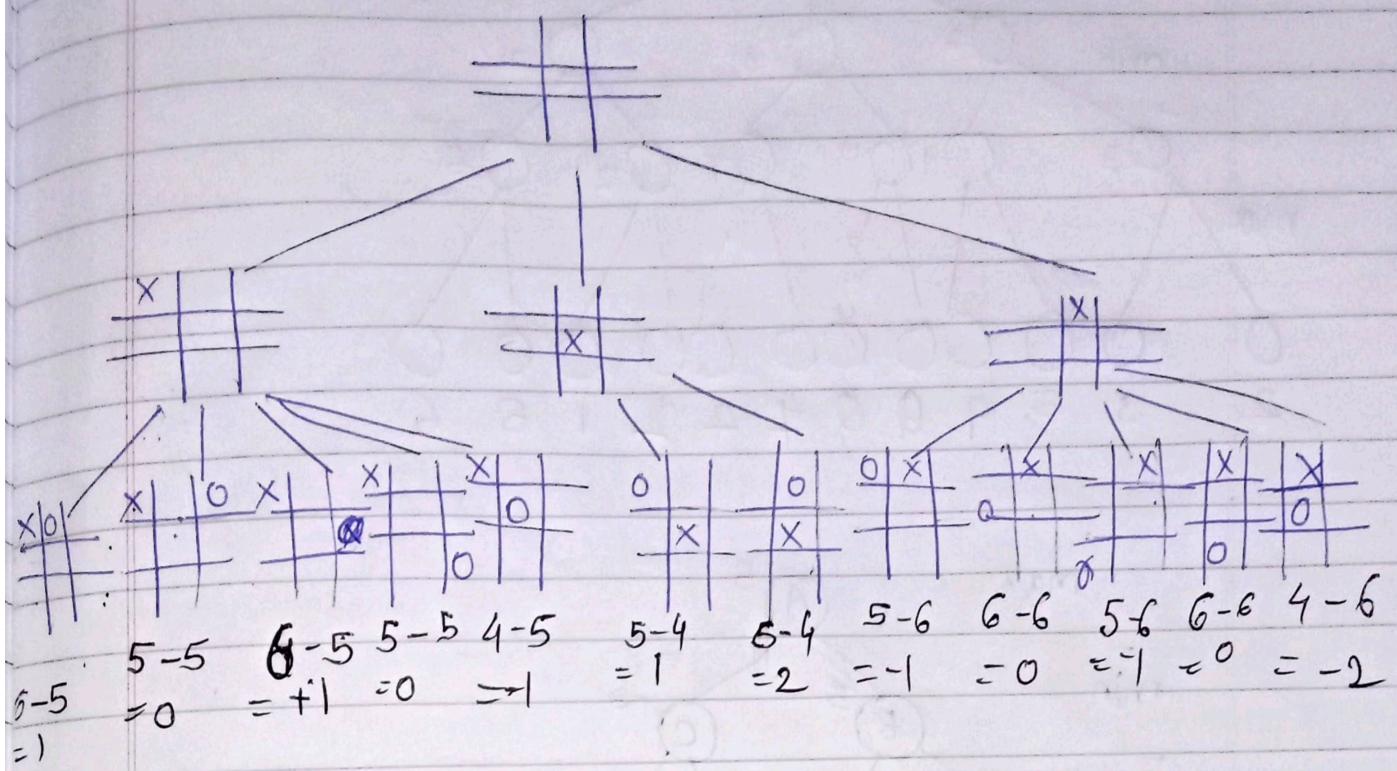


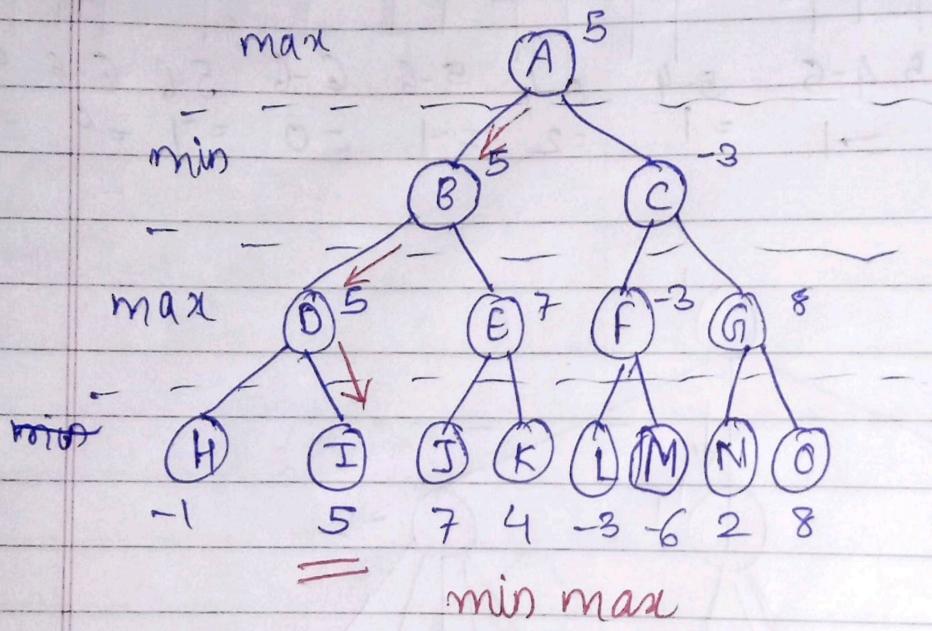
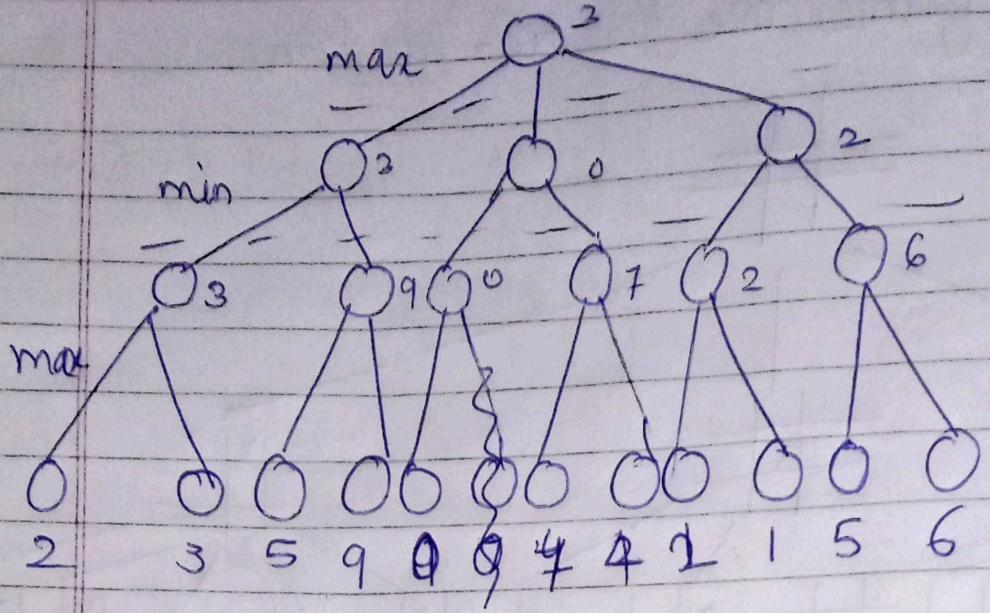
→ Two players:



- game tree [Min - Max Search]

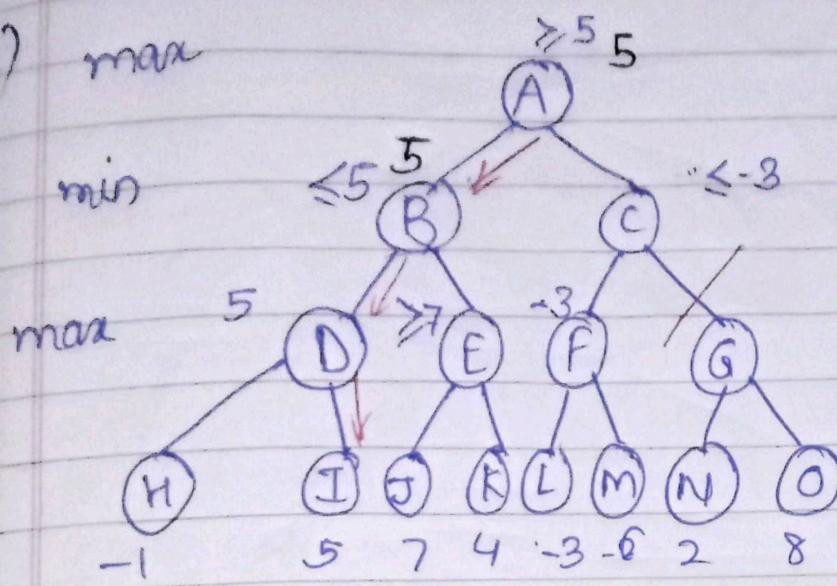
a) Construct a game tree for tic-tac-toe:



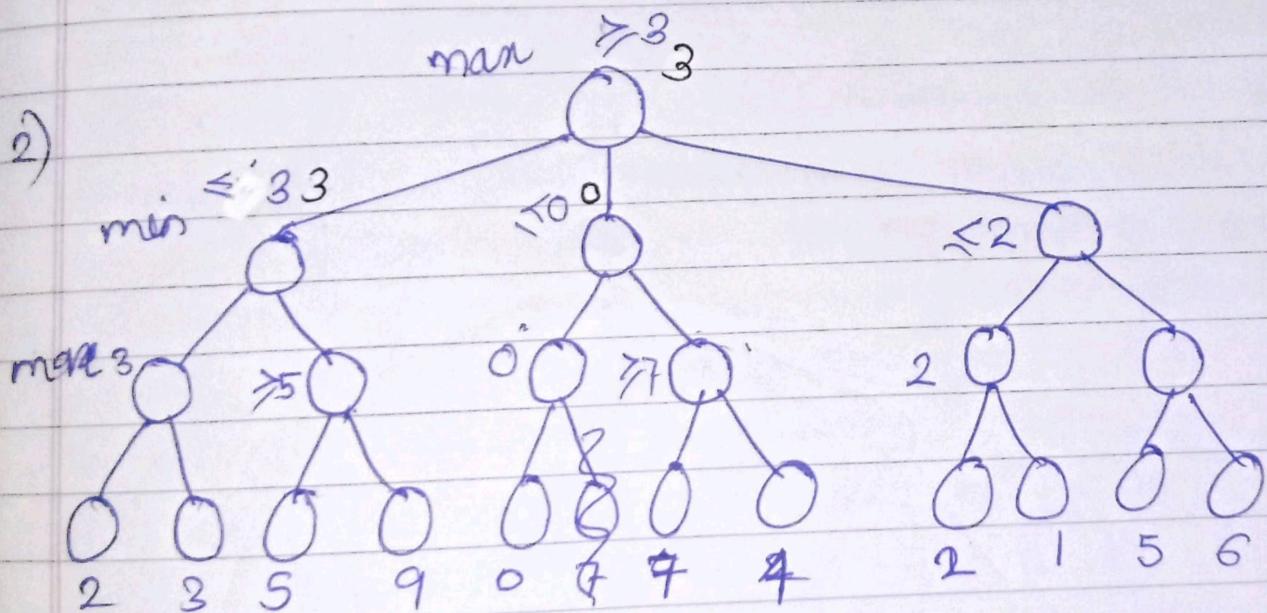


* α - β pruning / α - β cutoff

1) max

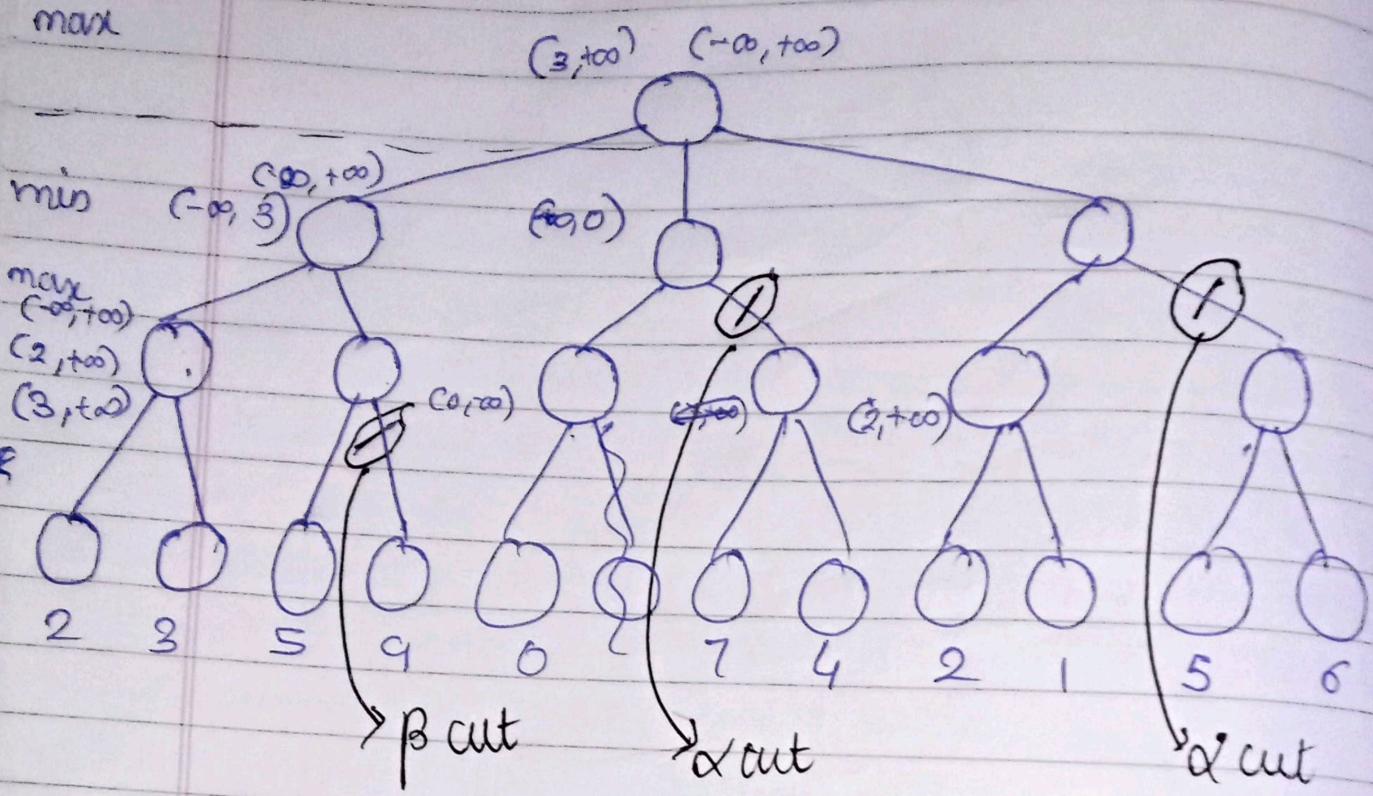


2)

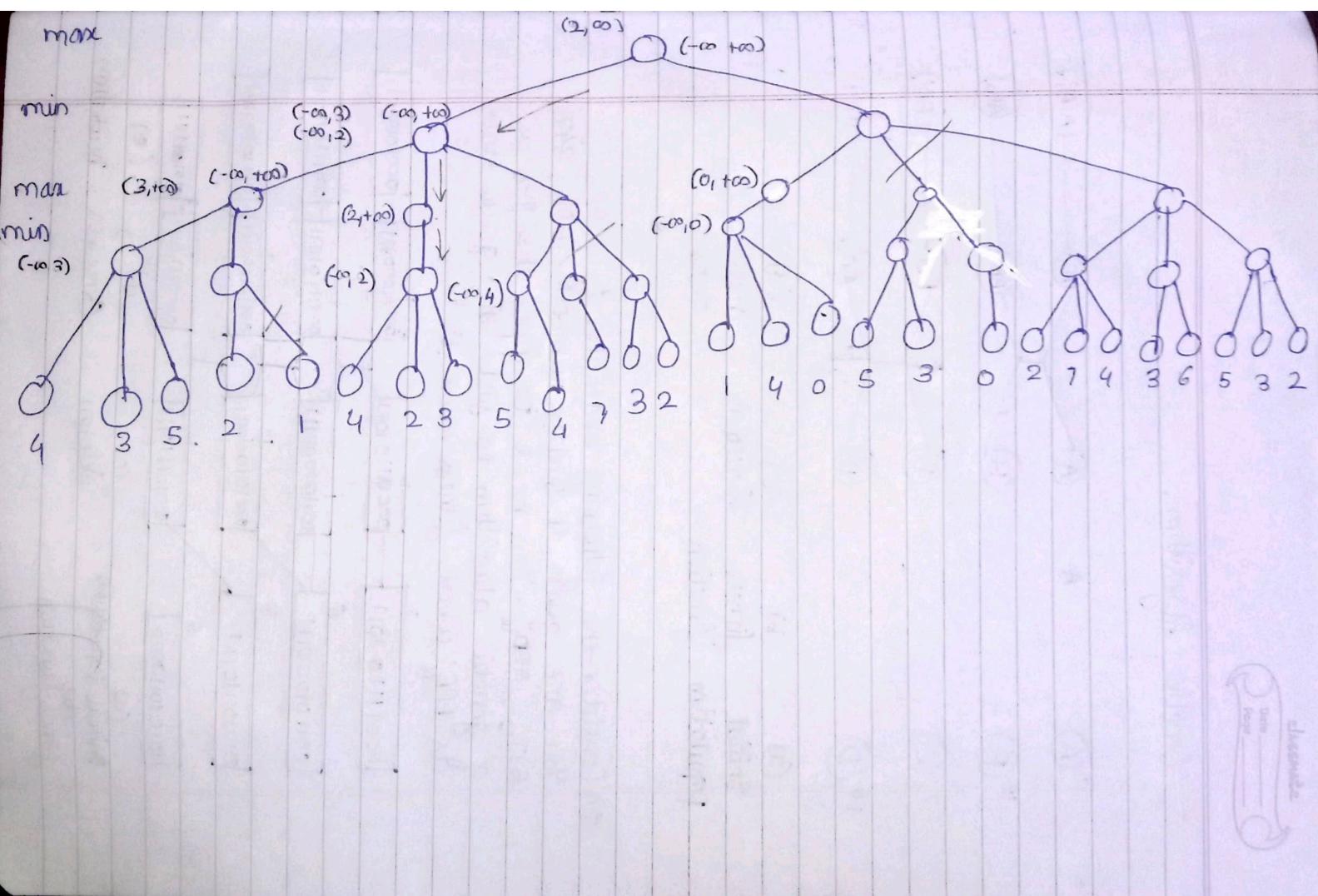


$\alpha \Rightarrow$ lower bound set by maximization node

$\beta \Rightarrow$ Upper bound set by minimization node.



- Compare with grandparent node if conditions exist
- ↳ Visit all children of the leftmost node



1 minute Paper

Q1 write down difference between $\alpha\beta$ cutoff and minimax search

minMax search

$\alpha\beta$ cutoff

Definition Algorithm for decision making in games

Optimization techniques for minimax

objective To find the best move for a player To improve the efficiency of minmax

Evaluation considers all possible moves and their outcomes Reduces the number of evaluated moves

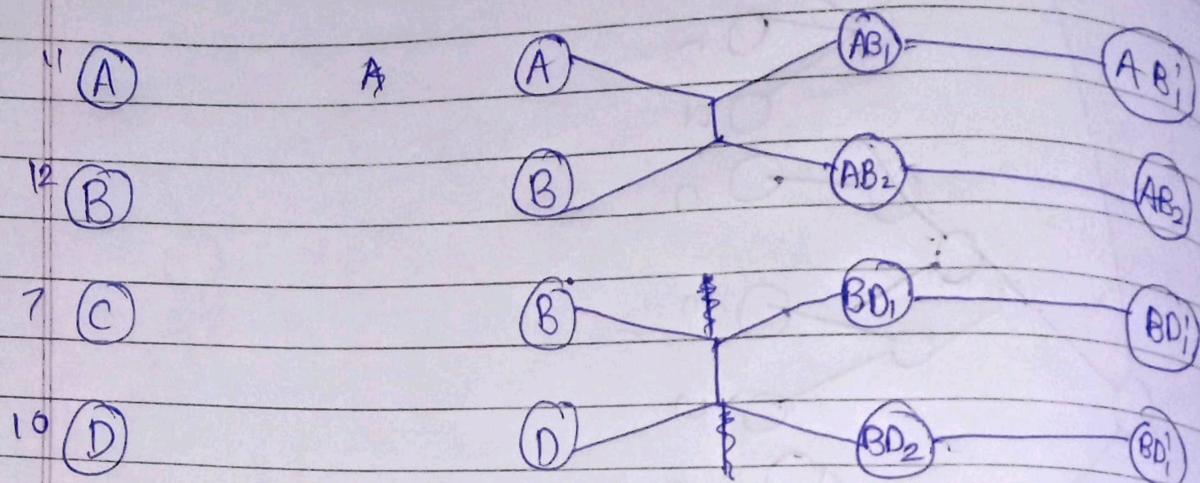
Pruning Does not involve pruning Involves pruning to eliminate branches

complexity More complex and less complex and space Required more memory to store entire game tree Requires less memory due to pruning

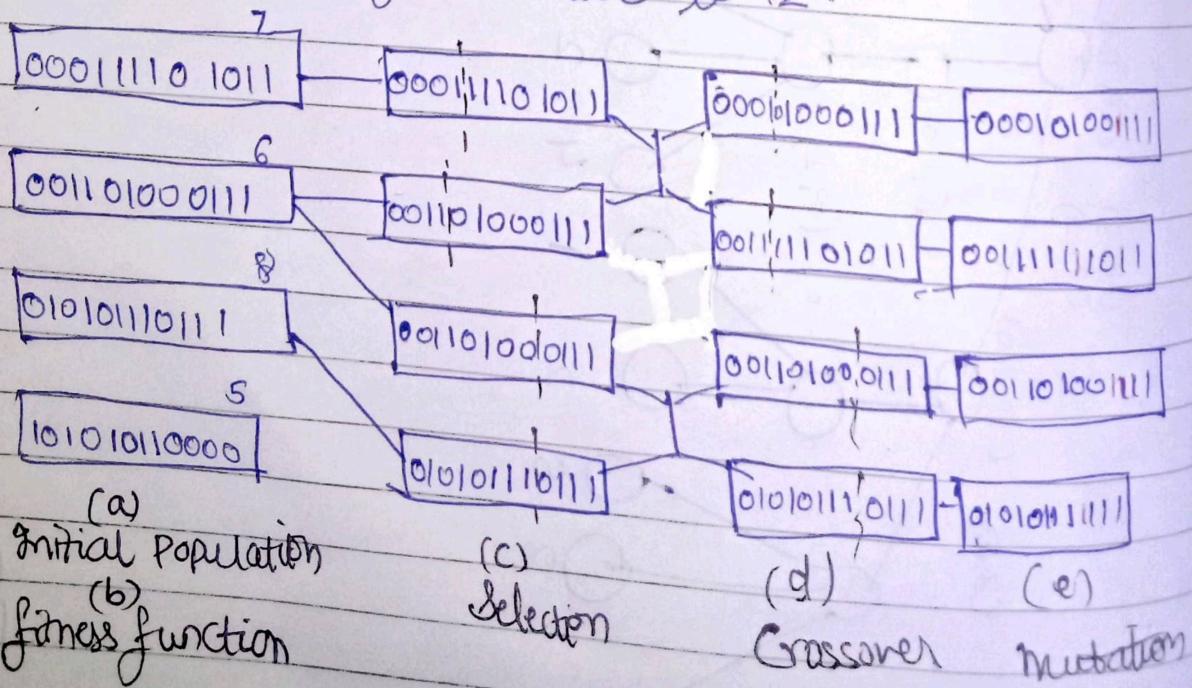
Performance slower due to exploring all possibilities faster as it involves avoids unnecessary searches

Use suitable for small cases game trees / when optimal moves are essential suitable for large game trees to improve search efficiency

* Genetic Algorithm.



(Q1) Consider the following example: $\frac{1}{2}$
 You are given 4 binary numbers i.e. $B_6 = 347_{16}$, 577_{16} , $A_6 = 100_{16}$. You need to apply the process of genetic algorithm to find the goal state as FFF_6 whose fitness value is 12.



Li.

Knowledge Representation

PAGE NO.:



knowledge

set of facts

(Deterministic
knowledge)

set of rules

(Procedural
knowledge)

P

$P \Leftarrow$ declaration

Q

$P \rightarrow Q$ Procedural Knowledge

Types :

1) Propositional Logic

2) Predicate logic

Propositional Logic

Proposition is a statement which can be either true/false but not both with respect to some context

Propositions are normally represented using symbol preferably "alphabet"

e.g. It is sunny - P(SUNNY)

It is raining - Q(RAINING)



' Two or more proposition can be combined using logical connectives such as Implication, double implication ($\leftrightarrow, \wedge, \vee, \neg$)
 e.g. If it is sunny then it is not raining
 $P \rightarrow Q$

Consider the following facts and write them in propositional logic.

It is humid. $\neg P$
 If it is humid then it is Hot. $P \rightarrow Q$
 If it is hot & humid then it will rain. $P \wedge Q \rightarrow R$

Propositional is also called as Boolean LOGIC

2] Predicate Logic

(FOPL) First order predicate logic

It is a language of logic it is more expressive way representing logical statement. The chalk is white can be written as white(chalk)

Predicate logic uses One argument predicate, 2 argument predicate, 3 argument predicate

1) single argument used to represent some extra info about object

e.g Abhay is a boy. boy(abhay)

2) Two arguments used to represent relation between 2 objects

e.g Abhay is a friend of Ajay. friend(Abhay, Ajay)



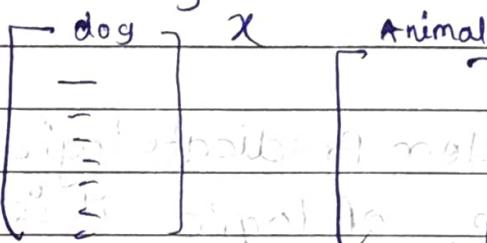
(3) Three argument predicate is used to represent 'some act' in FOL
 e.g. Abhay gave book to Ajay.
 $\exists x \exists y \exists z Gave(x, y, z)$

Q.T. 3.7

convert the following statement into predicate logic

- 1) Spot is a dog $\Rightarrow Dog(spot)$
- 2) Dog has a tail $\Rightarrow HasATail(Dog)$
- 3) spot is tail $\Rightarrow Tail(spot)$
- 4) All dogs are animal $\Rightarrow \forall x Dog(x) \rightarrow Animal(x)$

$\forall x [Dog(x) \rightarrow Animal(x)]$



(45) All dogs have tail
 $\forall x [Dog(x) \rightarrow Tail(x)]$

Statement above is example of Quantified Statement
 Generalise statement about multiple object
 the quantified statements can be represented
 in predicate logic only by using quantifiers
 operations following 2 quantifiers are used
 in FOL

Universal Quantifier ($\forall x$)

If is used to assert that the statement
 is true for all the values of associated
 variable.

e.g. All students are intelligent

$$\forall x : [\text{Student}(x) \rightarrow \text{Intelligent}(x)]$$

2] Existential Quantifier :

It is used to assert that there exist \exists at least 1 Assignment for associated variable that will make Statement True.

e.g. Some students are intelligent

$$\exists x : [\text{Student}(x) \star \text{Intelligent}(x)]$$

e.g. There is a student

$$\exists x : \text{Student}(x)$$

Some student are intelligent & smart

$$\exists x : [\text{Student}(x) \star \text{Intelligent} \wedge \text{Smart}(x)]$$

All student are intelligent & smart

$$\forall x : [\text{Student}(x) \rightarrow \text{Intelligent} \wedge \text{Smart}]$$

Nesting of all Quantifier

Everyone is loyal to someone

$$\forall x : \exists y : \text{Loyal}(x, y)$$

$\forall x : \exists y$ everyone

Some is loyal to everyone

$$\exists x : \forall y : \text{Loyal}(x, y)$$

everyone is loyal to everyone

$$\forall x \forall y : \text{Loyal}(x, y) \quad (\forall x \forall y : \text{Loyal}(x, y))$$

Someone is loyal to someone $\exists x \exists y : \text{Loyal}(x, y)$

The father of a son is also son of a father.

$$\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$$

$\forall x \exists y \text{ Father}(x, y)$ means there exists a father for every person.
 $\exists z : \text{son}(x, z)$ means there exists a son for every father.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

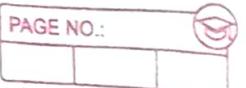
∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

∴ $\forall x \exists y \text{ Father}(x, y) \rightarrow [\exists z : \text{son}(x, z)]$ is true.

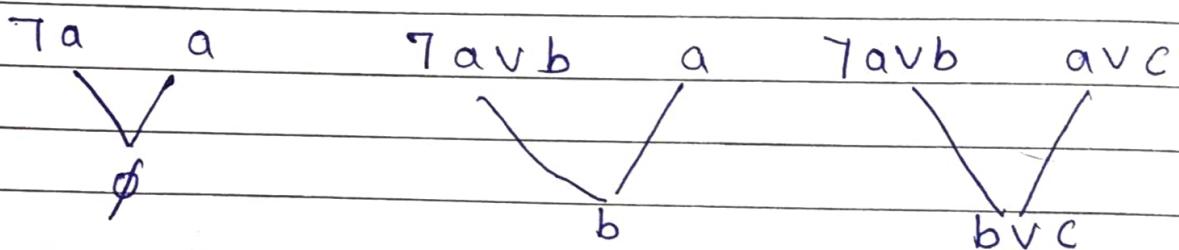


Q)

Resolution : -

Resolution uses the contradiction if it is a mechanism to draw some conclusion from Given set of facts (if it is also called as proof by refutation which means action of proving a statement or theory to be wrong / false).

Basic Resolution Rules :



Steps in resolution Process :-

- 1) convert the given statement to either propositional or predicate logic.
- 2) convert the logical statement to CNF (conjunctive normal form) / clause form.
- 3) Negate the conclusion or the fact which is to be resolved.
- 4) resolve the negation of conclusion if not true using refutation.

~~Conjunctive Normal form :-~~

logical statement may consist of $[\forall, \exists, \rightarrow, \wedge, \vee, \neg]$ by eliminating $\forall, \exists, \rightarrow, \wedge$ the statement is converted to CNF.

eliminate ' \rightarrow '

$$a \rightarrow b = \neg a \vee b$$

$$\begin{aligned} a \wedge b \rightarrow c &= \neg(a \wedge b) \vee c \\ &= (\neg a \vee \neg b) \vee c \end{aligned}$$

eliminate ' \wedge '

$$a \wedge b = \begin{array}{c} a \\ b \end{array}$$

$$(a \vee b) \wedge c = a \vee b$$

$$c = \begin{cases} a, & \text{if } a \vee b \\ b, & \text{otherwise} \end{cases}$$

eliminate \exists [Skolemization]

$$1] \exists x : P(x) = P(s)$$

\swarrow skolem function / skolem constant

$$2] \forall x \exists y : P(x, y) = \forall x : P(x, s(x))$$

\swarrow (skolem function)

e.g. Someone is teacher

$$\exists x : \text{Teacher}(x)$$

$\exists x : \text{Teacher}(x)$ \leftarrow $\forall y : \text{Teacher}(x, y)$

e.g. Everyone is loyal to someone

$$\forall x \exists y : \text{Loyal}(x, y)$$

$$\forall x : \text{Loyal}(x, s(x))$$

$\forall x \exists y : \text{Loyal}(x, y)$ \leftarrow $\forall x \forall y : \text{Loyal}(x, y)$

Someone is loyal to everyone

$$\exists x : \forall y : \text{Loyal}(x, y)$$

$$\exists x : \text{Loyal}(s(x), y)$$



Someone is loyal to someone

$$\exists x \exists y \text{ loyal}(x, y)$$

$$\exists y \text{ loyal}(s, \exists x P(x))$$

Eliminate A

$$\forall x : P(x)$$

$$P(x)$$

$$\forall x \forall y : P(x, y)$$

Prefix with $P(x, y)$

normal form

e.g. All same students

$$\forall x \forall y \text{ Student}(x)$$

\downarrow
Student(x)

e.g. every teacher is friendly with every student

$$\forall x \forall y : \text{Teacher}(x) \wedge \text{Student}(y) \rightarrow \text{friendly}(x, y)$$

$$(a \wedge b) \rightarrow c$$

$$\forall x \forall y : \neg \text{Teacher}(x) \vee \neg \text{Student}(y) \vee \text{friendly}(x, y)$$

$$\neg \text{Teacher}(x) \vee \neg \text{Student}(y) \vee \text{friendly}(x, y)$$

$$(\neg x, \neg y) \rightarrow \neg \text{loyal}(x, y)$$

$$(\neg x, \neg y, z) \rightarrow \neg \text{loyal}(x, y)$$



Q. consider the following facts

Rani is hungry,

If Rani is hungry she barks,

If Rani barking then raja gets angry.

Prove that

→ consider following propositional symbols

Step 1: P: Rani is hungry

Q: Rani is barking

R: Raja is angry

equivalent propositional logic statements

a: P

b: $P \rightarrow Q$

c: $Q \rightarrow R$

Step 2: convert the above in CNF

a: P

b: $\neg P \vee Q$

c: $\neg Q \vee R$

Step 3: Prove R is true \Rightarrow

Negate R : $\neg R$

Step 4: $\neg R$ $\neg Q \vee R$

$$\begin{array}{c} \diagdown \quad \diagup \\ \neg Q \quad \neg P \vee Q \end{array}$$

$$\begin{array}{c} \diagup \quad \diagdown \\ \neg P \quad P \end{array}$$

o



We see that negation of conclusion, that is $\neg R$ has proved complete contradiction with given set of clauses (CNF) which means negation is completely invalid. Hence assertion is valid, that is R is true.

Q

Consider following facts

It is humid.

If it is humid then it is hot.

If it is hot and humid then it will rain.

Prove that It is raining.

→

Consider the following propositional symbol.

Step 1: P: It is humid

Q: It is hot

R: It is raining

equivalent prop. logic statements

a: P

b: $P \rightarrow Q$

c: $P \wedge Q \rightarrow R$

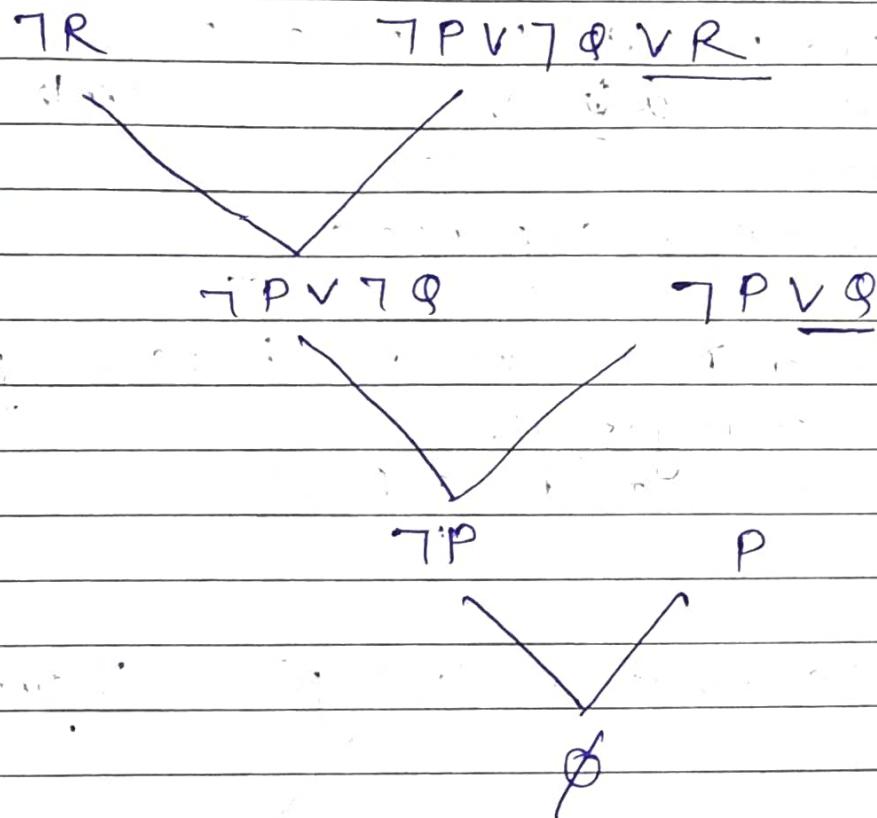
Step 2: convert the above into CNF

a: P

b: $\neg P \vee Q$

c: $\neg P \vee \neg Q \vee R$

Step 3: R is true (prove)
negate $\neg R$



^{not for MSE}
Assumption is valid that is R is free

Q.3 Consider following facts

- 1) If A is on top of B then B support A
 - 2) If A is above B and they are touching each other then A is on top of B.
 - 3) A cup is above the book
 - 4) A cup is touching the book
prove that book support the cup
-

$$\begin{array}{ll} \forall a \quad \text{on top}(a,b) \\ \forall a \quad \text{Support}(b,a) \end{array}$$

$$\text{ontop}(a, b) \rightarrow \text{support}(b, a)$$

- 1) $\forall a : \forall b : \text{ontop}(a, b) \rightarrow \text{support}(b, a)$
- 2) $\forall x : \forall y : \text{Above}(x, y) \wedge \text{touching}(x, y) \rightarrow \text{ontop}(x, y)$
- 3) Above (cup, book)
- 4) Touching (cup, book)

CNF

Step 2)

$\neg \text{ontop}(a, b) \vee \text{Support}(b, a)$

$\neg \text{Above}(d, y) \vee \neg \text{Touching}(x, y) \vee \text{ontop}(x, y)$

$\text{Above}(\text{cup}, \text{book})$

$\text{Touching}(\text{cup}, \text{book})$

1)

2)

3)

Step 3: Prove that $\text{support}(\text{book}, \text{cup})$ is true

Take negation,

$\neg \text{support}(\text{book}, \text{cup})$

4)

5)

$\neg \text{support}(\text{book}, \text{cup})$

$\neg \text{ontop}(a, b) \vee \text{support}(b, a)$

$a/\text{cup}, b/\text{book}$

$\neg \text{ontop}(\text{cup}, \text{book})$

$\neg \text{above}(x, y) \vee$

$\neg \text{Touching}(x, y) \vee$

$\neg \text{ontop}(x, y)$

$\neg \text{above}(\text{cup}, \text{book}) \vee \neg \text{Touching}(\text{cup}, \text{book})$

$\neg \text{above}(\text{cup}, \text{book})$

$\neg \text{above}(\text{cup}, \text{book})$

$\neg \text{above}(\text{cup}, \text{book})$

ϕ

Consider the following facts.

- 1) Ravi likes all kind foods
- 2) Apple and chicken is food
- 3) Anything anyone eats and it not killed by is a food.
- 4) Ajay eats peanuts & is alive
- 5) Rita eats everything that Ajay eats

Prove that Ravi likes peanuts

→ Step 1:

- 1) $\forall x : \text{Food}(x) \rightarrow \text{Likes}(\text{Ravi}, x)$
Food (Apple) \wedge Food (Chicken)
- 2) $\forall a : \forall b : \text{Eats}(a, b) \wedge \neg \text{killed}(a) \rightarrow \text{Food}(b)$
Eats. (Ajay, Peanuts) \wedge Alive (Ajay)
- 3) $\forall c : \text{Eats}(\text{Ajay}) \rightarrow \text{Eats}(\text{Rita}, c)$
Eating (c)

on top of (c) 6] Alive means not killed :

$$\forall d : \text{Alive}(d) \rightarrow \neg \text{killed}(d)$$

→ CNF :

Step 2 : $\neg \text{Food}(x) \vee \text{Likes}(\text{Ravi}, x)$

~~book~~ $\neg \text{Food}(\text{Apple})$

Food (chicken)

$\neg \text{Eats}(a, b) \vee \neg \text{killed}(a) \vee \text{Food}(b)$

~~book~~ $\neg \text{Eats}(\text{Ajay}, \text{Peanuts})$

Alive (Ajay)

$\neg \text{Eats}(\text{Ajay}) \vee \text{Eats}(\text{Rita}, c)$

$\neg \text{Alive}(d) \vee \neg \text{killed}(d)$

To prove Ravi like Peanuts is True

$\neg \text{Likes}(\text{Ravi}, \text{Peanuts})$

$\neg \text{Likes}(\text{Ravi}, \text{Peanuts})$

$\neg \text{Food}(x) \vee \text{Likes}(\text{Ravi}, x)$

$x / \text{Peanuts}$

$\neg \text{Food}(x)$

peanuts

$\neg \text{Eats}(a, b) \vee \text{killed}(a)$

$\vee \text{Food}(b)$

$b / \text{peanuts}$

$\neg \text{Eats}(a, \text{peanuts}) \vee \text{killed}(a)$

a/d

$\text{Eats}(a/\text{Ajay}, \text{peanuts}) \leftrightarrow \neg \text{Eats}(d, \text{peanuts}) \vee \neg \text{Alive}(d)$

(d/Ajay)

$(\neg \text{Eats}(d, \text{peanuts})) \wedge (\text{Alive}(\text{Ajay}))$

ϕ

d. what ^{food} does Rita eat, (Assume eats(Rita, z))

z = food, y = eat, R = Rita

eat(x, y) \leftrightarrow eat(y, x)

(R, z) \in eat \leftrightarrow eat(z, R)

(R, z) \in eat \vee (R, z) \in eat

Steps to Reduce convert logical statement to one

1] Eliminate ' \rightarrow '

$$a \rightarrow b = \neg a \vee b$$

2] Reduce the scope of Negation ' \neg '

$$\neg \neg p(x) = p(x)$$

$$\neg(a \wedge b) = \neg a \vee \neg b$$

$$\neg(a \vee b) = \neg a \wedge \neg b$$

$$\neg \forall x : p(x) = \exists x. \neg p(x)$$

$$\neg \exists x : p(x) = \forall x : \neg p(x)$$

3] eliminate ' \exists '

$$\exists x : p(x) = p(s)$$

$$\forall x : \exists y : p(x, y)$$

$$\forall x : p(x, s(x))$$

4] eliminate ' \forall '

$$\forall x : p(x) = p(x)$$

$$\forall x : \forall y : p(x, y) = p(x, y)$$

5] Eliminate ' \wedge '

$$p(x) \wedge q(y) = p(x) \cdot q(y)$$



consider the following statement & convert it to CNF.

^{all}
Everyone who loves animal is loved by someone

→ 1) eliminate →

$$\forall x : [\forall y : \text{Animal}(y) \rightarrow \text{Loves}(x, y)] \rightarrow [\exists z : \text{Loves}(z,$$

$$\forall x : [\forall y : \neg \text{Animal}(y) \vee \text{Loves}(x, y)] \vee \exists z : \text{Loves}(z,$$

2) Reduce the scope of ' \forall '

$$\forall x : \forall y : \neg (\neg \text{Animal}(y) \vee \text{Loves}(x, y)) \vee \exists z : \text{Loves}(z, x)$$

$$\forall x : \exists y : (\text{Animal}(y) \wedge \neg \text{Loves}(x, y)) \vee \exists z : \text{Loves}(z, x)$$

3) Eliminate ' \exists '

$$\forall x : (\text{Animal}(S(x)) \wedge \neg \text{Loves}(x, S(x))) \vee \text{Loves}(S_2(x), x)$$

4) Eliminate ' \forall '

$$(\text{Animal}(S_1(x)) \wedge \neg \text{Loves}(S_1(x), S(x))) \vee \text{Loves}(S_2(x), x)$$

5) Eliminate ' \wedge '

$$\text{Animal}(S_1(x)) \neg (\text{Loves}(S_1(x), S(x)) \vee \text{Loves}(S_2(x), x))$$

$$\text{Animal}(S_1(x)) \vee \text{Loves}(S_2(x), x)$$

$$\neg \text{Loves}(x, S(x)) \vee \text{Loves}(S_2(x), x)$$

① Uncertain knowledge representation

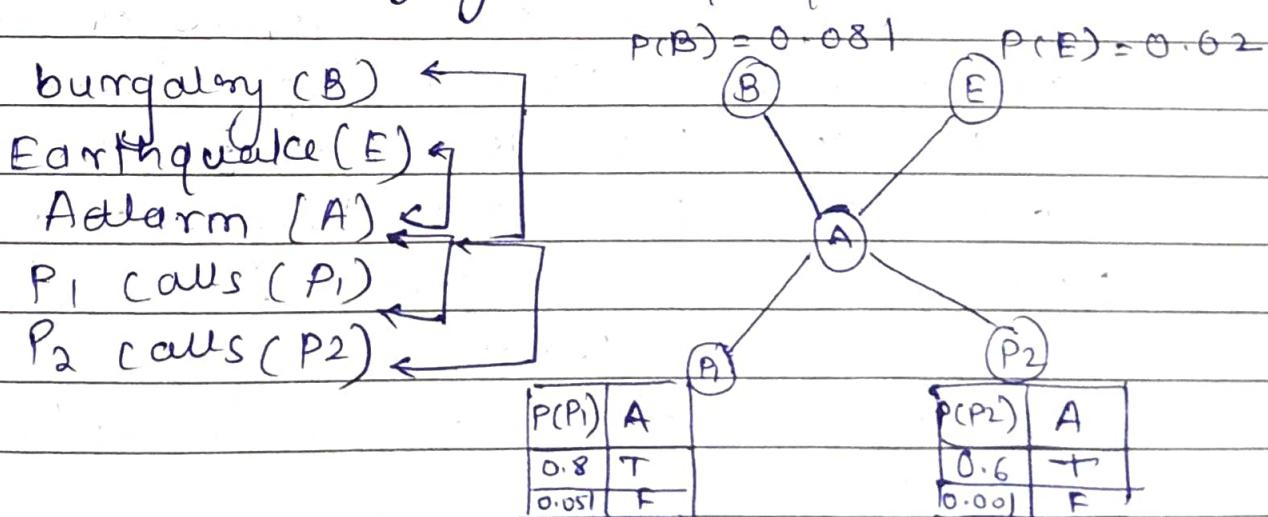
Joint probability distribution

$$P(x_1, x_2, x_3, \dots, x_n) = \prod_{i=1}^n P(x_i | \text{Parent}(x_i))$$

Examples of uncertain domain

You have installed burglar alarm at home which is fairly reliable to detect burglary or minor earthquake. You have 2 neighbours P₁ & P₂ who promised you to call you at work when they hears the alarm. P₁ sometimes forget to call you even he hears the alarm. P₂ also sometimes will not call you because he can hear the alarm ^{from} ~~at~~ specific distance.

What is a prob. that P₁ & P₂ calls you when they hears the alarm (alarm ringing) but no burglary & no earthquake.



5. Planning

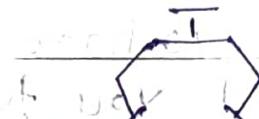
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Plan consist of sequence of action to be taken to achieve the goal.

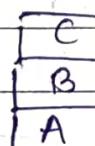
designing a planning agent needs the complete idea of any problem such as

- 1) identify the object and their way of representation.
- 2) identify the operators (actions) with their preconditions and effect.

example: provide a plan for the blocks world problem.



Robot
arm



GS

Step 1: identify the object and their way of representation

following predicates are define on table

on table (x) : block x is placed on table.

on top (x, y) : block x is on top of block y .

clear (x) : block x has clear top.

Holding (x) : Robot arm is holding block x .

Empty

: Robot arm is empty.

Step 2: define initial state and goal state.

Initial State : ontable(A) \wedge ontop(A) \wedge

clear(C) \wedge ontable(B)

\wedge clear(B) \wedge empty

Goal state: $\text{ontable}(A) \wedge \text{ontop}(B, A) \wedge \text{ontop}(C, B)$
 $\wedge \text{clear}(C) \wedge \text{Empty}$

Step 3: Identify the operators with their pre conditions and effect.

- 1 Action: Pickup(x): (Pickup block x from table)
 precondition: $\text{Ontable}(x) \wedge \text{clear}(x) \wedge \text{Empty}$
 Effect: $\text{Holding}(x)$
- 2 Action: Putdown(x): (Putdown block x on table)
 precondition: $\text{Holding}(x)$
 effect: $\text{Ontable}(x) \wedge \text{clear}(x) \wedge \text{Empty}$
- 3 Action: Unstack(x, y): (Pickup block x from top of y)
 precondition: $\text{ontop}(x, y) \wedge \text{clear}(x) \wedge \text{empty}$
 effect: $\text{Holding}(x) \wedge \text{clear}(y)$
- 4 Action: Stack(x, y): (Putdown block x on block y)
 precondition: $\text{Holding}(x) \wedge \text{clear}(y)$
 effect: $\text{ontop}(x, y) \wedge \text{clear}(x) \wedge \text{Empty}$
- 5 Action: START
 precondition: Nil
 effect: Initial state

- 6: finish
 precondition: Goal state
 effect: Nil

Step 4: Plan (Strict order plan)

START

[ontable(A) \wedge ontop(C, A) \wedge clear(C) \wedge Empty \wedge ontable(B) \wedge clear(B)]

Unstack(C,A)

[ontable(A) \wedge ontable(B) \wedge clear(A) \wedge holding(C) \wedge clear(B)]

Putdown(C)

[ontable(A) \wedge clear(A) \wedge ontable(B) \wedge clear(C) \wedge ontable(C) \wedge clear(C) \wedge empty]

Pickup(B)

[ontable(A) \wedge clear(A) \wedge ontable(C) \wedge clear(C) \wedge holding(B)]

Stack(B,A)

[ontable(A) \wedge ontop(B, A) \wedge clear(B) \wedge empty \wedge ontable(C) \wedge clear(C)]

Example 2: Provide a plan for "Put on pair of shoe")

Step 1: identify object and their way of representation
we need following propositions

1. left sock.on
2. Right Sock.on
3. left shoe.on
4. Right shoe.on

Step 2: define initial state & goal state

Initial state: Nil

Goal state: left shoe.on & right shoe.on

Step 3: identify operators with precondition & effect

1 Action 1: Put on .left sock

Precondition: Nil

Effect: left sock.on

2 Action : Put.on .Right sock

Precondition: Nil

Effect: right sock.on

3 Action: Put.on .left .shoe

Precondition: left sock.on

Effect: left shoe.on

4 Action: Put on Right.shoe

Precondition: Right sock.on

Effect: right shoe.on

5 Action: START

precondition: Nil

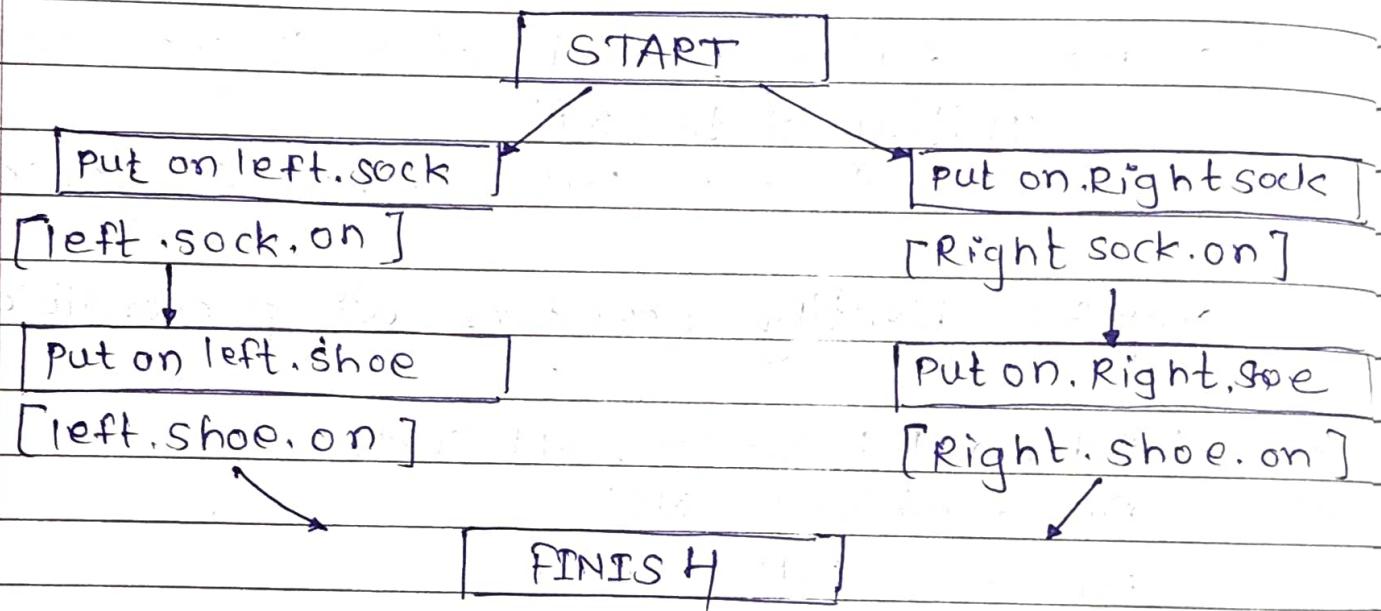
effect: initial state

6 Action: finish

precondition: Goal state

effect: Nil

Step 4: Plan (Partial order plan)



Types of plan :

- 1) Strict order plan
- 2) Partial order plan
- 3) Hierarchical plan
- 4) Planning with time scheduling

5th write a short note on plan ? (steps & components)

{ what is plan

steps of plan (step1, step2...)

component of plan:

every plan consist of (sequence of actions), ordering constraint

- 2) The ordering constraint between Action A & Action B is given as $A \otimes B$ (A before B) It means action A must be taken any time before Action B.
- causal links : coupled link
- 3) The causal link between action A & action B is given as $A \xrightarrow{P} B$ which means action A achieves precondition for action B. and action A must be taken immediately before action B.
- 4) List of open preconditions :
The open preconditions are those precond'n which are not achieved by any action in plan

~~Example of Resolution~~

The law says that it is a crime for an American to sell weapons to a hostile nation. The country Nono is an enemy of America and has some missile. and all of its missile were sold to it by Gurnel West who is an American
Q) Prove that "West is criminal"

→ following are the facts

- 1) It is crime for America to sell weapons to a hostile nation.
- 2) The country Nono is an enemy of America.
- 3) Nono has some missile.
- 4) West is an American.
- 5) All the missiles that Nono has are sold by Gurnel West.
- 6) All missiles are weapons.

7) An enemy of America is a hostile.

Predicate logic:

- 1) American(west)
- 2) Enemy(Nono, America)
- 3) $\exists x : \text{Missile}(x) \wedge \text{owns}(\text{Nono}, x)$
- 4) $\forall y : \text{Missile}(y) \wedge \text{owns}(\text{Nono}, y)$
 $\rightarrow \text{sold}(\text{west}, y, \text{Nono})$
- 5) $\forall a : \forall b : \forall c : \text{America}(a) \wedge \text{weapons}(b) \wedge \text{Hostile}(c)$
 $\wedge \text{sold}(a, b, c) \rightarrow \text{criminal}(a)$
- 6) $\forall d : \text{missile}(d) \rightarrow \text{weapons}(d)$
- 7) $\forall e : \text{enemy}(e, \text{America}) \rightarrow \text{Hostile}(e)$

Predicate to CNF:

- 1) American(west)
- 2) Enemy(Nono, America)
- 3) $\exists x : \text{missile}(x)$
 $\wedge \text{owns}(\text{Nono}, x)$
- 4) $\neg \text{missile}(u) \vee \neg \text{owns}(\text{Nono}, u) \vee \text{sold}(\text{west}, u, \text{Nono})$
- 5) $\neg \text{American}(a) \vee \neg \text{weapon}(b) \vee \neg \text{Hostile}(c) \vee \neg \text{sold}(a, b, c) \vee \text{criminal}(a)$
- 6) $\neg \text{missile}(d) \vee \text{weapons}(d)$
- 7) $\neg \text{enemy}(e, \text{America}) \vee \text{Hostile}(e)$

prove that $\text{criminal}(\text{west})$ is true Negate:
 $\neg \text{criminal}(\text{west})$

Resolution

$\neg \text{criminal}(\text{west})$

$\neg \text{American}(\text{a}) \vee \neg \text{weapons}(\text{b})$

$\wedge \neg \text{Hostile}(\text{c}) \vee \neg \text{sold}(\text{a}, \text{b}, \text{c})$

$\vee \text{criminal}(\text{a})$

a/west

$\neg \text{American}(\text{west}) \vee \neg \text{weapons}(\text{b})$

$\vee \neg \text{Hostile}(\text{c}) \vee \neg \text{sold}(\text{west}, \text{b}, \text{c})$

$\text{American}(\text{west})$

$\neg \text{weapons}(\text{b}) \vee \neg \text{Hostile}(\text{c})$

$\vee \neg \text{sold}(\text{west}, \text{b}, \text{c})$

$\neg \text{missile}(\text{d}) \vee$

$\text{weaponed})$

a/b

$\neg \text{Hostile}(\text{c}) \vee \neg \text{sold}$

$(\text{west}, \text{b}, \text{c}) \vee$

$\neg \text{missile}(\text{b})$

$\neg \text{missile}(\text{y}) \vee \neg \text{owns}$

$(\text{Nono}, \text{y}) \vee$

$\neg \text{sold}(\text{west}, \text{y}, \text{Nono})$

y/b

c/Nono

$\neg \text{Hostile}(\text{Nono}) \vee$

$\neg \text{missile}(\text{b}) \vee$

$\neg \text{owns}(\text{Nono}, \text{b})$

$\neg \text{enemy}(\text{e}, \text{America})$

$\vee \neg \text{Hostile}(\text{e})$

e/Nono

$\neg \text{missile}(\text{b})$

$\vee \neg \text{owns}(\text{Nono}, \text{b})$

$\vee \neg \text{enemy}(\text{Nono}, \text{America})$

$\neg \text{missile}(\text{s1})$

b/s1

$\neg \text{owns}(\text{Nono}, \text{s1})$

$\vee \neg \text{enemy}(\text{Nono}, \text{America})$

$\neg \text{owns}(\text{Nono}, \text{s1})$

$\neg \text{enemy}(\text{Nono}, \text{America})$

$\neg \text{enemy}(\text{Nono}, \text{America})$



Reasoning / Chaining

- 1) Forward Reasoning: Given \rightarrow Conclusion
- 2) Backward Reasoning: Conclusion \leftarrow Given

P.

$$\begin{array}{l} P \rightarrow Q \\ Q \rightarrow R \end{array} \quad \text{P.T.R is true.}$$

Inference Rule (F/w Reasoning)

Modus Ponens:

Given P

Rule $P \rightarrow Q$

Infer Q

Given P

\downarrow from (2) by modus ponens

Q

\downarrow from (3) by modus ponens

Conclusion R

Inference Rule (B/w Reasoning)

Modus Tollens:

Conclusion $\rightarrow R$

To prove Q

\uparrow from 3 by
modus tollens

Given: $P \rightarrow Q$

first prove: P

\uparrow from 2 by
modus tollens

Given T \rightarrow P



consider the following facts

- 1) If hot and smoky then fire
- 2) If alarm beeps then smoky.
- 3) If fire then switch on sprinkler
- 4) alarm beeps
- 5) It is hot.

P.T Sprinkler is on using forward & backward reasoning.

→ convert above fact to propositional logic

$$\text{It is hot} \rightarrow h \quad P$$

$$\text{It is smoky} \rightarrow s \quad Q$$

$$\text{It is fire} \rightarrow f \quad R$$

$$\text{It is Alarm} \rightarrow A \quad S$$

$$\text{Switch on sprinkler} \rightarrow p \quad T$$

$$1) P \wedge Q \rightarrow R$$

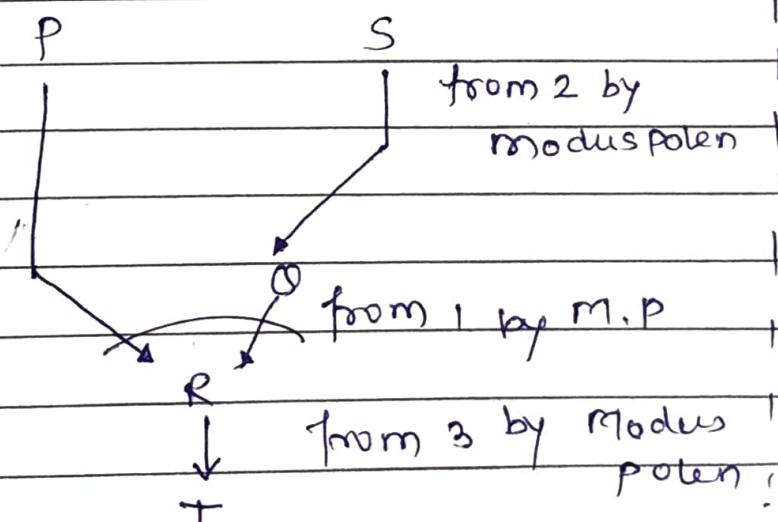
$$2) S \rightarrow Q$$

$$3) R \rightarrow T$$

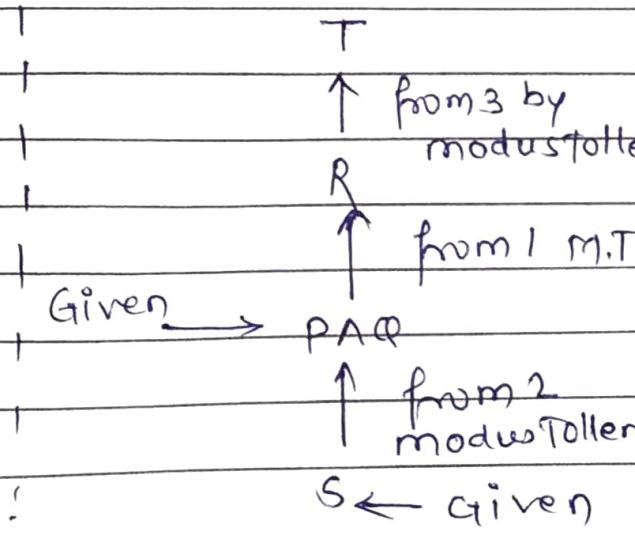
$$4) S$$

$$5) P$$

forward Reasoning



| Backward Reasoning



Prove that west is criminal using F/wg
B/w Reasoning.

Module 6

Steps in NLP - 10 VIPS

Healthcare, Retail, Banking Case study